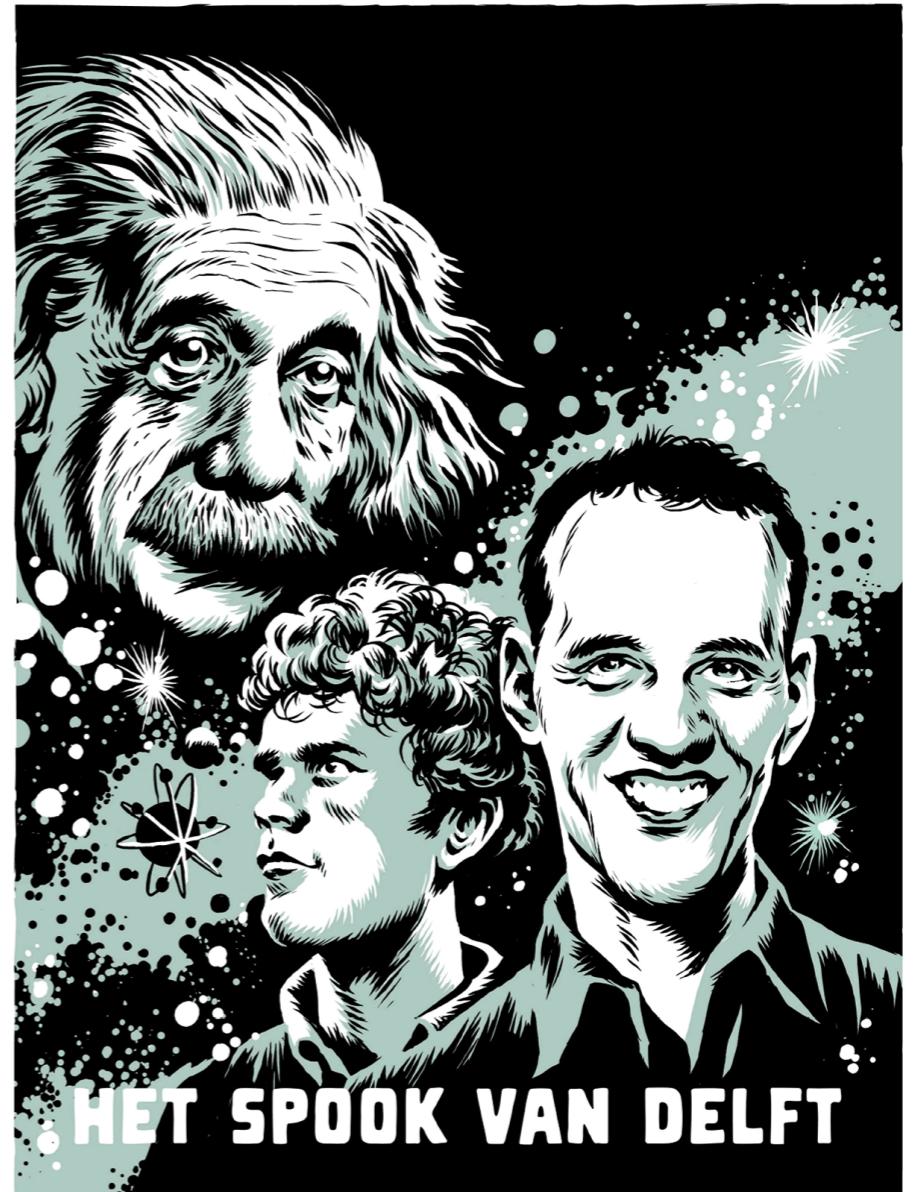
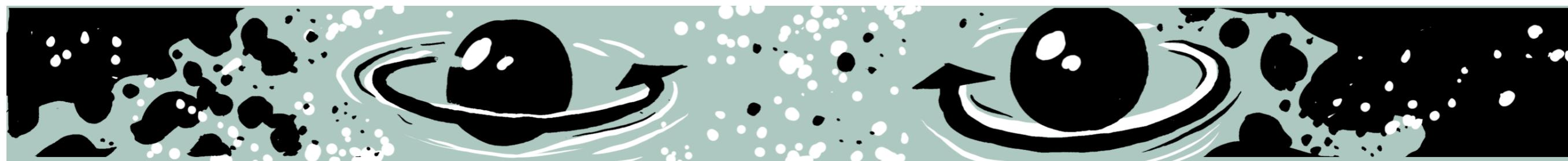
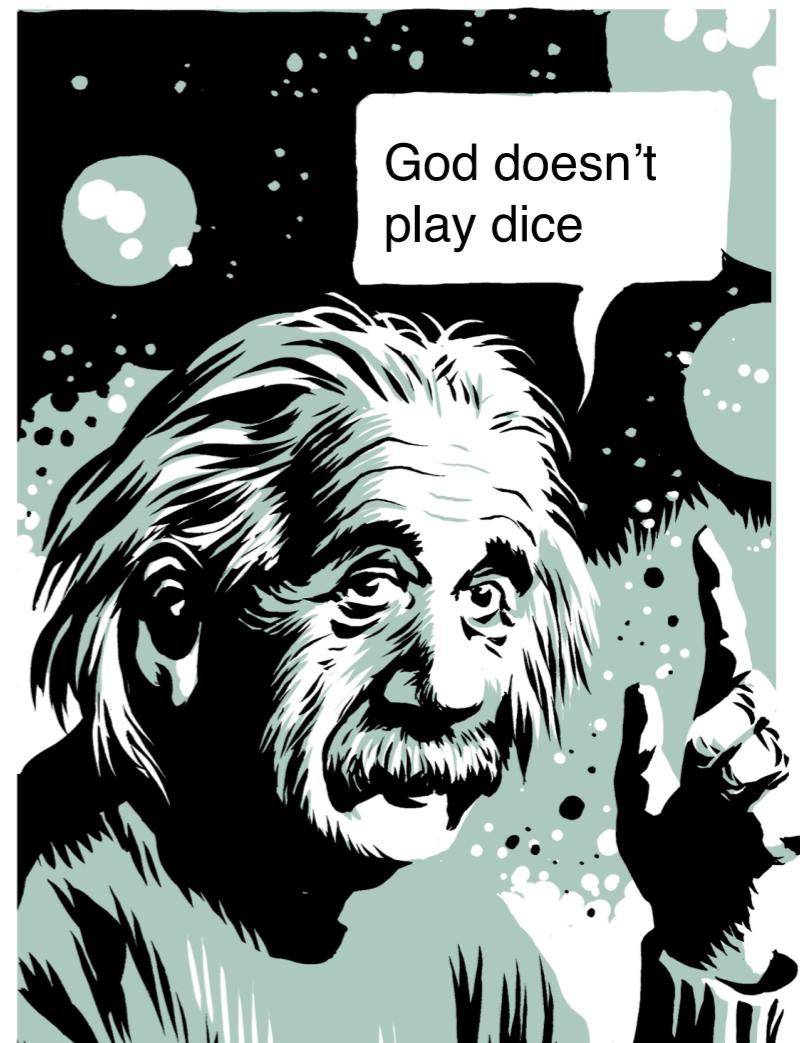


