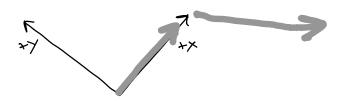
$$E_{x}$$
: Speed = 15 $\frac{m}{s}$

$$\vec{\nabla} = \langle 15, 0 \rangle \stackrel{\text{M}}{\leq}$$

That's fine, but then every vector must be measured that way



Usually: + x is heritantal to right
ty is vertical to up

$$|\vec{\gamma}| = /S \stackrel{m}{\leq} , \text{ want } V_x, V_y$$

$$|\vec{\gamma}| = \langle V_x, V_y \rangle$$

$$|\vec{\gamma}| = \langle V_x, V_y \rangle$$

$$\overrightarrow{V} = \langle V_{\times}, V_{\gamma} \rangle$$

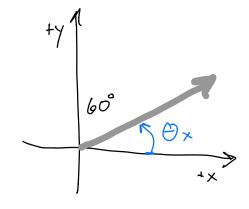
$$\overrightarrow{V} = |\overrightarrow{V}| \stackrel{\wedge}{V} = (15 \frac{m}{5}) \stackrel{\wedge}{V}$$

What is
$$\sqrt[4]{?} \hat{V} = (\cos \theta_x, \cos \theta_y)$$

We're given an angle: 60° but is that 0x?

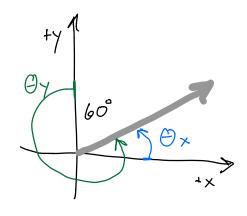
What is Ox?

-The angle measured CCW from +X



What is Dy?

-The angle measured CCW from +X



$$G_{x} + 60^{\circ} = 90^{\circ}$$

$$G_{x} = 30^{\circ}$$

$$G_{y} + 60^{\circ} = 36^{\circ}$$

$$G_{y} = 30^{\circ}$$

$$\hat{V} = (\cos(30^\circ), \cos(30^\circ))$$

$$\hat{C}_{y} = \hat{C}_{x} - 90^\circ$$

$$= \hat{C}_{x} - \frac{\pi}{2}$$

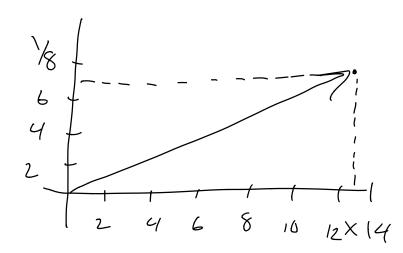
$$30^{\circ} - 90^{\circ} = -60^{\circ} + 360^{\circ} = 300^{\circ}$$

$$\hat{V} = \langle 0.866..., 0.5 \rangle$$

$$\vec{V} = 15 \frac{m}{5} (.866, .5)$$

$$\vec{\nabla} = \langle 13, 7.5 \rangle \mathcal{Z}$$

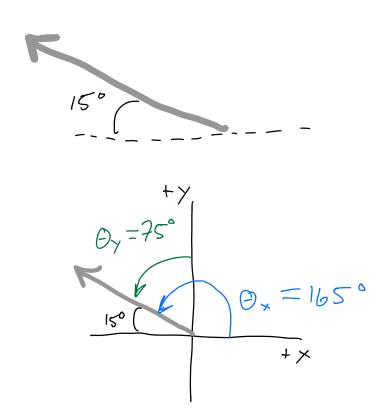
Check:



Ex: A ball travels to the left

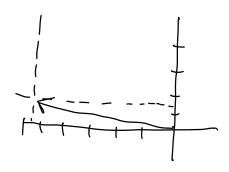
+ makes an angle of 15°

What 15 p?



$$\hat{P} = \langle -0.97, 0.26, 0 \rangle$$

$$\bar{p} = \langle -11.6, 3.1, 0 \rangle \frac{\text{kg m}}{\text{S}}$$



In 3D, this becomes

$$\stackrel{\wedge}{\Gamma} = \langle \cos \Theta_{x}, \cos \Theta_{y}, \cos \Theta_{z} \rangle$$

