

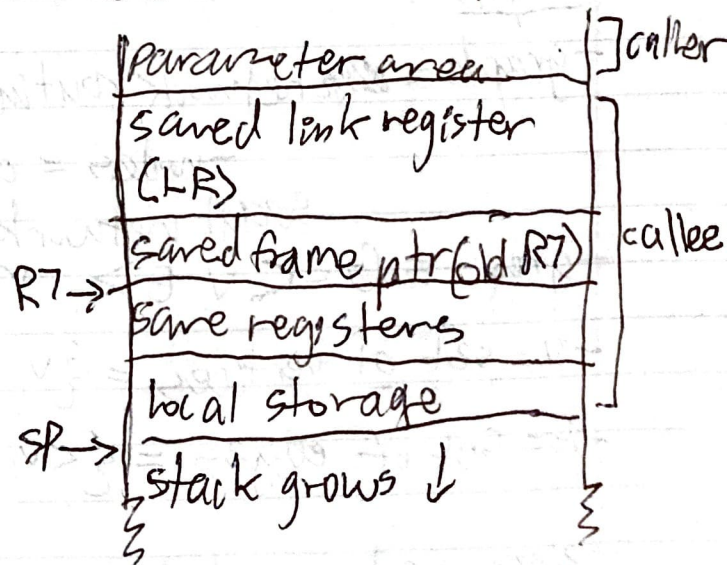
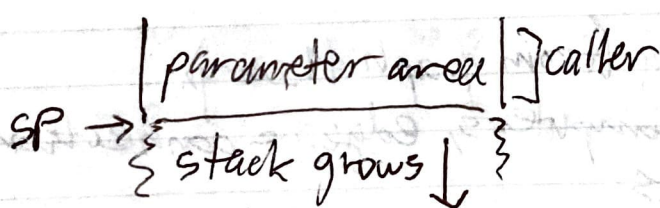
Dynamic Memory Allocation (DMA)

- allocated at run time from region called a heap
- dynamic = on the fly allocation during run time
 - CTA = compile run time = memory from variable allocated by computer at compile time
 - requires exact size/type of storage at compile time
 - DMA: calculates & allocates exact memory needed at run time
 - DMA: allocates memory when needed + however much needed & variables can be accessed beyond current scope
- `calloc()`, `malloc()`, and `realloc()` in `stdlib.h`
 - must use `free()` → otherwise cause memory leak
- Heap = unmanaged, anonymous memory region
 - slow to read/write bc ptrs are needed
- `void* malloc(size_t size)` → returns pointer to `[size]` bytes of uninitialized memory allocation
 - ↳ EX) `int* arr = malloc(10 * sizeof(int));`
// allocates memory for array of 10 ints
- `void* calloc(size_t nmemb, size_t size)`
 - `[nmemb]` = # of objects & `[size]` = size of each object
 - returns ptr to `[nmemb] * [size]` bytes of allocated memory
 - slower than `malloc` but contents of allocated memory are known (zeroed out)
 - ↳ EX) `int* arr = calloc(10, sizeof(int))` // like `malloc` EX

- for matrix $n \times n$ allocation, use `matrix_delete()` for free
- `void *realloc (void *ptr, size_t size)`
 - reallocates `[ptr]` to newly point `[size]` bytes of memory
 - if `[size] >` size of originally allocated memory, the contents of the returned ptr contains everything from the original block (extra memory = uninitialized)
 - ↳ if `[size] <` original's size, contents of returned ptr contain exactly beginning `[size]` bytes from original block
- `free()` = deallocating/freeing memory
 - ↳ `void free (void *ptr) →` deallocates memory space pointed to by `[ptr]`
- memory leaks happen when alloc mem isn't freed
- segmentation fault/core dump when program tries to access mem location it can't access (not allowed to)
- ptr that ^{name}~~must~~ to be freed should = NULL
 - ↳ EX) `int *arr = ...`
`free(arr)`
`arr = NULL`
- gdb, infer, & valgrind find memory leaks/seg faults
- valgrind = collection of dynamic analysis tools → memcheck most useful for detection, reading, writing

