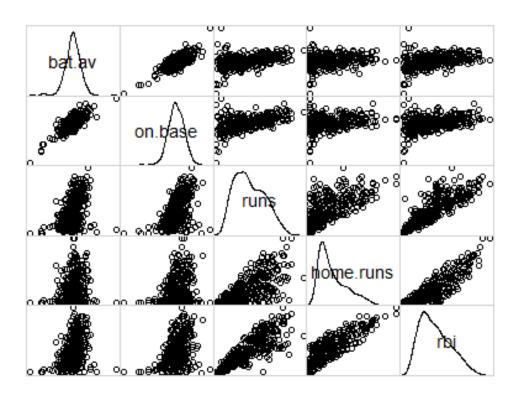
```
# Load dataset
setwd("C:/Users/TMICHAEL/Google Drive/00projects@tk563/baseball")
bball = read.csv("bball.csv")
head(bball)
## salary bat.av on.base runs hits doubles triples home.runs rbi walks
## 1 3300 0.272 0.302 69 153
                                  21
                                        4
                                             31 104
                                                     22
## 2 2600 0.269 0.335 58 111
                                  17
                                        2
                                             18 66 39
## 3 2500 0.249 0.337 54 115
                                  15
                                        1
                                             17 73
                                                     63
                                        7
## 4 2475 0.260 0.292 59 128
                                  22
                                             12 50 23
                                  28
                                        5
## 5 2313 0.273 0.346 87 169
                                              8 58 70
                                        2
## 6 2175 0.291 0.379 104 170
                                  32
                                              26 100 87
## strikes stolen errors free.elig free.agent arb.elig arb
       80
                 3
                             0
                                   0 0
## 1
            4
                       1
                 3
                                   0 0
## 2
       69
            0
                       1
                             1
## 3
                                   0 0
      116
           6
                      1
                              0
       64 21
                 21
                              0
                                    1 0
                        0
## 4
## 5
       53
           3
                 8
                       0
                             0
                                   1 0
       89 22
                       1
                              0
                                    0 0
## 6
          player
##
## 1 Andre Dawson
## 2 Steve Buchele
## 3 Kal Daniels
## 4 Shawon Dunston
## 5 Mark Grace
## 6 Ryne Sandberg
## Distributions of Independent Variables
library(corrgram)
# Vector of variable names
corrdat = c("bat.av", "on.base", "runs", "home.runs", "rbi")
```



corrgram(bball[, corrdat], panel = "panel.pts", diag.panel = "panel.density")

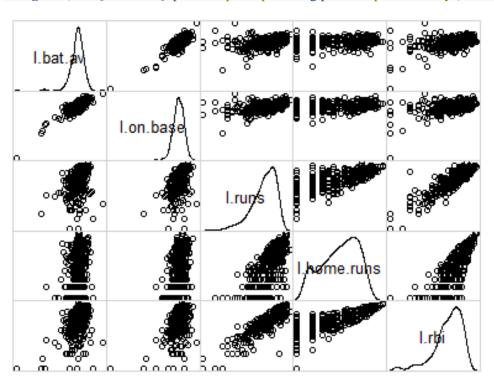
# Creates scatterplots of variables in corrdat

```
# Creating log variables in the dataset
bball[, 19:23] = c(log(bball$bat.av), log(bball$on.base), log(bball$runs), log(bball$home.runs),
log(bball$rbi))

# Assigning names to these variables
names(bball)[19:23] = c("l.bat.av", "l.on.base", "l.runs", "l.home.runs", "l.rbi")

# Vector of variable names
corrdat2 = c("l.bat.av", "l.on.base", "l.runs", "l.home.runs", "l.rbi")

# Creates Scatterplots
corrgram(bball[, corrdat2], panel = "panel.pts", diag.panel = "panel.density")
```



