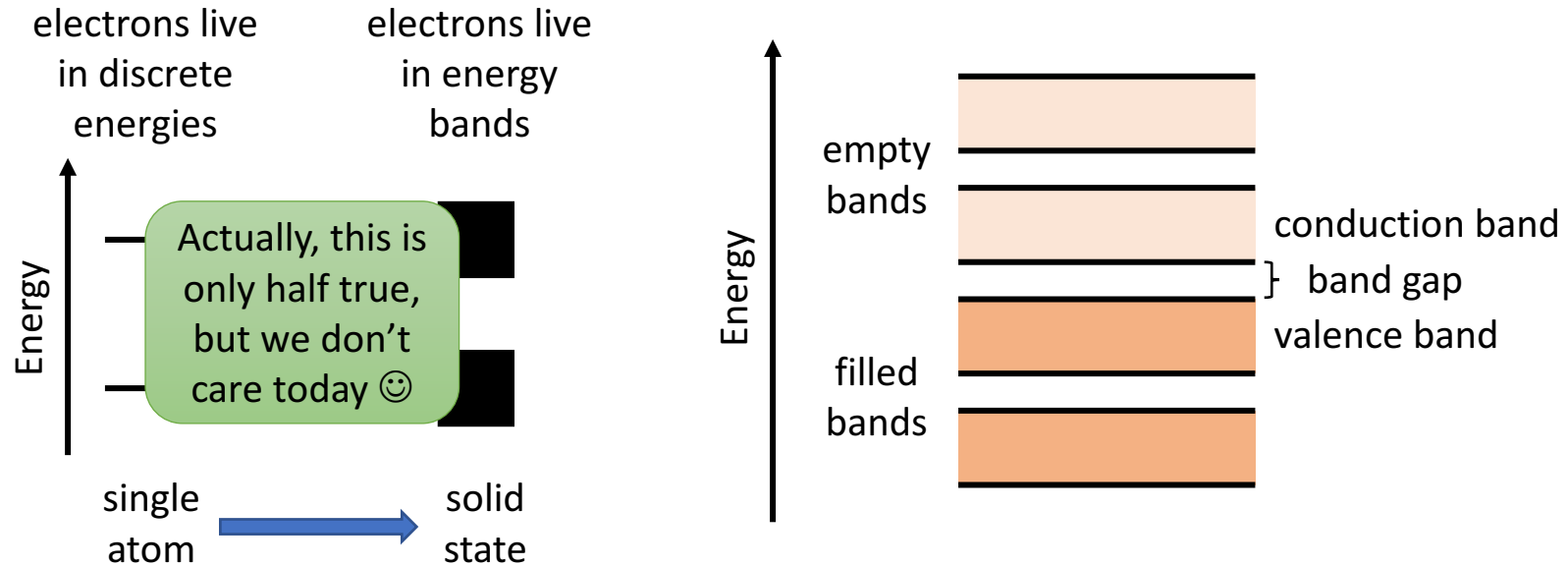


## What you need to know about solar cells

Udo Römer, 20.03.2020

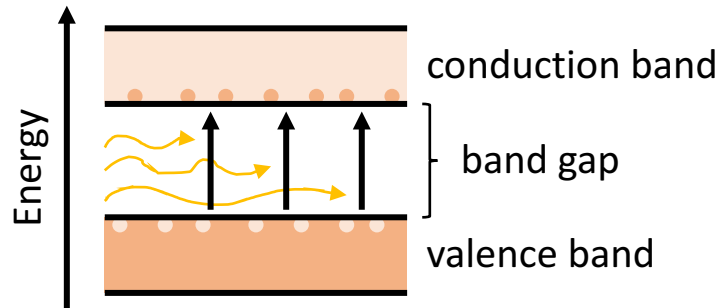
# Super-short crash course in semiconductor physics

