GPU solvers for SLAE

1.0

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Chapter 1

Namespace Index

1.1 Namespace List

Here is a list of all documented namespaces with brief descriptions:

Gauss		
	Jordan Solve a system of linear algebraic equations by using the Gauss Jordan Elimination method	7
Gaussia	an	
	Elimination Solve a system of linear algebraic equations by using the Gaussian Elimination method	7
Gaussia	anElimination	
	Solve a system of linear algebraic equations by using the Gaussian Elimination method	7
GaussJ	lordan	
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Jacobi		
	Solve a system of linear algebraic equations by using the Jacobi Iterative method	8
LuDeco	omposition	
	Decompuses a matrix A into two matrices L and U	8
Matrix		
	Generator Generate different types of matrices	8
Sparsel	Matrices	
	Represents a matrix with CSR format	8

2 Namespace Index

Chapter 2

Hierarchical Index

2.1 Class Hierarchy

This inheritance list is sorted roughly, but not completely, alphabetically:

block_operations_tab.BlockTab
gaussian_elimination.GaussianElimination
gaussian_elimination_tab.GaussianEliminationTab
gauss_jordan.GaussJordan
serial_gauss_jordan.GaussJordanSerial
gauss_jordan_tab.GaussJordanTab
gaussian_lu_decomposition.GuassianLUDecomposition
jacobi_parallel_chunks.JacobiParallel
jacobi_parallel.JacobiParallel
jacobi_tab.JacobiTab
lu_decomposition_tab.LUDecompositionTab 24
matrix_generator.MatrixGenerator
matrix_generator_tab.MatrixGeneratorTab
serial_gaussian_elimination.SerialGaussianElimination
jacobi_serial.SerialJacobi
serial_decomposition_LU.SerialLUDecomposition
sparse_matrix.SparseMatrix
sm_testCSR.SparseMatrix
sm_test.SparseMatrix
sparse_matrix_tab.SparseMatrixTab
Window
quiNum.PyApp

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Chapter 3

Class Index

3.1 Class List

Here are the classes, structs, unions and interfaces with brief descriptions:

block_operations_tab.BlockTab
gaussian_elimination.GaussianElimination
gaussian_elimination_tab.GaussianEliminationTab11
gauss_jordan.GaussJordan
serial_gauss_jordan.GaussJordanSerial
gauss_jordan_tab.GaussJordanTab
gaussian_lu_decomposition.GuassianLUDecomposition15
jacobi_parallel_chunks.JacobiParallel19
jacobi_parallel.JacobiParallel
jacobi_tab.JacobiTab
lu_decomposition_tab.LUDecompositionTab 24
matrix_generator.MatrixGenerator
matrix_generator_tab.MatrixGeneratorTab
guiNum.PyApp
serial_gaussian_elimination.SerialGaussianElimination
jacobi_serial.SerialJacobi
serial_decomposition_LU.SerialLUDecomposition
sparse_matrix.SparseMatrix
sm_testCSR.SparseMatrix
sm_test.SparseMatrix
sparse matrix tab SparseMatrixTab

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Chapter 4

Namespace Documentation

4.1 Gauss Namespace Reference

Jordan Solve a system of linear algebraic equations by using the Gauss Jordan Elimination method.

4.1.1 Detailed Description

Jordan Solve a system of linear algebraic equations by using the Gauss Jordan Elimination method.

4.2 Gaussian Namespace Reference

Elimination Solve a system of linear algebraic equations by using the Gaussian Elimination method.

4.2.1 Detailed Description

Elimination Solve a system of linear algebraic equations by using the Gaussian Elimination method.

4.3 Gaussian Elimination Namespace Reference

Solve a system of linear algebraic equations by using the Gaussian Elimination method.

4.3.1 Detailed Description

Solve a system of linear algebraic equations by using the Gaussian Elimination method.

4.4 GaussJordan Namespace Reference

Solve a system of linear algebraic equations by using the Gauss Jordan Elimination method.

4.4.1 Detailed Description

Solve a system of linear algebraic equations by using the Gauss Jordan Elimination method.