## # Covariance matrix cor(bball[,corrdat])

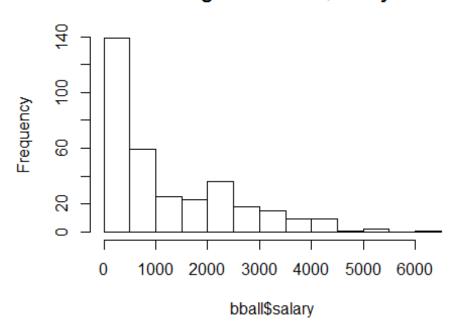
## rbi

## bat.av on.base runs home.runs rbi
## bat.av 1.0000000 0.8059576 0.4367424 0.2127320 0.3695426
## on.base 0.8059576 1.0000000 0.5135739 0.3112102 0.3994226
## runs 0.4367424 0.5135739 1.0000000 0.6810578 0.8334819
## home.runs 0.2127320 0.3112102 0.6810578 1.0000000 0.8773785

 $0.3695426\ 0.3994226\ 0.8334819\ 0.8773785\ 1.0000000$ 

# three most corrleated pairs of variables are home.runs & rbi, runs & rbi, bat.av & on.base

## Histogram of bball\$salary



#### **## Initial Model**

# denote all of the categorical predictors as factors

bball\$free.elig = **as.factor**(bball\$free.elig)

bball\$free.agent = **as.factor**(bball\$free.agent)

bball\$arb.elig = as.factor(bball\$arb.elig)

bball\$arb = as.factor(bball\$arb)

## # fit a multiple linear regression model

 $bball.lm = \\lm(salary \sim free.elig + free.agent + arb.elig + arb + bat.av + on.base + runs + home.runs + rbi, \\data = bball)$ 

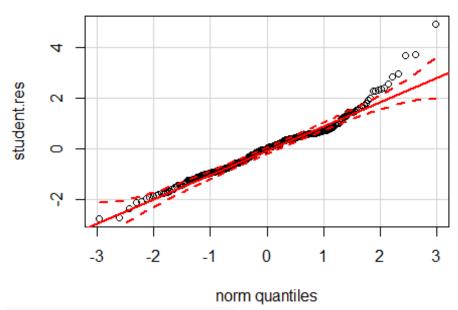
# MLR model diagnostics: error distribution 1) normality, 2) homogeneous variance

## **library**(MASS)

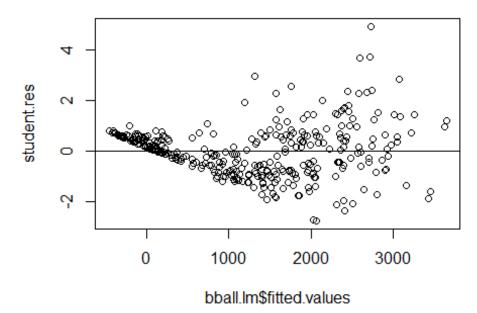
student.res = **studres**(bball.lm)

library(car)

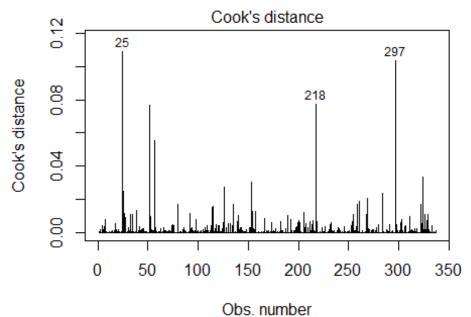
qqPlot(student.res)



plot(bball.lm\$fitted.values,student.res)
abline(0,0)



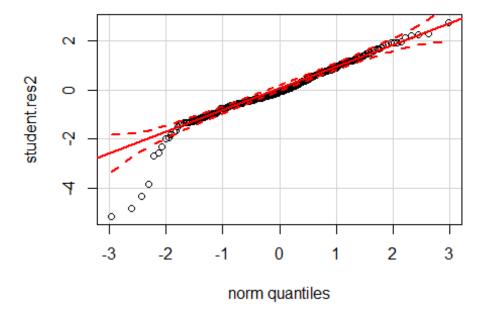
# Store Cook's distances for every observation in a vector
cooks\_d = cooks.distance(bball.lm)
# Creates plot of Cook's distances
cutoff=1
plot(bball.lm, which=4, cook.levels=cutoff)



