

Automated Planning

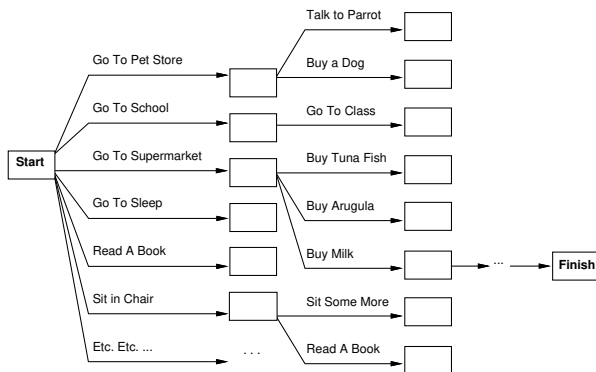
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Search vs. Planning

Consider the task *get milk, bananas, and a cordless drill*

Standard search algorithms seem to fail miserably:



Search vs. Planning

Planning systems do the following:

- 1) open up action and goal representation to allow selection
- 2) divide-and-conquer by subgoaling
- 3) relax requirement for sequential construction of solutions

	Search	Planning
States	Python data structures	Logical sentences
Actions	Python code	Preconditions/outcomes
Goal	Python code	Logical sentence (conjunction)
Plan	Sequence from S_0	Constraints on actions

CSP, SAT

Planning as state space search

Planning as a search problem: search from the initial state through the space of states, looking for a goal

Algorithms for planning:

- **Progression:** forward state-space search
- **Regression:** backward relevant-space search

Heuristics for planning: need to find good domain-specific heuristics for planning problems

Planning Domain Definition Language (PDDL)

State: a conjunction of fluents that are ground, functionless atoms

Actions: a set of **action schema** that is a set of ground actions

E.g.,

Action : Fly(p, from, to),

Precond : At(p, from) \wedge Plane(p) \wedge Airport(from) \wedge Airport(to)

Effect : \neg At(p, from) \wedge At(p, to)

The **precondition** and **effect** are conjunctions of literals that may contain variables

A planning **domain** is defined by a set of action schemas

– A planning problem within the domain: **initial state** and a **goal** (conjunctions of literals)

Example Domain: Air cargo transport

$Init(At(C_1, SFO) \wedge At(C_2, JFK) \wedge At(P_1, SFO) \wedge At(P_2, JFK)$
 $\wedge Cargo(C_1) \wedge Cargo(C_2) \wedge Plane(P_1) \wedge Plane(P_2)$
 $\wedge Airport(JFK) \wedge Airport(SFO))$

$Goal(At(C_1, JFK) \wedge At(C_2, SFO))$

$Action(Load(c, p, a),$

PRECOND: $At(c, a) \wedge At(p, a) \wedge Cargo(c) \wedge Plane(p) \wedge Airport(a)$

EFFECT: $\neg At(c, a) \wedge In(c, p)$)

$Action(Unload(c, p, a),$

PRECOND: $In(c, p) \wedge At(p, a) \wedge Cargo(c) \wedge Plane(p) \wedge Airport(a)$

EFFECT: $At(c, a) \wedge \neg In(c, p)$)

$Action(Fly(p, from, to),$

PRECOND: $At(p, from) \wedge Plane(p) \wedge Airport(from) \wedge Airport(to)$

EFFECT: $\neg At(p, from) \wedge At(p, to)$)

Solution plan:

$[Load(C_1, P_1, SFO), Fly(P_1, SFO, JFK), Unload(C_1, P_1, JFK),$
 $Load(C_2, P_2, JFK), Fly(P_2, JFK, SFO), Unload(C_2, P_2, SFO)]$

Example Domain: Spare tire problem

$Init(Tire(Flat) \wedge Tire(Spare) \wedge At(Flat, Axle) \wedge At(Spare, Trunk))$

$Goal(At(Spare, Axle))$

$Action(Remove(obj, loc),$

PRECOND: $At(obj, loc)$

EFFECT: $\neg At(obj, loc) \wedge At(obj, Ground)$)

$Action(PutOn(t, Axle),$

PRECOND: $Tire(t) \wedge At(t, Ground) \wedge \neg At(Flat, Axle) \wedge \neg At(Spare, Axle)$

EFFECT: $\neg At(t, Ground) \wedge At(t, Axle)$)

