

1. (1%) 請說明這次使用的model架構，包含各層維度及連接方式。

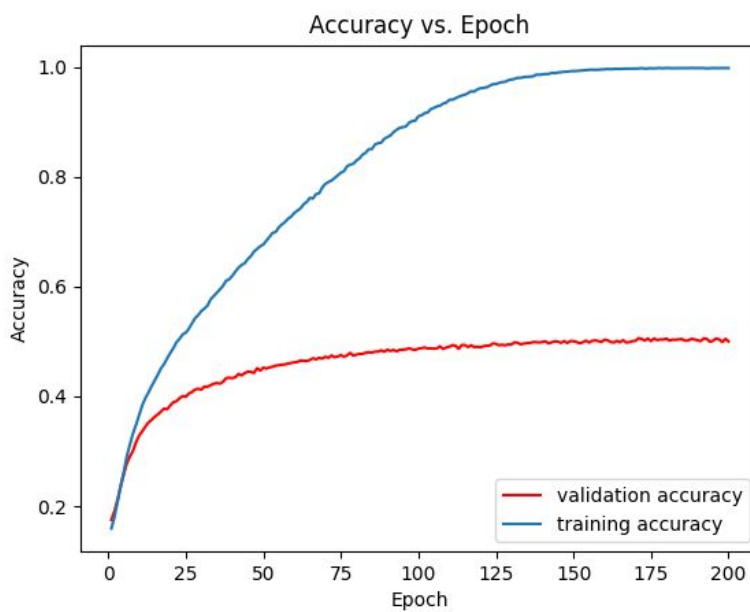
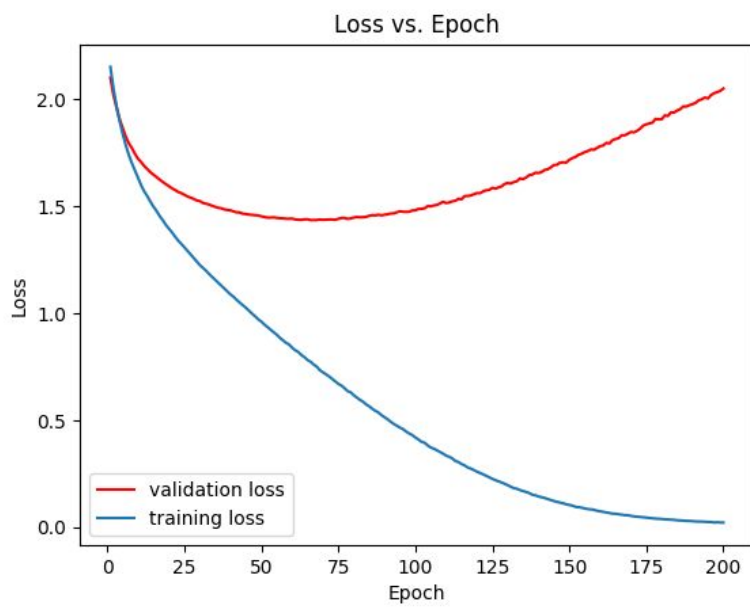
此次作業使用了 torchvision.models 中的 Resnet18 並修改了 output 那層的 node 數為 7 (代表七種情緒)，其架構、維度與連接方式如下：

(假設 input size =  $N * N$ , Conv2d 參數：input channel, output channel, kernel size, 且每層 Conv2d 後都接了 BatchNormalize 和 ReLU)