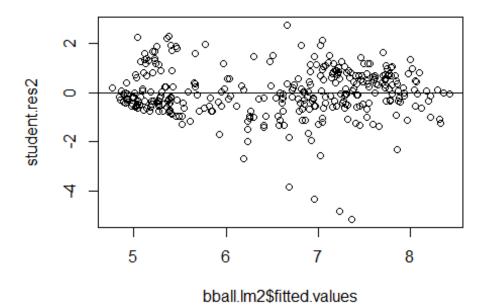
lm(salary ~ free.elig + free.agent + arb.elig + arb + bat.av + on.base +

## ## New Model

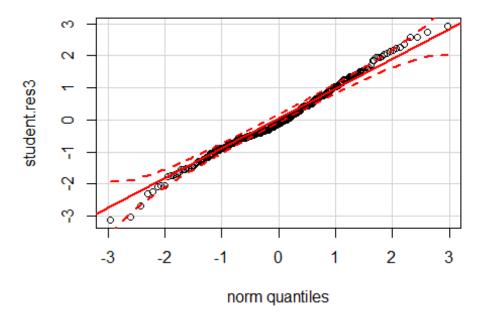
library(MASS)
student.res2 =studres(bball.lm2)
library(car)
qqPlot(student.res2)



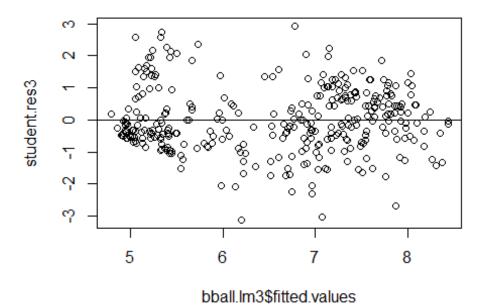
plot(bball.lm2\$fitted.values,student.res2)
abline(0,0)



```
# Determines which observations have large residuals
outliers=which(abs(student.res2)>3)
outliers # Both rows are the observation numbers of the outliers
## 205 268 284 322
## 205 268 284 322
bball$salary[outliers] # Salary of outliers
## [1] 109 109 109 109
# Determines observations we want to include
not_outlier = which(abs(student.res2) <= 3)</pre>
# Subset option allows only a subset of the data to be analyzed
bball.lm3 = lm(log(salary) \sim free.elig + free.agent + arb.elig + arb + bat.av +
  on.base + runs + home.runs + rbi, data = bball, subset = not_outlier)
library(MASS)
student.res3 = studres(bball.lm3)
library(car)
qqPlot(student.res3)
```