## Loophole-free Bell inequality violation using electron spins separated by 1.3 kilometres

B. Hensen<sup>1,2</sup>, H. Bernien<sup>1,2</sup>†, A. E. Dréau<sup>1,2</sup>, A. Reiserer<sup>1,2</sup>, N. Kalb<sup>1,2</sup>, M. S. Blok<sup>1,2</sup>, J. Ruitenberg<sup>1,2</sup>, R. F. L. Vermeulen<sup>1,2</sup>, R. N. Schouten<sup>1,2</sup>, C. Abellán<sup>3</sup>, W. Amaya<sup>3</sup>, V. Pruneri<sup>3,4</sup>, M. W. Mitchell<sup>3,4</sup>, M. Markham<sup>5</sup>, D. J. Twitchen<sup>5</sup>, D. Elkouss<sup>1</sup>, S. Wehner<sup>1</sup>, T. H. Taminiau<sup>1,2</sup> & R. Hanson<sup>1,2</sup>



# The EPR paradox: realism versus quantum mechanics



# John Bell devised an equality to show the difference



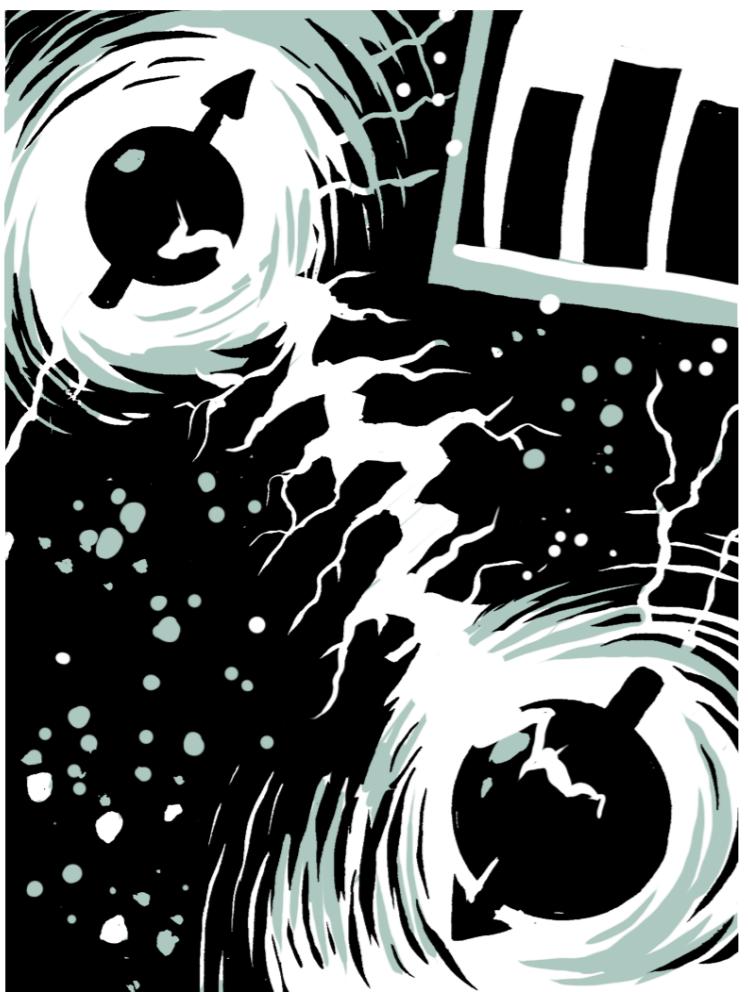
# The first experiments in the 80's leave severe loopholes