4.5 Jacobi Namespace Reference

Solve a system of linear algebraic equations by using the Jacobi Iterative method.

4.5.1 Detailed Description

Solve a system of linear algebraic equations by using the Jacobi Iterative method.

4.6 LuDecomposition Namespace Reference

Decompuses a matrix A into two matrices L and U.

4.6.1 Detailed Description

Decompuses a matrix A into two matrices L and U.

4.7 Matrix Namespace Reference

Generator Generate different types of matrices.

4.7.1 Detailed Description

Generator Generate different types of matrices.

4.8 SparseMatrices Namespace Reference

Represents a matrix with CSR format.

4.8.1 Detailed Description

Represents a matrix with CSR format.

Chapter 5

Class Documentation

5.1 block_operations_tab.BlockTab Class Reference

Public Member Functions

- def __init__ (self)
- def get_tab (self)
- def load_matrix (self, widget, data=None)
- def load_vector (self, widget, data=None)
- def jacobi_by_blocks (self, widget, data=None)
- def **save** (self, widget, data=None)

Public Attributes

- niter_entry
- A_matrix
- b_vector
- x_vector
- · size_entry
- rows_entry
- · tol_entry

The documentation for this class was generated from the following file:

• block_operations/block_operations_tab.py

5.2 gaussian_elimination.GaussianElimination Class Reference

Public Member Functions

• def gaussian_elimination (Ab, size, i)

Performs Gaussian elimination for each row of a column.

def start (self, A_matrix, b_matrix)

Launches parallel Gaussian elimination for a SLAE and returns its answer.

Static Public Attributes

- target
- · nopython

5.2.1 Member Function Documentation

5.2.1.1 gaussian_elimination()

```
def gaussian_elimination.
GaussianElimination.gaussian_elimination ( $Ab$, \\ size, \\ i )
```

Performs Gaussian elimination for each row of a column.

Parameters

,	Α	Augmented matrix representing a SLAE.
	size	Size of coefficiente matrix.
	i	Integer representing the current column in which all threads are performing row operations.

Returns

None

Here is the caller graph for this function:

```
gaussian_elimination.Gaussian
Elimination.gaussian_elimination
```

5.2.1.2 start()

Launches parallel Gaussian elimination for a SLAE and returns its answer.

Parameters

A_matrix	Coefficient matrix of a SLAE.
b_matrix	Linearly independent vector of a SLAE.

Returns

None

Here is the call graph for this function:



The documentation for this class was generated from the following file:

· gaussian elimination/gaussian elimination.py

5.3 gaussian_elimination_tab.GaussianEliminationTab Class Reference

Public Member Functions

- def __init__ (self)
- def get_tab (self)
- def load_matrix (self, widget, data=None)
- def load_vector (self, widget, data=None)
- def gaussParallel (self, widget, data=None)
- def gaussSerial (self, widget, data=None)
- def save (self, widget, data=None)

Public Attributes

- · gaussian_elimination
- · serial_gaussian_elimination
- A_matrix
- · b_vector
- · x_vector

The documentation for this class was generated from the following file:

gaussian_elimination/gaussian_elimination_tab.py

5.4 gauss_jordan.GaussJordan Class Reference

Public Member Functions

• def gauss_jordan (A, size, i)

Performs Gauss Jordan elimination for each row of a column.

• def normalize (A, size)

Ensures every diagonal element of the augmented matrix A is set to one.

def start (self, A_matrix, b_vector)

Launches parallel Gauss Jordan elimination for a SLAE and returns its answer.

5.4.1 Member Function Documentation

5.4.1.1 gauss_jordan()

Performs Gauss Jordan elimination for each row of a column.

Parameters

Α	Augmented matrix representing a SLAE.
size	Size of coefficiente matrix.
i	Integer representing the current column in which all threads are performing row operations.

Returns

None

Here is the caller graph for this function:



5.4.1.2 normalize()

```
def gauss_jordan.GaussJordan.normalize ( \mathbf{A}_{\textit{r}} size \ )
```

Ensures every diagonal element of the augmented matrix A is set to one.

