

Heat transfer

if non-adiabatic boundary \Rightarrow ^{between} temp. of system &

surround dependent
from state 1 to state 2 \rightarrow work depends on path
 $\Rightarrow dw$ is inexact

dw depends on (state 1, 2 & Path)

For energy conservation between state 1 & 2 other form of energy must be involved as different path requires different work and the energy of final state is same.

\Rightarrow This form of energy is done to temp. difference between system & surrounding

\downarrow defined as heat

heat a form of energy transfer across a boundary by virtue of a temperature difference

temp. difference act like ^{or} Potential difference
_{or}
force

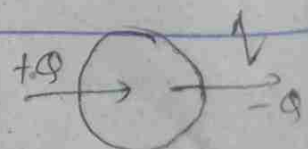
① Conduction :- heat transfer between two bodies in direct contact.

\Rightarrow heat transfer by conduction.

② Radiation :- \rightarrow heat transfer in two bodies separated by empty space or gases (called radiation), via electromagnetic waves.

③ Convection :- heat transfer between a wall & a fluid system in motion.

direction of heat from high to low temp.



energy transfer due to temp. difference \rightarrow heat
 other form of energy transfer \rightarrow work

heat may not always cause temp. rise.

(eg. ice-melting, boiling etc)
 temp. rise may happen due to work transfer.
 work is not a property of system.


\rightarrow No heat transfer
 adiabatic boundary but work can be performed.

heat unit (SI) Joule

rate of heat/work kW or W

Heat transfer \rightarrow a path function

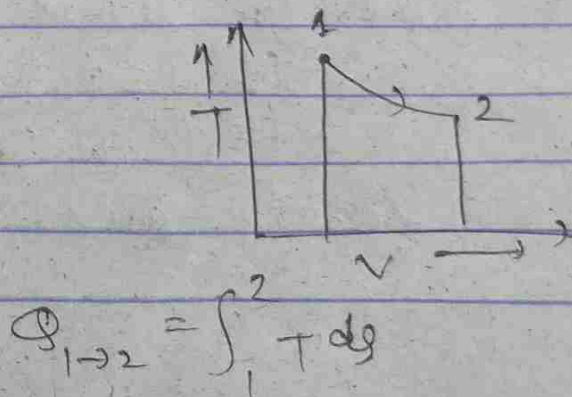
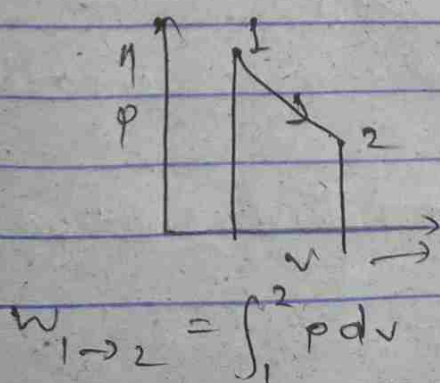
heat flow quantified by work flow

 but $Q - W$ is conserved.
 different work & $Q - W$ is same for all path.
 different heat)

$$\int_1^2 dQ = Q_{1 \rightarrow 2} \text{ or } Q_{1 \rightarrow 2}$$

displacement work.

$w_{1 \rightarrow 2} = \int_1^2 p dv \rightarrow$ only valid in quasi-static process.



it must also be valid for quasi-static process

dQ is an inexact fn.

$$dQ = T dx$$

$$\Rightarrow dx = \frac{1}{T} dQ$$

$x \rightarrow$ extensive, exact fn.

Specific heat and latent heat

Specific heat \rightarrow heat require to rise unit mass temp. by one unit

$$C = \frac{Q}{m \cdot \Delta t} \quad (J/kgK)$$

heat is not a property

\Rightarrow specific heat quantified by exchange of heat

For gases

at constant pressure, C_p

at constant volume, C_v

$\Rightarrow mc \Rightarrow$ heat capacity

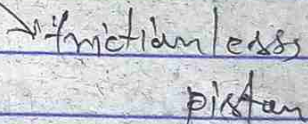
Latent heat \Rightarrow amount of heat require for phase change/mass. at constant pressure & temp.

