

# Appendix:

## Assessing the Impact of Natural Gas and Hydrogen Blending in Integrated Energy System Modeling

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### Nomenclature

Sets and Subsets:

rp	Set of representative periods.
k	Set of time step within $rp$ .
g	Set of all generation units $t, r, s$ .
t	Set of thermal generation units.
$\mathcal{T}$	Subset of gas-fired thermal generation units.
r	Set of renewable generation units.
s	Set of storage units in the power system.
i	Sets of power buses.
m,n,l	Sets of gas nodes $m, n$ and pipeline circuits $l$ .
$\mathcal{P}$	Set of pipelines connecting gas nodes $(m, n, l)$ .
ch4u	Set of all natural gas units $ch4w, ch4u$ .
ch4w	Set of natural gas wells.
ch4s	Set of natural gas storage units.
h2u	Set of all hydrogen units $h2g, h2s, h2p$ .
h2g	Set of electrolyzer units.

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h2s	Set of hydrogen storage units.
h2p	Set of steam-methane reforming units.

Parameters:

$W_{rp}^{RP}$	Weight of representative period.
$W_k^K$	Weight of period within representative period.
$C^{CH4}$	Cost of natural gas.
$C_g^{OM}$	Operation & maintenance cost generation unit.
$C_{h2u}^{OM}$	Operation & maintenance cost hydrogen unit.
$C_{ch4u}^{OM}$	Operation & maintenance cost natural gas unit.
$C_g^{SU}$	Startup cost of generation unit.
$C_g^{UP}$	Commitment cost of generation unit.
$C_g^{VAR}$	Variable cost of generating unit.
$C^{ENS}$	Cost of energy non-supplied.
$C^{H2NS}$	Cost of hydrogen non-supplied.
$C^{CH4NS}$	Cost of natural gas non-supplied.
$C_g^{INV}$	Investment cost of generation unit.
$C_{h2u}^{INV}$	Investment cost of generation unit.
$C_{ch4u}^{INV}$	Investment cost of natural gas unit.
$CS_t^{SU}$	Startup gas consumption of thermal unit.
$CS_t^{UP}$	Commitment gas consumption of thermal unit.
$CS_t^V$	Variable gas consumption of thermal unit.
$H^{CH4}$	Lower heating value natural gas.
$H^{H2}$	Lower heating value hydrogen.
$EU_g$	Existing generation units.
$EU_{h2u}^{H2}$	Existing hydrogen units.
$EU_{ch4u}^{CH4}$	Existing natural gas units.
$\bar{P}_{h2u}^E$	Maximum power capacity of hydrogen unit.
$HPE_{h2u}$	Hydrogen output per electricity input.
$D_{rp,k,m}^{Gas}$	Gas demand per node.

$\underline{B}^{H2}, \overline{B}^{H2}$	Minimum and maximum hydrogen blend rate.
$M$	Big-M constant.
$\overline{F}_{m,n,l}^{Gas}$	Maximum pipeline capacity.

Variables:

$p_{rp,k,ch4u}^{CH4}$	Natural gas production of natural gas unit.
$p_{rp,k,h2g}^{H2}$	Hydrogen production of hydrogen unit.
$cs_{rp,k,h2g}^E$	Power consumption of hydrogen unit.
$p_{rp,k,g}^E$	Power generation of generation unit.
$cs_{rp,k,g}^{H2}$	Hydrogen consumption of generation unit.
$cs_{rp,k,g}^{CH4}$	Natural gas consumption of generation unit.
$d_{rp,k,g}^{H2}$	Share of gas demand covered by hydrogen.
$d_{rp,k,g}^{CH4}$	Share of gas demand covered by natural gas.
$f_{rp,k,m,n,l}^{Gas}$	Pipeline gas flow.
$f_{rp,k,m,n,l}^{H2}$	Pipeline hydrogen flow.
$f_{rp,k,m,n,l}^{CH4}$	Pipeline natural gas flow.
$\alpha_{rp,m,n,l}^{Gas}$	Decision variable for direction of gas flow.
$y_{rp,k,g}$	Startup decision of thermal unit.
$u_{rp,k,g}$	Commitment of thermal unit.
$pns_{rp,k,i}$	Power non-supplied.
$h2ns_{rp,k,m}$	Hydrogen non-supplied.
$ch4ns_{rp,k,m}$	Natural gas non-supplied.
$x_g$	Investment decision generation unit.
$x_{h2u}^{H2}$	Investment decision hydrogen unit.
$x_{ch4u}^{CH4}$	Investment decision natural gas unit.

