

# Equations for model

## 1) Primary productivity (source: adapted from Gabric et al 2004)

$$\frac{dP}{dt} = P(\mu - \chi)(1 - P_{ice}) \text{ where } P_{ice} = \text{proportional ice cover}$$

$$\mu = \text{growth rate} = \mu_0 R_L R_T$$

$$\mu_0 = \text{base growth rate} = 0.79$$

$$R_L = \text{light correction factor} = \frac{\frac{I}{I_k}}{\sqrt{1 + \frac{I}{I_k}^2}}$$

$$I_k = \text{saturating light intensity}$$

$$I = \text{current perceived light intensity (PAR)} = I + \Delta F \text{ where } F \text{ is forcing (see below)}$$

Conversion factor from PAR in  $W/m^2$  (in forcing equation) to Einsteins/ $m^2$ /day (in OceanColor database):

$$1 Wm^{-2} = 4.6 \mu Em^{-2}s^{-1}$$

$$R_T = e^{0.063(T - T_{max})}$$

$$T = \text{current mixed layer temperature}$$

$$T_{max} = \text{maximum annual mixed layer temperature}$$

## 2) DMS concentration

In this model, DMS is directly proportional to primary productivity, given by a scaling factor which I choose so that the resulting concentration ranges match observed concentrations

$$\frac{dDMS}{dt} = \gamma \frac{dP}{dt}, \gamma = 1.5$$

## 3) DMS flux

I use the transfer velocity ( $k_w$ ) calculations given by Liss and Merlivat (1986):

$$Flux_{DMS} = k_w [DMS]$$

where:

$$w = \text{windspeed (m/s)}$$

$$k_w = \alpha 0.17w \text{ for } w \leq 3.6$$

$$k_w = \beta(2.85w - 10.3) + 0.61\alpha \text{ for } 3.6 < w \leq 13$$

$$k_w = \beta(5.9w - 49.9) + 0.61\alpha \text{ for } w > 13$$

$$\alpha = (600/Sc)^{2/3}$$

$$\beta = (600/Sc)^{1/2}$$

Where Sc is the Schmidt number, which depends on sea surface temperature as follows:

$$Sc = 2674.0 - 147.12(SST) + 3.726(SST)^2 - 0.038(SST)^3$$

#### 4) CCN

Base numbers of CCN for Arctic (initial value):  $76cm^{-3}$  (low clouds present) -  $250cm^{-3}$  (no low clouds) (Yum 2001) (I plan to get an average initial CCN using percent cloud cover at the start)

Best parametrization I found for effect of DMS flux on CCN:

Woodhouse 2010 - sensitivity parameter .02. (.02% change in CCN for 1% change in DMS flux)

$$\frac{\frac{dCCN}{dt}}{CCN} = 0.02 \frac{\frac{dFlux_{DMS}}{dt}}{Flux_{DMS}}$$

#### 5) Radiative Forcing

This equation comes from Meskhidze et al (SCIENCE VOL 314 1 DECEMBER 2006)

$$\Delta F = \frac{-1}{3} F_{in} A_c R_c (1 - R_c) \Delta N_{db}$$

where  $F_{in}$  = monthly avg. solar flux,  $A_c$  = cloud cover fraction,  $R_c$  = cloud albedo,  $\Delta N_{db}$

$$= \frac{\frac{dCCN}{dt}}{CCN}$$

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