

(A 1-D model work in progress)

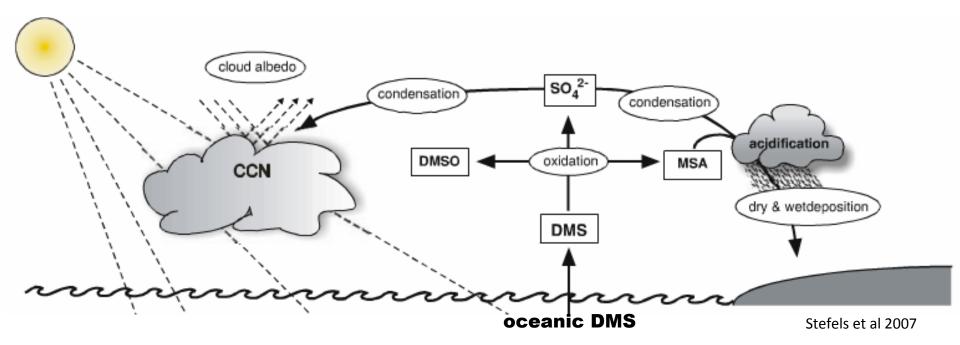


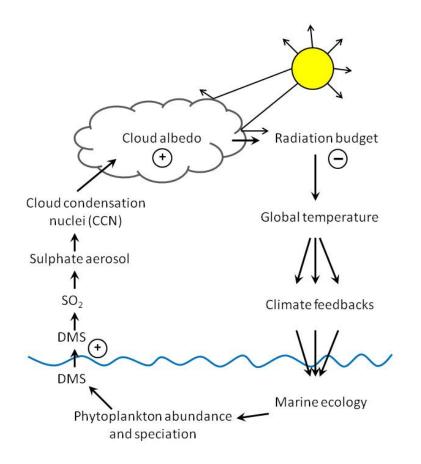


- -a very smelly gas
- -a biogenic compound produced by certain phytoplankton
- -an important part of the marine sulphur cycle

Why do we study it?

- -up to 80% of global biogenic sulphur budget
- -Oceans: 95% of DMS emissions to atmosphere
- -component of some global climate models
- -global cooling/ potential climate feedbacks





C.L.A.W. HYPOTHESIS





2 main questions in the model:

-How much DMS is produced?-How much does it change the radiative forcing?

General Approach:

-ODE describing primary productivity

-ODE describing radiative forcing
(seasonally dependent) links between the two

- 3 'domains': SEA, ICE, SKY

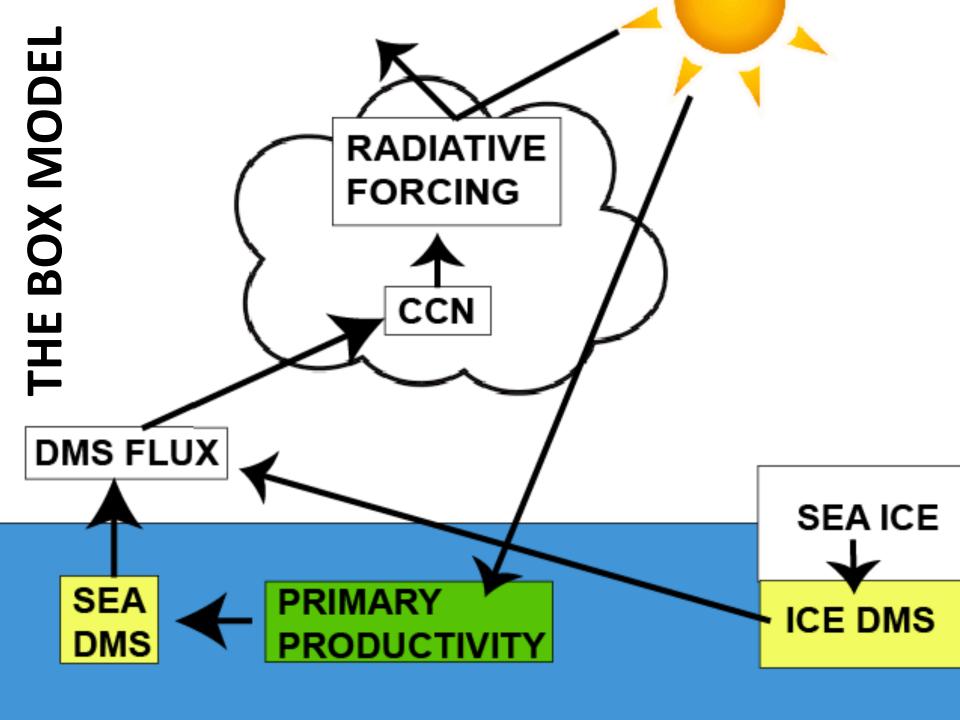
The Arctic Environment

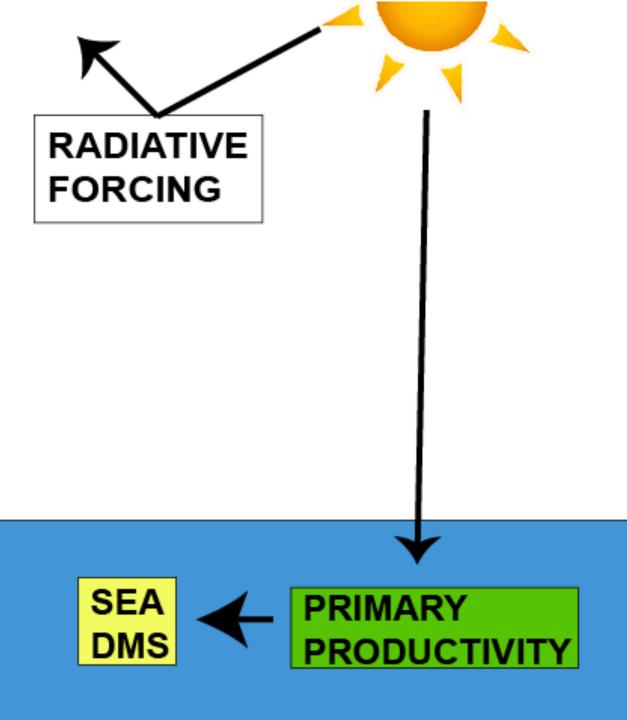
Environmental Variables in Model

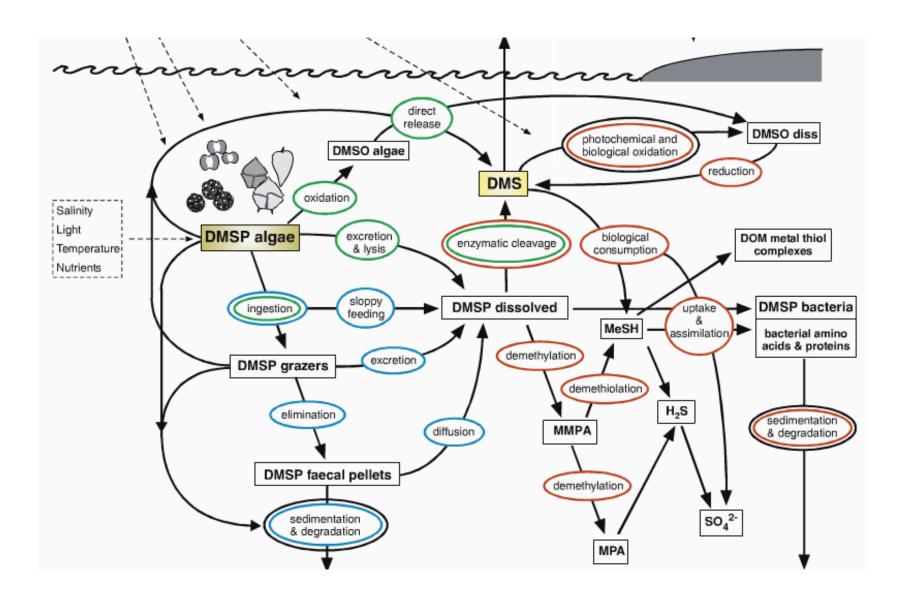
(monthly resolution)

- -permanent presence of frozen water (ice)
- -large watershed (freshwater flux)
- -low sea surface temperature
- -large seasonal variation in radiation
- -seasonal nutrientlimitation-salinity stratification-polar bears

- -ice cover
- -windspeed
- -PAR (ie. sunlight)
- -sea surface temperature
- -albedo
- -cloud cover