## 1. Objective Function

$$\begin{aligned}
\min \sum_{rp,k} W_{rp}^{RP} W_k^K & \left( \sum_{ch4w} \underbrace{C^{CH4} p_{rp,k,ch4w}^{CH4}}_i + \sum_{t \in \mathcal{T}} \underbrace{C_t^{OM} p_{rp,k,t}^E}_{ii} \right. \\
& + \sum_{t \notin \mathcal{T}} \underbrace{(C_t^{SU} y_{rp,k,t} + C_t^{UP} u_{rp,k,t} + C_t^{VAR} p_{rp,k,t}^E)}_{iii} \\
& + \sum_r \underbrace{C_r^{OM} p_{rp,k,r}^E}_{iv} + \sum_s \underbrace{C_s^{OM} p_{rp,k,s}^E}_v + \sum_i \underbrace{C^{ENS} p n s_{rp,k,i}}_{vi} \\
& + \sum_m \underbrace{(C^{H2NS} h2n s_{rp,k,m} + C^{CH4NS} ch4n s_{rp,k,m})}_{vii} \\
& + \sum_g \underbrace{C_g^{INV} x_g}_{viii} + \sum_{h2u} \underbrace{(C_{h2u}^{INV} x_{h2u}^{H2})}_{ix} + \underbrace{(C_{h2u}^{OM} (x_{h2u}^{H2} + EU_{h2u}^{H2}))}_x \\
& + \sum_{ch4u} \underbrace{(C_{ch4u}^{INV} x_{ch4u}^{CH4})}_{xi} + \underbrace{(C_{ch4u}^{OM} (x_{ch4u}^{CH4} + EU_{ch4u}^{CH4}))}_{xii} \quad (1a)
\end{aligned}$$

$$0 \leq p n s_{rp,k,i} \leq D_{rp,k,i}^P \quad \forall rp, k, i \quad (1b)$$

$$0 \leq h2n s_{rp,k,m}, ch4n s_{rp,k,m} \leq M \quad \forall rp, k, m \quad (1c)$$

$$x_g, x_{h2u}^{H2}, x_{ch4u}^{CH4} \in \mathbb{Z}^{+,0},$$

$$x_g \leq \bar{X}_g, x_{h2u}^{H2} \leq \bar{X}_{h2u}^{H2}, x_{ch4u}^{CH4} \leq \bar{X}_{ch4u}^{CH4} \quad \forall g, h2u, ch4u \quad (1d)$$

## 2. Power System

### 2.1. Power Balance & Power Flow

$$\begin{aligned}
& \sum_{gi(t,i)} p_{rp,k,t}^E + \sum_{gi(r,i)} p_{rp,k,r}^E + \sum_{gi(s,i)} (p_{rp,k,s}^E - cs_{rp,k,s}^E) \\
& + \sum_{h2ui(h2f,i)} p_{rp,k,h2f}^E + \sum_{ijc(j,i,c)} f_{rp,k,j,i,c}^E - \sum_{ijc(i,j,c)} f_{rp,k,i,j,c}^E \\
& + p n s_{rp,k,i} = D_{rp,k,i}^E + \sum_{h2ui(h2g,i)} cs_{rp,k,h2g}^E \\
& + \sum_{h2ui(h2s,i)} cs_{rp,k,h2s}^E \eta_{h2s}^{CH,E} + \sum_{ch4ui(ch4s,i)} cs_{rp,k,ch4s}^E \eta_{ch4s}^{CH,E} \quad \forall rp, k, i \quad (2a)
\end{aligned}$$

$$f_{rp,k,ijc}^E = \frac{(\theta_{rp,k,i} - \theta_{rp,k,j})SB}{Reac_{i,j,c}} \quad \forall rp, k, ijce(i, j, c) \quad (2b)$$

$$-\bar{T}_{i,j,c} \leq f_{rp,k,ijc}^E \leq \bar{T}_{i,j,c} \quad \forall rp, k, ijce(i, j, c) \quad (2c)$$

## 2.2. Renewable Generation Units

$$0 \leq p_{rp,k,r} \leq \bar{P}_r P_{Frp,k,r}(x_r + EU_r) \quad \forall rp, k, r \quad (3a)$$