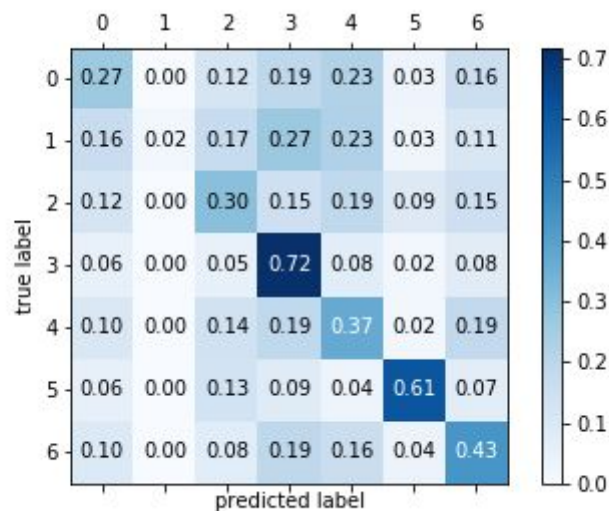
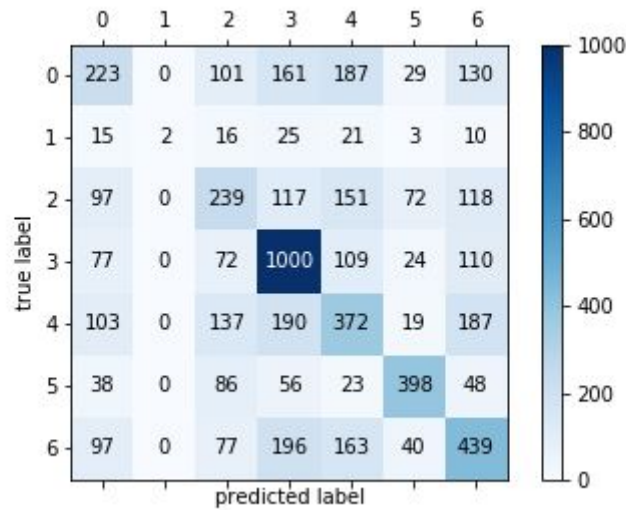
layer name	output size	architecture
input stem	$N/2 * N/2$	Conv2d (3, 64, 7*7, stride = 2) 3 * 3 max pool, stride = 2
layer 1	$N/4 * N/4$	Conv2d (64, 64, 3*3) Conv2d (64, 64, 3*3)
layer 2	$N/8 * N/8$	Conv2d (64, 128, 3*3) Conv2d (128, 128, 3*3)
layer 3	$N/16 * N/16$	Conv2d (128, 256, 3*3) Conv2d (256, 256, 3*3)
layer 4	$N/64 * N/64$	Conv2d (256, 512, 3*3) Conv2d (512, 512, 3*3)
avgpool	1 * 1	AdaptiveAvgPool2d (output size = (1, 1))
output	7	Linear (in features = 512, out features = 7)

2. (1%) 請附上model的training/validation history (loss and accuracy)。

如下圖。其中 Optimizer 使用 Adam (lr = 1e-6), training epoch = 200, loss function = cross entropy。



3. (1%) 畫出confusion matrix分析哪些類別的圖片容易使model搞混，並簡單說明。



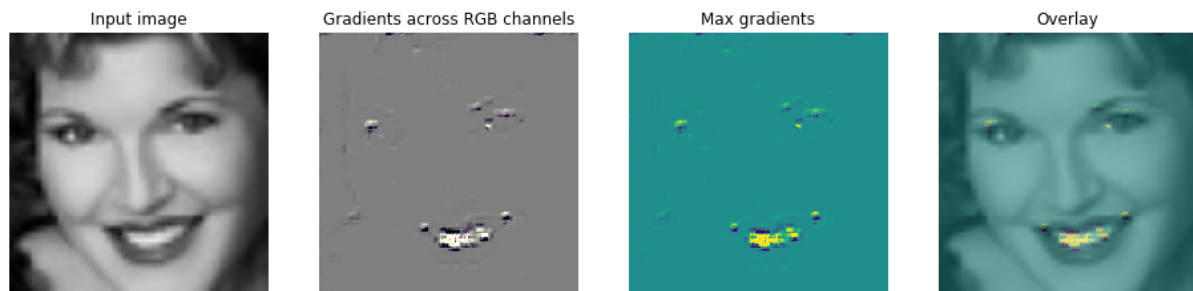
(此 model 的 training epoch = 60, 類別 : 0=Angry, 1=Disgust, 2=Fear, 3=Happy, 4=Sad, 5=Surprise, 6=Neutral)

由 confusion matrix 可知, model 對於類別 1 幾乎都會搞混, 且特別容易看成 3 或 4。另外, 對於 0, 2 這兩個類別也很容易誤判, 都很容易看成 4。

[關於第四及第五題]

可以使用簡單的 3-layer CNN model [64, 128, 512] 進行實作。

4. (1%) 畫出CNN model的saliency map, 並簡單討論其現象。



target class = 3 (Happy), 代表圖中顏色較深的部分對 predict happy 有最大的 effect。換句話說，微笑時的牙齒與彎彎的眼睛周圍最能 convince model 將它分類成 happy。