Parameters

Α	Augmented matrix representing a SLAE.
size	Size of coefficiente matrix.

Returns

None

Here is the caller graph for this function:



5.4.1.3 start()

```
\begin{tabular}{ll} $\operatorname{def gauss\_jordan.GaussJordan.start} & $\operatorname{self}, \\ & $A\_{matrix}, \\ & $b\_{vector} \end{tabular} \end{tabular}
```

Launches parallel Gauss Jordan elimination for a SLAE and returns its answer.

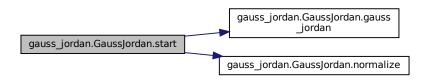
Parameters

A_matrix	Coefficient matrix of a SLAE.
b_vector	Linearly independent vector of a SLAE.

Returns

float64[:]

Here is the call graph for this function:



The documentation for this class was generated from the following file:

· gauss_jordan/gauss_jordan.py

5.5 serial_gauss_jordan.GaussJordanSerial Class Reference

Public Member Functions

• def elimination (self, A, b)

Takes a system of linear equations represented by a matrix and a vector and returns the answer applying Gauss-← Jordan method.

5.5.1 Member Function Documentation

5.5.1.1 elimination()

```
def serial_gauss_jordan.GaussJordanSerial.elimination ( self, \\ A, \\ b )
```

Returns

A The coefficient matrix of the system. b The linearly independent vector. float128[:]

The documentation for this class was generated from the following file:

· gauss_jordan/serial_gauss_jordan.py

5.6 gauss_jordan_tab.GaussJordanTab Class Reference

Public Member Functions

- def __init__ (self)
- def get_tab (self)
- def load_matrix (self, widget, data=None)
- def load_vector (self, widget, data=None)
- def gaussParallel (self, widget, data=None)
- def gaussSerial (self, widget, data=None)
- def **save** (self, widget, data=None)

Public Attributes

- gauss_jordan
- · gauss_jordan_serial
- A matrix
- · b_vector
- x_vector

The documentation for this class was generated from the following file:

· gauss_jordan/gauss_jordan_tab.py

5.7 gaussian_lu_decomposition.GuassianLUDecomposition Class Reference

Public Member Functions

• def gaussian_lu_decomposition (A, L, size, i)

Performs Gaussian LU elimination.

• def start (self, A_matrix)

Decomposes A_matrix into two matrices L and U.

def get_solution (self, L, U, b)

Solves a LU system.

• def gen_identity_matrix (self, size)

Creates an identity matrix given a size.

• def get_inverse (self, L, U)

Returns the inverse of a given matrix by means of LU decomposition.

• def get_determinant (self, L, U)

Returns the determinant of a given matrix by means of LU decomposition.

5.7.1 Member Function Documentation

5.7.1.1 gaussian_lu_decomposition()

Performs Gaussian LU elimination.

Parameters

Α	Coefficient matrix A.	
L	Matrix in which to store the multipliers.	
size	Size of coefficiente matrix.	
i	Integer representing the current column in which all threads are performing row operations.	

Returns

None

Here is the caller graph for this function:



5.7.1.2 gen_identity_matrix()

```
def gaussian_lu_decomposition.
GuassianLUDecomposition.gen_identity_matrix ( self, \\ size \ )
```

Creates an identity matrix given a size.

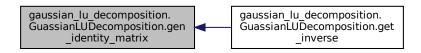
Parameters

s	size	Number of rows and columns that the matrix will have.

Returns

float64[:,:]

Here is the caller graph for this function:



5.7.1.3 get_determinant()

```
def gaussian_lu_decomposition.
GuassianLUDecomposition.get_determinant ( self, \\ L, \\ U \ )
```

Returns the determinant of a given matrix by means of LU decomposition.

keyword arguments:

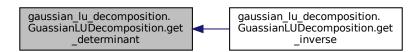
Parameters

L	The lower triangular matrix of the system.
U	The upper triangular matrix of the system.