Detection loophole  
**fair sampling**

Locality loophole  
**communication**



Bell's inequality,

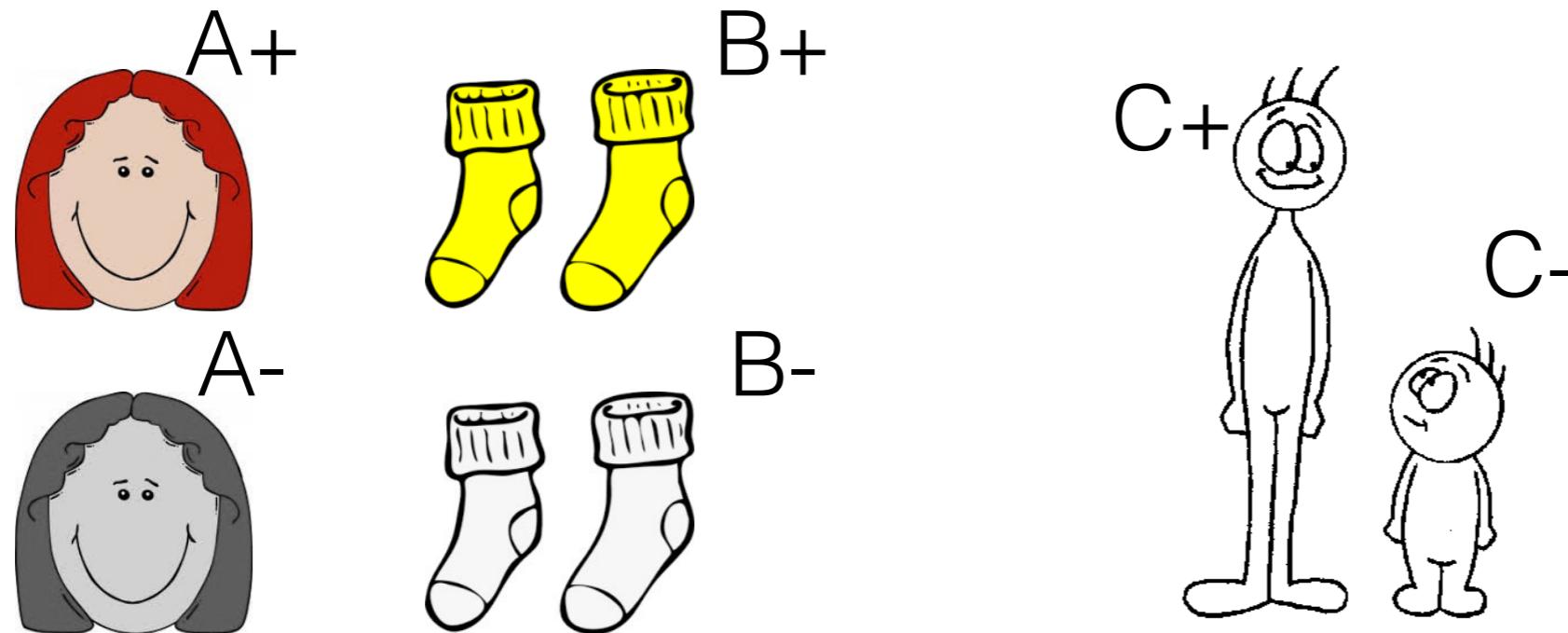


the experiment,



and future work

# Bell's inequality by counting hair, socks and height

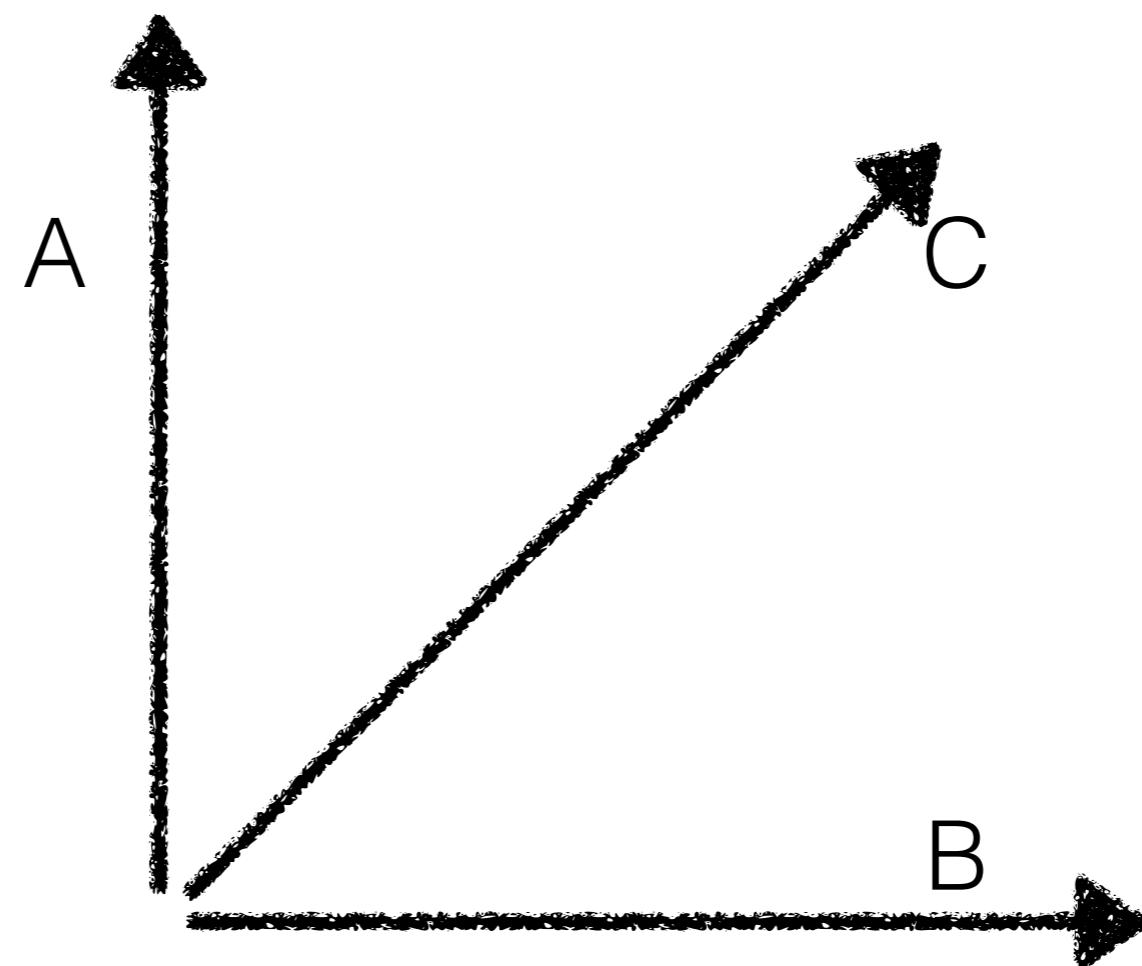


$$N(A+, B-) = N(A+, B-, C+) + N(A+, B-, C-)$$

$$\begin{aligned} N(A+, B-) &= N(A+, C-) - N(A+, B+, C-) \\ &\quad + N(B-, C+) - N(A-, B-, C+) \end{aligned}$$