## Energy bands



# Super-short crash course in semiconductor physics

## Semiconductor

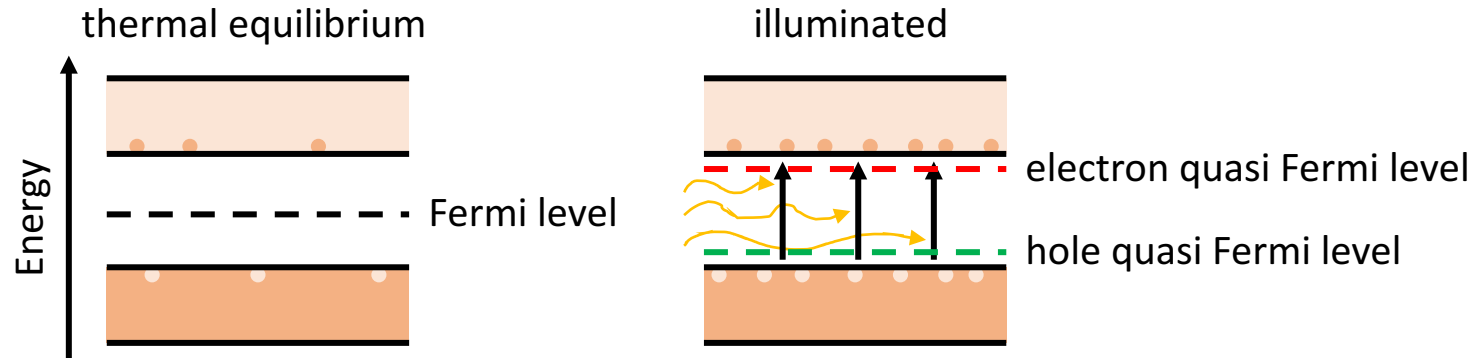


- electrons can only transport energy when unoccupied states are available
- partly filled conduction band  
→ **metal**
- empty conduction band & large bandgap  
→ **insulator**
- empty conduction band & small bandgap  
→ thermal excitations of electrons to conduction band  
→ **semiconductor**  
→ light can excite electrons to the conduction band, leaving holes in the valence bands

# Super-short crash course in semiconductor physics

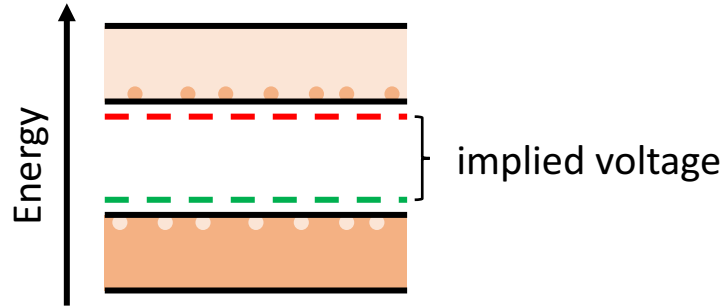
## Fermi level

- Fermi level describes energy of charge carriers
- upon illumination, distribution of electrons and holes can be described by different quasi Fermi levels



# How does a solar cell work?

## Implied voltage

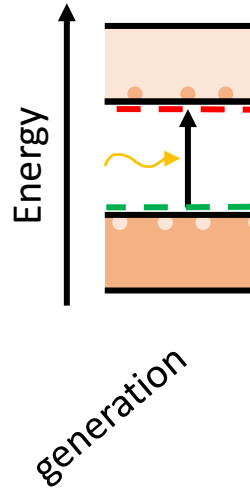


from now on all  
diagrams show  
illuminated  
semiconductors

- Energy difference between electron and hole quasi Fermi levels is the implied voltage
- In order to use this voltage, we need contacts

