

Core concepts:

charges create fields,

fields apply force on other charges

Electric field ( $\vec{E}$ )

$$\vec{E} = \frac{1}{4\pi\epsilon_0} \frac{q}{r^2} \hat{r}, \quad \vec{F} = q\vec{E}$$

Magnetic Field

$$\vec{B} = \frac{\mu_0}{4\pi} \frac{q\vec{v} \times \hat{r}}{r^2}, \quad \vec{F} = q\vec{v} \times \vec{B}$$

What to know:

Ch 13

- Definition of  $\vec{E}$

$$\vec{E} = \frac{\vec{F}}{q}$$

Direction of  $\vec{E}$ ?

Direction of  $\vec{F}$ ?

- Field of a point chg  
+ Superposition

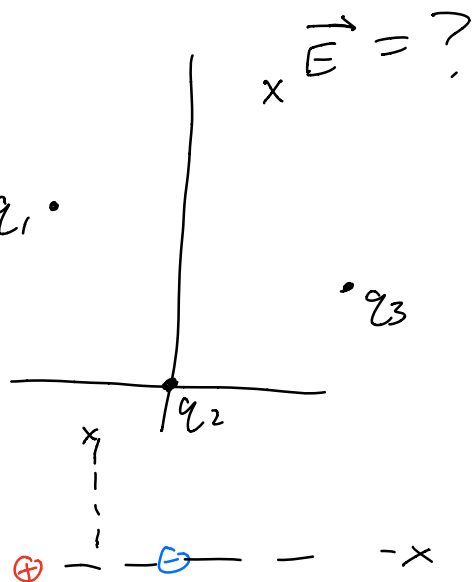
$$\vec{E} = \frac{1}{4\pi\epsilon_0} \frac{q}{r^2} \hat{r}, \quad \vec{r} = \vec{r}_{\text{obs}} - \vec{r}_{\text{src}}$$

$$\vec{E} = \vec{E}_1 + \vec{E}_2 + \vec{E}_3 + \dots \quad q_1 \cdot$$

↑  
Vector sum!

Dipoles)  $E_{\text{axis}} \approx \frac{1}{4\pi\epsilon_0} \frac{2p}{r^3}$

$$E_{\text{perp}} \approx \frac{1}{4\pi\epsilon_0} \frac{p}{r^3}$$



## Ch 14

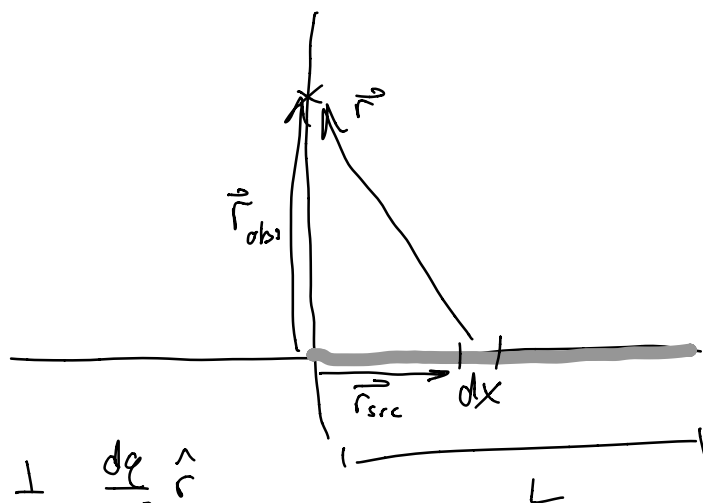
### Conceptual

- How do charges behave on conductors & insulators?
- How to charge insulators & conductors?  
dischg
- Static equilibrium in conductor  
( $\vec{E}_{\text{net}} = 0$ )

	Insulators	Conductors
Mobile Chgs	No	Yes
Location of excess chg	Anywhere	Surface
Spreading of excess chg	None	Uniformly on surface
$\vec{E}_{\text{net}}$ inside	Can be anything	0, in equilibrium
Polarization	Induced dipoles ( $p = \alpha E$ )	Moving charges $\vec{v} = u \vec{E}$

