

Interview Problems

Content

- Analysing constraints
- Problems

Avg. Psp of the batch

— Wednesday Friday Saturday Monday
69.5 → 69.1 → 66.1 → 70%

Personal goal → as close to 100%

If you are stuck at a problem { max time 25 mins } .

- Hint 1 → Hint 2 → Video solution
- TA { video call Help Request
- Post in WA group
- Reach out to me .

Analysing Constraints

1 sec $\longrightarrow \approx 10^8$ iterations.

| N | TC | # iteration | Result |
|--------|----------|-------------|--------|
| 10^5 | $O(N^2)$ | 10^{10} | TLE |
| 10^3 | $O(N^2)$ | 10^6 | Pass |
| 20 | $O(2^N)$ | 2^{20} | Pass |
| 10^6 | $O(N)$ | 10^6 | Pass. |

Q> Given a binary array of 0's & 1's. ***

Find the max # of consecutive 1's that can be obtained by updating atmost one 0 to 1
length $A > 0$

$A = [1\ 1\ 0\ 1\ 1\ 0\ 1]$ $ans = 5$
1

$A = [1\ 1\ 0\ 1\ 1\ 0\ 1\ 1\ 1]$ $ans = 6$
1

$A = [0\ 1\ 1\ 0\ 1\ 1\ 0\ 1\ 1\ 0]$ $ans = 6$
1

$A = [1\ 1\ 1\ 1\ 1]$ $ans = 5$

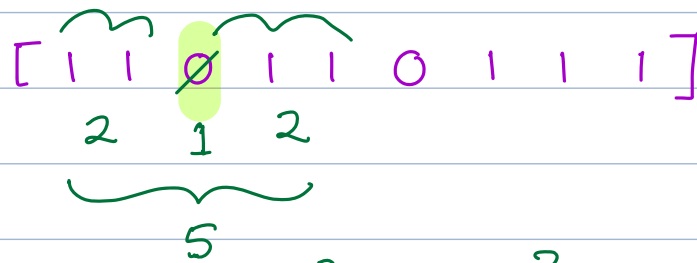
Edge case : all ones.

count of ones == length of A

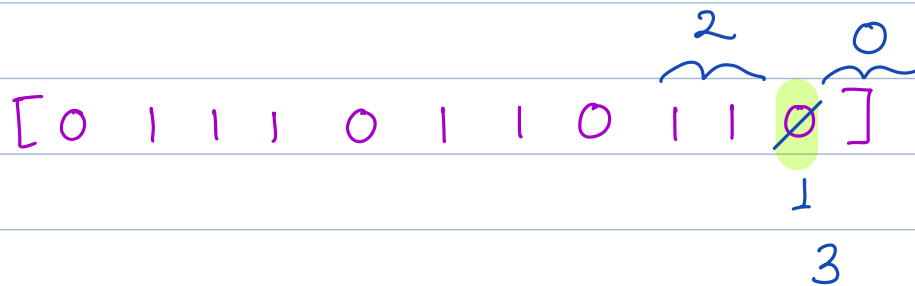
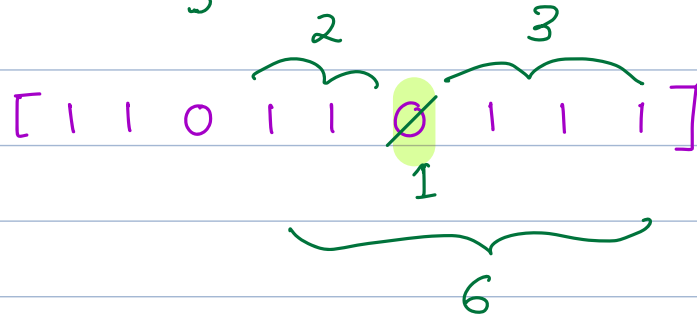
$A = [1\ 1\ 0\ 0\ 1\ 1]$ $ans = 3$
1

