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In[263]:= TH1M = THiggs1Mod /. {on[3] -> 0};
TH2M = THiggs2Mod /. {on[3] -> 0};
TSM = TSingletMod /. {on[3] -> 0};
TL1M = TLeft1Mod /. {on[3] -> 0};
TL2M = TLeft2Mod /. {on[3] -> 0};
TL3M = TLeft3Mod /. {on[3] -> 0};

In[269]:= Vac3 = Flatten[{Solve[TH1M == 0, mH1][[1]],
  Solve[TH2M == 0, mH2][[1]],
  Solve[TSM == 0, MS][[1]],
  Solve[TL1M == 0, ML[1, 1]][[1]],
  Solve[TL2M == 0, ML[2, 2]][[1]],
  Solve[TL3M == 0, ML[3, 3]][[1]], {on[3] -> 0}}];

In[278]:= TE3 = Mneut[Range[1, 7], Range[1, 7]] /. Vac3 // Simplify;
TO3 = Mneut[Range[8, 14], Range[8, 14]] /. Vac3 // Simplify;
TC3 = Mchar /. Vac3 // Simplify;
Mcχ = Mchχ /. Vac3 // Simplify;
McχT = MchχT /. Vac3 // Simplify;
Mnχ = Mneχ /. Vac3 // Simplify;

In[221]:= prec = 50;
$MinPrecision = prec;
TeV = 10^12; GeV = 10^9; MeV = 10^6;
vSq = SetPrecision[(174 GeV)^2, prec];
vSqHiggs = vSq - σv[1]^2 - σv[2]^2 - σv[3]^2;
mW = SetPrecision[80.403 GeV, prec];
mZ = SetPrecision[91.1876 GeV, prec];
αew = SetPrecision[1/127.908957, prec];
θw = SetPrecision[ArcSin[Sqrt[0.23124]], prec]; mtPole = SetPrecision[180 GeV, prec];
αstrong = SetPrecision[0.102, prec];
mup = SetPrecision[1.5 MeV, prec];
mcharm = SetPrecision[1.1 GeV, prec];
mtop = SetPrecision[mtPole / (1 + 4 * αstrong / (3 Pi)), prec];
mdown = SetPrecision[3 MeV, prec];
mstrange = SetPrecision[60 MeV, prec];
mbottom = SetPrecision[4.1 GeV, prec];
melectron = SetPrecision[0.511 MeV, prec];
mmuon = SetPrecision[105.66 MeV, prec];
mtau = SetPrecision[1.777 GeV, prec];
(*Yup=SetPrecision[mup /v2,prec];
Ycrm=SetPrecision[mcharm /v2,prec];*)
Ytop = SetPrecision[mtop / v2, prec];
(*Ydwn=SetPrecision[mdown /v1,prec];
Ystg=SetPrecision[mstrange /v1,prec];*)
Ybtm = SetPrecision[mbottom / v1, prec];
(*Ye=SetPrecision[melectron /v1,prec];
Yμ=SetPrecision[mmuon /v1,prec];*)
Yτ = SetPrecision[mtau / v1, prec];

In[241]:= β = SetPrecision[ArcTan[30], prec];
g1 := SetPrecision[Sqrt[(2 * Tan[θw]^2 * mW^2) / vSq], prec];
g2 := SetPrecision[mW * Sqrt[2 / vSq], prec];
v1 = Sqrt[vSqHiggs / (1 + Tan[β]^2)];
v2 = v1 * Tan[β];

In[274]:= varA = Union[Variables[TE3], Variables[TO3]]

Out[274]= {A0, A2, A3, κ0, κ2, κ3, σS, A1[1], A1[2], A1[3], ML[1, 2],
  ML[1, 3], ML[2, 3], MN[3, 3], κ1[1], κ1[2], κ1[3], σv[1], σv[2], σv[3]}

In[275]:= varB = Complement[Variables[TC3], Union[Variables[TE3], Variables[TO3]]]

Out[275]= {Aτ, ME[3, 3]}

In[276]:= varC = Union[Variables[Mchχ], Variables[Mneχ]]

Out[276]= {M1, M2, κ0, κ2, κ3, σS, κ1[1], κ1[2], κ1[3], on[3], σv[1], σv[2], σv[3]}

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In[277]:= Union[varA, varB, varC]

Out[277]:= {A0, A2, A3, Aτ, M1, M2, κ0, κ2, κ3, σS, A1[1], A1[2], A1[3], ME[3, 3], ML[1, 2],
  ML[1, 3], ML[2, 3], MN[3, 3], κ1[1], κ1[2], κ1[3], σn[3], σv[1], σv[2], σv[3]}

