

2210 ASSIGNMENT #3

1) i)

0		
1		45
2		56
3		1
4		67
5		
6		90
7		
8		
9		
10		38
		21

$$\begin{aligned}
 21 \bmod 11 &= 10 \\
 45 \bmod 11 &= 1 \\
 56 \bmod 11 &= 1 \\
 90 \bmod 11 &= 2 \\
 1 \bmod 11 &= 1 \\
 38 \bmod 11 &= 5 \\
 67 \bmod 11 &= 1
 \end{aligned}$$

ii)

0	
1	45
2	56
3	90
4	1
5	38
6	67
7	
8	
9	
10	21

iii)

0	
1	45
2	90
3	67
4	
5	
6	1
7	56
8	38
9	
10	21

ROUGH WORK:

$$\begin{aligned}
 h'(56) &= 7 - (56 \bmod 7 + 1) = 6 \\
 h'(1) &= 7 - (1 \bmod 7 + 1) = 5 \quad // \quad h'(38) = 7 - (38 \bmod 7 + 1) \\
 h'(67) &= 7 - (4 + 1) = 2 \quad \quad \quad = 7 - 4 = 3
 \end{aligned}$$

2a) 1, 5, 1, 6, 7, 3, 7, 3
b) 1, 5, 7, 6, 3, 1, 3, 7
c) 1, 7, 3, 6, 5, 3, 7, 1

3) :) INITIALIZE index = 0

FUNCTION buildBST(preorder, lower, upper):

IF index >= LENGTH(preorder):

RETURN NULL

value = preorder[index]

IF value < lower OR value > upper:

RETURN NULL

index = index + 1

root = NEW Node(value)

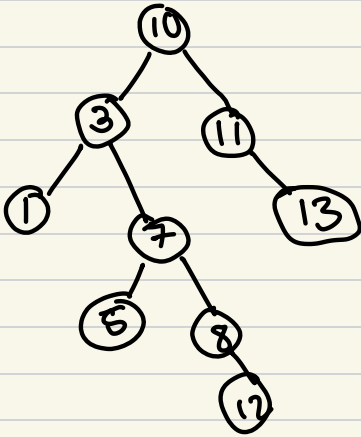
root.left = buildBST(preorder, lower, value)

root.right = buildBST(preorder, value,
upper)

RETURN root

ii) Each node is processed (1) and since there are n nodes, the time complexity is $O(n)$.

iii.)



4:)

```
FUNCTION CountPaths(root, k):  
    RETURN countPathsFromNode(root, 0, k)
```

```
FUNCTION countPathsFromNode(node, currentSum, k):  
    IF node IS NULL:  
        RETURN 0
```

```
# Update the current path sum  
currentSum = currentSum + node.value
```

```
# If it's a leaf node, check if the currentSum equals k
```

```
IF node.left IS NULL AND node.right IS NULL:
```

```
    IF currentSum == k:
```

```
        RETURN 1
```

```
    ELSE:
```

```
        RETURN 0
```

```
# Recursively count paths in left and right subtrees
```

```
leftPaths = countPathsFromNode(node.left, currentSum, k)
```

```
rightPaths = countPathsFromNode(node.right, currentSum, k)
```

```
RETURN leftPaths + rightPaths
```

ii) There are also n number of nodes and each node is $O(1)$ so the time complexity is $O(n)$.