SEA EQUATIONS

Primary productivity (Gabric et al 2004)

$$\frac{dP}{dt} = P(\mu - \chi)(1 - P_{ice})$$
 where P_{ice} = proportional ice cover

$$\mu$$
 = growth rate = $\mu_0 R_L R_T$

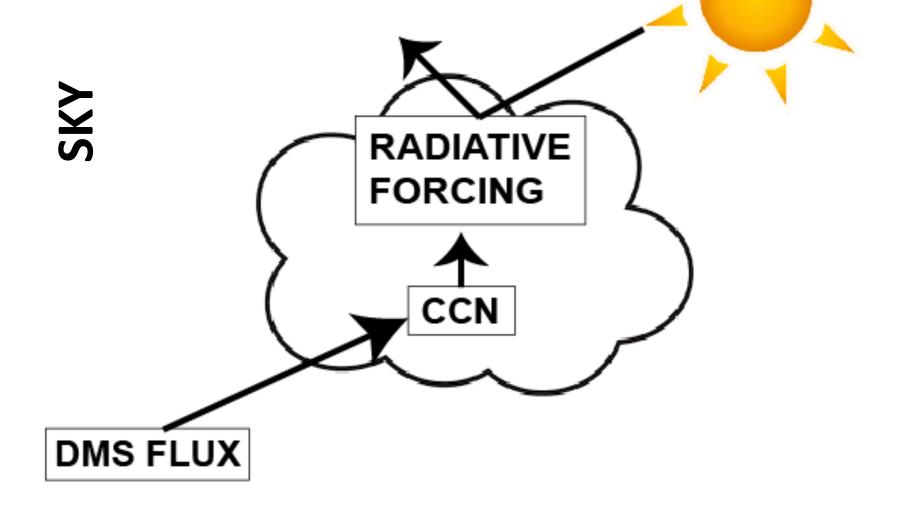
$$\mu_0$$
 = base growth rate = 0.79

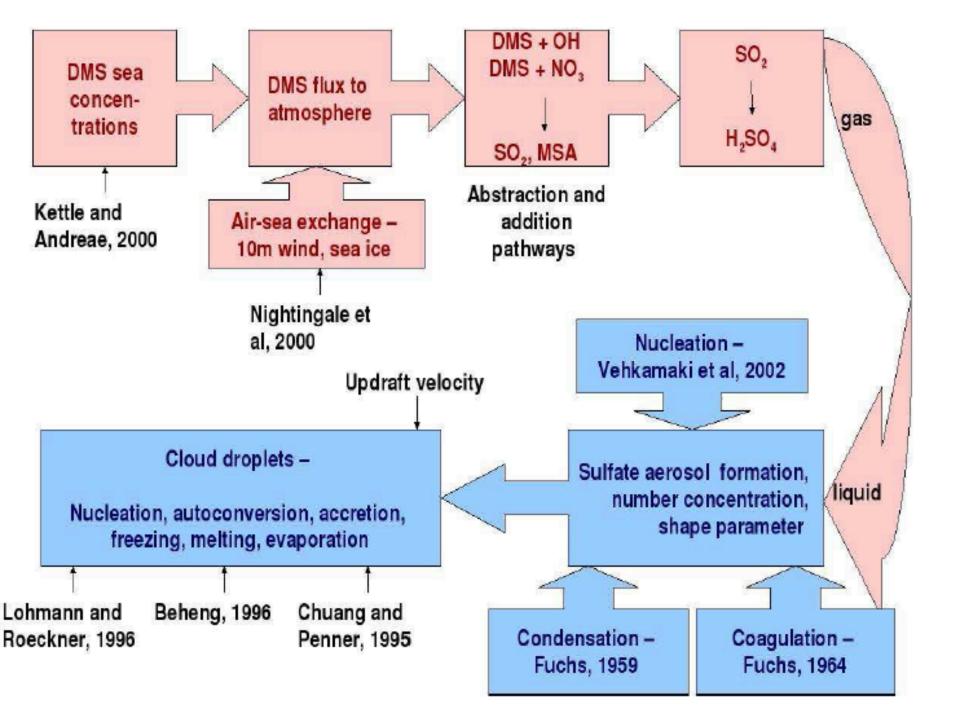
$$R_L$$
 = light correction factor = $\frac{\frac{I}{I_k}}{\sqrt{1+\frac{I}{I_k}^{\ 2}}}$