## 2.3. Thermal Generation Units

$$p_{rp,k,t} = u_{rp,k,t} \underline{P}_t + \hat{p}_{rp,k,t} \quad \forall rp, k, t \quad (4a)$$

$$\hat{p}_{rp,k,t} + res_{rp,k,t}^+ \leq (\bar{P}_t - \underline{P}_t)(u_{rp,k,t} - y_{rp,k,t}) \quad \forall rp, k, t \quad (4b)$$

$$\hat{p}_{rp,k,t} + res_{rp,k,t}^+ \leq (\bar{P}_t - \underline{P}_t)(u_{rp,k,t} - z_{rp,k+1,t}) \quad \forall rp, k, t \quad (4c)$$

$$\hat{p}_{rp,k,t} \geq res_{rp,k,t}^- \quad \forall rp, k, t \quad (4d)$$

$$u_{rp,k,t} - u_{rp,k-1,t} = y_{rp,k,t} - z_{rp,k,t} \quad \forall rp, k, t \quad (4e)$$

$$u_{rp,k,t} \leq x_t + EU_t \quad \forall rp, k, t \quad (4f)$$

$$\hat{p}_{rp,k,t} - \hat{p}_{rp,k-1,t} + res_{rp,k,t}^+ \leq u_{rp,k,t} RU_t \quad \forall rp, k, t \quad (4g)$$

$$\hat{p}_{rp,k,t} - \hat{p}_{rp,k-1,t} - res_{rp,k,t}^- \geq -u_{rp,k-1,t} RD_t \quad \forall rp, k, t \quad (4h)$$

$$0 \leq p_{rp,k,t} \leq \bar{P}_t(x_t + EU_t) \quad \forall rp, k, t \quad (4i)$$

$$0 \leq \hat{p}_{rp,k,t}, res_{rp,k,t}^-, res_{rp,k,t}^+ \leq (\bar{P}_t - \underline{P}_t)(x_t + EU_t) \quad \forall rp, k, t \quad (4j)$$

$$u_{rp,k,t}, y_{rp,k,t}, z_{rp,k,t} \in \{0, 1\} \quad \forall rp, k, t \quad (4k)$$

## 2.4. Reserve Constraint

$$\sum_t res_{rp,k,t}^+ + \sum_s res_{rp,k,s}^+ \geq RES^+ \sum_i D_{rp,k,i}^P \quad \forall rp, k \quad (5a)$$

$$\sum_t res_{rp,k,t}^- + \sum_s res_{rp,k,s}^- \geq RES^- \sum_i D_{rp,k,i}^P \quad \forall rp, k \quad (5b)$$

### 3. Gas System

#### 3.1. Hydrogen & Natural Gas Balance

$$\begin{aligned}
& \sum_{h2um(h2g,m)} p_{rp,k,h2g}^{H2} + \sum_{h2um(h2p,m)} p_{rp,k,h2p}^{H2} + \sum_{h2um(h2s,m)} p_{rp,k,h2s}^{H2} \\
& + h2ns_{rp,k,m} + \sum_{mnl(m,n,l)} f_{rp,k,m,n,l}^{H2} - \sum_{mnl(m,n,l)} f_{rp,k,m,n,l}^{H2} \\
& + \sum_{cmp(m,n,l)} f_{rp,k,m,n,l}^{Cmp,H2} - \sum_{cmp(m,n,l)} f_{rp,k,m,n,l}^{Cmp,H2} = D_{rp,k,m}^{H2} + d_{rp,k,m}^{Gas,H2} \\
& + \sum_{h2um(h2f,m)} cs_{rp,k,h2f}^{H2} + \sum_{h2um(h2s,m)} cs_{rp,k,h2s}^{H2} + \sum_{gm(\mathcal{T} \in gas,m)} cs_{rp,k,t}^{H2} \\
& + \sum_{cmp(m,n,l)} CS_{m,n,l}^{Cmp,H2} f_{rp,k,m,n,l}^{Cmp,H2} \quad \forall rp, k, m \quad (6a)
\end{aligned}$$

