

Not Trusted Python 3 O



Pythagorean Expectation and the Indian Premier League

The Indian Premier League (IPL) is the biggest cricket competition in the world, which has all of the world's best players in an eight week tournament involving eight teams playing sixty games in total. Each team plays every other team, once at home and then away, and the competition finishes with the four best teams competition in semi-finals and then a final

Cricket, like baseball, is a bat and ball game, where teams score runs and the team scoring the highest number of runs is the winner. There are, of course, many differences, but statistically speaking, we can generate the same Pythagorean statistic that we generated for baseball. Our data here is derived from the competition that took place in 2018.

The IPL is played in the T20 format, in which each team has up to 120 balls to score as many runs as they can (the game takes less than three hours to complete). One difference from baseball is that runs are much easier to score - in the IPL an average score is 170 runs - and outs (wickets) are much more costly - each team has only ten outs(called wickets) in the entire game, and if you run out of wickets before the 120 balls have been bowled (pitched) then your inning is over.

With this background, let's construct the Pythagorean Expectation for the IPL in 2018.

In [1]: W # As with the previous notebook, we first important the packages we will need to process the data.

import pandas as pd
import numpy as np
import statsmodels.formula.api as smf
import matplotlib.pyplot as plt
import saborn as sns

In [2]: | # Now we import the data, which comes in the form of a list of games played in the 2018 season.

We print out the list of variables names in the dataframe

IPL18 = pd.read_excel('../../Data/Week 1/IPL2018teams.xlsx')

print(IPL18.columns.tolist())

['scorecard id', 'start date', 'phase', 'name', 'home team', 'away team', 'toss winner', 'toss decision', 'inn1team', 'innin

['scorecard_id', 'start_date', 'phase', 'name', 'home_team', 'away_team', 'toss_winner', 'toss_decision', 'inn1team', 'innin gs1', 'wickets1', 'overs1', 'closure1', 'innings2', 'wickets2', 'overs2', 'closure2', 'adjusted_target_indicator', 'adjusted_target', 'team1_overs', 'team2_overs', 'mom_player_id', 'mom_player', 'scoring_status', 'result_type', 'result_margin', 'winning_team']

In [3]: $m{M}$ # We can see what our dataframe looks like simply by typing its name:

Ou+[2]

IPL18

scorecard_id start_date name home_team away_team toss_winner toss_decision inn1team innings1 ... adjusted_target_inphase Wankhede Stadium, Mumbai 1056637 Chennai Super Kings Punjab Cricket 2018-04-Kings XI Punjab f Delhi Daredevils 1056638 Association Stadium, Mohali Daredevils Eden Kolkata Roval Kolkata Roval 2018-04-Knight Challengers Riders Bangalore 1056639 Gardens, Kolkata f Challengers Bangalore 176 .. NaN Knight Riders Rajiv Gandhi International Stadium, 2018-04-Rajasthan Royals f Rajasthan Royals 3 1056640 NaN Sunrisers Sunrisers 125 ... Uppal, Hvd.

In [4]: # This cell compelete a number tasks. First we identify when the home team is the winning team, and when the visiting team # is the winner. Next we identify the runs scored by the home team and the away team (note: unlike baseball, where there are # nine innings for each team, in T20 cricket each team gets only one inning, and once the first completes its inning, the opp # team has its inning). Finally, we include a counter which we can add up to give total number of games for each team.

IPL18['hwin'] = np.where(IPL18['home_team'] = IPL18['winning_team'],1,0)
IPL18['awin'] = np.where(IPL18['away_team'] == IPL18['winning_team'],1,0)
IPL18['httuns'] = np.where(IPL18['home_team'] == IPL18['inniteam'],IPL18['innings1'],IPL18['innings2'])
IPL18['truns'] = np.where(IPL18['away_team'] == IPL18['inniteam'],IPL18['innings1'],IPL18['innings2'])
IPL18['count'] = 1

In [5]: 🔰 # Now we use a .groupby command to aggregate the performance of home teams during the season. Compare back to the MLB notebook # to see how similar the commands are.

IPLhome = IPL18.groupby('home_team')['count','hwin', 'htruns','atruns'].sum().reset_index()
IPLhome = IPLhome.rename(columns={'home_team':'team','count':'Ph','htruns':'htrunsh','atrunsh'})
IPLhome

Out[5]:

4

0	Chennai Super Kings	9	8	1577	1486
1	Delhi Daredevils	7	4	1258	1122
2	Kings XI Punjab	7	4	1188	1202
3	Kolkata Knight Riders	9	5	1468	1417
4	Mumbai Indians	7	3	1194	1171
5	Rajasthan Royals	7	5	1120	994
6	Royal Challengers Bangalore	7	4	1298	1286
7	Sunrisers	7	5	1070	1050

In [6]: $m{M}$ # Now we aggregate the performance of away teams in a different df.