# How does a solar cell work?

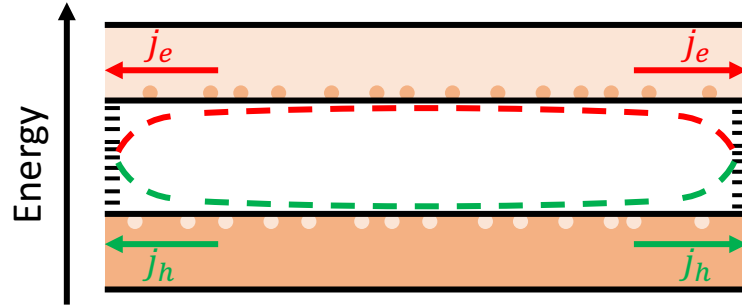
## Recombination



- generation and recombination are in a steady state
- recombination more effective for small energy differences → trap assisted
- strong recombination at surfaces (especially metallised surfaces)
- recombination results in reduced charge carrier densities
  - reduced implied voltage
- if there is a drop in the quasi fermi level, it will result in a current

# How does a solar cell work?

## Contacts



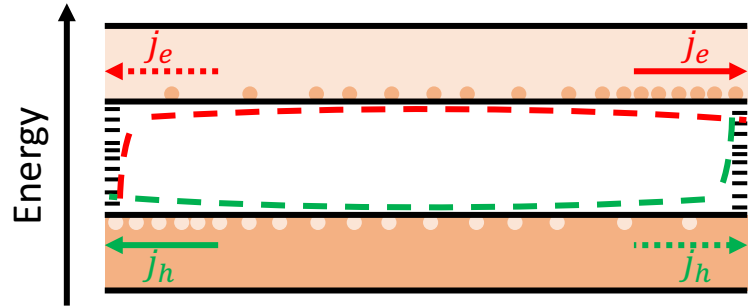
- if there is a drop in the quasi fermi level, it will result in a current:

$$j_e = \frac{\sigma_e}{e} \text{grad}(\epsilon_{eQFL}) \quad \sigma: \text{conductivity}$$
$$j_h = -\frac{\sigma_h}{e} \text{grad}(\epsilon_{hQFL}) \quad \epsilon_{QFL}: \text{quasi Fermi level energy}$$

- if both, electrons and holes can reach the contact we don't get a voltage
  - we need different current-flows for electrons and holes
  - we need different conductivities

# How does a solar cell work?

## Contacts



Highly  $p$ -doped region:

$$N_h > 10^{18} \text{ cm}^{-3}$$

$$N_e < 10^2 \text{ cm}^{-3}$$

Highly  $n$ -doped region:

$$N_e > 10^{18} \text{ cm}^{-3}$$

$$N_h < 10^2 \text{ cm}^{-3}$$

illumination adds

$$\Delta n_e = \Delta n_h > 10^{15} \text{ cm}^{-3}$$

- How do we change conductivity?