## Ch 15

### Extension of superposition principle



$$d\vec{E} = \frac{1}{4\pi\epsilon_0} \frac{dq}{r^2} \hat{r}$$

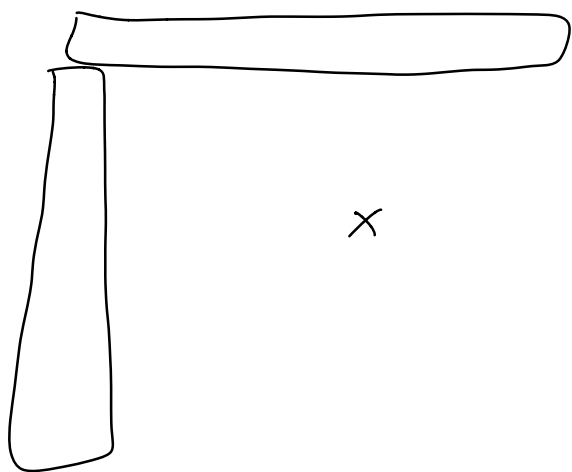
$$dq = \frac{Q}{L} dx$$

$$\vec{r}_{src} = \langle x, 0, 0 \rangle$$

$$\vec{r}_{obs} = \langle 0, y, 0 \rangle$$

$$\vec{E} = \frac{1}{4\pi\epsilon_0} \frac{Q}{L} \int_0^L \frac{dx}{(x^2 + y^2)^{3/2}} \langle -x, y, 0 \rangle$$

- Be able to derive charged rod/ring (integral form)
- Use superposition with chg distributions



## Ch 16

- Be able to calculate potential difference given  $\vec{E}$

$$\Delta V = -\vec{E} \cdot \Delta \vec{r}$$

$$\Delta V = -\int \vec{E} \cdot d\vec{r}, \text{ path independence}$$

$$\Delta V_{\text{closed}} = 0$$

- Know the connection between  $\Delta V$ ,  $\Delta U$ ,  $\Delta K$

$$\Delta K = -\Delta U$$

$$\Delta U = q \Delta V$$

P 7 on exam I!

+ chgs want to move from higher to lower  $V$

- chgs, opposite

$V$  of a pt chg

$$V(r) = \frac{1}{4\pi\epsilon_0} \frac{q}{r}$$

Superposition, etc

## Ch 17

$$\vec{B} = \frac{\mu_0}{4\pi} \frac{q\vec{v} \times \hat{r}}{r^2}$$

$$d\vec{B} = \frac{\mu_0}{4\pi} \frac{I d\vec{\ell} \times \hat{r}}{r^2}$$

$$\vec{B} = \frac{\mu_0 I}{4\pi} \int \frac{d\vec{\ell} \times \hat{r}}{r^2}$$

$$\vec{r} = \vec{r}_{\text{obs}} - \vec{r}_{\text{src}}$$

$d\vec{\ell}$  in direction of  $I$

Know the difference & relationship  
between  $i$  &  $I$

$$i = nA\bar{v}$$

$$I = |q|i$$

## Ch 18

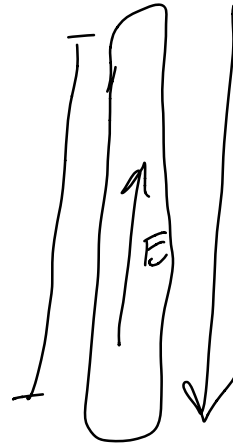
### Conceptual

- What is steady state?
- What do  $\vec{E}$ ,  $i$ ,  $\vec{v}$  look like in a wire during steady state?
- What is the source of steady state  $\vec{E}$ ?
- What is the function of the battery?