$A = [1\ 1\ 0\ 1\ 1]$ $ans = 5$
1

$A = [0\ 0\ 0\ 0\ 0]$ $ans = 1$
1



$$am = \cancel{5} 6$$



$$am = \cancel{4} 6$$

Pseudocode

// handle the edge case $[1, 1, 1, 1, 1]$

totalOnes = 0

for $i \longrightarrow 0$ to $N-1$ {

 if ($A[i] == 1$) {

 totalOnes ++

 }

}

if (totalOnes == N) {

 return totalOnes

}

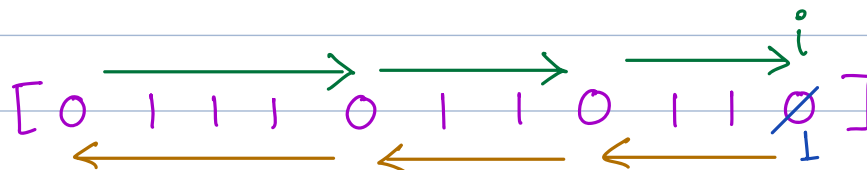
any = 0

TC : $O(N)$

SC : $O(1)$

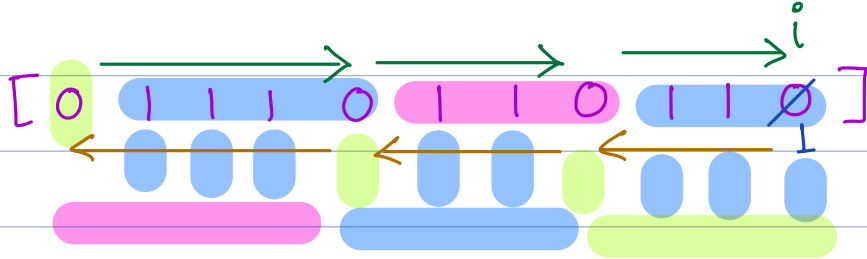
```
for i → 0 to N-1 {  
    if (A[i] == 0) {  
        count = 1 // count of ones.  
        // #ones on left  
        for j → i-1 to 0 {  
            if (A[j] == 1) count ++  
            else break  
        }  
        // #ones on right  
        for j → i+1 to N-1 {  
            if (A[j] == 1) count ++  
            else break  
        }  
        any = max(any, count)  
    }  
}
```

return any



count = 3

any = ~~4~~ 6



Observation \rightarrow we are visiting every element atmost 3 times.

$$TC : O(3 * N) \rightarrow O(N)$$

$$[\overset{0}{1} \overset{1}{1} \overset{2}{0} \overset{3}{1} \overset{4}{1}]$$

| i | j | # iterations |
|---|-------------------|--------------|
| 0 | — | 1 |
| 1 | — | 1 |
| 2 | 1 \rightarrow 0 | 5 |
| | 3 \rightarrow 4 | $O(N^2)$ |
| 3 | — | 1 |
| 4 | — | 1 |

$\approx 9 \quad 2N \rightarrow O(N)$

$$A = [\overset{\text{green}}{0} \overset{\text{green}}{0} \overset{\text{green}}{0} \overset{\text{green}}{0} 1 0 0]$$

| | 1 | 1 | 0 | 1 | 1 | Psum | Ssum | Sol'' |
|----|---|---|---|---|---|------|------|-------|
| PS | 1 | 2 | 0 | 1 | 2 | | | |
| | 2 | 1 | 0 | 2 | 1 | SS | | |
| | $2 + 1 + 2 = \underline{\underline{5}}$ | | | | | | | |

Q) Given a binary array of 0's & 1's. ***

Find the max # of consecutive 1's that can be obtained by swap atmost one 0 to 1
length $A > 0$

$$A = \begin{bmatrix} 1 & 0 & 1 & 1 & 0 & 1 \\ 0 & 1 & 0 & 0 & 0 & 0 \end{bmatrix} \quad \text{am} = 4$$

$$A = \begin{bmatrix} 1 & 1 & 0 & 1 & 1 & 1 \\ 0 & 1 & 1 & 1 & 1 & 1 \end{bmatrix} \quad \text{am} = 5$$

NOTE : My ans can never exceed totalOnes in A.