$$\sigma_e = en_e\mu_e$$

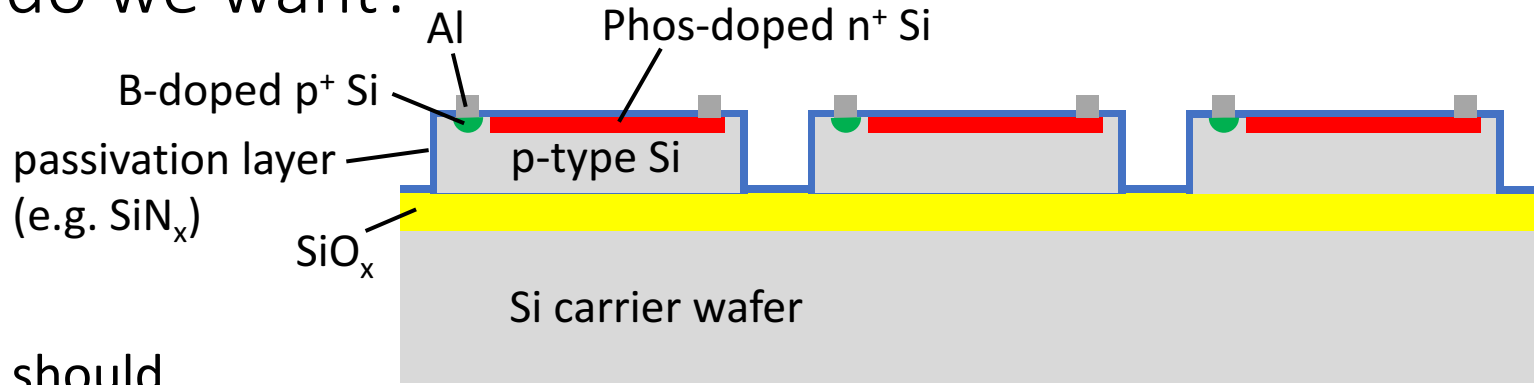
$$\sigma_h = en_h\mu_h$$

- mobility  $\mu$  hard to change (selectively)
  - charge carrier density  $n$  can be changed a lot by doping
- electron contact: low resistivity for electrons, high resistivity for holes
- hole contact: low resistivity for holes, high resistivity for electrons



# Solar cell processing in the Mini Solar project

## What do we want?



Our PV cells should

- be able to charge a Li ion battery (~4 V would be nice)
  - 7 cells each producing 0.6 V would do the job
- be electrically isolated from each other
  - we can fabricate cells on an insulator layer and etch grooves between the cells
- be easy to process in large batches
  - Fabrication of many cells on a “large” wafer

# Solar cell processing in the Mini Solar project

Cross-section

Top view

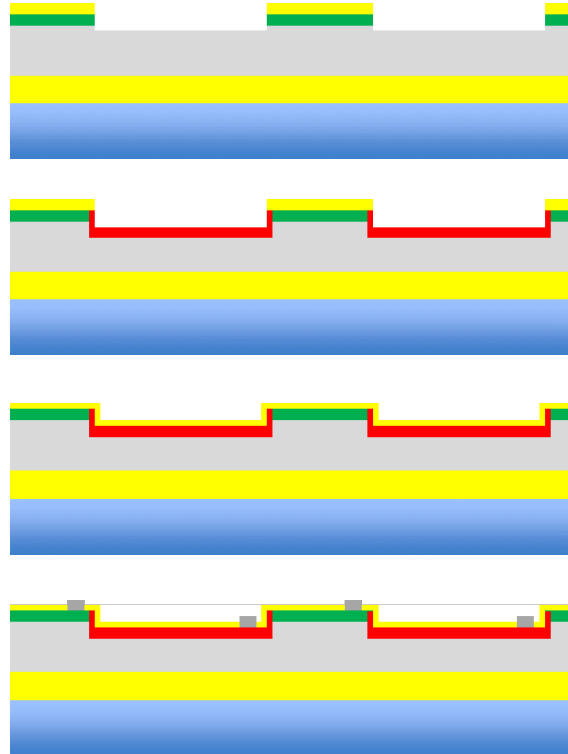
- Silicon on insulator wafer
  - $\text{SiO}_2$  layer separates active layer from supporting wafer below
- Boron diffusion (full area)
  - as  $p^+$  contact
- Oxidation
  - full area
  - as etch / diffusion barrier
- Structuring of  $\text{SiO}_2$  layer
  - protecting  $p^+$  region



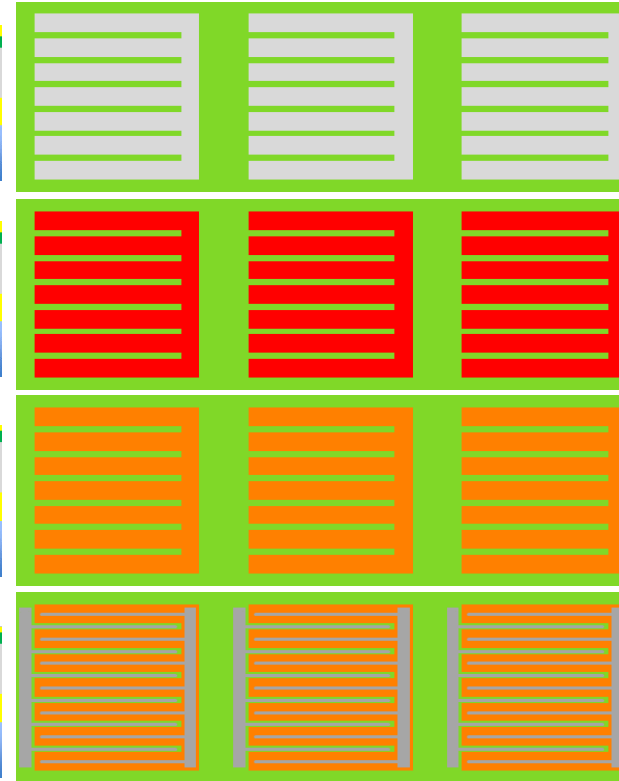
# Solar cell processing in the Mini Solar project