# plot(bball.lm3\$fitted.values, student.res3) abline(0, 0)



## ## Examine the Model w/o outliers, w/ log transform of the response

```
summary(bball.lm3)
##
## Call:
## lm(formula = log(salary) ~ free.elig + free.agent + arb.elig +
##
     arb + bat.av + on.base + runs + home.runs + rbi, data = bball,
##
     subset = not_outlier)
##
## Residuals:
      Min
              1Q Median
                                     Max
##
                              3Q
## -1.42021 -0.27859 -0.06005 0.31637 1.36010
##
## Coefficients:
##
           Estimate Std. Error t value Pr(>|t|)
## (Intercept) 5.002368 0.198839 25.158 < 2e-16 ***
```

```
## free.elig1 1.730249 0.072302 23.931 < 2e-16 ***
## arb.elig1 1.405013 0.080562 17.440 < 2e-16 ***
## arb1
           -0.142809 0.165768 -0.861 0.389602
            0.464908 1.201726 0.387 0.699110
## bat.av
## on.base
            -0.783290 1.033402 -0.758 0.449020
           0.008787  0.001847  4.757  2.96e-06 ***
## runs
## home.runs -0.008491 0.006400 -1.327 0.185588
          0.009999  0.002673  3.740  0.000217 ***
## rbi
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.4785 on 323 degrees of freedom
## Multiple R-squared: 0.8361, Adjusted R-squared: 0.8316
## F-statistic: 183.1 on 9 and 323 DF, p-value: < 2.2e-16
vif(bball.lm3)
## free.elig free.agent arb.elig
                                 arb
                                      bat.av on.base
   1.814218 1.328492 1.465419 1.164046 3.284002 3.472249
##
      runs home.runs
                         rbi
   4.193382 5.139175 9.082227
summary(bball.lm3, correlation=TRUE)
##
## Call:
## lm(formula = log(salary) ~ free.elig + free.agent + arb.elig +
##
     arb + bat.av + on.base + runs + home.runs + rbi, data = bball,
##
     subset = not outlier)
##
## Residuals:
     Min
             1Q Median
                            3Q
##
                                  Max
## -1.42021 -0.27859 -0.06005 0.31637 1.36010
##
## Coefficients:
##
          Estimate Std. Error t value Pr(>|t|)
## (Intercept) 5.002368 0.198839 25.158 < 2e-16 ***
## free.elig1 1.730249 0.072302 23.931 < 2e-16 ***
## free.agent1 -0.271726  0.095059 -2.859  0.004533 **
## arb.elig1 1.405013 0.080562 17.440 < 2e-16 ***
## arb1
           ## bat.av
            0.464908 1.201726 0.387 0.699110
## on.base
            -0.783290 1.033402 -0.758 0.449020
## runs
           0.008787  0.001847  4.757  2.96e-06 ***
## home.runs -0.008491 0.006400 -1.327 0.185588
           0.009999  0.002673  3.740  0.000217 ***
## rbi
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.4785 on 323 degrees of freedom
## Multiple R-squared: 0.8361, Adjusted R-squared: 0.8316
## F-statistic: 183.1 on 9 and 323 DF, p-value: < 2.2e-16
##
## Correlation of Coefficients:
         (Intercept) free.elig1 free.agent1 arb.elig1 arb1 bat.av
## free.elig1 -0.05
```

```
## free.agent1 -0.07
                     -0.45
## arb.elig1 -0.10
                     0.39
                            -0.03
## arb1
            0.02
                    0.03
                           -0.01
                                    -0.29
                                           -0.02
## bat.av
           -0.22
                    0.11
                            -0.02
                                    -0.04
## on.base
            -0.42
                     -0.10
                                     0.07
                                             0.02 - 0.78
                             0.05
## runs
           0.24
                   -0.15
                            0.11
                                    -0.07
                                           -0.08 \ 0.07
## home.runs -0.03
                      -0.05
                                              0.02 0.28
                               0.15
                                       0.09
## rbi
          -0.02
                   -0.04
                           -0.11
                                   -0.13
                                           0.01 - 0.26
##
         on.base runs home.runs
## free.elig1
## free.agent1
## arb.elig1
## arb1
## bat.av
## on.base
## runs
           -0.27
## home.runs -0.19 0.19
## rbi
          0.21 -0.62 -0.78
# Keep track of sums of squares
anova(bball.lm3)
## Analysis of Variance Table
##
## Response: log(salary)
##
         Df Sum Sq Mean Sq F value Pr(>F)
## free.elig 1 178.890 178.890 781.2627 < 2.2e-16 ***
## free.agent 1 6.668 6.668 29.1200 1.319e-07 ***
## arb.elig 1 137.247 137.247 599.3972 < 2.2e-16 ***
## arb
           1 0.047 0.047 0.2043 0.6515463
## bat.av
            1 8.553 8.553 37.3531 2.837e-09 ***
## on.base
           1 0.957 0.957 4.1786 0.0417472 *
           1 40.302 40.302 176.0104 < 2.2e-16 ***
## runs
## home.runs 1 1.517 1.517 6.6247 0.0105028 *
## rbi
          1 3.203 3.203 13.9904 0.0002174 ***
## Residuals 323 73.959 0.229
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Reduced Model w/o home.runs and bat.av
summary(bball.lm3b) # on.base NOT stat significant
##
## Call:
## lm(formula = log(salary) ~ free.elig + free.agent + arb.elig +
     arb + on.base + runs + rbi, data = bball, subset = not outlier)
##
##
## Residuals:
##
             1Q Median
                            3Q
     Min
                                  Max
## -1.40839 -0.28611 -0.07282 0.32843 1.31939
##
## Coefficients:
##
          Estimate Std. Error t value Pr(>|t|)
## (Intercept) 5.029440 0.193968 25.929 < 2e-16 ***
## free.elig1 1.718820 0.071711 23.969 < 2e-16 ***
```

```
## arb.elig1 1.418965 0.080095 17.716 < 2e-16 ***
## arb1
          -0.134440 0.165754 -0.811 0.41791
## on.base
           -0.437039  0.650805  -0.672  0.50236
          ## runs
## rbi
          ## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.4788 on 325 degrees of freedom
## Multiple R-squared: 0.8349, Adjusted R-squared: 0.8314
## F-statistic: 234.8 on 7 and 325 DF, p-value: < 2.2e-16
vif(bball.lm3b) # on.base went from 3.45 to 1.38
## free.elig free.agent arb.elig
                              arb on.base
   1.782640 1.294851 1.446796 1.162518 1.375549 4.038075
##
      rbi
## 3.495335
# Determines observations we want to include
not outlier = which(abs(student.res2) <= 3)
# Reduced model w/o bat.av, home.runs, on.base
bball.lm4 = lm(log(salary)) \sim free.elig + free.agent + arb.elig + arb + runs +
  rbi, data = bball, subset = not_outlier)
summary(bball.lm4)
##
## Call:
## lm(formula = log(salary) \sim free.elig + free.agent + arb.elig +
    arb + runs + rbi, data = bball, subset = not outlier)
##
## Residuals:
##
    Min
           1Q Median
                        3Q Max
## -1.4357 -0.2888 -0.0740 0.3298 1.3109
##
## Coefficients:
##
         Estimate Std. Error t value Pr(>|t|)
## (Intercept) 4.904044 0.052446 93.506 < 2e-16 ***
## free.elig1 1.717885 0.071637 23.980 < 2e-16 ***
## arb.elig1 1.422050 0.079895 17.799 < 2e-16 ***
## arb1
          -0.134232  0.165614  -0.811  0.41824
## runs
          ## rbi
          ## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.4784 on 326 degrees of freedom
## Multiple R-squared: 0.8347, Adjusted R-squared: 0.8317
## F-statistic: 274.4 on 6 and 326 DF, p-value: < 2.2e-16
vif(bball.lm4)
## free.elig free.agent arb.elig
                              arb
                                            rbi
                                     runs
## 1.781968 1.291550 1.442037 1.162514 3.551075 3.483123
anova(bball.lm4)
```