$$\begin{aligned}
& \sum_{ch4um(ch4w,m)} p_{rp,k,ch4w}^{CH4} + \sum_{ch4um(ch4s,m)} p_{rp,k,ch4s}^{CH4} + \sum_{mnl(m,n,l)} f_{rp,k,m,n,l}^{CH4} \\
& - \sum_{mnl(m,n,l)} f_{rp,k,m,n,l}^{CH4} + \sum_{cmp(m,n,l)} f_{rp,k,m,n,l}^{Cmp,CH4} - \sum_{cmp(m,n,l)} f_{rp,k,m,n,l}^{Cmp,CH4} \\
& + ch4ns_{rp,k,m} = d_{rp,k,m}^{CH4} + \sum_{gm(\mathcal{T} \in gas,m)} cs_{rp,k,t}^{CH4} + \sum_{ch4um(ch4s,m)} cs_{rp,k,ch4s}^{CH4} \\
& + \sum_{ch4um(h2p,m)} cs_{rp,k,h2p}^{CH4} + \sum_{cmp(m,n,l)} CS_{m,n,l}^{Cmp,CH4} f_{rp,k,m,n,l}^{Cmp,CH4} \quad \forall rp, k, m \quad (6b)
\end{aligned}$$

$$0 \leq f_{rp,k,m,n,l}^{Cmp,CH4} + f_{rp,k,m,n,l}^{Cmp,H2} \leq \bar{F}_{m,n,l}^{Cmp,Gas} \quad \forall rp, k, \mathcal{P} \quad (6c)$$

$$0 \leq f_{rp,k,m,n,l}^{Cmp,H2} \leq f_{rp,k,m,n,l}^{Cmp,CH4} \bar{B}^{H2} \quad \forall rp, k, \mathcal{P} \quad (6d)$$

#### 3.2. Blending Transport Problem (B-TP)

$$f_{rp,k,m,n,l}^{Gas} = f_{rp,k,m,n,l}^{CH4} + f_{rp,k,m,n,l}^{H2} \quad \forall rp, k, \mathcal{P} \quad (7a)$$

$$(\alpha_{rp,m,n,l}^{Gas} - 1)M \leq f_{rp,k,m,n,l}^{H2} \leq \alpha_{rp,m,n,l}^{Gas} M \quad \forall rp, k, \mathcal{P} \quad (7b)$$

$$(\alpha_{rp,m,n,l}^{Gas} - 1)M \leq f_{rp,k,m,n,l}^{CH4} \leq \alpha_{rp,m,n,l}^{Gas} M \quad \forall rp, k, \mathcal{P} \quad (7c)$$

$$f_{rp,k,m,n,l}^{H2} \geq -\alpha_{rp,m,n,l}^{Gas} M + \bar{B}^{H2} f_{rp,k,m,n,l}^{CH4} \quad \forall rp, k, \mathcal{P} \quad (7d)$$

$$(1 - \alpha_{rp,m,n,l}^{Gas})M + \bar{B}^{H2} f_{rp,k,m,n,l}^{CH4} \geq f_{rp,k,m,n,l}^{H2} \quad \forall rp, k, \mathcal{P} \quad (7e)$$

$$-\bar{F}_{m,n,l}^{Gas} \leq f_{rp,k,m,n,l}^{Gas} \leq \bar{F}_{m,n,l}^{Gas} \quad \forall rp, k, \mathcal{P} \quad (7f)$$

### 3.3. Standard Transport Problem (S-TP)

$$-\bar{F}_{m,n,l}^{Gas} \bar{B}^{H2} \leq f_{rp,k,m,n,l}^{H2} \leq \bar{F}_{m,n,l}^{Gas} \bar{B}^{H2} \quad \forall rp, k, \mathcal{P} \quad (8a)$$

$$-\bar{F}_{m,n,l}^{Gas} (1 - \bar{B}^{H2}) \leq f_{rp,k,m,n,l}^{CH4} \leq \bar{F}_{m,n,l}^{Gas} (1 - \bar{B}^{H2}) \quad \forall rp, k, \mathcal{P} \quad (8b)$$

### 3.4. Gas-fired Thermal Units

$$cs_{rp,k,t}^{CH4} H^{CH4} + cs_{rp,k,t}^{H2} H^{H2} = (CS_t^{SU} y_{rp,k,t} + CS_t^{UP} u_{rp,k,t} + CS_t^V p_{rp,k,t}^E) \quad \forall rp, k, t \in \mathcal{T} \quad (9a)$$

$$0 \leq cs_{rp,k,t}^{CH4} \leq (CS_t^{UP} + CS_t^V \bar{P}_{rp,k,t}^E)$$

$$(1/H^{CH4})(x_t + EU_t) \quad \forall rp, k, t \in \mathcal{T} \quad (9b)$$

$$0 \leq p_{rp,k,t}^E \leq \bar{P}_t^E (x_t + EU_t) \quad \forall rp, k, t \in \mathcal{T} \quad (9c)$$

$$\underline{B}^{H2} cs_{rp,k,t}^{CH4} \leq cs_{rp,k,t}^{H2} \leq \bar{B}^{H2} cs_{rp,k,t}^{CH4} \quad \forall rp, k, t \in \mathcal{T} \quad (9d)$$