$Action(LeaveOvernight,$

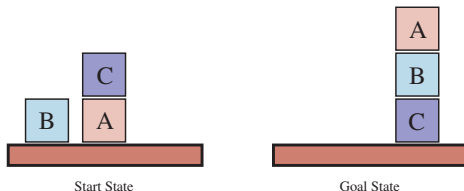
PRECOND:

EFFECT: $\neg At(Spare, Ground) \wedge \neg At(Spare, Axle) \wedge \neg At(Spare, Trunk)$
 $\wedge \neg At(Flat, Ground) \wedge \neg At(Flat, Axle) \wedge \neg At(Flat, Trunk)$)

Solution plan:

$[Remove(Flat, Axle), Remove(Spare, Trunk), PutOn(Spare, Axle)]$

Example Domain: The blocks world



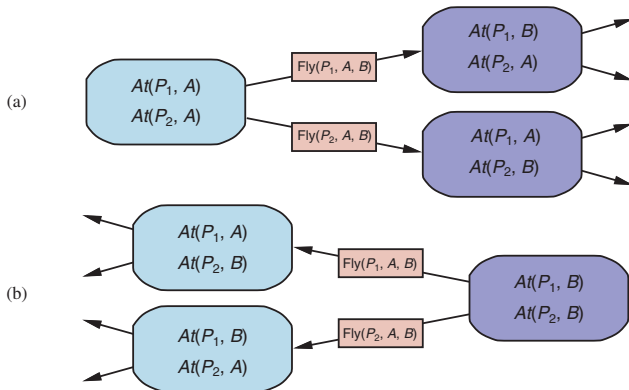
$Init(On(A, Table) \wedge On(B, Table) \wedge On(C, A)$
 $\wedge Block(A) \wedge Block(B) \wedge Block(C) \wedge Clear(B) \wedge Clear(C) \wedge Clear(Table))$
 $Goal(On(A, B) \wedge On(B, C))$
 $Action(Move(b, x, y),$
 PRECOND: $On(b, x) \wedge Clear(b) \wedge Clear(y) \wedge Block(b) \wedge Block(y) \wedge$
 $(b \neq x) \wedge (b \neq y) \wedge (x \neq y),$
 EFFECT: $On(b, y) \wedge Clear(x) \wedge \neg On(b, x) \wedge \neg Clear(y))$
 $Action(MoveToTable(b, x),$
 PRECOND: $On(b, x) \wedge Clear(b) \wedge Block(b) \wedge Block(x),$
 EFFECT: $On(b, Table) \wedge Clear(x) \wedge \neg On(b, x))$

Solution plan:

$[MoveToTable(C, A), Move(B, Table, C), Move(A, Table, B)]$

Classical Planning Algorithms

- Forward/Backward state-space search
- Can be solved by applying heuristic search algorithms



cf. Planning as Boolean satisfiability: SAT-based planner with propositional form translated from a PDDL description

Heuristics for Planning

- Recall that an admissible heuristic can be derived by defining a relaxed problem (easier to solve)
- Planning search problem is a graph: **nodes (states)**, **edges (actions)**
- Problem relaxation
 - Add more edges to the graph, making easier to find a path (e.g. ignore-preconditions heuristic, ignore-delete-lists heuristic), or
 - Group multiple nodes together, forming an abstraction of the state space that has fewer states and thus easier to search
- Domain-independent pruning: symmetry reduction, serializable subgoals
- *FastForward (FF; Hoffmann, 2005)*: A system with ignore-delete-list heuristic and nonstandard hill-climbing search (modified to keep track of the plan)

Summary

- Planning systems are problem-solving algorithms that operate on explicit factored representation of states and actions
- PDDL describes initial and goal states as conjunctions of literals, and actions in terms of their preconditions and effects
- State-space search can operate in forward/backward directions, with effective heuristics derived by subgoal independence assumptions and by various relaxations of the planning problem
- Other approaches include encoding a planning problem as a Boolean satisfiability problem or as a constraint satisfaction problem
- Further issues:
 - Hierarchical planning
 - Planning and acting in nondeterministic, partially observable environments
 - Planning and scheduling with resource constraints
- Fast Downward Stone Soup (FDSS): a portfolio (collection of algorithms) planner, a winner in the 2018 International Planning Competition, a ML approach to learn a good portfolio [AAAI 2015]