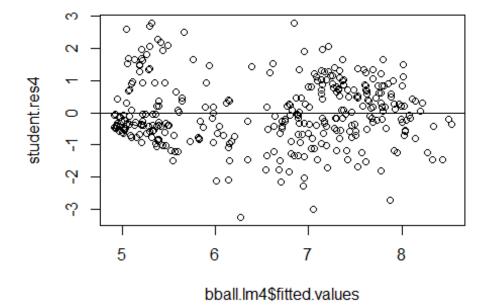
```
## Analysis of Variance Table
##
## Response: log(salary)
         Df Sum Sq Mean Sq F value Pr(>F)
## free.elig 1 178.890 178.890 781.6841 < 2.2e-16 ***
## free.agent 1 6.668 6.668 29.1357 1.301e-07 ***
## arb.elig 1 137.247 137.247 599.7205 < 2.2e-16 ***
## arb
           1 0.047 0.047 0.2044 0.6515
           1 49.324 49.324 215.5259 < 2.2e-16 ***
## runs
## rbi
           1 4.562 4.562 19.9341 1.106e-05 ***
## Residuals 326 74.606 0.229
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

$$F^* = \frac{(SSE(Model2) - SSE(Model1))/(p2 - p1)}{SSE(Model1)/(n - (p2 + 1))} = \frac{(74.6 - 74)/3}{74/323} = 0.87$$

Fstar = ((74.6-74)/3)/(74/323)
Fstar

## [1] 0.872973

library(MASS)
student.res4 = studres(bball.lm4)
plot(bball.lm4\$fitted.values,student.res4)
abline(0,0)

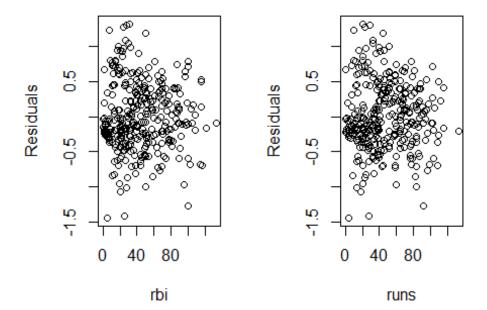


res=bball.lm4\$residuals #Extracting the residuals

par(mfrow=c(1,2)) # Includes two plots in one figure

plot(bball\$rbi[not\_outlier],res, xlab='rbi',ylab='Residuals')

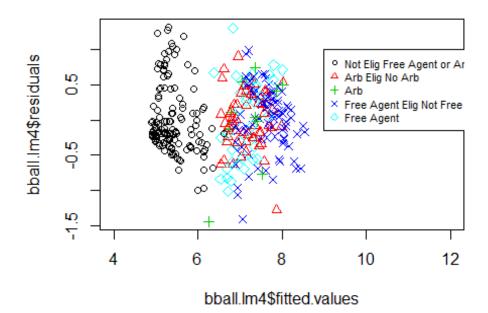
plot(bball\$runs[not\_outlier],res, xlab='runs',ylab='Residuals')



### ## Interactions with Contractual Variables

 $pch = as.numeric(cont.stat[not_outlier]), xlim = c(4, 12))$ 