$$N(A+, B-) < N(A+, C-) + N(B-, C+)$$

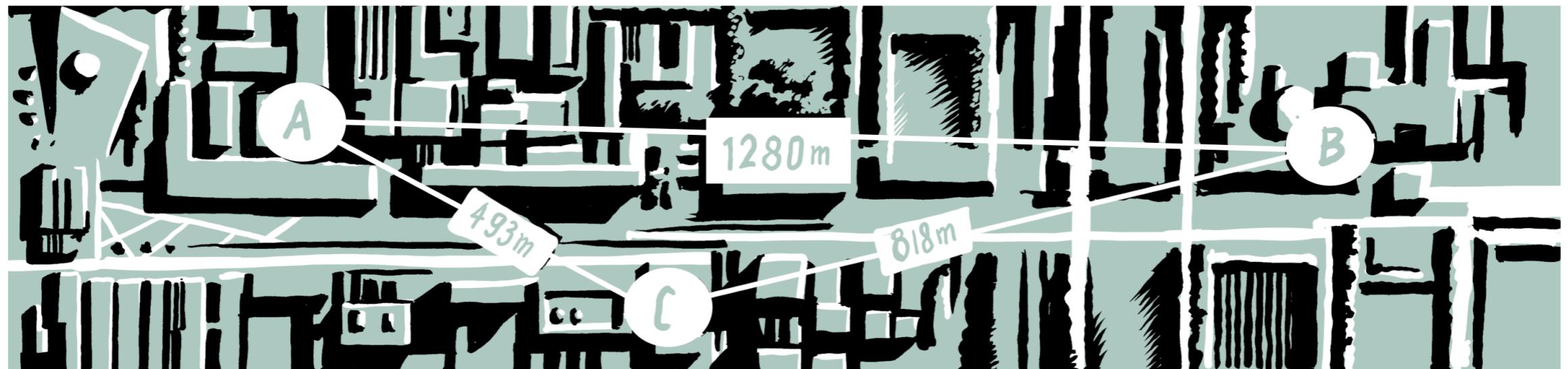
# Bell's inequality by counting quantum measurements



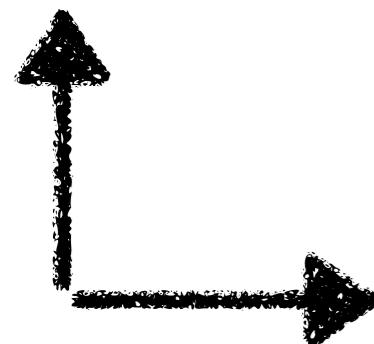
$$N(A+, B-) < N(A+, C-) + N(B-, C+)$$

$$\frac{1}{4} < \frac{(2 - \sqrt{2})}{4} \dots \text{NOT :}$$

# The experiment's 1.2 km distance closes the locality loophole



$$\begin{array}{c} x = -1 \text{ or } +1 \\ \uparrow \\ \boxed{A} \\ \uparrow \\ a = 0 \text{ or } 1 \end{array}$$