In[372]:= Block[{A0, A1, A2, A3, Aτ, κ0, κ1, κ2, κ3, M1, M2, ME, ML, MN, σS, σn, σv},
  $MinPrecision = prec;
  A0 = SetPrecision[TeV, prec];
  A2 = SetPrecision[TeV, prec];
  A3 = SetPrecision[0, prec];
  Aτ = SetPrecision[TeV, prec];
  A1[i_] := -SetPrecision[TeV, prec];
  κ0 = SetPrecision[0.4, prec];
  κ1[i_] := SetPrecision[10^-5, prec];
  κ2 = SetPrecision[0.5, prec];
  κ3 = SetPrecision[0.6, prec];
  M1 = SetPrecision[350 GeV, prec];
  M2 = SetPrecision[500 GeV, prec];
  σS = SetPrecision[TeV, prec];
  σv[1] = SetPrecision[0.19 MeV, prec];
  σv[2] = SetPrecision[0.14 MeV, prec];
  σv[3] = SetPrecision[0.15 MeV, prec];
  ME[3, 3] = MN[3, 3] = ML[1, 2] = ML[1, 3] = ML[2, 3] = SetPrecision[TeV, prec];
  {valsNe, vecSNe} = Eigensystem[TE3];
  {valsNo, vecSNo} = Eigensystem[TO3];
  {valsSC, vecSC} = Eigensystem[TC3];
  valFN = Sqrt[Eigenvalues[Mnχ.Transpose[Conjugate[Mnχ]]]];
  vecFN = Inverse[Transpose[Eigenvectors[Mnχ.Transpose[Conjugate[Mnχ]]]]];
  valFC = Sqrt[Eigenvalues[Conjugate[McχT].Mcχ]];
  vecFCu = Conjugate[Inverse[Transpose[Eigenvectors[Mcχ.Conjugate[McχT]]]]];
  vecFCv = Inverse[Transpose[Eigenvectors[Conjugate[McχT].Mcχ]]];
  $MinPrecision = 0;
  Im[{N[Sqrt[valsNe] * 10^-9, 4], N[Sqrt[valsNo] * 10^-9, 4]}] // Chop
]

Out[372]:= {{0, 0, 0, 0, 0, 0, 0}, {0, 0, 0, 0, 0, 0, 0}}

In[373]:= Chop[N[vecSNe^2, 2], 0.01] // MatrixForm

Out[373]//MatrixForm=

$$\begin{pmatrix} 0 & 0 & 0 & 0 & 1.0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1.0 & 0 \\ 0 & 0 & 0 & 1.0 & 0 & 0 & 0 \\ 1.0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 1.0 \\ 0 & 0.013 & 0.99 & 0 & 0 & 0 & 0 \\ 0 & 0.99 & 0.013 & 0 & 0 & 0 & 0 \end{pmatrix}$$


In[374]:= N[Sqrt[valsNe] * 10^-9, 4] // Chop

Out[374]:= {1.115 × 10^6, 1.077 × 10^6, 9.567 × 10^5, 5800., 1549., 603.7, 60.00}

In[375]:= Chop[N[vecSNo^2, 2], 0.01] // MatrixForm

Out[375]//MatrixForm=

$$\begin{pmatrix} 0 & 0 & 0 & 0 & 1.0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1.0 & 0 \\ 0 & 0 & 0 & 1.0 & 0 & 0 & 0 \\ 1.0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 1.0 \\ 0 & 0 & 1.0 & 0 & 0 & 0 & 0 \\ 0 & 1.0 & 0 & 0 & 0 & 0 & 0 \end{pmatrix}$$


In[376]:= N[Sqrt[valsNo] * 10^-9, 4] // Chop

Out[376]:= {1.115 × 10^6, 1.077 × 10^6, 9.567 × 10^5, 5800., 316.5, 31.18, 0}

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In[380]:= Chop[N[vecSC^2, 2], 0.01] // MatrixForm
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Out[380]//MatrixForm=
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$$\begin{pmatrix} 0 & 0 & 0 & 1.0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1.0 & 0 \\ 0 & 0 & 1.0 & 0 & 0 & 0 \\ 1.0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1. \\ 0 & 1.0 & 0 & 0 & 0 & 0 \end{pmatrix}$$

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In[377]:= N[Sqrt[valSC] * 10^-9, 4] // Chop
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Out[377]= {1.115 × 106, 1.077 × 106, 9.567 × 105, 5800., 1001., 0}
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In[378]:= N[valFC * 10^-9, 4] // Chop
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Out[378]= {530.5, 376.2, 1.777, 0, 0}
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In[379]:= N[valFN * 10^-9, 4] // Chop
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Out[379]= {614.4, 527.7, 500.0, 407.1, 387.0, 328.1, 1.718 × 10-10, 0, 0}
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