Returns

float64

Here is the caller graph for this function:



5.7.1.4 get_inverse()

```
def gaussian_lu_decomposition.
GuassianLUDecomposition.get_inverse ( self, \\ L, \\ U )
```

Returns the inverse of a given matrix by means of LU decomposition.

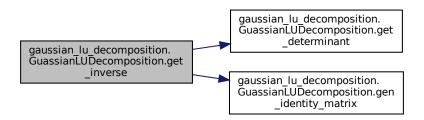
Parameters

L		The lower triangular matrix of the system.
ſ	U	The upper triangular matrix of the system.

Returns

float64[:,:]

Here is the call graph for this function:



5.7.1.5 get_solution()

```
def gaussian_lu_decomposition.
GuassianLUDecomposition.get_solution ( self, \\ L, \\ U, \\ b )
```

Solves a LU system.

Parameters

L	The lower triangular matrix of the system.
U	The upper triangular matrix of the system.
b	Linearly independent vector.

Returns

float64[:]

5.7.1.6 start()

```
def gaussian_lu_decomposition.
GuassianLUDecomposition.start ( self, \\ A\_matrix \ )
```

Decomposes A_matrix into two matrices L and U.

Parameters

A_matrix	Coefficient matrix.
----------	---------------------

Returns

float64[:,:], float64[:,:]

Here is the call graph for this function:



The documentation for this class was generated from the following file:

• lu_decomposition/gaussian_lu_decomposition.py

5.8 jacobi_parallel_chunks.JacobiParallel Class Reference

Public Member Functions

- def jacobi (A, b, x_current, x_next, rows, cols, first_row_block, rel)

 Performs jacobi for every thread in matrix A boundaries.
- def get_error (x_current, x_next, x_error, rows)
- def start (self, A, b, x_current, first_row_block, rel=1)

Static Public Attributes

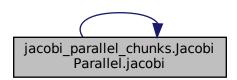
- target
- nopython

5.8.1 Member Function Documentation

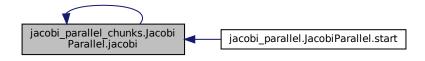
5.8.1.1 jacobi()

Performs jacobi for every thread in matrix A boundaries.

Key arguments: A – Matrix extracted from the coefficient matrix A. b – Vector extracted from Linearly independent vector b. x_current – Current answer's approximation. x_next – vector in which to store new answer. rows – Number of rows read (i.e. number of rows in the block). cols – Number of columns from the original matrix. first_row_\circ\begin{array}{c} \circ\begin{array}{c} \circ\begin{ar



Here is the caller graph for this function:



The documentation for this class was generated from the following file:

block_operations/jacobi_parallel_chunks.py

5.9 jacobi_parallel.JacobiParallel Class Reference

Public Member Functions

```
    def jacobi (A, b, x_current, x_next, n, rel)
        Runs jacobi for every thread in matrix A boundaries.
    def get_error (x_current, x_next, x_error, rows)
        Calculates jacobi's maximum error.
    def start (self, A, b, niter, tol, rel=1)
        Launches parallel jacobi solver for a SLAE and returns its answer.
```

Static Public Attributes

- target
- · nopython

5.9.1 Member Function Documentation

```
5.9.1.1 get_error()
```

Calculates jacobi's maximum error.

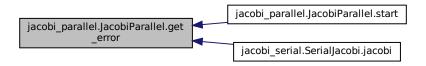
Parameters

x_current	Pointer to list representing current approximation for vector x in a system $Ax = b$.
x_next	Pointer to list representing new approximation for vector x in a system $Ax = b$.
x_error	Pointer to list in which an error for each approximation will be stored.
rows	Coefficient matrix A number of rows.

Returns

None

Here is the caller graph for this function:



5.9.1.2 jacobi()

Runs jacobi for every thread in matrix A boundaries.

Parameters

Α	Coefficient matrix.
b	Linearly independent vector.
x_current	Current answer's approximation.
x_next	vector in which to store new answer.
n	Coefficient matrix' size.
rel	Relaxation coefficient.