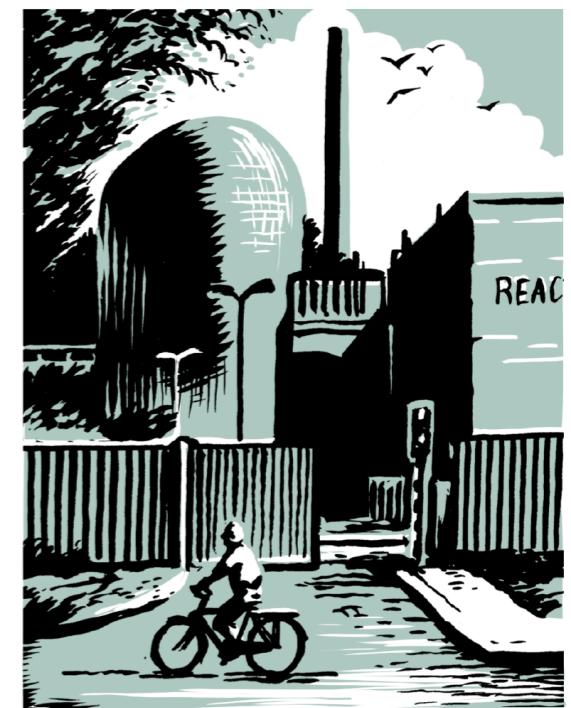


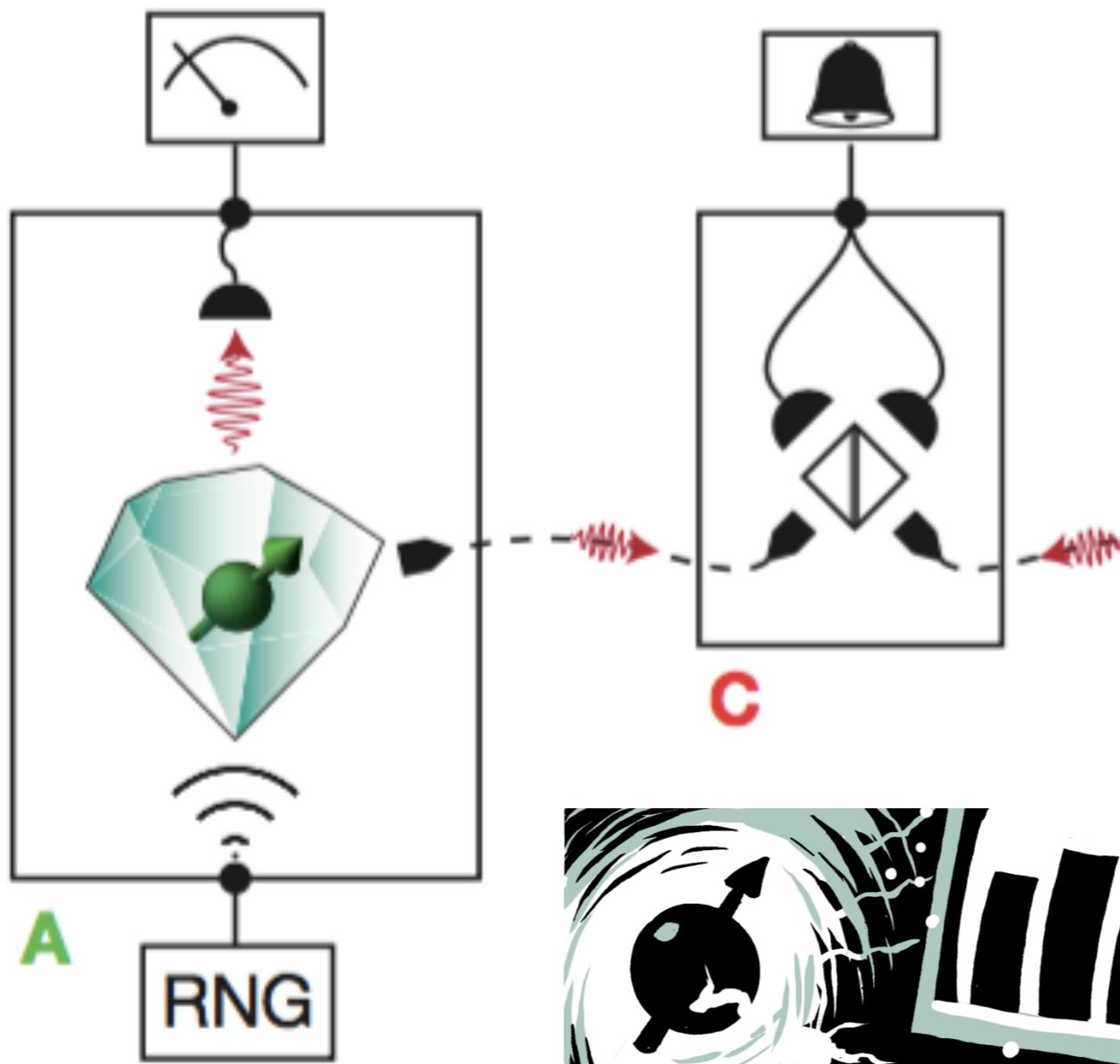
