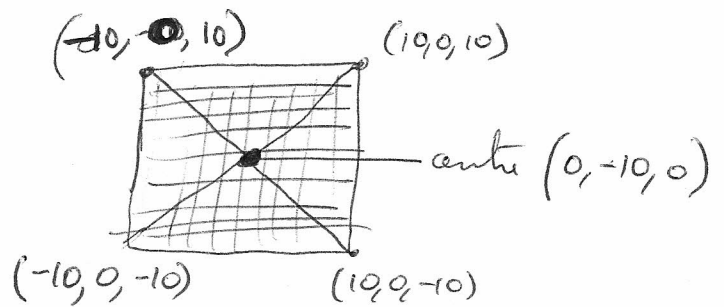
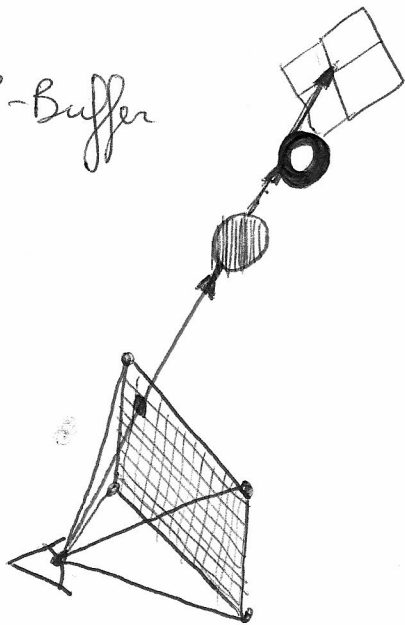


Ray Casting

Z-Buffer

Castle Wolfenstein



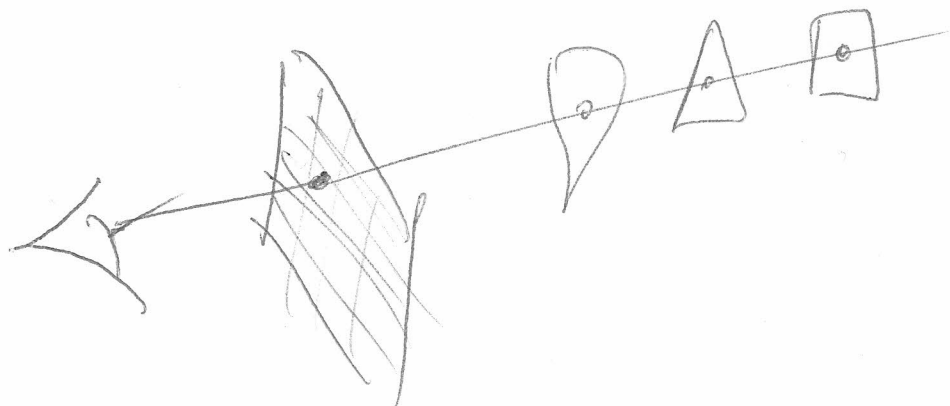
for (float i = -L; i ≤ L; i += $\frac{2L}{800}$)
 for (float j = -H; j ≤ H; j += $\frac{2H}{600}$)

R = P3(0, -10, 0)

Rd = (i, 0, j);

Rd.normalize();

→
}



Calcul d'intersection Rayon/Sphère

Rayon: $R(t) = R_0 + t \vec{R_d}$ $t > 0$

Sphère: Centre: $C(x, y, z)$ rayon r

les n Rayons/sphère vérifie: $(R_0 + t \vec{R_d} - C)^2 = r^2$

$B' = B/2$ \hookrightarrow équ de la forme $A t^2 + B t + C = 0$

$\Delta' = B'^2 - AC$ $\Delta = B^2 - 4AC$

$t_1 = \frac{-B - \sqrt{B^2 - 4AC}}{2A}$ $t_2 = \frac{-B + \sqrt{B^2 - 4AC}}{2A}$

on sait $t_1 < t_2$

3 cas * $t_1 > 0 \Rightarrow R(t_1)$ est l'n + proche

* $t_1 < 0, t_2 > 0 \Rightarrow R(t_2)$ est devant la caméra

* $t_1, t_2 < 0 \Rightarrow \emptyset$

4 étapes $\xrightarrow{<0}$ pas d'n

\rightarrow calcul Δ

\rightarrow calcul t_1, t_2

\rightarrow calcul n

\rightarrow inversion coord sphérique $\rightarrow u, v$

Mieux Programmer 2 fcts

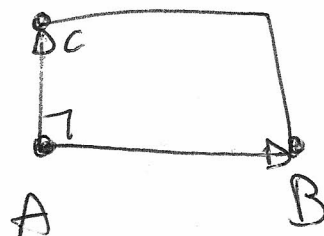
① Is Intersect() \rightarrow calcul Δ proche

② Find uv() \rightarrow tout le reste

n rayon - rectangle

$$\text{Rayon: } R_0 + t \vec{Rd}$$

$$\in \text{Plan: } A + \alpha \vec{AB} + \beta \vec{AC}$$



Calcul de t

$$R_0 + t \vec{Rd} = A + \alpha \vec{AB} + \beta \vec{AC}$$

$$n = \frac{\vec{AB} \wedge \vec{AC}}{\|\vec{AB} \wedge \vec{AC}\|}$$

$$R_0 \cdot \vec{n} + t \vec{Rd} \cdot \vec{n} = A \cdot \vec{n}$$

$$t = \frac{R_0 \vec{A} \cdot \vec{n}}{\vec{Rd} \cdot \vec{n}}$$

= 0 qd?

cond $t > 0, 0, 1$

Calcul inter

$$I = R_0 + t \vec{Rd}$$

Calcul α

$$A + \alpha \vec{AB} + \beta \vec{AC} = I$$

$$\alpha \vec{AB} + \beta \vec{AC} = \vec{AI}$$

$$\vec{AB} \cdot \vec{AC} = 0$$

$$\alpha \vec{AB} \cdot \vec{AB} = \vec{AI} \cdot \vec{AB}$$

$$\alpha = \frac{\vec{AI} \cdot \vec{AB}}{\vec{AB} \cdot \vec{AB}} \text{ const}$$

β idem

