

# Introductory Econometrics

## Tutorial 11

**PART A:** This homework is a review of serial correlation and time series. After reviewing Week 9 and 10 lecture slides attempt Week 11 Part A quiz on Moodle. You need to submit the quiz before your tutorial and attend the tutorial to obtain 1 point for Week 11 participation.

**Part B:** This part will be covered in the tutorial. It is still a good idea to attempt these questions before the tutorial.

The purpose of this tutorial is to understand why serial correlation can appear in the error term and practice detecting and correcting for this problem when using data.

1. *A dynamically well-specified model is the one with no evidence of serial correlation in its errors.* Consider the data on US real GDP (US\_gdp.wf1):

- a. Create the quarterly GDP growth rate using logarithmic transformation and differencing. Denote the series by *dlgdp*.
- b. Truncate the sample such that you consider data ranging from 1955q1 to 2017q2. Estimate the following OLS regression:

$$dlgdp_t = \beta_0 + \beta_1 dldgdp_{t-1} + \beta_2 dlgdp_{t-2} + u_t. \quad (1)$$

To change the sample, select *sample* from the workfile toolbar. In the dialogue box that appears type 1955q1 2017q2 and click on OK. Notice that the sample (but not the range) has now changed in the status window. *Do not change the workfile range in the status window.*

- c. Inspect the time plot and the correlogram of the residuals associated with the estimated model. Is there any visual evidence that the dynamics of the model is not specified well?
- d. Test for autocorrelation in the errors of model (1) by using the *Breusch-Godfrey* test (include 8 lags for this test). Discuss your results.

**2. We can use the usual econometric tools in a dynamically well-specified model.**

Early warning systems are very useful for policy makers. In economics, variables which can give us advanced warning that the economy may be slowing down in 3 months to a year ahead are very useful. Such variables are called “leading indicators”. The “interest rate spread”, which is the difference between long term and short term interest rates, is believed to be a leading indicator. When the spread becomes very small or even negative, it means that confidence in the long-term prospects of the economy is low, which warns of a possible low growth period or even a recession ahead. The data file used in previous question *US\_gdp.wf1* contains quarterly observations on the real U.S. Gross Domestic Product (gdp), the U.S. 3-Month Treasury bill interest rates (*ir\_3m*) and the U.S. 20-Year Government bond yields (*ir\_20y*) for the period 1954Q1 to 2017Q2. You have already created *dlgdp*.

- a. Switch the sample back to 1954Q1 to 2017Q4 and generate a new variable called  $spread = ir\_20y - ir\_3m$ . Is  $spread$  white noise?

- b. In order to investigate the leading indicator property of  $spread$ , use data from 1955q1 to 2017q2 to estimate the following model:

$$dlgdp_t = \beta_0 + \beta_1 dldgp_{t-1} + \beta_2 dlgdp_{t-2} + \beta_3 spread_{t-1} + \beta_4 spread_{t-2} + u_t,$$

and test for the joint significance of  $spread_{t-1}$  and  $spread_{t-2}$  at the 5% level of significance. What are the null and alternative hypotheses? What is the restricted model? What is the test statistic and its distribution under the null? Perform the test and state your conclusion.

- c. Drop the lag of  $spread$  that is least significant and reestimate the equation. Using this estimated equation, explain the dynamic effect of a 1 percentage point *decrease* in the spread between long-term and short-term interest rates on the growth rate. In particular, how long does it take for this change to start affecting the growth rate, and what is the long-run effect of this change on the growth rate?
- d. Some economists believe that because central banks (the Federal Reserve Bank in the case of US) have become more sophisticated in implementing monetary policy after the mid-1980s, the informativeness of the  $spread$  as a leading indicator has faded. Create an appropriate dummy variable to help you determine that the lag of  $spread$  has become insignificant since 1986Q1.