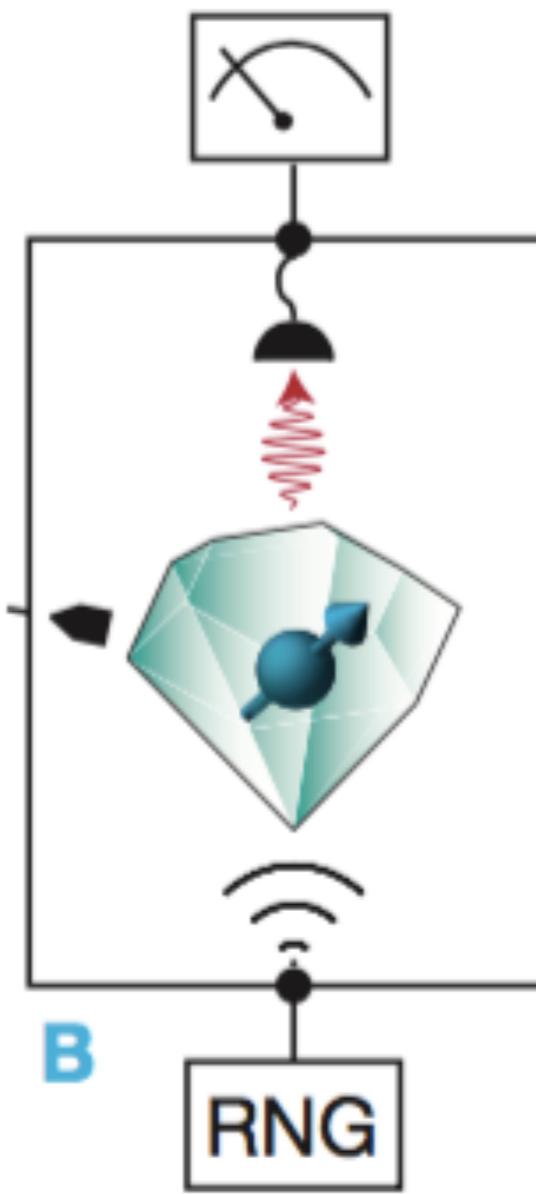
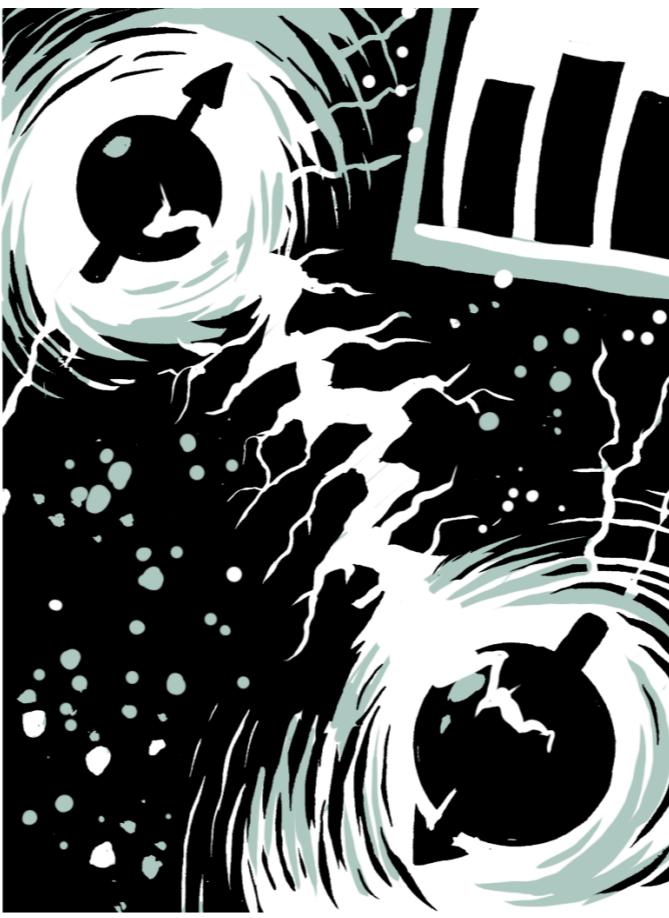
Yes/no  
↑  
Ready?