```
#Note the length of this vector is set to the number of observations in the original dataset
cont.stat = vector(mode="character",length=dim(bball)[1])
for (i in 1:length(cont.stat)) {
 if ((bball$free.elig[i]=="0")&(bball$arb.elig[i]=="0")) {
  cont.stat[i] = "1"
 if ((bball$arb.elig[i]=="1")&(bball$arb[i]=="0")) {
  cont.stat[i] = "2"
 if ((bball$arb.elig[i]=="1")&(bball$arb[i]=="1")) {
  cont.stat[i] = "3"
 if ((bball$free.elig[i]=="1")&(bball$free.agent[i]=="0")) {
  cont.stat[i] = "4"
 if ((bball$free.elig[i]=="1")&(bball$free.agent[i]=="1")) {
  cont.stat[i] = "5"
## Another way via Indexing
cont.stat2=NULL
cont.stat2[bball$free.elig==0 & bball$arb.elig==0] = 1
cont.stat2[bball$arb.elig==1 & bball$arb==0] = 2
cont.stat2[bball$arb.elig==1 & bball$arb==1] = 3
cont.stat2[bball$free.elig==1 & bball$free.agent==0] = 4
cont.stat2[bball$free.elig==1 & bball$free.agent==1] = 5
#Check if these two ways are equivalent:
all(as.numeric(cont.stat)==cont.stat2)
## [1] TRUE
plot(bball.lm4$fitted.values, bball.lm4$residuals, col = cont.stat[not_outlier],
```



### # Model with interactions

