George and Round

George decided to prepare a Codesecrof round, so he has prepared m problems for the round. Let's number the problems with integers 1 through m. George estimates the ith problem's complexity by integer b_i.

To make the round good, he needs to put at least n problems there. Besides, he needs to have at least one problem with complexity exactly a_1, at least one with complexity exactly a_2, ..., and at least one with complexity exactly a_n. Of course, the round can also have problems with other complexities.

George has a poor imagination. It's easier for him to make some already prepared problem simpler than to come up with a new one and prepare it. George is magnificent at simplifying problems. He can simplify any already prepared problem with complexity c to any positive integer complexity d ($c \geq d$), by changing limits on the input data.

However, nothing is so simple. George understood that even if he simplifies some problems, he can run out of problems for a good round. That's why he decided to find out the minimum number of problems he needs to come up with in addition to the m he's prepared in order to make a good round. Note that George can come up with a new problem of any complexity.
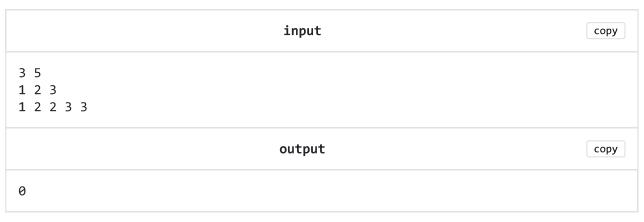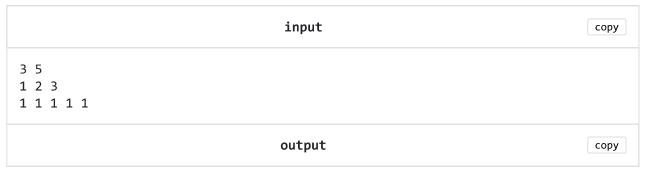
Input Format

The first line contains two integers n and m ($1 \leq n, m \leq 3000$) the minimal number of problems in a good round and the number of problems George's prepared. The second line contains space-separated integers $a_1, a_2, ..., a_n$ ($1 \leq a_1 < a_2 < ... < a_n \leq 10^6$) — the requirements for the complexity of the problems in a good round. The third line contains space-separated integers $b_1, b_2, ..., b_m$ ($1 \leq b_1 \leq b_2 \leq ... \leq b_m \leq 10^6$) — the complexities of the problems prepared by George.

Output Format

Print a single integer — the answer to the problem.

Sample test

input
3 5 1 2 3 1 2 2 3 3

output
0

input
3 5 1 2 3 1 1 1 1 1

| output |

```
2
```

```
3 1
2 3 4
1
```

```
3
```

Explanation for sample test

In the first sample the set of the prepared problems meets the requirements for a good round.

In the second sample, it is enough to come up with and prepare two problems with complexities 2 and 3 to get a good round.

In the third sample it is very easy to get a good round if come up with and prepare extra problems with complexities: $2, 3, 4$.