### 3.5. Natural Gas Storage Units

$$intra_{rp,k,ch4s}^{CH4} = intra_{rp,k,-1,ch4s}^{CH4} - p_{rp,k,ch4s}^{CH4} W_k^K / \eta_{ch4s}^{DIS} + cs_{rp,k,ch4s}^{CH4} W_k^K \eta_{ch4s}^{CH} \quad \forall rp, k, ch4s \quad (10a)$$

$$intra_{rp,k,ch4s}^{CH4} \geq \underline{R}_{ch4s} \bar{P}_{ch4s} ETP_{ch4s} (x_{ch4s}^{CH4} + EU_{ch4s}^{CH4}) \quad \forall rp, k, ch4s \quad (10b)$$

$$intra_{rp,k,ch4s}^{CH4} \leq \bar{P}_{ch4s} ETP_{ch4s} (x_{ch4s}^{CH4} + EU_{ch4s}^{CH4}) \quad \forall rp, k, ch4s \quad (10c)$$

$$\begin{aligned} inter_{p,ch4s}^{CH4} &= inter_{p-MOW,ch4s}^{CH4} + \\ &+ InRes_{ch4s,p=MOW}^{CH4} (x_{ch4s}^{CH4} + EU_{ch4s}^{CH4}) \\ &+ \sum_{\Gamma(p-MOW \leq pp \leq p, rp, k)} (-p_{rp,k,ch4s}^{CH4} W_k^K / \eta_{ch4s}^{DIS} + \end{aligned}$$

$$+cs_{rp,k,ch4s}^{CH4}W_k^K\eta_{ch4s}^{CH}) \quad \forall p, ch4s \quad (10d)$$

$$inter_{p,ch4s}^{CH4} \leq \overline{P}_{ch4s}ETP_{ch4s}(x_{ch4s}^{CH4} + EU_{ch4s}^{CH4})$$

$$\forall ch4s, p : mod(p, MOW) = 0 \quad (10e)$$

$$inter_{p,ch4s}^{CH4} \geq \underline{R}_{ch4s}\overline{P}_{ch4s}ETP_{ch4s}(x_{ch4s}^{CH4} + EU_{ch4s}^{CH4})$$

$$\forall ch4s, p : mod(p, MOW) = 0 \quad (10f)$$

$$inter_{p,ch4s}^{CH4} \geq InRes_{ch4s}^{CH4}(x_{ch4s}^{CH4} + EU_{ch4s}^{CH4})$$

$$\forall ch4s, p = CARD(p) \quad (10g)$$

$$0 \leq p_{rp,k,ch4s}^{CH4} \leq \overline{P}_{ch4s}(x_{ch4s}^{CH4} + EU_{ch4s}^{CH4}) \quad \forall rp, k, ch4s \quad (10h)$$

$$0 \leq cs_{rp,k,ch4s}^{CH4} \leq \overline{CS}_{ch4s}(x_{ch4s}^{CH4} + EU_{ch4s}^{CH4}) \quad \forall rp, k, ch4s \quad (10i)$$

### 3.6. Natural Gas Wells

$$0 \leq p_{rp,k,ch4w}^{CH4} \leq \overline{P}_{ch4w}(x_{ch4w}^{CH4} + EU_{ch4w}^{CH4}) \quad \forall rp, k, ch4w \quad (11a)$$

### 3.7. Electrolyzer Units

$$p_{rp,k,h2g}^{H2} = cs_{rp,k,h2g}^E HPE_{h2g} \quad \forall rp, k, h2g \quad (12a)$$

$$0 \leq cs_{rp,k,h2g}^E \leq \overline{P}_{h2g}^E(x_{h2g}^{H2} + EU_{h2g}^{H2}) \quad \forall rp, k, h2g \quad (12b)$$

$$0 \leq p_{rp,k,h2g}^{H2} \leq \overline{P}_{h2g}^E HPE_{h2g}(x_{h2g}^{H2} + EU_{h2g}^{H2}) \quad \forall rp, k, h2g \quad (12c)$$

