

# Assignment\_5

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```
library(lpSolveAPI)
x <- read.lp("CalMan.lp")
x
```

```
## Model name:
##          x1  x2  x3  x4  x5  x6  x7
## Minimize 775 800 800 800 800 775 750
## SunLabor  0   1   1   1   1   1   0 >= 18
## MonLabor  0   0   1   1   1   1   1 >= 27
## TueLabor  1   0   0   1   1   1   1 >= 22
## WedLabor  1   1   0   0   1   1   1 >= 26
## ThurLabor 1   1   1   0   0   1   1 >= 25
## FriLabor  1   1   1   1   0   0   1 >= 21
## SatLabor  1   1   1   1   1   0   0 >= 19
## Kind      Std Std Std Std Std Std Std
## Type      Int Int Int Int Int Int Int
## Upper     Inf Inf Inf Inf Inf Inf Inf
## Lower      0   0   0   0   0   0   0
```

```
solve(x)
```

```
## [1] 0
```

```
get.objective(x)
```

```
## [1] 25675
```

```
get.variables(x)
```

```
## [1]  2  4  5  0  8  1 13
```

## Comment

Number of workers taken Monday and Sun off is 2  
Number of workers taken Monday and Tue off is 4  
Number of workers taken Tue and Wed off is 5  
Number of workers taken Wed and Thur off is 0  
Number of workers taken Thur and Fri off is 8  
Number of workers taken Fri and Sat off is 1  
Number of workers taken Sat and Sun off is 13

We assume  $x_1, x_2, \dots, x_7$  as number of workers assigned to shift 1-7. Because every worker is assigned to one and only one shift, number of workers for a day is the total of every one not taking that day off.

Mon workers =  $5 + 0 + 8 + 1 + 13 = 27$

Tue workers =  $2 + 0 + 8 + 1 + 13 = 24$

Wed workers =  $2 + 4 + 8 + 1 + 13 = 28$

Thur workers =  $2 + 4 + 5 + 1 + 13 = 25$   
Fri workers =  $2 + 4 + 5 + 0 + 13 = 24$   
Sat workers =  $2 + 4 + 5 + 0 + 8 = 19$   
Sun workers =  $4 + 5 + 0 + 8 + 1 = 18$

The optimal solution, or the lowest wage is  $Z = \$25675$  while keeping the sufficient number of workers. The number of workers each day is 27 (Monday), 24 (Tuesday), 28 (Wednesday), 25 (Thursday), 24 (Friday), 19 (Saturday), 18 (Sunday).