Use loop rule & node rule to find  
 $\vec{E}$  &  $i$  everywhere

$$\sum \Delta V = 0$$

$$i_{in} = i_{out}$$



$$\Delta V = EL$$



## Ch 19

Macroscopic circuit analysis

Be able to solve for  $I$  &  $\Delta V$  everywhere

Ohm's Law

$$I = \frac{\Delta V}{R}$$

$$R = \frac{L}{\sigma A}$$

$E_f$  Resistance

Series

$$\Delta V = \Delta V_1 + \Delta V_2 + \Delta V_3 \dots$$

$$I = I_1 = I_2 \dots$$

$$R_{eq} = R_1 + R_2 + R_3 \dots$$

Parallel

$$\Delta V = \Delta V_1 = \Delta V_2 \dots$$

$$I = I_1 + I_2 + I_3 \dots$$

$$\frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \dots$$

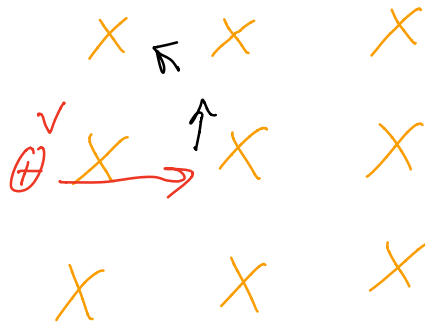
- internal resistance

Work with RC circuits

## Ch 20

$$\vec{F} = q\vec{v} \times \vec{B}$$

Force does no work, only deflects



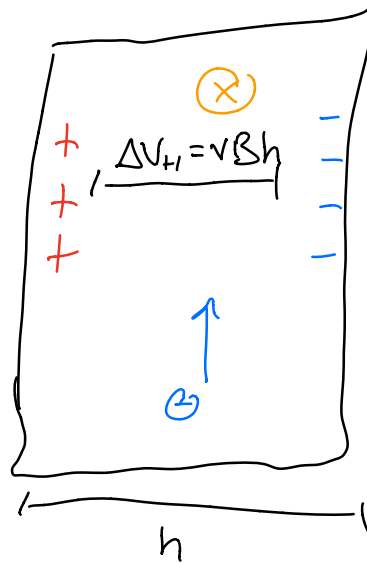
For a current

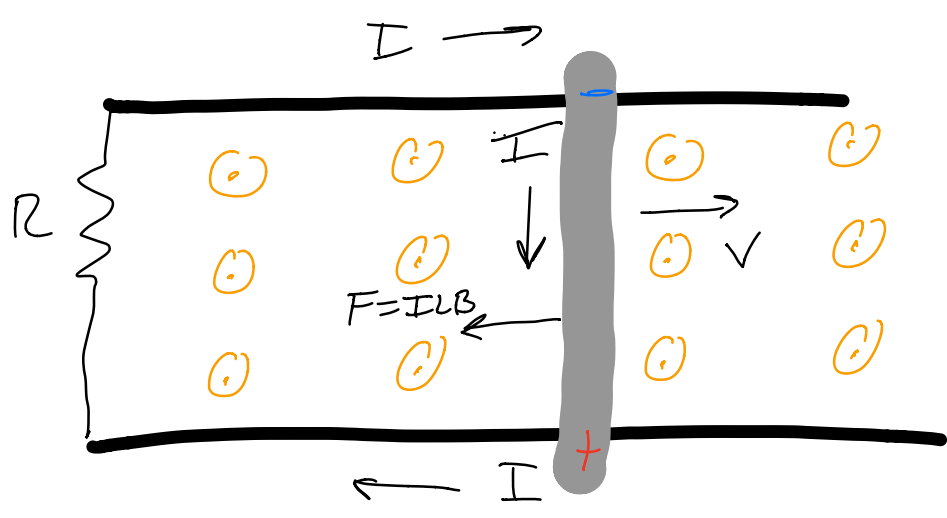
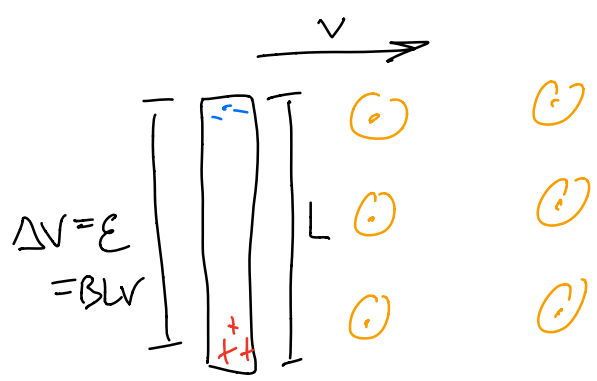
$$\Delta \vec{F} = I \Delta \vec{L} \times \vec{B}$$