Returns

None

Here is the caller graph for this function:



5.9.1.3 start()

Launches parallel jacobi solver for a SLAE and returns its answer.

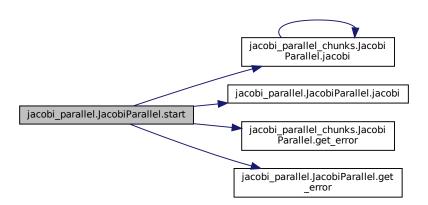
Parameters

Α	Coefficient matrix of a SLAE.
b	Linearly independent vector of a SLAE.
niter	Maximum number of iterations before jacobi stops.
tol	Maximum error reached by jacobi when solving the system
rel	Relaxation coefficient.

Returns

float64[:]

Here is the call graph for this function:



The documentation for this class was generated from the following file:

• jacobi/jacobi_parallel.py

5.10 jacobi_tab.JacobiTab Class Reference

Public Member Functions

def __init__ (self)

- · def get_tab (self)
- def load_matrix (self, widget, data=None)
- def load_vector (self, widget, data=None)
- def jacobi_parallel (self, widget, data=None)
- def jacobi_serial (self, widget, data=None)
- def save (self, widget, data=None)

Public Attributes

- · jacobiParallel
- · jacobiSerial
- niter_entry
- A_matrix
- b_vector
- · x_vector
- · error entry
- · rel entry

The documentation for this class was generated from the following file:

· jacobi/jacobi_tab.py

5.11 lu_decomposition_tab.LUDecompositionTab Class Reference

Public Member Functions

- def init (self)
- def get_tab (self)
- def load_matrix (self, widget, data=None)
- def load_vector (self, widget, data=None)
- def lu_decomposition (self, widget, data=None)
- def serial lu (self, widget, data=None)
- def **substitution** (self, widget, data=None)
- def get_determinant (self, widget, data=None)
- def **get_inverse** (self, widget, data=None)
- def save_lu (self, widget, data=None)
- def save_inverse (self, widget, data=None)
- def **save_x** (self, widget, data=None)

Public Attributes

- · gaussian_lu_decomposition
- · serial lu decomposition
- · A matrix
- · b_vector
- L_matrix
- U_matrix
- inverse
- x vector
- · U

The documentation for this class was generated from the following file:

• lu_decomposition/lu_decomposition_tab.py

5.12 matrix_generator.MatrixGenerator Class Reference

Static Public Member Functions

• def gen_vector (size)

Creates a random vector given a size.

• def gen_dominant (size)

Creates a diagonally dominant matrix given a size.

def gen_symmetric_matrix (size)

Creates a symmetric matrix given a size.

• def gen_random_matrix (size)

Creates a random matrix given a size.

def gen_band_matrix (size, k1, k2)

Creates a band matrix given a size.

def gen_identity_matrix (size)

Creates an identity matrix given a size.

def gen_diagonal_matrix (size)

Creates a diagonal matrix given a size.

def gen_scalar_matrix (size)

Creates a scalar matrix given a size.

• def gen_antisymmetric_matrix (size)

Creates an anti-symmetric matrix given a size.

• def gen_lower_matrix (size)

Creates a lower triangular matrix given a size.

• def gen_upper_matrix (size)

Creates an upper triangular matrix given a size.

5.12.1 Member Function Documentation

5.12.1.1 gen_antisymmetric_matrix()

```
\label{lem:def_matrix_generator_matrix} \mbox{\tt def matrix\_generator.MatrixGenerator.gen\_antisymmetric\_matrix (} \\ size \mbox{\tt )} \mbox{\tt [static]}
```

Creates an anti-symmetric matrix given a size.

Parameters

size Number of rows and columns that the matrix will have.

Returns

float128[:,:], float128[:], float128[:]

5.12.1.2 gen_band_matrix()

```
def matrix_generator.MatrixGenerator.gen_band_matrix ( size, k1, k2 ) [static]
```

Creates a band matrix given a size.

