

## Lab 3

## Questions

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1. What will this code output? (First predict, then check!)
  for i in range(2,14,3):
     print(i)
   Access this code here
2. What will this code output? (First predict, then check!)
  number = 0
  total_sum = 0
  print("Starting the loop now!")
  while not number == 0:
     number = float(input("Enter a number:
     if number == 0:
      break
     total_sum += number
  print(total_sum)
   What will the output be if the user enters (3,5,10,0,4,6)
   Access this code here
3. What is wrong with the following program?
  number = 0
   while number < 100:
     if number % 2:
       continue
    print(number)
    number = number + 1
   Access this code here
4. Rewrite the following code fragment using a break statement and eliminating the done variable. Your code should
  behave identically to this code fragment.
  done = False
  n = 0
  m = 100
  while not done and n != m:
    n = int(input())
    if n < 0:
       done = True
      print("n =", n)
   Access this code here
5. Rewrite the following code fragment so it eliminates the continue statement.
  x=5
   while x > 0:
     y = int(input())
     if y == 25:
```

## Writing Programs

continue
x -= 1

print("x =", x)
Access this code here

1. Rewrite the program from #1 of the section above using a while loop instead of a for loop



- 2. One way to approximate the value of  $\pi$  is to find a series which is known to converge to  $\pi$  and calculate a numerical value. For example: the series:  $1 \frac{1}{3} + \frac{1}{5} \frac{1}{7} + \frac{1}{9} \dots$  is known to converge to exactly  $\frac{\pi}{4}$ . Write a program which does the following:
  - (a) Have the user decide how many terms to include in the series
  - (b) Add together all of those terms
  - (c) Multiply the result by 4 to get an estimate of  $\pi$  and print this value
- 3. Write a program to ask the user to enter the digits of a binary number, one at a time, and then convert it to a decimal. The user keeps entering in digits until they enter one that is not either 1 or 0. To convert to a binary, multiply the first digit entered by 2<sup>0</sup>, the second digit by 2<sup>1</sup>, the third digit by 2<sup>2</sup> etc and then add all of the numbers together.

Example: if the user enters "1", then "0", then "1", then "1": the decimal result is:  $(1)(2^0) + (0)(2^1) + (1)(2^2) + (1)(2^3) = 13$