- Etching of Boron region
  - $p^+$  region protected by  $\text{SiO}_2$  layer
- Phosphorus diffusion
  - $p^+$  region protected by  $\text{SiO}_2$  layer
- Oxidation (full area)
  - as passivation & anti-reflection coating
- Metal contact deposition
  - after contact opening

Cross-section



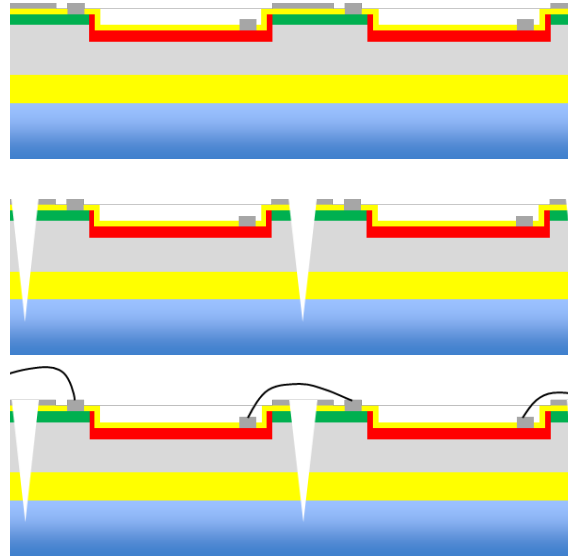
Top view



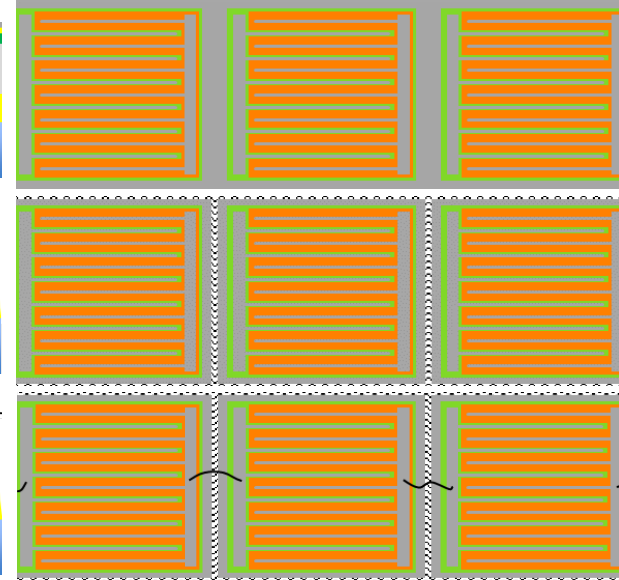
# Solar cell processing in the Mini Solar project

- Shadow mask deposition
  - around the cells
  - will explain on next slides
- Laser contact separation
  - electrical cell isolation
- Wire bonding
  - connecting neighbouring cells