$$\begin{array}{c} y = -1 \text{ or } +1 \\ \uparrow \\ \boxed{B} \\ \uparrow \\ b = 0 \text{ or } 1 \end{array}$$

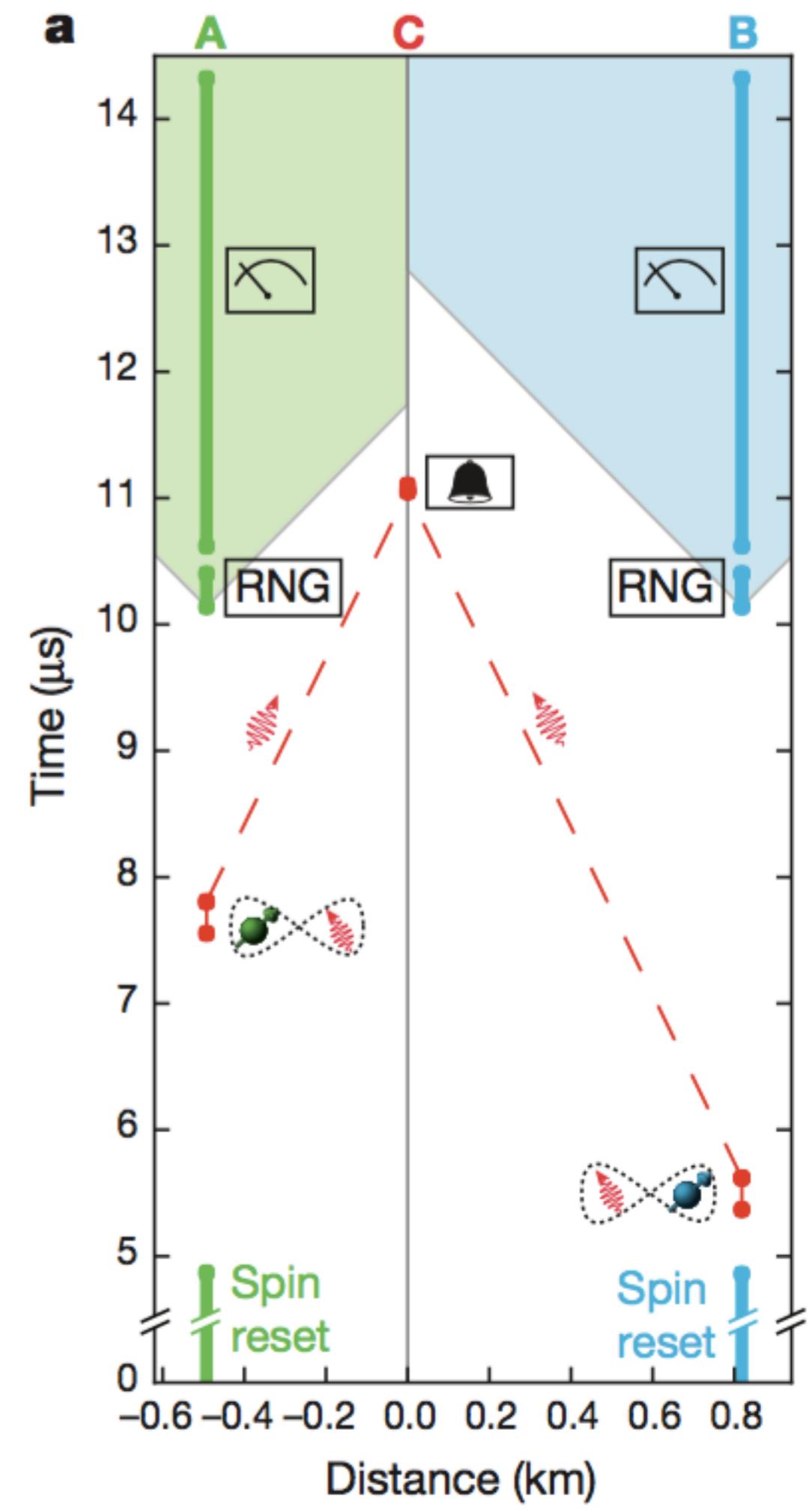
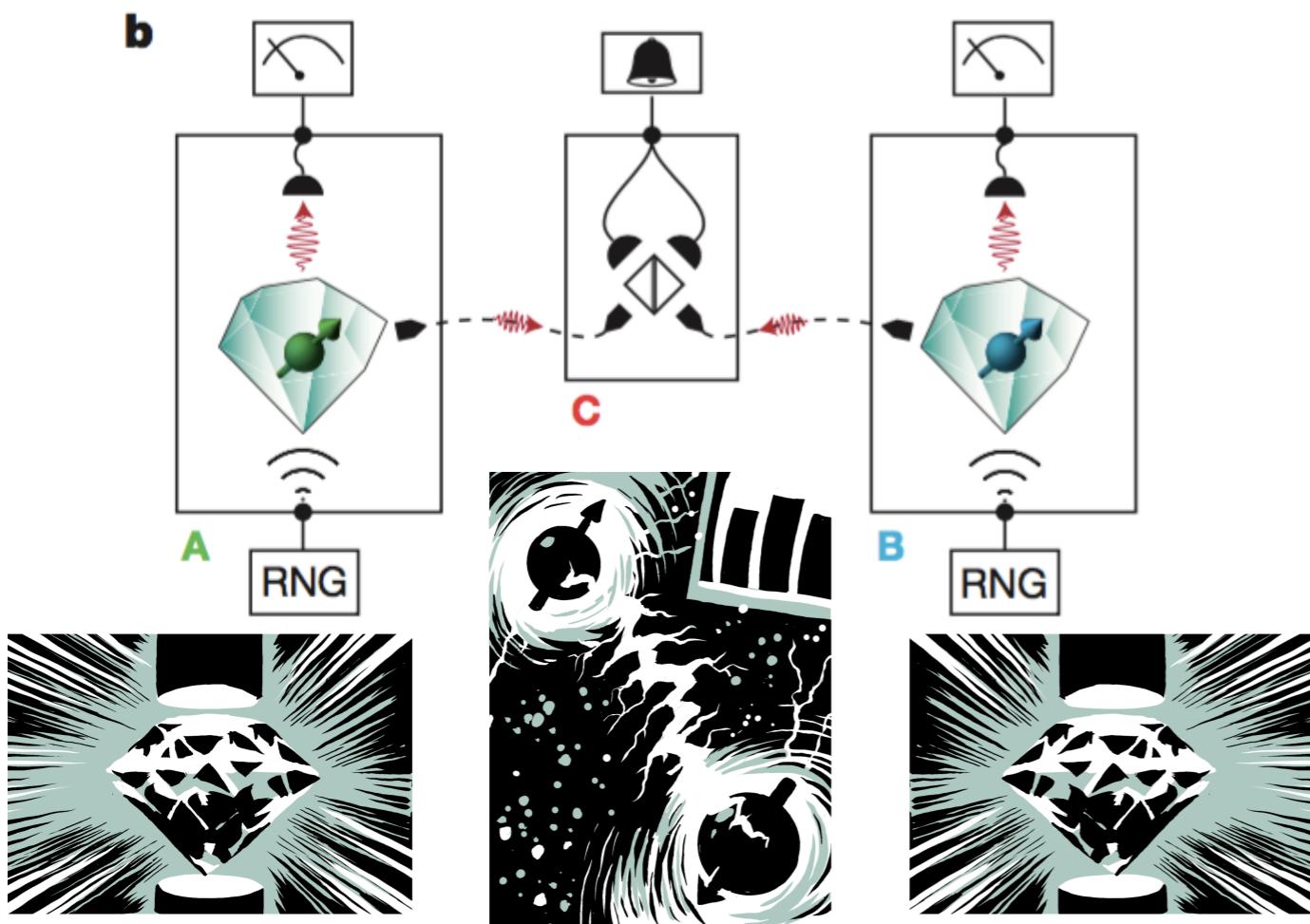