$[\cancel{1} \ 1 \ 0 \ 1 \ 1 \ \cancel{0} \ 1 \ 1 \ 1]$ $am = 6$ same as before

$[\cancel{1} \mid \cancel{0} \mid 1 \mid 1 \mid 1]$ $\text{arr} = 5$ -1 from before...

same as above solution

```

ans = prev solution
if ans > totalOnes {
    return ans - i
}

```

Breat

22:38

Q> Given an integer array. find the majority element.

Majority element \longrightarrow freq $> N/2$

Note : If no majority element is present $\longrightarrow -1$

| | | | | | |
|------|---|---|---|-------|---------|
| A = | 2 | 1 | 4 | N = 3 | N/2 = 1 |
| freq | 1 | 1 | 1 | | |

$1 > 1$ $1 > 1$ $1 > 1$ am = -1
False False False

| | | | | | | | | |
|------|---|---|---|---|---|---|---|---|
| A = | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 |
| | 3 | 4 | 3 | 2 | 4 | 4 | 4 | 4 |
| freq | 2 | 5 | 2 | 1 | 5 | 5 | 5 | 5 |

$2 \not> 4$ $5 > 4$ am = 4
 ✓

| | | | | | | | | | |
|-----|---|---|---|---|---|---|---|---|---------|
| A = | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | |
| | 3 | 3 | 4 | 2 | 4 | 4 | 2 | 4 | am = -1 |
| | 2 | 2 | 4 | 2 | 4 | 4 | 2 | 4 | |

| | | | | | | | | | | | |
|-----|---|---|---|---|---|---|---|---|---|---|----|
| A = | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| | 3 | 4 | 3 | 6 | 1 | 3 | 2 | 5 | 3 | 3 | 3 |
| | 6 | 1 | 6 | 1 | 1 | 6 | 1 | 1 | 6 | 6 | 6 |

$6 > 5$

| | | | | | | | | | | |
|-----|---|---|---|---|---|---|---|---|---|---|
| A = | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 |
| | 4 | 6 | 5 | 3 | 4 | 5 | 6 | 4 | 4 | 4 |
| | 5 | 2 | 2 | 1 | 5 | 2 | 2 | 5 | 5 | 5 |

$5 \not> 5$

am = -1

How many majority element can be there.?

Assume there are two majority elements

$$\begin{array}{cc} a & b \\ \text{freq}(a) > \frac{N}{2} & \text{freq}(b) > \frac{N}{2} \end{array}$$

$$\text{freq}(a) + \text{freq}(b) > N \quad \times$$

Proof by contradiction. There is only one majority ele.

$$\begin{array}{cccccc} 1 & 1 & 1 & 2 & 2 & 2 & 2 \\ a = 1 & & & b = 2 & & & \\ \text{freq}(1) + \text{freq}(2) = N \end{array}$$

Let's assume m is majority element

$$\longrightarrow \text{freq}(m) > \frac{N}{2}$$

$$\begin{array}{ccc} \text{freq}(m) + \text{freq}(!m) = N \\ > N/2 & < N/2 \end{array}$$

There is always only one majority element.

Bruteforce —

TC : $O(N^2)$

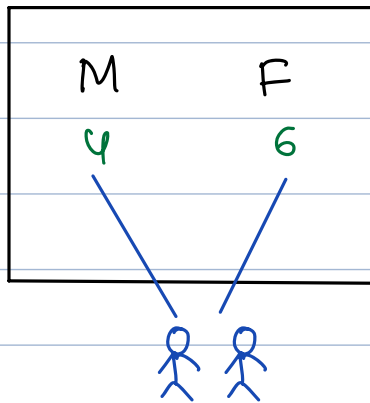
For each element u

SC : $O(1)$

Find its freq if $\text{freq} > N/2$ return u

return -1

Moore's Voting Algorithm.