- I will never have you draw a SD vector

- I will give you there angles directly

Now let's go the reverse direction Given
$$\hat{V} = (V_x, V_y)$$
, tell me $|\hat{V}|$ and $|\hat{O}|_{x}$, $|\hat{O}|_{y}$

Example:
$$\dot{r} = \langle -15, 25 \rangle m$$

$$|\dot{r}| = ?$$

$$\Theta_{x} = ?$$

$$O_{y} = ?$$

$$|\dot{r}| = \sqrt{(-15)^{2} + (25)^{2}} = 29,15 m$$

$$G_{x} \neq O_{y} ?$$

$$r = |r|^{2}$$
 $r = |r|^{2}$
 $r =$

$$\hat{r} = \langle -0.51, 0.86 \rangle$$
AND

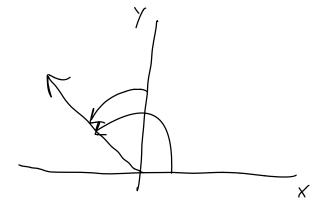
$$\hat{\Gamma} = (\cos \Theta_{x}, \cos \Theta_{y})$$

$$(-.51, .86) = (\cos \Theta_x, \cos \Theta_y)$$

$$\cos S \Theta_{X} = -.5($$

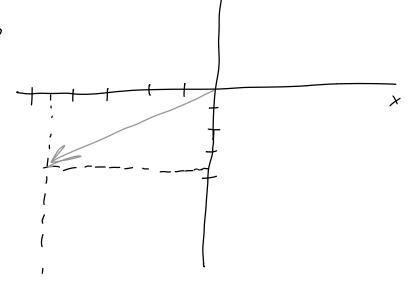
$$G_{\times} = \cos^{-1}(-,51) = 121^{\circ}$$

$$G_{y} = cos'(.86) = 31° = G_{x}-90°$$



$$\hat{F} = (-9600, -7400) N$$

$$\theta_{x} = ?$$

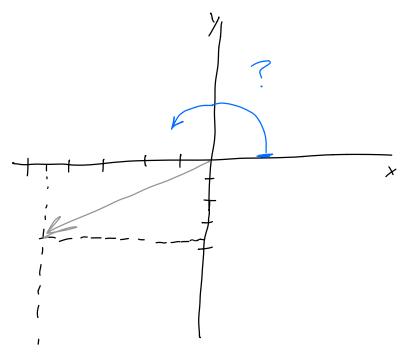


$$\hat{F} = \frac{1}{|\hat{F}|} = \frac{1}{|2|2/1} \left(-96\omega, 74\omega \right)$$

$$\hat{F} = \left(-0.79, -0.61 \right)$$

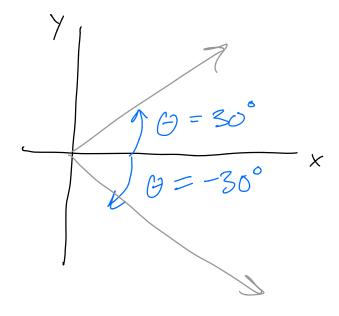
$$(-0.79, -0.61) = (\cos \theta_{x}, \cos \theta_{y})$$

$$C)_{\times} = \cos^{-1}(-0.79) = 142.4^{\circ}$$
 142° is in quad II



$$Recall: cos(G) = cos(-G)$$

$$cos(G) = cos(-\omega)$$



COS is the Same CCW as CW

$$\cos^{-1}(-0.79) = 142.4^{\circ}$$

means ± 142.4°

t: ccw

- : Cw

IF in guad 3 or 4, talk -

We are in 2 and 3

SO $\Theta_{x} = -142.4^{\circ}$ $G_{x} + 360^{\circ} = 217.6^{\circ}$

$$G_{\gamma} = G_{x} - 90^{\circ}$$

$$= 217.6^{\circ} - 90^{\circ}$$
 $G_{\gamma} = 127.6^{\circ}$