IPLaway = IPL18.groupby('away_team')['count','awin', 'htruns','atruns'].sum().reset_index()
IPLaway = IPLaway.rename(columns={'away_team':'team','count':'Pa','htruns':'htrunsa','atruns':'atrunsa'})
IPLaway

Out[6]:

team Ph hwin htrunsh atrunsh

```
0 Chennai Super Kings 7 3 1264 1232
             2
                    Kings XI Punjab 7 2 1124
                                                     1022
                     Kolkata Knight Riders
                    Mumbai Indians 7 3
             4
                                              1111
                                                     1186
                       Rajasthan Royals 8 2
                                              1362
                                                     1237
             6 Royal Challengers Bangalore 7 2 1097 1024
                            Sunrisers 10 5 1624
                                                     1651
 In [7]: 🔰 # how we merge the two dfs to obtain a full record for each team across the season.
             IPL18 = pd.merge(IPLhome, IPLaway, on = ['team'])
    Out[7]:
                               team Ph hwin htrunsh atrunsh Pa awin htrunsa atrunsa
             0 Chennai Super Kings 9 8 1577 1486 7 3 1264 1232
                       Delhi Daredevils 7
                                                     1122 7
                                         4 1258
             2 Kings XI Punjab 7 4 1188 1202 7 2 1124 1022
                                              1468
                                                      1417 7
             3
                    Kolkata Knight Riders 9
                                                                     1326
                                                                            1291
             4 Mumbai Indians 7 3 1194
                                                     1171 7 3 1111
                                                                            1186
                       Raiasthan Rovals 7
                                              1120
                                                      994 8 2
                                                                    1362
                                                                            1237
             6 Royal Challengers Bangalore 7 4 1298 1286 7 2 1097 1024
                            Sunrisers 7 5 1070 1050 10 5 1624
                                                                            1651
 In [8]: 🔰 # We now aggregate the home and away data for wins, games played and runs
            IPL18['W'] = IPL18['hwin']+IPL18['awin']
IPL18['G'] = IPL18['Ph']+IPL18['Pa']
IPL18['R'] = IPL18['htrunsh']+IPL18['atrunsa']
IPL18['RA'] = IPL18['atrunsh']+IPL18['htrunsa']
    Out[8]:
                               team Ph hwin htrunsh atrunsh Pa awin htrunsa atrunsa W G
             0 Chennai Super Kings 9 8 1577 1486 7 3 1264 1232 11 16 2809 2750
                                              1258
                                                      1122 7
                                                                     1265
                                                                            1085 5 14 2343 2387
                       Delhi Daredevils 7
                    Kings XI Punjab 7 4 1188 1202 7 2 1124 1022 6 14 2210 2326
             2
                    Kolkata Knight Riders 9 5
                                              1468
                                                     1417 7
             3
                                                                     1326
                                                                            1291 9 16 2759 2743
                 Mumbai Indians 7 3 1194 1171 7 3 1111 1186 6 14 2380 2282
             5
                       Rajasthan Royals 7 5 1120
                                                     994 8 2 1362
                                                                            1237 7 15 2357 2356
             6 Royal Challengers Bangalore 7 4 1298 1286 7 2 1097
                                                                           1024 6 14 2322 2383
                            Sunrisers 7 5 1070 1050 10 5 1624
                                                                           1651 10 17 2721 2674
 In [9]: 🔰 # The last step in organizing the data is to create variables for win percentage (wpc) and the Pythagorean Expectation (pyth)
            IPL18['wpc'] = IPL18['W']/IPL18['G']
IPL18['pyth'] = IPL18['R']**2/(IPL18['R']**2 + IPL18['RA']**2)
            IPL18
            4
    Out[9]:
                                team Ph hwin htrunsh atrunsh Pa awin htrunsa atrunsa W G
             0 Chennai Super Kings 9 8 1577 1486 7 3 1264 1232 11 16 2809 2750 0.687500 0.510612
                                                      1122 7 1
                    Kings XI Punjab 7 4 1188 1202 7 2 1124 1022 6 14 2210 2326 0.428571 0.474444
             2
                                              1468
                                                      1417
                                                                     1326
                                                                            1291 9 16 2759 2743 0.562500 0.502908
                     Kolkata Knight Riders 9
                   Mumbai Indians 7 3 1194 1171 7 3 1111
                                                                            1186 6 14 2380 2282 0.428571 0.521012
                       Rajasthan Royals 7
                                        5 1120
                                                      994 8 2 1362
                                                                            1237 7 15 2357 2356 0.466667 0.500212
             6 Royal Challengers Bangalore 7 4 1298 1286 7 2 1097 1024 6 14 2322 2383 0.428571 0.487037
                            Sunrisers 7 5 1070 1050 10 5 1624 1651 10 17 2721 2674 0.588235 0.508711
In [10]: N # Having prepared the data, we are now ready to examine it. First, we generate and xy plot use the Seaborn package.
# Unlike the MLB case, we can see that there is a very weak correlation between win percentage and the Pythagorean Expectation
             sns.relplot(x="pyth", y="wpc", data =IPL18)
   Out[10]: <seaborn.axisgrid.FacetGrid at 0x7ff878bac7b8>
               0.65
               0.60
               0.55
               0.50
               0.45
               0.40
               0.35
                                            0.51
         Self test
```

run sns.relplot again, but this time write y="W" instead of y="wpc". What do you find? Does it make a difference?