M

M F

M F

M

F

Puru

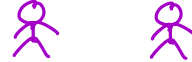
Sujoy



Rishi



Arwin



Subham



Idea \rightarrow If we pair up any two distinct elements and remove them majority still remains the same.

A = ⁰3 ¹4 ²3 ³2 ⁴4 ⁵4 ⁶4 ⁷4

major = ~~3~~ ~~3~~ 4

freq = ~~1~~ ~~0~~ ~~1~~ ~~0~~ ~~1~~ ~~2~~ ~~3~~ 4

A = 1 2 3

↑

major = ~~-1~~ ~~1~~ 3

freq = ~~0~~ ~~1~~ ~~0~~ 1 → how to verify?

Find the freq of 3 in A and check if $\text{freq} > \frac{N}{2}$
else

return -1

A = 4 4 4 4 5 2 3

major = ~~-1~~ 4

freq = ~~0~~ ~~1~~ ~~2~~ ~~3~~ 4 ~~3~~ ~~2~~ 1

$\text{freq}(4) = 4 > 7/2 = \text{ans} = 4$

A = 4 4 4 4 2 2 2 1

major = ~~4~~

freq = ~~0~~ ~~1~~ ~~2~~ ~~3~~ ~~4~~ ~~3~~ ~~2~~ ~~1~~ 0

~~4 > 4~~

ans = -1

Pseudocode

major = -1 freq = 0

for $i \rightarrow 0$ to $N-1$ {

$x = A[i]$

 if (freq == 0) {

 major = x

 freq = 1

 }

 else {

 if (major == x) {

 freq ++

 }

 else {

 freq --

 }

 }

}

count = 0

for $i \rightarrow 0$ to $N-1$ {

 if (major == $A[i]$) { count ++ }

}

if (count $> N/2$) return major

return -1

TC : $O(N)$

SC : $O(1)$

Q> Given a 2D matrix, make all the elements in both row, column 0 if any cell in that row or column is equal to 0

$$A \begin{bmatrix} 1 & 2 & 3 & 4 \\ 5 & 6 & 7 & 0 \\ 9 & 2 & 0 & 4 \end{bmatrix}$$

$$\begin{bmatrix} 1 & 2 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix}$$

$$A \begin{bmatrix} 1 & 0 & 2 \\ 3 & 4 & 5 \\ 6 & 7 & 8 \end{bmatrix}$$

$$\begin{bmatrix} 0 & 0 & 0 \\ 3 & 0 & 5 \\ 6 & 0 & 8 \end{bmatrix}$$

Idea 1

$$\begin{bmatrix} & & T & T \\ 1 & 2 & 3 & 4 \\ 5 & 6 & 7 & 0 \\ 9 & 2 & 0 & 4 \end{bmatrix} \begin{matrix} \\ \\ T \\ T \end{matrix}$$

Mark a row or column for making zero later.

Idea 2

| | | | |
|------------------|------------------|------------------|------------------|
| int | int | | int |
| 1 | 2 | 0 | 4 |
| 5 int | 6 int | 7 int | 0 |
| 9 int | 2 int | 0 | 4 int |

Whenever you find a 0 make the entire row and col = inf only if val != 0

change all inf \rightarrow 0

inf = INT_MAX

| | | | |
|---|---|---|---|
| 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 |

Why update to inf and not 0

| | | | |
|---|---|---|---|
| 1 | 0 | 0 | 0 |
| 1 | 1 | 1 | 0 |
| 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 |

Expected

TC : $O(N * M)$

SC $(N * M)$

SC $O(N + M)$

SC $O(1)$

HW \rightarrow

Doubt session