### 3.8. Steam-Methane Reforming Units

$$p_{rp,k,h2p}^{H2} = cs_{rp,k,h2p}^{CH4} HPC_{h2p} \quad \forall rp, k, h2p \quad (13a)$$

$$0 \leq cs_{rp,k,h2p}^{CH4} \leq \overline{P}_{h2p}^{H2}(x_{h2p}^{H2} + EU_{h2p}^{H2}) \quad \forall rp, k, h2p \quad (13b)$$

$$0 \leq p_{rp,k,h2p}^{H2} \leq \overline{P}_{h2p}^{H2} HPC_{h2p}(x_{h2p}^{H2} + EU_{h2p}^{H2}) \quad \forall rp, k, h2p \quad (13c)$$



### 3.9. Hydrogen Storage Units

$$\begin{aligned} intra_{rp,k,h2s}^{H2} &= intra_{rp,k-1,h2s}^{H2} - p_{rp,k,h2s}^{H2} W_k^K / \eta_{h2s}^{DIS} + cs_{rp,k,h2s}^{H2} W_k^K \eta_{h2s}^{CH} \\ &\quad \forall rp, k, h2s \end{aligned} \quad (14a)$$

$$\begin{aligned} \underline{R}_{h2s} \overline{P}_{h2s} ETP_{h2s}(x_{h2s}^{H2} + EU_{h2s}^{H2}) &\leq intra_{rp,k,h2s}^{H2} \leq \overline{P}_{h2s} ETP_{h2s}(x_{h2s}^{H2} + EU_{h2s}^{H2}) \\ &\quad \forall rp, k, h2s \end{aligned} \quad (14b)$$

$$\begin{aligned} inter_{p,h2s}^{H2} &= inter_{p-MOW,h2s}^{H2} + InRes_{h2s,p=MOW}^{H2}(x_{h2s}^{H2} + EU_{h2s}^{H2}) \\ &+ \sum_{\Gamma(p-MOW \leq pp \leq p, rp, k)} (-p_{rp,k,h2s}^{H2} W_k^K / \eta_{h2s}^{DIS} + cs_{rp,k,h2s}^{H2} W_k^K \eta_{h2s}^{CH}) \quad \forall p, h2s \end{aligned} \quad (14c)$$

$$inter_{p,h2s}^{H2} \leq \overline{P}_{h2s} ETP_{h2s}(x_{h2s}^{H2} + EU_{h2s}^{H2}) \quad \forall h2s, p : \text{mod}(p, MOW) = 0 \quad (14d)$$

$$inter_{p,h2s}^{H2} \geq \underline{R}_{h2s} \overline{P}_{h2s} ETP_{h2s}(x_{h2s}^{H2} + EU_{h2s}^{H2}) \quad \forall h2s, p : \text{mod}(p, MOW) = 0 \quad (14e)$$

$$inter_{p,h2s}^{H2} \geq InRes_{h2s}^{H2}(x_{h2s}^{H2} + EU_{h2s}^{H2}) \quad \forall h2s, p = CARD(p) \quad (14f)$$

$$0 \leq p_{rp,k,h2s}^{H2} \leq \overline{P}_{h2s}(x_{h2s}^{H2} + EU_{h2s}^{H2}) \quad \forall rp, k, h2s \quad (14g)$$

$$0 \leq cs_{rp,k,h2s}^{H2} \leq \overline{CS}_{h2s}(x_{h2s}^{H2} + EU_{h2s}^{H2}) \quad \forall rp, k, h2s \quad (14h)$$

### 3.10. Gas Demand Blending

$$D_{rp,k,m}^{Gas} H^{CH4} = d_{rp,k,m}^{CH4} H^{CH4} + d_{rp,k,m}^{H2} H^{H2} \quad \forall rp, k, m \quad (15a)$$

$$0 \leq d_{rp,k,m}^{CH4} \leq D_{rp,k,m}^{Gas} \quad \forall rp, k, m \quad (15b)$$

$$\underline{B}^{H2} d_{rp,k,m}^{CH4} \leq d_{rp,k,m}^{H2} \leq \overline{B}^{H2} d_{rp,k,m}^{CH4} \quad \forall rp, k, m \quad (15c)$$