

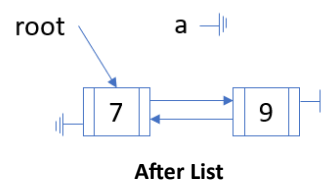
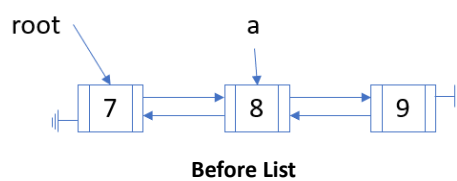
## 5 Practice Multiple Choice Questions

### Question 1

The nodes of a **doubly-linked** list are defined like this:

```
struct Node {  
    int data;  
    Node* next;  
    Node* prev;  
};
```

Consider these two lists (both root and a are of type Node\*):



i) Suppose f is defined like this:

```
void f(Node* p) {  
    p->next->prev = p->prev;  
    p->prev->next = p->next;  
    delete p;  
    p = nullptr;  
}
```

This code fragment applied to the **Before List** creates the **After List**:

```
f(a);
```

ii) This code fragment applied to the **Before List** creates the **After List**:

```
root->next->next->prev = root;  
root->next = root->next->next;  
delete a;  
a = nullptr;
```

- a) i) and ii) are both true
- b) i) and ii) are both false
- c) i) is false and ii) is true
- d) i) is true and ii) is false

### Question 2

What is the tightest O-notation expression for  $f(n)$ ? Assume all the logs are to the same base.

$$f(n) = \log n^1 + \log n^2 + \dots + \log n^{n-1} + \log n^n$$

- a)  $O(\log n)$
- b)  $O(n \log n)$
- c)  $O(n^2 \log n)$
- d)  $O(n^2)$

### Question 3

Suppose you want to **reverse** the elements of a stack  $S$  using just extra stacks, and no other container data structures.

- i) You can reverse the elements of  $S$  using one extra stack.
  - ii) You can reverse the elements of  $S$  using two, or more, extra stacks.
- a) i) and ii) are both true
  - b) i) and ii) are both false
  - c) i) is false and ii) is true
  - d) i) is true and ii) is false

### Question 4

Consider a non-empty tree  $T$  where each node has 30 or fewer children. Suppose you delete a node  $x$  from  $T$ , and also delete all the edges going into and coming out of  $x$ .

Which one of the following is **NOT** a number of trees that could remain after the deletion?

- a) 1
- b) 2
- c) 30
- d) 31
- e) all of the above are a number of trees that could remain after the deletion

### Question 5

Suppose an open addressed hash table (i.e. one *without* buckets) with a good hash function has a load factor of  $\lambda$ . What is the **probability** that a random key will be hashed to an empty location?

- a)  $\lambda$
- b)  $\frac{1}{\lambda}$
- c)  $1 - \lambda$
- d)  $\frac{1}{1-\lambda}$
- e) this cannot be determined only knowing  $\lambda$