 I_k = saturating light intensity

I = current percieved light intensity (PAR) = $I + \Delta F$

$$\frac{dDMS}{dt} = \gamma \frac{dP}{dt}$$
, $\gamma = 1.5$





SKY EQUATIONS pt 1

transfer velocity (k_w) calculations (Liss and Merlivat (1986)):

$$Flux_{DMS} = k_w [DMS]$$

where:

w = windspeed (m/s)

$$k_w = \alpha 0.17w$$
 for $w \le 3.6$

$$k_w = \beta(2.85w - 10.3) + 0.61\alpha$$
 for $3.6 < w \le 13$

$$k_w = \beta(5.9w - 49.9) + 0.61\alpha$$
 for $w > 13$

$$\alpha = (600/Sc)^{2/3}$$

$$\beta = (600/Sc)^{1/2}$$

Where Sc is the Schmidt number, which depends on sea surface temperature as follows:

$$Sc = 2674.0 - 147.12(SST) + 3.726(SST)^2 - 0.038(SST)^3$$

SKY EQUATIONS pt 2

$$\frac{\frac{dCCN}{dt}}{CCN} = 0.02 \frac{\frac{dFlux_{DMS}}{dt}}{Flux_{DMS}}$$

Radiative Forcing

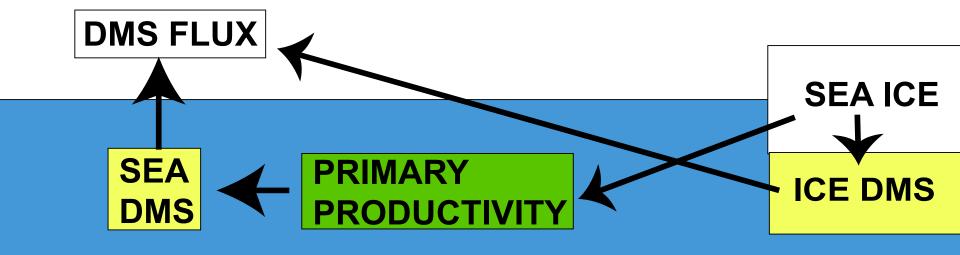
(Meskhidze 2006)

$$\frac{dF}{dt} = \frac{-1}{3} F A_c R_c (1 - R_c) \Delta N_{db}$$

where F = perceived light intensity

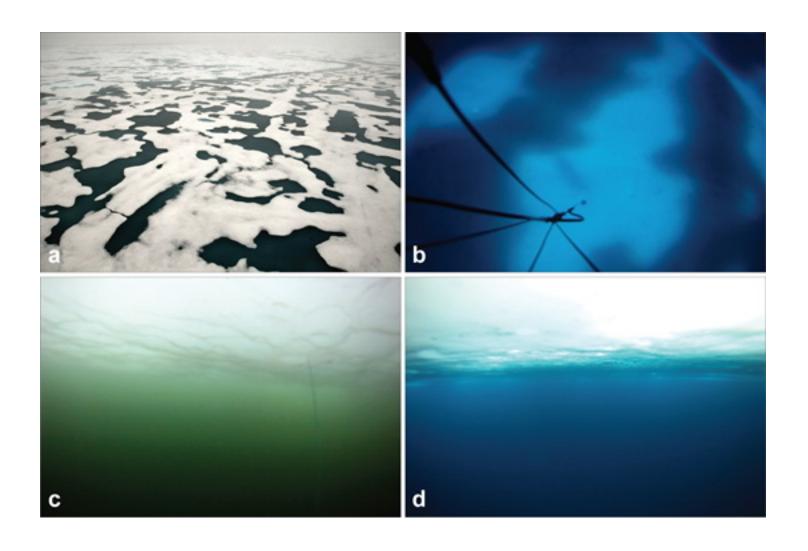
$$A_c$$
 = cloud cover fraction, R_c = cloud albedo, $\Delta N_{db} = \frac{\frac{dCCN}{dt}}{CCN}$

My model: SEA ICE



ICE EQUATIONS

...to be determined



Model construction

- -fixed step-size Runge-Kutta
- -model length: 1 year, model step size: 1 day
- -adaptation of Integrator class
- -environmental forcing at monthly resolution (stored in nested dictionaries)
- -spline interpolation of critical variables (eg. ice!)

Meteorological Forcing