solid to liquid \rightarrow fusion

liquid to vapour \rightarrow vapourisation

solid to vapour \rightarrow sublimation

$$= 101.325 \times 0.5 = 50.66 \text{ kJ}$$



stirring work on system

$$= T_0 = 2\pi NT$$

$$= 2 \times \pi \times 10^4 \times 1.0275$$

11 80 KJ

piston work by system -

$$P_{dv} = 101.325 \times 10^3 \times .8 \times \frac{\pi}{4} (.6)^2$$

$\approx 22.9 \text{ kJ}$

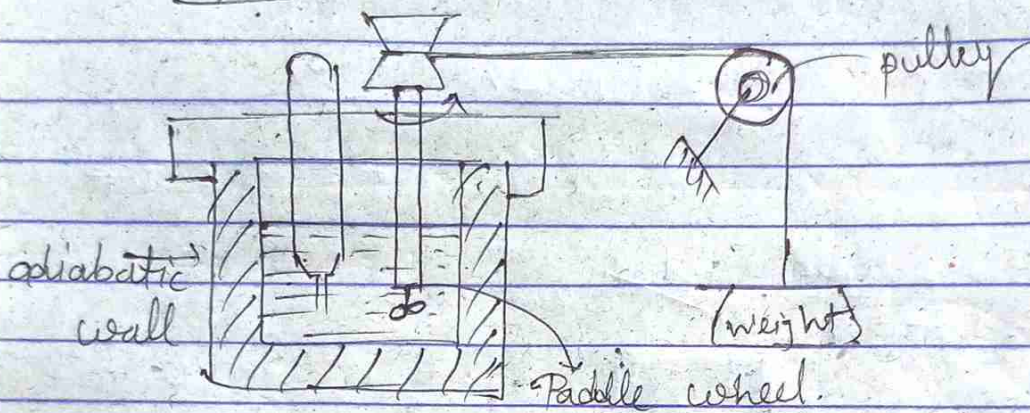
Net work on system

$$= 57.1 \text{ kJ}$$

First Law of Thermodynamics
first law for a closed system undergoing a cycle.
 transfer of heat or work \rightarrow may causes same effect

heat & work \rightarrow energy, which is conserved

energy may enter system as heat and leave as work or vice-versa.



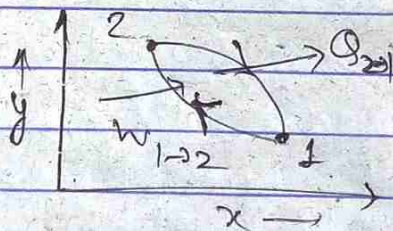
\rightarrow by paddle wheel on system

measured by weight fall

$$T_i = T_1$$

$$T_f = T_2$$

$$\left. \begin{array}{l} T_i = T_1 \\ T_f = T_2 \end{array} \right\} P = \text{Constant} = 1 \text{ atm}$$



1 to 2 by work thermally

then open the system

under \rightarrow heat 2 to 1

in cycle

heat transfer \propto work transfer

for many process

$$\left(\sum W \right)_{\text{cycle}} = J \left(\sum Q \right)_{\text{cycle}}$$

\uparrow Joule's equivalent

$$1 \text{ J} = 1 \text{ Nm}$$

in SI unit both work & heat has same unit $\Rightarrow 1 \text{ Nm/J}$

equivalence of work & heat

Joule \rightarrow heat is a form of energy.

First law for a closed system undergoing A change of state.

$$(\sum W)_{\text{cycle}} = (\sum Q)_{\text{cycle}} \rightarrow \text{only in cyclic process.}$$

if change in state

\Rightarrow heat will be stored in the system to

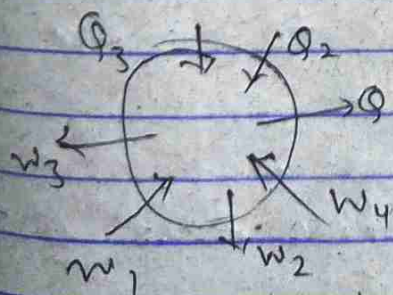
Q & $W \rightarrow$ heat & work transfer to system from

Net energy to system is.

$Q - W$ that is increase system energy

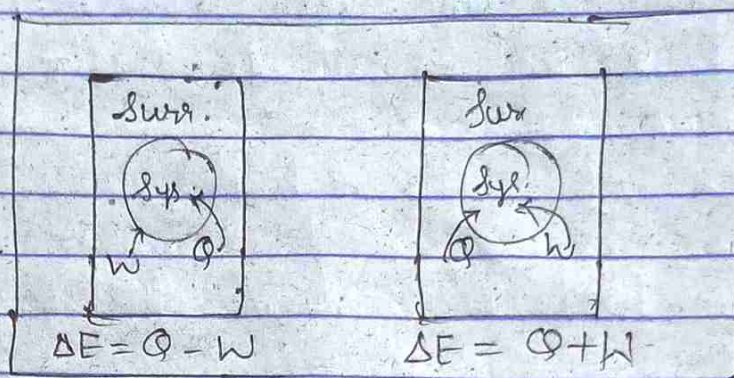
$$Q - W = \Delta E$$

$$\Rightarrow Q = \Delta E + W$$



$$\begin{aligned} &\Rightarrow Q_3 + Q_2 - Q_1 \\ &= \Delta E + (W_2 + W_3 - W_1 - W_4) \end{aligned}$$