Parameters

size	Number of rows and columns that the matrix will have.
k1	Number of diagonals with non-zero elements below the main diagonal (Inclusive).
k2	Number of diagonals with non-zero elements above the main diagonal (Inclusive).

Returns

```
float128[:,:], float128[:], float128[:]
```

5.12.1.3 gen_diagonal_matrix()

```
\label{lem:def_matrix_generator_matrix} \mbox{def matrix\_generator.MatrixGenerator.gen\_diagonal\_matrix (} \\ size \mbox{)} \mbox{[static]}
```

Creates a diagonal matrix given a size.

Parameters

Returns

```
float128[:,:], float128[:], float128[:]
```

5.12.1.4 gen_dominant()

```
\begin{tabular}{ll} \tt def matrix\_generator.MatrixGenerator.gen\_dominant ( & size ) & [static] \end{tabular}
```

Creates a diagonally dominant matrix given a size.

Parameters

size Number of rows and columns that the matrix w

Returns

```
float128[:,:], float128[:], float128[:]
```

5.12.1.5 gen_identity_matrix()

```
\label{lem:def_matrix_generator_matrix} \mbox{\tt def matrix\_generator.MatrixGenerator.gen\_identity\_matrix} \  \  \, (size \ ) \  \  \, [static]
```

Creates an identity matrix given a size.

Parameters

size Number of rows and columns that the matrix will have.

Returns

```
float128[:,:], float128[:], float128[:]
```

5.12.1.6 gen_lower_matrix()

```
\label{lem:condition} \mbox{def matrix\_generator.MatrixGenerator.gen\_lower\_matrix (} \\ size \mbox{) [static]}
```

Creates a lower triangular matrix given a size.

Parameters

```
size Number of rows and columns that the matrix will have.
```

Returns

```
float128[:,:], float128[:], float128[:]
```

5.12.1.7 gen_random_matrix()

```
\begin{tabular}{ll} \tt def matrix\_generator.MatrixGenerator.gen\_random\_matrix \ ( \\ size \ ) \ [static] \end{tabular}
```

Creates a random matrix given a size.

Parameters

size Number of rows and columns that the matrix will have.

Returns

float128[:,:], float128[:], float128[:]

5.12.1.8 gen_scalar_matrix()

Creates a scalar matrix given a size.

Parameters

size Number of rows and columns that the matrix will have.

Returns

float128[:,:], float128[:], float128[:]

5.12.1.9 gen_symmetric_matrix()

```
def matrix_generator.MatrixGenerator.gen_symmetric_matrix ( size ) [static]
```

Creates a symmetric matrix given a size.

Parameters

size | Number of rows and columns that the matrix will have.

Returns

float128[:,:], float128[:], float128[:]

5.12.1.10 gen_upper_matrix()

```
\label{lem:def_matrix_generator_matrix} \mbox{def matrix\_generator.MatrixGenerator.gen\_upper\_matrix (} \\ size \mbox{)} \mbox{ [static]}
```

Creates an upper triangular matrix given a size.

Parameters

size Number of rows and columns that the matrix will have.

Returns

```
float128[:,:], float128[:], float128[:]
```

5.12.1.11 gen_vector()

```
\begin{tabular}{ll} \tt def matrix\_generator.MatrixGenerator.gen\_vector \ ( \\ size \ ) & [static] \end{tabular}
```

Creates a random vector given a size.

Parameters

```
size Length of the vector that will be created.
```

Returns

float128[:]

The documentation for this class was generated from the following file:

matrix_generator/matrix_generator.py

5.13 matrix_generator_tab.MatrixGeneratorTab Class Reference

Public Member Functions

- def __init__ (self)
- def get tab (self)
- def set_generator (self, button, name)
- def gen_matrix (self, widget, data=None)

Public Attributes

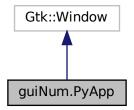
- · matrix_filename_entry
- · vector_filename_entry
- length_entry
- · selected_generator

The documentation for this class was generated from the following file:

• matrix_generator/matrix_generator_tab.py

5.14 guiNum.PyApp Class Reference

Inheritance diagram for guiNum.PyApp:



Collaboration diagram for guiNum.PyApp:



Public Member Functions

• def __init__ (self)

Public Attributes

- · sparse_matrix_tab
- matrix_generator_tab
- · jacobi_tab
- gauss_jordan_tab
- · gaussian_elimination_tab
- lu_decomposition_tab
- blocks_tab

The documentation for this class was generated from the following file:

• guiNum.py

5.15 serial_gaussian_elimination.SerialGaussianElimination Class Reference

Public Member Functions

• def elimination (self, A, b)

Takes a system of linear equations represented by a matrix and a vector and returns the answer applying Gaussian elimination method.

• def partial_pivot (self, A, b, k)

Applies the partial pivot strategy to a system of linear equations.

5.15.1 Member Function Documentation

5.15.1.1 elimination()

```
\begin{tabular}{ll} $\operatorname{def serial\_gaussian\_elimination.SerialGaussianElimination.elimination} & \\ & self, \\ & A, \\ & b \end{tabular}
```

Takes a system of linear equations represented by a matrix and a vector and returns the answer applying Gaussian elimination method.

Parameters

Α	The coefficient matrix of the system.
b	The linearly independent vector.

Returns

float128[:]

Here is the call graph for this function:

```
serial_gaussian_elimination.
SerialGaussianElimination.elimination
SerialGaussianElimination.partial_pivot
```

5.15.1.2 partial_pivot()

```
def serial_gaussian_elimination.SerialGaussianElimination.partial_pivot ( self, \\
```

A,

b,

k)

Applies the partial pivot strategy to a system of linear equations.

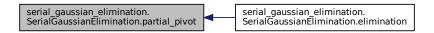
Parameters

Α	The coefficient matrix of the system.
b	The linearly independent vector.
k	The current elimination stage.

Returns

float128[:,:], float128[:]

Here is the caller graph for this function:



The documentation for this class was generated from the following file:

· gaussian_elimination/serial_gaussian_elimination.py

5.16 jacobi_serial.SerialJacobi Class Reference

Public Member Functions

def multiply_matrix_vector (self, A_matrix, b_vector)

Returns the dot product between a matrix and a vector.

def multiply_matrix_matrix (self, matrix1, matrix2)

Returns the dot product between two matrices.

def get_D_and_U (self, matrix)

Split a given matrix into two matrices D and U (lower and upper triangular matrices)

def get_inverse (self, matrixD)

Returns the inverse of a LOWER TRIANGULAR MATRIX.

def sum_vectors (self, vector1, vector2)

Takes two vector and sum them.

def get_error (self, x_vector, xant_vector)

Returns the norm of two given vectors, which represents the error of the current method.

def relaxation (self, x_vector, xant_vector, relaxation)

Applies the relaxation method to Jacobi.

def jacobi (self, A_matrix, b_vector, max_iterations, tolerance, relaxation=1)

Applies Jacobi method to a system of linear equations and returns its answer (except if it was not found), number of iterations executed and the maximum error.

5.16.1 Member Function Documentation

5.16.1.1 get_D_and_U()

Split a given matrix into two matrices D and U (lower and upper triangular matrices)

Parameters

matrix	The matrix to be splitted.
--------	----------------------------

Returns

```
float128[:,:],float128[:,:]
```

Here is the caller graph for this function:

```
jacobi_serial.SerialJacobi.get _____ jacobi_serial.SerialJacobi.jacobi
```

5.16.1.2 get_error()

Returns the norm of two given vectors, which represents the error of the current method.

Parameters

x_vector	The vector of the current stage of the method.
xant_vector	The vector of the previous stage of the method.

Returns

float128

Here is the caller graph for this function:

```
jacobi_serial.SerialJacobi.get _____ jacobi_serial.SerialJacobi.jacobi
```

5.16.1.3 get_inverse()

Returns the inverse of a LOWER TRIANGULAR MATRIX.

Parameters

matrixD The matrix base to calculate the inverse.

