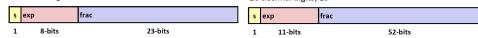
```
\frac{a \mid b = ^(a \& ^b)}{a \land b = (a \& ^b) \mid} (^a \& b)
```

float and double:

≈ 7 decimal digits, 10^{±38}

≈ 16 decimal digits, $10^{\pm308}$



Normalized value ($exp \neq 000...0$ and $exp \neq 111...1$)

E = Exp - Bias

Exp: unsigned value of exp field

Bias = $2^{k-1} - 1$, k = # of exponent bits. Single precision: 127 (Exp: 1...254, E: -126...127); Double precision: 1023 (Exp: 1...2046, E: -1022...1023) Frac = 1.xxx...x

Denormalized Value (exp = 000...0)

Exponent value: E = 1 - Bias (instead of E = 0 - Bias because smallest normalized value has Exp = 1, equispaced)

Frac = 0.xxx...x2

 $\exp = 000...0$, frac = 000...0 represents zero. There are also -0

Infinity: exp = 111...1, frac = 000...0**NaN**: exp = 111...1, $frac \neq 000...0$

Round To Even

Round to nearest 1/4 (2 bits right of binary point)

Value Binary	Rounded	Action	Rounded Value	
2 3/32	10.000112	10.002	(<1/2—down)	2
2 3/16	10.00 <mark>110</mark> 2	10.012	(>1/2—up)	2 1/4
2 7/8	10.11 <mark>100</mark> ₂	11.0 <mark>0</mark> 2	(1/2—up)	3
2 5/8	10.10 <mark>100</mark> ₂	10.1 <mark>0</mark> 2	(1/2—down)	2 1/2

Rounding

1.BBGRXXX

Guard bit: LSB of result

Sticky bit: OR of remaining bits

Round bit: 1st bit removed Round up conditions

- Round = 1, Sticky = 1 → > 0.5
- Guard = 1, Round = 1, Sticky = $0 \rightarrow Round to even$

Value Fraction GRS	Incr?	Round	ed
1281.0000000	000	N	1.000
15 1.1010000	100	N	1.101
17 1.0001000	010	N	1.000
19 1.0011000	110	Y	1.010
1381.0001010	011	Y	1.001
63 1 1111100	111	Y	10 000

x86-64 linux calling convention:

Integer parameters:

%rdi, %rsi, %rdx, %rcx, %r8 and %r9

Others are stored in stack, pushed in reversed (right-to-left) order

movb, movw, movl, movq

b = 1 byte, w = 2 bytes, l = 4 bytes, q = 8 bytes

CF Carry Flag (for unsigned)

ZF Zero Flag

OF Overflow Flag (for signed)

OF Overflow Flag (for signed)

Implicitly set (as side effect) of arithmetic operations (but not set by leaq instruction)

addq Src DestDest (t = a + b)

CF set if carry out from most significant bit (unsigned overflow)

 \mathbf{ZF} set if t = 0

SF set if t < 0 (as signed)

OF set if two's complement (signed) overflow

Rules for turning on the carry flag

- 1. The carry flag is set if the addition of two numbers causes a carry out of the most significant bits added.
 - 1111 + 0001 = 0000 (carry flag is turned on)
- 2. The carry (borrow) flag is also set if the subtraction of two numbers requires a borrow into the most significant (leftmost) bits subtracted 0000 0001 = 1111 (carry flag is turned on)

Rules for turning on the overflow flag

- 1. If the sum of two numbers with the sign bits off yields a result number with the sign bit on 0100+0100=1000 (overflow flag is turned on)
- 2. If the sum of two numbers with the sign bits on yields a result number with the sign bit off 1000 + 1000 = 0000 (overflow flag is turned on)

Note that different from above (1111 + 0001 = 0000), the result is correct even though CF is set

In unsigned arithmetic, use the carry flag In signed arithmetic, use the overflow flag

cmp Instruction

cmp b, a

Computes b - a (just like sub). Sets condition codes based on result, but **does not change** b

test instruction

test a, b

Computes $b \wedge a$ just like and. Sets condition codes (only SF and ZF) based on result, but **does not change b**

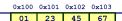
Most common use: test x, x

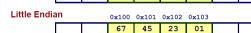
to compare x to zero

jХ	Condition	Description
jmp	1	Unconditional
je	ZF	Equal / Zero
jne	~ZF	Not Equal / Not Zero
js	SF	Negative
jns	~SF	Nonnegative
jg	~(SF^OF) &~ZF	Greater (Signed)
jge	~(SF^OF)	Greater or Equal (Signed)
j1	(SF^OF)	Less (Signed)
jle	(SF^OF) ZF	Less or Equal (Signed)
ja	~CF&~ZF	Above (unsigned)
jb	CF	Below (unsigned)

SetX	Condition	Description
sete	ZF	Equal / Zero
setne	~ZF	Not Equal / Not Zero
sets	SF	Negative
setns	~SF	Nonnegative
setg	~ (SF^OF) &~ZF	Greater (Signed)
setge	~ (SF^OF)	Greater or Equal (Signed)
setl	(SF^OF)	Less (Signed)
setle	(SF^OF) ZF	Less or Equal (Signed)
seta	~CF&~ZF	Above (unsigned)
setb	CF	Below (unsigned)

В	ig	E	nd	ia	n





Buffer overflow attacks

Stack Smashing Attacks: overwrite normal return address A with address of some other code S. When Q executes ret, will jump to other code Code Injection Attacks: input string contains byte representation of executable code, overwrite return address A with address of buffer B, when Q executes ret, will jump to exploit code

Measures

Avoid overflow vulnerabilities: strcpy -> strncpy

Employ system-level protections: Randomized stack offsets, Nonexecutable code segments

Have compiler use stack canaries

Return-Oriented Programming Attacks

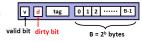
Work around stack randomization and marking stack nonexecutable

Does not overcome stack canaries

Cache Read E = 2° lines per set Check if any line in set has matching tag Yes + line valid: hit Locate data starting at offset Address of word: tbits s bits b bits tag set block index offset Valid bit B = 2° bytes per cache block (the data)

What about writes?

- Multiple copies of data exist:
 - L1, L2, L3, Main Memory, Disk



- What to do on a write-hit?
- Write-through (write immediately to memory)
- Write-back (defer write to memory until replacement of line)
 - Each cache line needs a dirty bit (set if data has been written to)
- What to do on a write-miss?
- Write-allocate (load into cache, update line in cache)
 - Good if more writes to the location will follow
- No-write-allocate (writes straight to memory, does not load into cache)
- Typical
 - Write-through + No-write-allocate
 - Write-back + Write-allocate

Practical Write-back Write-allocate

- A write to address X is issued
 If it is a hit valid
- valid bit dirty bit B = 2^b bytes
 - Update the contents of block
 - Set dirty bit to 1 (bit is sticky and only cleared on eviction)

■ If it is a miss

- Fetch block from memory (per a read miss)
- The perform the write operations (per a write hit)

■ If a line is evicted and dirty bit is set to 1

- The entire block of 2^b bytes are written back to memory
- Dirty bit is cleared (set to 0)
- Line is replaced by new contents