$$Q + W = \Delta E$$



in cycle

$$\Sigma Q = \Sigma W$$

$$\Sigma Q = -\Sigma W$$

Energy - A property of the system

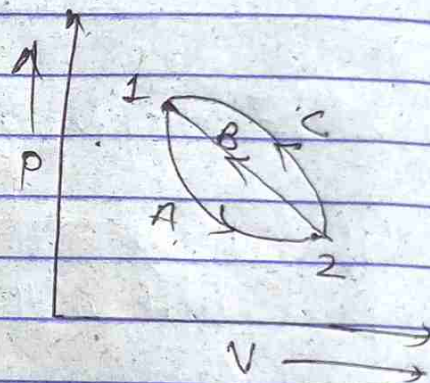
1 → 2 → 1

Cyclic process

$$\Delta E_A = Q_A + W_A$$

for path B

$$\Delta E_B = Q_B + W_B$$



together $(\Sigma W)_{\text{cycle}} = (\Sigma Q)_{\text{cycle}}$

$$W_A + W_B = -(Q_A + Q_B)$$

together

$$(\Sigma W)_{\text{cycle}} = -(\Sigma Q)_{\text{cycle}}$$

$$W_A + W_B = -(Q_A + Q_B)$$

$$\Rightarrow W_A + Q_A = -(Q_B + W_B)$$

$$\Rightarrow \Delta E_A = -\Delta E_B$$

if system has taken path c to return

$$\Delta E_A = -\Delta E_C$$

$$\Rightarrow \Delta E_B = \Delta E_C$$

\Rightarrow change in energy between two state is path independent.

energy for energy state is unique.
and energy is point function.

$E \rightarrow$ extensive, but $\frac{E}{M} = e \rightarrow$ intensive property

Different Forms of stored energy

Thermodynamic \rightarrow Science of energy transfer & its effect on properties.

Energy is capacity of doing work.
it has two forms.

- ① Energy in transit \rightarrow work & heat
- ② Energy in storage. (observed at boundary path fn)

\rightarrow Internal energy (point fn) define state.

hence, property of a system

$U \rightarrow$ internal energy \rightarrow store energy.

two method

macroscopic

microscopic

energy mode

energy mode

macroscopic
K.E. $\left(\frac{mv^2}{2}\right)$
work & potential energy

energy stored in the
molecules & atomic structure
(internal energy) (U)

translational, rotational K.E.,
vibrational, electronic energy,
chemical & molecular energy

$$E = E_{\text{trans}} + E_{\text{rot}} + E_{\text{vib}} + E_{\text{chem}} + E_{\text{electron}} + E_{\text{nuclear}}$$

if N is molecules.
then total ~~int~~ internal energy = $N E$

for ideal gas no intermolecular forces of attraction & repulsion.

then internal energy depends on temp. alone.

$U = f(T) \rightarrow$ for an ideal gas
other form of energy.

$\left\{ \begin{array}{l} \rightarrow \text{magnetic energy, electrical energy} \\ \text{ \& surface energy.} \end{array} \right.$
 \rightarrow in absence of these energies.

total energy $E = \underbrace{E_k + E_p}_{\text{macro}} + \underbrace{U}_{\text{micro}}$

in absence of motion & gravity.
 $E_k = 0 \quad E_p = 0$

$$\Rightarrow \boxed{E = U}$$

then

$$\Delta U = Q + W$$

in differential form

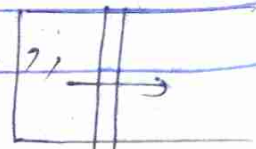
$$dU = dQ + dW$$

$$dW = dW_{\text{p.d.v}} + dW_{\text{shaft}} + dW_{\text{dielectric}} + \dots$$

\Rightarrow when only p.d.v work.