Cross-section

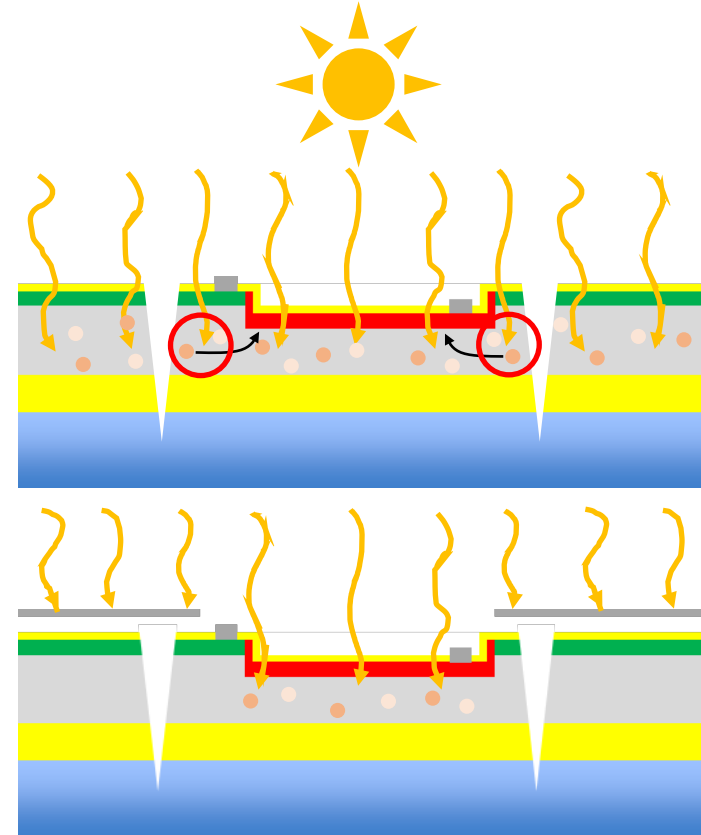
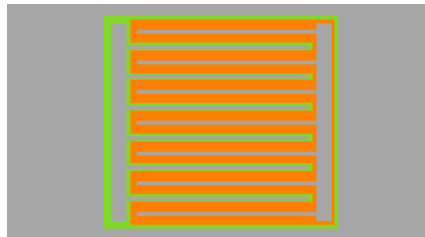
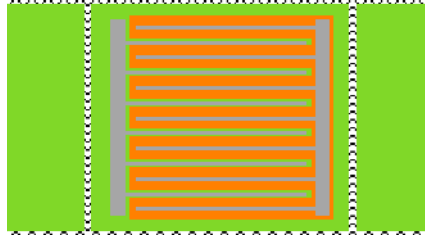


Top view



# Measurement of small solar cells on large wafer

- Cell size smaller than wafer size
- No shadow mask
  - charge carriers also generated in surrounding region
  - too high measured current
- Using shadow mask
  - generation only in illuminated area



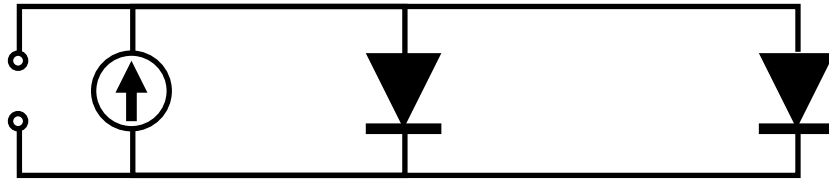
# Semiconductor physics part II

## What do we actually measure?

- Last week you measured solar cells and used a diode equation for fitting

$$J = J_{sc} - J_{01}(e^{\frac{qV}{k_B T}} - 1) - J_{02}(e^{\frac{qV}{2k_B T}} - 1)$$

two diode model  
(without series and  
shunt resistance)



- What does it describe? Only diodes?
- Nope - recombination in a semiconductor
  - $n = 1$ : recombination in low injection ( $N_{\text{doping}} \gg \Delta n$ )
  - $n = 2$ : recombination in high injection ( $\Delta n \gg N_{\text{doping}}$ )

# Semiconductor physics part II

## Where does n=2 come from?

- Recombination in a semiconductor

$$J = \frac{qW}{\tau} \Delta n$$

$$\frac{n_e n_h}{n_i^2} = e^{\frac{qV}{k_B T}} \quad n_e = N_e + \Delta n$$

$$n_h = N_h + \Delta n$$

- n = 1: recombination in low injection ( $N_h \gg \Delta n \gg N_e$ )

$$\begin{aligned} n_e &\approx \Delta n \\ n_h &\approx N_h \end{aligned} \quad \frac{\Delta n N_h}{n_i^2} = e^{\frac{qV}{k_B T}} \quad \Delta n = \frac{n_i^2}{N_h} e^{\frac{qV}{k_B T}}$$

p-type semiconductor

- n = 2: recombination in high injection ( $\Delta n \gg N_h$ )