Static vs Dynamic Analyzers

- static analyzers like infer analyze source code before run
 - compared to set(s) of coding rules for bugs
- dynamic analyzers like valgrind track errors on program execution (good for checking if program executes like it's supposed to)
 - only analyzes in execution (so anything outside execution ~~area~~ can't be checked)
- infer checks for NULL ptr exceptions, resource leakage, race conditions, and missing lock guards
- recursion is a function, call requires creating stack frame (takes time & space)
- all tail recursive functions can be written as iteration



- use recursion when natural to express algorithm like that
 - ↳ ex) binary search of ordered array in $O(n \log n)$ → fastest
 - ↳ if empty, not there; if key smaller, look left; if key larger, look right

binary_search() } examples of code in slides
string() }
new_code() }

recursion → use for dividing space up

- places we searched
- places we haven't searched
- if we get stuck, can try different path

Ex) Knight's Tour

- 8 Queens: print board
is position safe?
search for solution

- recursion is natural, good for search problems, not inherently inefficient, should use where it makes sense

Graphs

- graph = ~~data~~ network routing (from graph theory)
 - nodes = computers, edges = connections

social networks

- graph = $G = \langle V, E \rangle$ vertices & edges

- V = set of vertices = $\{v_1, v_2, v_3, \dots\}$

- E = set of edges = $\{\langle v_i, v_j \rangle, \langle v_p, v_q \rangle, \dots, \langle v_s, v_t \rangle\}$

- edges can have directions or no directions (undirected)
- weight can represent capacity, strength, cost, etc
 - ↳ edges contain weights

- Adjacency Matrix = $n \times n$, weight $\neq 0$, binary (edges present or absent)

- Adjacency List (AL)

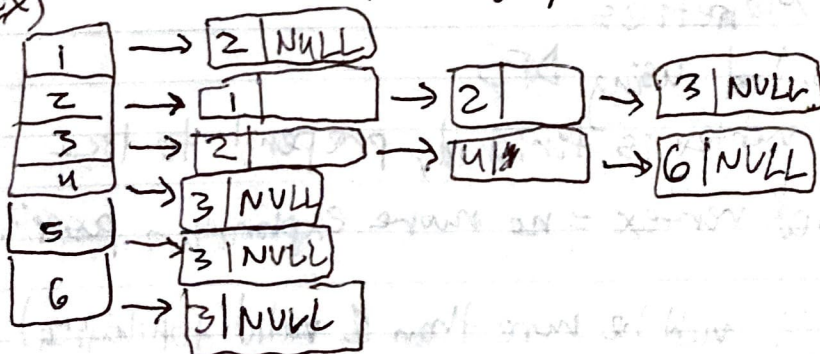
- column array for nodes
- linked list of edges from each node
- may contain weights

- non-zero M_{ij} entry means edge $n_i \rightarrow n_j$ exists
- undirected matrix is symmetric around diagonal
- entry specifies existence of edge & its weights
- requires $O(n^2)$ space (can be improved)

[graph example in C on pg 11 Lecture 13]

- AL: - each node represented as entry in column vector
- linked elements have destination node & weight of edge
- efficient for sparse graphs

EX)



[AL C code on pg 13 Lecture 13]

Single-Source Shortest Path (SSSP)

- assume $\text{Graph} = \langle V, E \rangle$ & source vertex $s \in V$
 - want shortest path from s to any $v \in V$
 - use Bellman-Ford or Dijkstra's algorithms
- Dijkstra's Algorithm at end of file
- Hamiltonian Path
- undirected or directed graph, visit each vertex only once
 - must start from origin vertex & end at origin
- Eulerian Path
- undirected or directed graph, visit each edge only once
 - must start & end at origin like Hamiltonian