$$dU = dQ - p dV$$

$$\Rightarrow \boxed{Q = \Delta U + \int p dV}$$



Specific Heat at Constant Volume

$$c_v = \left(\frac{\partial u}{\partial T} \right)_v \quad \text{for constant volume process}$$

$$(\Delta u)_v = \int_{T_1}^{T_2} c_v dT$$

Enthalpy

$$h = u + pv$$

↑
intensive

Internal energy change is equal to the heat transformed in a constant volume process.

involving no work other than $p dv$ work.
Constant pressure with no other work than $p dv$ in such process. in a closed system.

$$dQ = du + p dv$$

$$\begin{aligned} (dQ)_p &= du + d(pv) \rightarrow \text{Const. Pressure} \\ &= d(u + pv) \\ &= dh \end{aligned}$$

$$h = u + pv \quad \text{for ideal gas enthalpy}$$

$$h = u + RT \quad \text{internal energy } f(T)$$

$$\Rightarrow h = f(T)$$

$$\text{total enthalpy } H = mh \quad \left| \quad H = U + PV \right.$$

$$\text{total en.} \quad \underbrace{\text{specific heat at constant pressure}}_x \quad \underbrace{\quad}_x$$

specific heat at constant pressure (c_p)

rate of change of enthalpy with respect to temperature

$$c_p = \left(\frac{dh}{dT} \right)_p \quad \text{at constant pressure}$$

$$(\Delta h)_p = \int_{T_1}^{T_2} c_p dT$$

xx Energy of isolated system

$$dq = 0, \quad dw = 0$$

$$E = 0 \Rightarrow E = \text{constant}$$

energy of isolated system is always constant.

Perpetual Motion machine of the first kind
(PMMS)

First Law \rightarrow general energy conservation.

so No machine can provide work.

without some other form of energy disappearing.

similarly, no machine consume work continuously without some other form of energy appearing.

Ex. mass of gas compressed without friction.

initial state

0.3 m^3 & 0.105 MPa

final state

0.15 m^3 & 0.105 MPa

$$Q = 37.6 \text{ kJ}$$

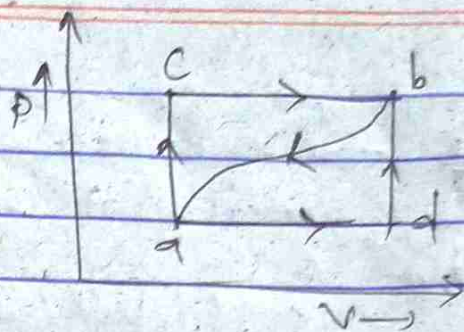
$$\Delta U = ?$$

$$\Delta U = (\Delta Q)_{\text{into sys.}} + (\Delta W)_{\text{on sys.}}$$

$$= -37.6 \text{ kJ} - \int_{0.3}^{0.15} v dp$$

$$= -37.6 \text{ kJ} + 0.15 \times 1.05 \times 10^5$$

$$= -37.6 + 15.75 = -21.85 \text{ kJ}$$



- ① state $a \rightarrow b$
 along $acb \rightarrow Q = 84 \text{ kJ}$ (heat absorbed by system)
 $W = -32 \text{ kJ}$ (work done by system)

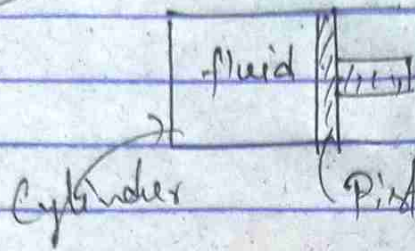
$$Q_{adb} = ? \quad W_{adb} = -10.5 \text{ kJ}$$

- ② $b \rightarrow a \rightarrow W_{b \rightarrow a} = 21 \text{ kJ}$
 $Q_{b \rightarrow a} = ?$

③ $\Delta U = Q + W = 84 - 32 = -10.5 + Q_{adb}$
 $\Rightarrow Q_{adb} = 62.5 \text{ kJ}$

④ $-\Delta U = -52 = Q_{b \rightarrow a} + W_{b \rightarrow a}$
 $= 21 + Q_{b \rightarrow a}$
 $Q_{b \rightarrow a} = -73.00 \text{ kJ}$

Ex-3



→ undergoes a cyclic process contain 4 step.

Going Cycle $\Sigma Q = -170 \text{ kJ}$

process	$Q \text{ (kJ/m)}$	$W \text{ (kJ/m)}$	$\Delta E \text{ (kJ/m)}$
a-b	0	-2170	-2170
b-c	21,000	0	21,000
c-d	-2100	-34,500	-36,600
d-a	-35,900	53,670	17,770

Rate of work

Output = 17000 kJ/min