```
bball.lm5 = lm(log(salary) \sim free.elig * runs + free.agent * runs + arb.elig *
  runs + arb * runs + free.elig * rbi + free.agent * rbi + arb.elig * rbi +
  arb * rbi, data = bball, subset = not outlier)
summary(bball.lm5)
##
## Call:
## lm(formula = log(salary) ~ free.elig * runs + free.agent * runs +
     arb.elig * runs + arb * runs + free.elig * rbi + free.agent *
     rbi + arb.elig * rbi + arb * rbi, data = bball, subset = not_outlier)
##
##
## Residuals:
##
     Min
             10 Median
                            3Q
## -1.41496 -0.31130 -0.05962 0.28318 1.48209
##
## Coefficients:
##
             Estimate Std. Error t value Pr(>|t|)
                5.0223496 0.0650315 77.229 < 2e-16 ***
## (Intercept)
## free.elig1
                1.6191259 0.1386085 11.681 < 2e-16 ***
              0.0086673  0.0031495  2.752  0.006264 **
## runs
                -0.7540309 0.2075931 -3.632 0.000327 ***
## free.agent1
## arb.elig1
                ## arb1
              -0.9373129  0.3715933  -2.522  0.012143 *
## rbi
             0.0035342 0.0031813 1.111 0.267443
## free.elig1:runs -0.0001686 0.0040682 -0.041 0.966976
## runs:free.agent1  0.0044133  0.0058824  0.750  0.453651
## runs:arb1
                -0.0095552 0.0084232 -1.134 0.257483
## free.elig1:rbi 0.0038458 0.0040339 0.953 0.341125
## free.agent1:rbi 0.0066181 0.0052791 1.254 0.210895
                0.0008919 0.0051046 0.175 0.861412
## arb.elig1:rbi
## arb1:rbi
               0.0238935 0.0094066 2.540 0.011558 *
```

```
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.4645 on 318 degrees of freedom
## Multiple R-squared: 0.848, Adjusted R-squared: 0.8413
## F-statistic: 126.7 on 14 and 318 DF, p-value: < 2.2e-16
anova(bball.lm5)
## Analysis of Variance Table
##
## Response: log(salary)
##
             Df Sum Sq Mean Sq F value Pr(>F)
## free.elig
                1 178.890 178.890 829.2835 < 2.2e-16 ***
## runs
               1 111.061 111.061 514.8449 < 2.2e-16 ***
## free.agent
                 1 0.568 0.568 2.6322 0.10571
## arb.elig
               1 81.434 81.434 377.5058 < 2.2e-16 ***
               1 0.223 0.223 1.0334 0.31014
## arb
## rbi
              1 4.562 4.562 21.1480 6.145e-06 ***
## free.elig:runs 1 0.619 0.619 2.8675 0.09136.
## runs:free.agent 1 1.696 1.696 7.8617 0.00536 **
## runs:arb.elig 1 1.014 1.014 4.6988 0.03093 *
                1 0.508 0.508 2.3558 0.12581
## runs:arb
## free.elig:rbi 1 0.190 0.190 0.8798 0.34897
## free.agent:rbi 1 0.339 0.339 1.5716 0.21089
## arb.elig:rbi
                1 0.251 0.251 1.1640 0.28145
                1 1.392 1.392 6.4520 0.01156*
## arb:rbi
## Residuals
                318 68.598 0.216
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
# FINAL Model with only rbi interactions
bball.lm6 = lm(log(salary) \sim runs + free.elig * rbi + free.agent * rbi + arb.elig *
  rbi + arb * rbi, data = bball, subset = not outlier)
summary(bball.lm6)
##
## Call:
## lm(formula = log(salary) ~ runs + free.elig * rbi + free.agent *
     rbi + arb.elig * rbi + arb * rbi, data = bball, subset = not_outlier)
##
## Residuals:
##
     Min
              1Q Median
                              30
                                    Max
## -1.40857 -0.31281 -0.06346 0.28453 1.46610
## Coefficients:
##
             Estimate Std. Error t value Pr(>|t|)
                5.019323  0.062507  80.301 < 2e-16 ***
## (Intercept)
              0.009137  0.001661  5.500 7.73e-08 ***
## runs
                1.609215  0.128454  12.528 < 2e-16 ***
## free.elig1
             0.003124 0.002159 1.447 0.148832
## rbi
## free.agent1
                -0.689096  0.186951  -3.686  0.000267 ***
## arb.elig1
                1.339898 0.149158 8.983 < 2e-16 ***
## arb1
              -1.050260 0.356711 -2.944 0.003472 **
## free.elig1:rbi 0.003802 0.002329 1.632 0.103575
## rbi:free.agent1 0.009695 0.003308 2.931 0.003622 **
```

