# 152112011 Computer Programming LAB

## LAB WORK 1

## 8 March 2022

## **Objectives:**

- Review of Introduction to Programming Course
- ➤ Start → Programs → Microsoft Visual Studio
- ightharpoonup File  $\rightarrow$  New  $\rightarrow$  Project
- $\triangleright$  Select Visual C++  $\rightarrow$  Empty Project and write project name **Lab01** at bottom.
- $\triangleright$  In Solution Explorer right click Source Files folder  $\rightarrow$  Add  $\rightarrow$  New Item
- ➤ Select C++ File (.cpp) and give name **EX1.cpp** at bottom.
- Add a new item to this project such as **EX1.cpp**, **EX2.cpp**, etc.. for each of the following programs for today's lab work. **Do not forget exclude previous example**.
- ➤ Right click file (EX1.cpp) and select Exclude from project.
- 1. The constant e, which is the base of natural logarithms, is given to 41 significant figures by

e= 2.7182818284590452353602874713526624977572. Define  $x_n = \left(1 + \frac{1}{n}\right)^n$  for n=1,2,... It can be shown mathematically that  $x_n \to e$  as  $n \to \infty$ . Write a program calculate e values for user enter the n values. (Hint:  $x^y = pow(x, y)$ )

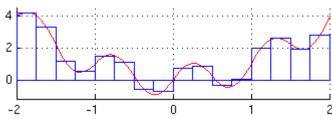
2. The basic problem considered by numerical integration is to compute an approximate solution to a definite integral:  $\int_{a}^{b} dx dx$ 

$$\int_{a}^{b} f(x) \, dx.$$

A large class of quadrature rules can be derived by constructing <u>interpolating</u> functions which are easy to integrate. Typically these interpolating functions are <u>polynomials</u>. The simplest method of this type is to let the interpolating function be a constant function (a polynomial of degree zero) which passes through the point ((a+b)/2, f((a+b)/2)). This is called the *midpoint rule* or *rectangle rule*.

$$\int_{a}^{b} f(x) dx \approx (b - a) f\left(\frac{a + b}{2}\right).$$

We can make a more accurate approximation by breaking up the interval [a, b] into some number n of subintervals, computing an approximation for each subinterval, then adding up all the results



Write a program that calculates  $\int_{x=2}^{x=5} 3x^2 + 2x + 5 dx$ 

# **Optional**

# **Question 1:**

- ✓ Define the arrays A, B, and C with five elements in each. There will be no array definitions other than these.
- ✓ Fill in the A and B array with the values you received from the user.
- ✓ Implement the B array to keep the values in reverse (A new array will not be created or used at this step).
- ✓ Fill array C so that it contains the sum of the elements in the same index in arrays A and B.
- ✓ Sample:

Step-1: A(1,3,6,3,8) B(8,3,5,2,7) Step-2: A(1,3,6,3,8) B(7,2,5,3,8)

Step-3: A(1,3,6,3,8) B(7,2,5,3,8) C(8.5,11,6,16)

# **Question 2:**

- ✓ Construct an array A with 50 random values between (0.100). Make this assignment automatically random.
- ✓ Print numbers that exactly divides the number entered by the user.
- ✓ Print numbers that give a remainder of 7 when divided by the number entered by the user.
- ✓ **Bonus**: Compare the individual elements of array A with the number entered by the user. If they are prime numbers among themselves, print these two values.
- ✓ Sample:
- ✓ The number entered by the user: 14

Likely numbers that exactly divides the number entered by the user: 14,28,42...

Likely numbers that give a remainder of 7 when divided by the number entered by the user: 7,21,49...

#### **Bonus:**

The number entered by the user: 14

Possible output:

(14,3) are prime among themselves.

(14,25) are prime among themselves.

(14,39) are prime among themselves.