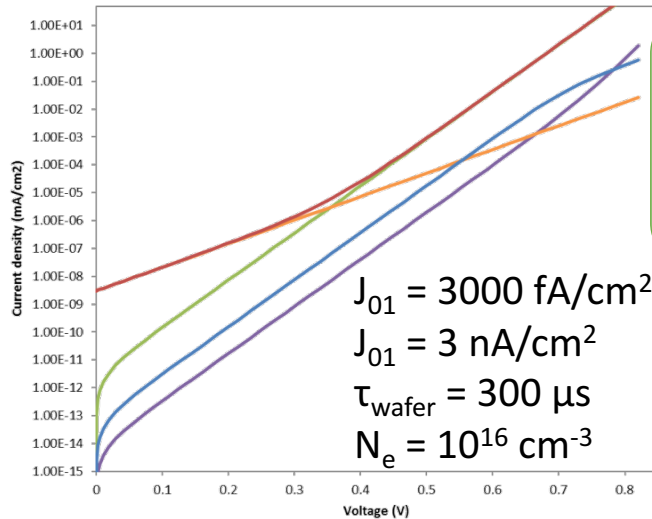
$$\begin{aligned} n_e &\approx \Delta n \\ n_h &\approx \Delta n \end{aligned} \quad \frac{\Delta n \Delta n}{n_i^2} = e^{\frac{qV}{k_B T}} \quad \Delta n = \sqrt{n_i^2 e^{\frac{qV}{k_B T}}} = n_i e^{\frac{qV}{2k_B T}}$$

# Semiconductor physics part II

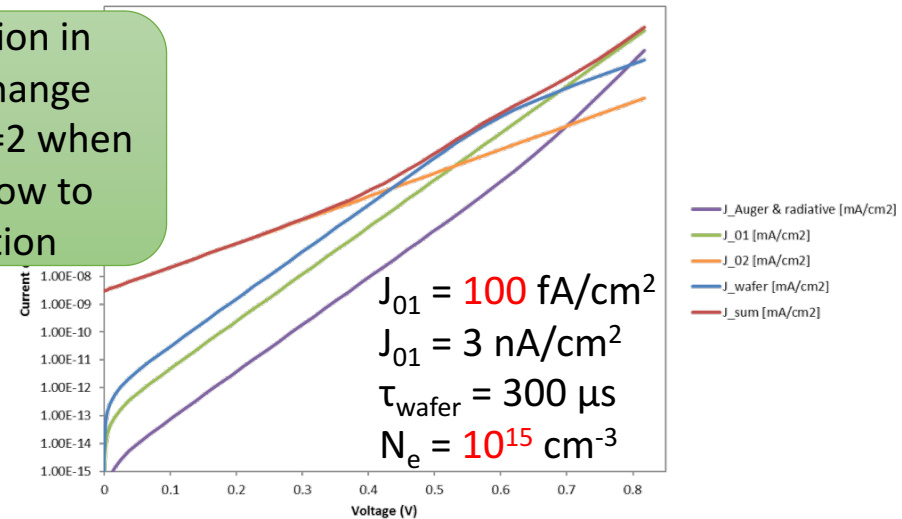
## This is all not too important for our solar cells

- recombination in a semiconductor
  - $n = 1$ : recombination in low injection ( $N_{\text{doping}} \gg \Delta n$ )
  - $n = 2$ : recombination in high injection ( $\Delta n \gg N_{\text{doping}}$ )

Solar cells with very low  $J_{01}$  &  $J_{02}$ -type recombination and low wafer doping can have funny s-shaped curves



Recombination in wafer can change from  $n=1$  to  $n=2$  when going from low to high injection



Auger & radiative recombination are two types of band to band recombination and not easily described by diode model