$$S = \left| \langle x \cdot y \rangle_{(0,0)} + \langle x \cdot y \rangle_{(0,1)} + \langle x \cdot y \rangle_{(1,0)} - \langle x \cdot y \rangle_{(1,1)} \right| \leq 2$$

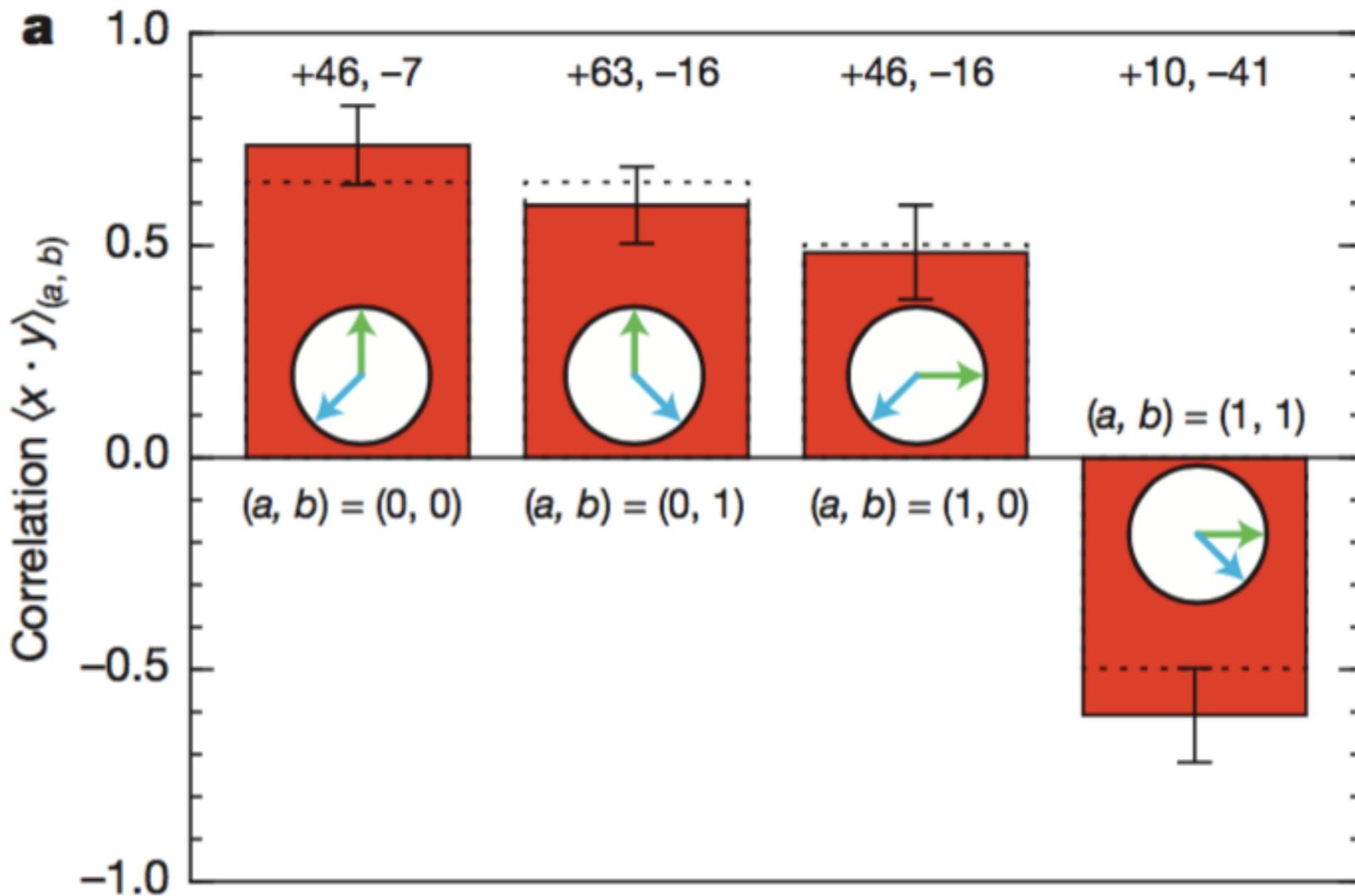


**b****C****B**

# Timeline of the measurement

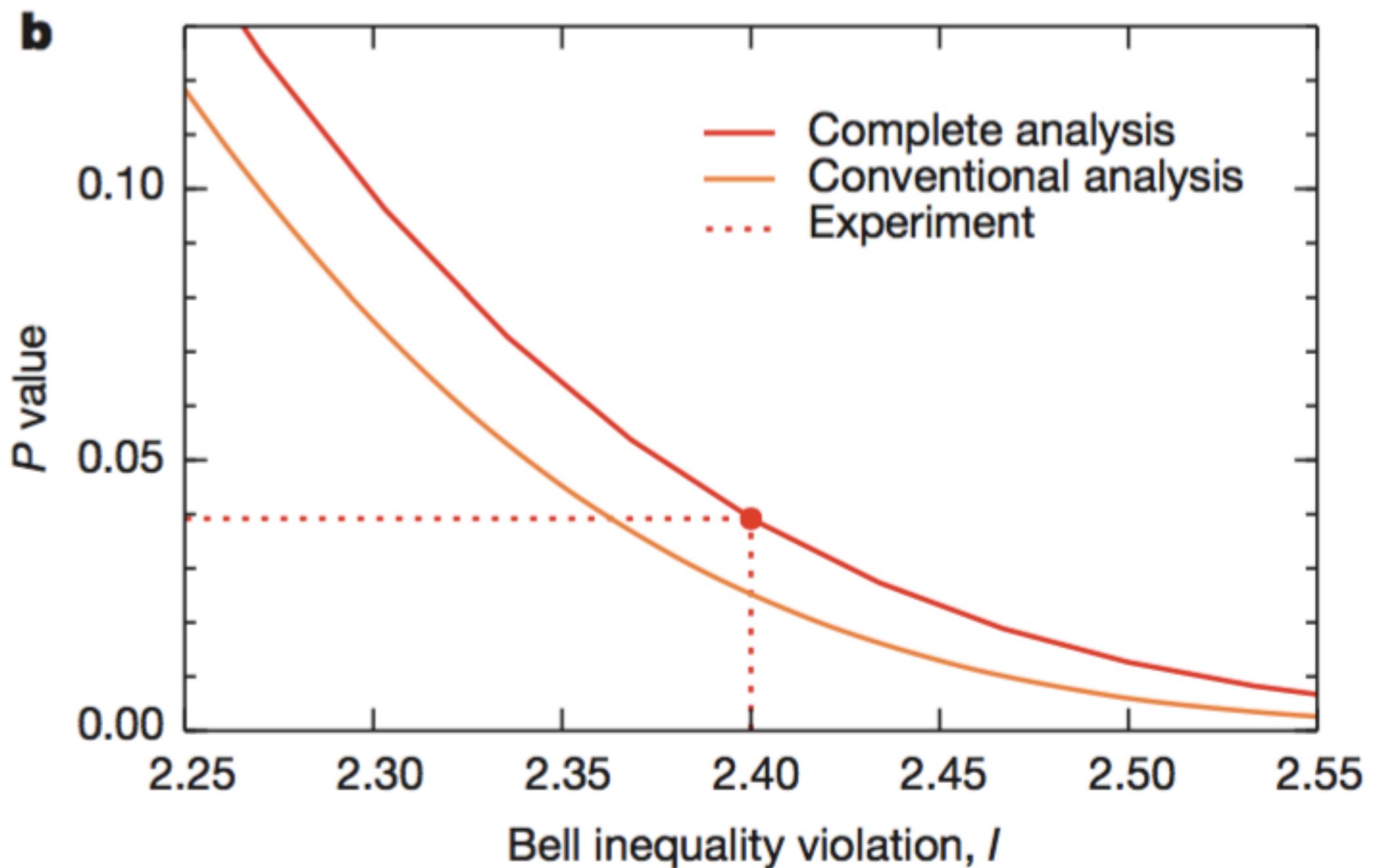


# The results break the Bell inequality



$$\frac{46 - 7}{46 + 7} + \frac{63 - 16}{63 + 16} + \frac{46 - 16}{46 + 16} - \frac{10 - 41}{10 + 41} = 2.4 > 2$$

# And it is significant



# The ideas for future work

Increasing distance

Theories with increased speed

Different random agents

Free will characters

Repositioning RNG

Freedom of choice