Running a regression

We now run the same regression as we did for the MLB data:

```
wpc = Intercept + coef x pyth
```

This time, while coefficient on pyth is positive - implying that a higher Pythagorean Expectation leads to a large win percentage, the standard error is also very large, and the t statistic of 1.353 implies a p-value of 0.225- well above the usual threshold of 0.050, which means that the coefficient estimate is in fact insignificantly different from zero.

Out[11]: OLS Regression Results

Model: OLS Adj. R-squared: 0.106									
No. Observations: Folitish Square Fol	Dep. Var	iable:		wpc		R-squa	red:	0.234	
Date Tune 13 Jul 2014 Prob(JB)	N	fodel:		OLS	Adj.	R-squa	red:	0.106	
No. Observations: 1.90 1.00	Me	thod:	Least	Squares		F-stati	stic:	1.830	
No. Observations: 8		Date:	Tue, 13	Jul 2021	Prob	(F-statis	tic):	0.225	
Df Residuals Section Section		Time:		03:59:40	Log	-Likelih	ood:	7.9710	
Df Model: 1	No. Observa	tions:		8			AIC:	-11.94	
Covariance Type: nonrobust coef std err t P> t [0.025 0.975 Intercept -1.2807 1.312 -0.976 0.367 -4.491 1.929 pyth 3.5522 2.626 1.353 0.225 -2.872 9.977 Omnibus: 0.020 Durbin-Watson: 2.254 Prob(Omnibus): 0.999 Jarque-Bera (JB): 0.217 5kew: 0.014 Prob(JB): 0.897	Df Resid	duals:		6			BIC:	-11.78	
1.2807 1.312 -0.976 0.367 4.491 1.929 2	Df N	Model:		1					
Intercept -1.2807 1.312 -0.976 0.367 -4.491 1.929	Covariance	Type:	r	onrobust					
pyth 3.5522 2.626 1.353 0.225 -2.872 9.977 Omnibus: 0.002 Durbin-Watson: 2.254 Prob(Omnibus): 0.999 Jarque-Bera (JB): 0.217 Skew: 0.014 Prob(JB): 0.897		coef	std err	t	P> t	[0.025	0.97	5]	
Omnibus: 0.002 Durbin-Watson: 2.254 Prob(Omnibus): 0.999 Jarque-Bera (JB): 0.217 Skew: 0.014 Prob(JB): 0.897	Intercept -1	.2807	1.312	-0.976	0.367	-4.491	1.92	19	
Prob(Omnibus): 0.999 Jarque-Bera (JB): 0.217 Skew: 0.014 Prob(JB): 0.897	pyth 3	3.5522	2.626	1.353	0.225	-2.872	9.97	7	
Skew: 0.014	Omnib	ous: (0.002	Durbin-V	Vatson:	2.254			
	Prob(Omnib	us): (0.999 J a	arque-Be	ra (JB):	0.217			
Kurtosis: 2.102 Cond No. 90.0	Sk	ew: (0.014	Pr	ob(JB):	0.897			
Ruitosis. 2.193 Collu. No. 69.9	Kurto	sis: 2	2.193	Co	nd. No.	89.9			

Warnings

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Self test

 $Run the regression above but instead write 'wpc \sim W' instead of 'wpc \sim pyth' in the line starting pyth_lm. What difference does this make?$

Conclusion

Why did the Pythagorean model produce a good fit for the baseball data but not for the cricket data? An obvious explanation is that there is some difference between the two sports which makes the model appropriate for one but not the other. For example, in cricket, the team batting second need only score one more run than the opponent to win, and so the inning ends if it reaches this milestone. If the team batting second is the winning team, then the gap in the scores will be small. However, if the team batting first can get all ten wickets cheaply, then the gap in scores could be very large. In our data the average runs difference when the team batting second won was 2, and when the team batting first won was 30. This might explain why the Pythagorean Expectation is not a good guide to winning in the IPL.

But there could be more basic statistical explanations. For MLB we had averages for 30 teams, each of which played about 160 games. Random variations are likely to be smoothed out when analyzing data on this scale. For the IPL we had only 8 teams, most of whom played only 14 games - so there is a much greater chance that random variations could have overwhelmed the Pythagorean model if it were correct.

Anyone interested in pursuing this further, might try two things. First, analyze games where the winning team bats first or second separately. Second, find data covering more seasons (not difficult to find online) in order to generate a much larger sample.

For now, however, we are going to move on and look at another sport: basketball.

In []: 📕