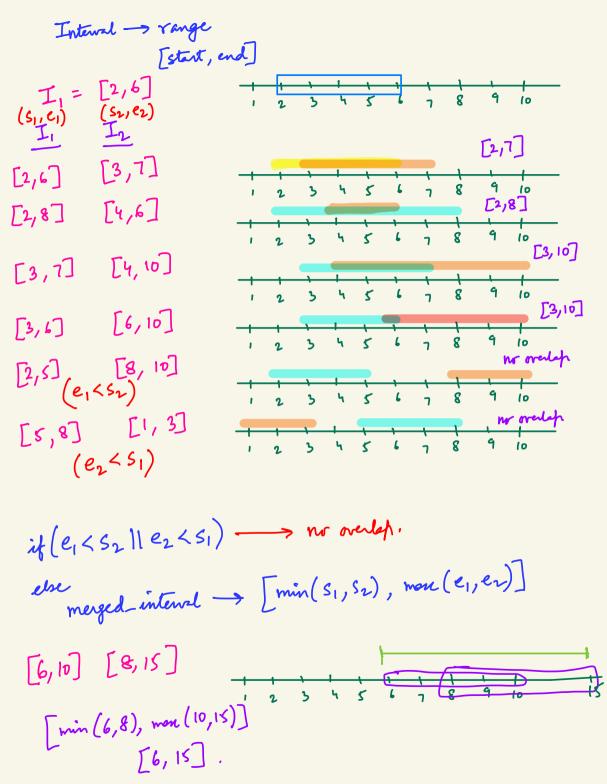


"It you want to shine like a Sun, first burn like a Sun"

- Dr. A PJ Abdul Kalem



(B,1) Given a collection of intervals A in a 2-D array format, where each interval is represented by a pair of integers [start, end]. The intervals are sorted based on their start values. Merge all overlapping interests and return the resulting set of non-overlapping interests. 18:-{ {0,2}, {1,4}, {5,6}, {6,8}, {7,10}, {8,9}, {12,14}} Answer Interval List In {1,43 -> Overlapping <u>I</u>₁ {0,2} 80,43 {0,43, {5,6} {5,6} -> Non-over. {0,4} {0,4}, {5,8} [6,8] - Ivelopping {5,6} {0,4}, {5,10} {7,10} -> Overlopping {5,8} {0,4}, {5,10} {8,9} -> bruthping 25,103 {0,4}, {5,10}, {12,14} {12,14} -> Non-over. {5,10} { {0,4},{5,10}, {12,14})

-> Creete an anay to store the merged interests -> If convent and new interests overly, then merge them. The (ith) merged interval becomes the current interval -> Else, insert the current interest into the answer array and make the new internal as the coment internal int cms = A[0][0], cm E = A[0][1] fn (i→1 to n-1) { if (A[i][o] > cmc) { ans. insert ({ cms, cmf}) 0(n) Tc 0(1)8.4. cms = A[i][o] cure = A[i][i] else?

com E = man (com E, A[i][i])
} ans. insert ({cms, cmE})

B2) you have a set of non-overlapping intends. You're given a new interval [start, end]. Insert this new interval into the set of intervals (merge if necessary) initially sorted based on n=9 { {1,3}, {4,7}, {10,14}, {16,19}, {21,24}, {27,36}, {32,35}, {38,413, {43,50}} New interval -> { 12, 22} 7 (10 14 16 19 21 24) 27 new internel ith Print 81,33 {12,22} × {1,3} 84,73 {12,223 54,73 {12,22} {10,14} V {10,22} {10,22} £ 16,193 V {10,24} {10,22} {21,24} {10,24} {10,24} £27,303 {27,30} {27,30} { 32,35} { 32,35} {38,413 {38,413 543,503 543,503

n=5 {{1,5}, {8,10}, {11,14}, {15,20}, {21,24}} new interest > {12,24} Print overlys? new interval {1,5} {1,5} < {12,24} {8,10} {e,10} < {12,24} V {11,24} {11,14} {12,24} V {11,24} {15,29} {11,24} V {11,24} £21,243 [11,243 {11,24}

// vector < vectors on list < list < Integer?? fn (i→0 tr n-1) { 料(部门1人上) ans insert ({A[i][o], A[i][i]}) 0(n) T.C. else if (R<A[i][o]) { 0(1) S.C. ans. insert ({L,R3) fn(j→ibr n-1){ ans. insert ({A[j][0], A[j][1]}) R= man (R, A[i][i]) ans. insert ({L,R3)

(3) Given an unserted list of integers, find the first missing natural an -> {1,2,5,8,6,4,3,10} am -> 7 {3,-2,1,2,7} am → 4 {-9,2,6,4,-8,1,3} am → 5 {5,2,1,33 am → 4 {-4,8,3,-1,0} am → 1 €5,3,1,-1,-2,-4,7,23 am → 4 an[n] am -> [1, N+1] For each i in [1, n+1], search i in the away are. First i that is of an is the answer. T.C. $\rightarrow 0$ (ans * n) ~ 0 (n^2).

am -> [1, n+1] fromme - All the dements are tre. {8,1,4,2,6,3} am - [1,7] -8-1-4-2 6-3 fr (i→0 tr n-1) { n= abs (A[i]) if (x)=1 k 2 x <= n)? A[x-1] = (-1) * abs(A[x-1])O(n) TC 0(1) sc. fn(i→1 dr n) { if (A[i-i] > 0) return (n+1)

a[i] can be the, -ve, or 0. $\begin{cases} -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10, & | -10,$

$$f_{n}(i \rightarrow 0 \text{ tr } n-1)$$

$$if (A[i] <= 0)$$

$$A[i] = n+2$$

$$3$$

$$f_{n}(i \rightarrow 0 \text{ tr } n-1)$$

$$f_{n}(i \rightarrow 0 \text{ tr } n$$

return (n+1)