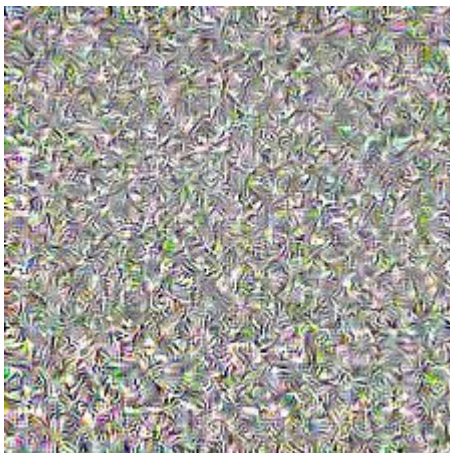
5. (1%) 畫出最後一層的filters最容易被哪些feature activate。

選了最後一層的前 3 個 filter，固定 model 參數並透過 gradient descent 來分別 optimize 能最大化 average activation 的 input feature，得到前三個 filter 最容易被哪些 feature activate。結果如下：

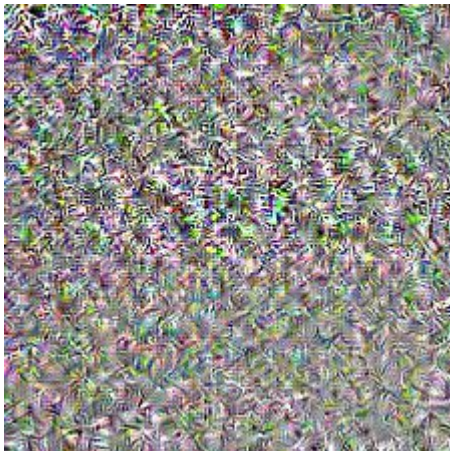
filter 1



filter 2



filter 3



6. (3%) Refer to math problem

[https://hackmd.io/JIZ\\_0Q3dStSw0t0O0w6Ndw](https://hackmd.io/JIZ_0Q3dStSw0t0O0w6Ndw)

No. \_\_\_\_\_  
Date | | |

$$\textcircled{1} \left( B, \left[ \frac{(w + 2P_1) - k_1}{s_1} \right] + 1, \left[ \frac{(H + 2P_2) - k_2}{s_2} \right] + 1, \text{output\_channels} \right)$$

✗

$$\textcircled{2} \frac{\partial l}{\partial \hat{x}_n} = \frac{\partial l}{\partial y_n} r, \quad \frac{\partial l}{\partial \sigma^2_\beta} = \sum_{n=1}^m \frac{\partial l}{\partial \hat{x}_n} (\hat{x}_n - \mu_\beta) \frac{1}{2} (\sigma^2_\beta + \epsilon)^{-\frac{3}{2}},$$

$$\frac{\partial l}{\partial \mu_\beta} = \left( \sum_{n=1}^m \frac{\partial l}{\partial \hat{x}_n} \cdot \frac{-1}{\sqrt{\sigma^2_\beta + \epsilon}} \right) + \frac{\partial l}{\partial \sigma^2_\beta} \cdot \frac{\sum_{n=1}^m -2(\hat{x}_n - \mu_\beta)}{m},$$

$$\frac{\partial l}{\partial \hat{x}_n} = \frac{\partial l}{\partial \hat{x}_n} \cdot \frac{1}{\sqrt{\sigma^2_\beta + \epsilon}} + \frac{\partial l}{\partial \sigma^2_\beta} \cdot \frac{2(\hat{x}_n - \mu_\beta)}{m} + \frac{\partial l}{\partial \mu_\beta} \cdot \frac{1}{m},$$

$$\frac{\partial l}{\partial r} = \sum_{n=1}^m \frac{\partial l}{\partial y_n} \cdot \hat{x}_n, \quad \frac{\partial l}{\partial \beta} = \sum_{n=1}^m \frac{\partial l}{\partial \hat{x}_n} \quad \text{✗}$$

$$\begin{aligned}
 \textcircled{3} \quad \frac{\partial l_t}{\partial z_t} &= -y_t \frac{\partial \log \hat{y}_t}{\partial z_t} = -y_t \frac{1}{\hat{y}_t} \frac{\partial \hat{y}_t}{\partial z_t} \\
 &= -\frac{y_t}{\hat{y}_t} \hat{y}_t (1 - \hat{y}_t) = -y_t + y_t \hat{y}_t = \hat{y}_t - y_t \quad \#
 \end{aligned}$$