In general

$$\vec{F} = q(\vec{E} + \vec{v} \times \vec{B})$$

- Hall effect
- motional emf



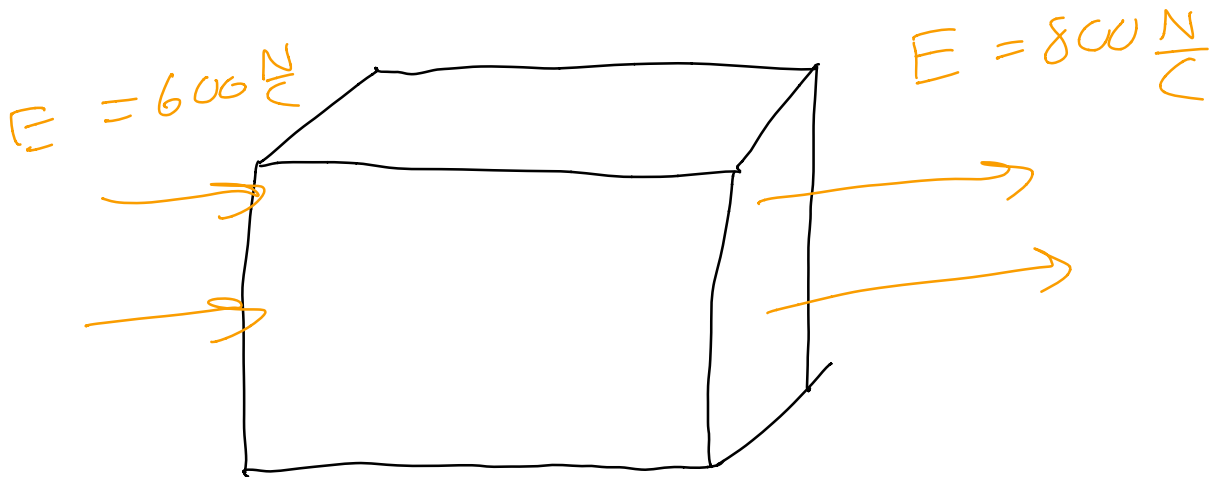


## Ch 21

→ Know electric flux

$$\Phi_E = \vec{E} \cdot \hat{n} \Delta A$$

$$= \int \vec{E} \cdot \hat{n} dA$$



Use Gauss' Law

$$\Phi_E = \frac{q_{\text{inside}}}{\epsilon_0}$$

Use symmetry to find  $\vec{E}$

$$\oint \vec{E} \cdot \hat{n} dA = E \int dA = E A$$

$$E A = \frac{Q_{\text{inside}}}{\epsilon_0}$$

Ch 22

- Changing  $\vec{B} \rightarrow \vec{E}$

$$\oint \vec{E} \cdot d\vec{\ell} = \mathcal{E} = - \frac{d\Phi_{\text{mag}}}{dt}$$

$$\begin{aligned} \Phi_{\text{mag}} &= \vec{B} \cdot \hat{n} \Delta A \\ &= \int \vec{B} \cdot \hat{n} dA \end{aligned}$$

Reminder!

Course Evals