```
## rbi:arb.elig1 0.003270 0.002848 1.148 0.251801
## rbi:arb1
               0.015280 0.005457 2.800 0.005415 **
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.4629 on 322 degrees of freedom
## Multiple R-squared: 0.8471, Adjusted R-squared: 0.8424
## F-statistic: 178.4 on 10 and 322 DF, p-value: < 2.2e-16
anova(bball.lm6)
## Analysis of Variance Table
##
## Response: log(salary)
##
            Df Sum Sq Mean Sq F value Pr(>F)
## runs
              1 199.092 199.092 929.0473 < 2.2e-16 ***
## free.elig
               1 90.859 90.859 423.9847 < 2.2e-16 ***
             1 8.585 8.585 40.0596 8.256e-10 ***
## rbi
              1 0.600 0.600 2.8015 0.095146.
## free.agent
              1 77.452 77.452 361.4217 < 2.2e-16 ***
## arb.elig
## arb
             1 0.150 0.150 0.7015 0.402886
## free.elig:rbi 1 0.940 0.940 4.3864 0.037008 *
## rbi:free.agent 1 1.841 1.841 8.5927 0.003617 **
## rbi:arb.elig 1 1.140 1.140 5.3217 0.021695 *
## rbi:arb
              1 1.680 1.680 7.8414 0.005415 **
## Residuals
               322 69.004 0.214
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Interpreting the Final Model
summary(bball.lm6)
##
## Call:
## lm(formula = log(salary) ~ runs + free.elig * rbi + free.agent *
     rbi + arb.elig * rbi + arb * rbi, data = bball, subset = not_outlier)
##
##
## Residuals:
##
     Min
             1Q Median
                            3Q
                                   Max
## -1.40857 -0.31281 -0.06346 0.28453 1.46610
##
## Coefficients:
##
            Estimate Std. Error t value Pr(>|t|)
## (Intercept)
               5.019323 0.062507 80.301 < 2e-16 ***
              ## runs
## free.elig1
               1.609215  0.128454  12.528 < 2e-16 ***
             0.003124 0.002159 1.447 0.148832
## rbi
## free.agent1
               -0.689096  0.186951  -3.686  0.000267 ***
               1.339898 0.149158 8.983 < 2e-16 ***
## arb.elig1
             -1.050260 0.356711 -2.944 0.003472 **
## arb1
## free.elig1:rbi 0.003802 0.002329 1.632 0.103575
## rbi:free.agent1 0.009695 0.003308 2.931 0.003622 **
## rbi:arb.elig1 0.003270 0.002848 1.148 0.251801
## rbi:arb1
               ## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

##

## Residual standard error: 0.4629 on 322 degrees of freedom ## Multiple R-squared: 0.8471, Adjusted R-squared: 0.8424 ## F-statistic: 178.4 on 10 and 322 DF, p-value: < 2.2e-16

### Some interesting points on this model:

- runs and rbi are both positive, indicating that doing better increases your salary.
- Here the reference level for all contract variables is 0. So for example, the positive coefficient for free elig indicates that being eligible to be a free agent (free elig = 1) increases your log salary by 1.6.
- Similarly, being eligible for arbitration increases your salary. Interestingly, actually being a free agent or taking arbitration decreases your salary.
- Neither eligibility interacted strongly with rbi, the p-values are not significant and the coefficients are relatively small. So being better doesnâ \( \Bigcap ^{TM} t \) change the boost you get from eligibility status.
- However, the interaction between performance and taking arbitration or becoming a free agent is significant. Since the effect is for taking these statuses, the positive coefficients suggest that if you do go into arbitration or become a free agent, you salary is improved by doing better.