## inquiry about your study on testing normality using summary statistics with application to meta-analysis

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To:Tiejun TONG <tongt@hkbu.edu.hk>

Dear Dr. Tong,

This is a PhD student from University of Queensland. I have enjoyed reading your paper titled 'testing normality using the summary statistics with application to meta-analysis'. This paper has provide very useful information for meta-analysis. Thank you very much. In the paper, test statistics (please see the picture below) were provided to test if underlying data are normally distributed. I have difficulty in understanding what " $\phi$ " is. Could you please kindly provide me some more explanation about  $\phi$ ? I am also wondering if you have an excel sheet for this test statistics. If you have, I greatly appreciate you forwarding it to me.

Thank you again for such a great paper.

I wish you a Merry Christmas and Happy New Year.

Table 10: Summary table of the test statistics under three scenarios

	Test statistic	Coefficient
Scenario $S_1$	$T_1 = \frac{\tau(n)(a+b-2m)}{b-a}$	$\tau(n) = 2\Phi^{-1} \left( \frac{n - 0.375}{n + 0.25} \right) / \sqrt{\frac{\pi^2}{6 \log(n)} + \frac{\pi}{n}}$
Scenario $S_2$	$T_2 = \frac{\varphi(n)(q_1 + q_3 - 2m)}{q_3 - q_1}$	$\varphi(n) = 1.09\sqrt{n}\Phi^{-1}\left(\frac{0.75n - 0.125}{n + 0.25}\right)$
Scenario $S_3$	$T_3 = \frac{\kappa(n)(a+b+q_1+q_3-4m)}{b-a+q_3-q_1}$	$\kappa(n) = \frac{\left[2\Phi^{-1}\left(\frac{n-0.375}{n+0.25}\right) + 2\Phi^{-1}\left(\frac{0.75n-0.125}{n+0.25}\right)\right]}{\sqrt{\frac{\pi^2}{6\log(n)} + \frac{10.5}{n}}}$

Kind Regards,

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