Returns

float128[:,:]

Here is the caller graph for this function:

```
jacobi_serial.SerialJacobi.jacobi jacobi_serial.SerialJacobi.jacobi
```

5.16.1.4 jacobi()

```
\begin{tabular}{ll} \tt def jacobi\_serial.SerialJacobi.jacobi \ ( \\ \tt self, \\ \end{tabular}
```

```
A_matrix,
b_vector,
max_iterations,
tolerance,
relaxation = 1)
```

Applies Jacobi method to a system of linear equations and returns its answer (except if it was not found), number of iterations executed and the maximum error.

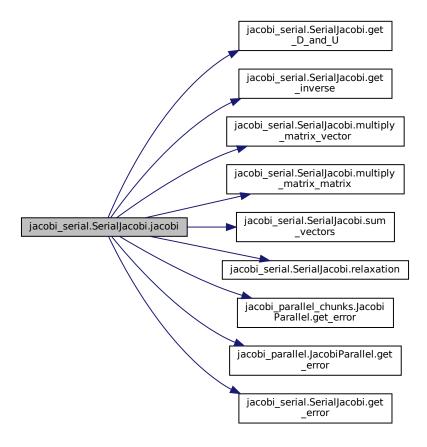
Parameters

A_matrix	The coefficient matrix of the system.
b_vector	The linearly independent vector.
max_iterations	Maximum number of iterations of the method.
tolerance	The tolerance of the method
relaxation	The number that will be used in the relaxation of the method.

Returns

float128[:] or None, int32, float128

Here is the call graph for this function:



5.16.1.5 multiply_matrix_matrix()

Returns the dot product between two matrices.

Parameters

matrix1	The first matrix to be multiplied.
matrix2	The second matrix to be multiplied.

Returns

float128[:]

Here is the caller graph for this function:



5.16.1.6 multiply_matrix_vector()

```
def jacobi_serial.SerialJacobi.multiply_matrix_vector ( self, \\ A\_matrix, \\ b\_vector )
```

Returns the dot product between a matrix and a vector.

Parameters

A_matrix	The matrix to be multiplied.
b_vector	The vector to be multiplied.

Returns

float128[:]

Here is the caller graph for this function:

```
jacobi_serial.SerialJacobi.multiply __matrix_vector jacobi_serial.SerialJacobi.jacobi
```

5.16.1.7 relaxation()

Applies the relaxation method to Jacobi.

Parameters

x_vector	The vector of the current stage of the method.
xant_vector	The vector of the previous stage of the method.
relaxation	The number that will be used in the relaxation of the method.

Returns

float128[:]

Here is the caller graph for this function:



5.16.1.8 sum_vectors()

Takes two vector and sum them.

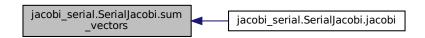
Parameters

vector1	The first vector to be added.
vector2	The second vector to be added.

Returns

float128[:]

Here is the caller graph for this function:



The documentation for this class was generated from the following file:

· jacobi/jacobi_serial.py

5.17 serial_decomposition_LU.SerialLUDecomposition Class Reference

Public Member Functions

```
    def decomposition_LU (self, A)
```

Splits a given matrix into two matrices (lower and upper triangular matrices).

```
    def solve_system (self, L, U, b)
```

Solves a LU system.

5.17.1 Member Function Documentation

5.17.1.1 decomposition_LU()

```
def serial_decomposition_LU.SerialLUDecomposition.decomposition_LU ( self, \\ A \ )
```

Splits a given matrix into two matrices (lower and upper triangular matrices).

It is based on multiplication of matrices.

Parameters

A The coefficient matrix to be splited.

Returns

```
float128[:,:], float128[:,:]
```

5.17.1.2 solve_system()

Solves a LU system.

Parameters

L	The lower triangular matrix of the system.
U	The upper triangular matrix of the system.
b	Linearly independent vector.

Returns

float128[:]

The documentation for this class was generated from the following file:

• lu_decomposition/serial_decomposition_LU.py

5.18 sparse_matrix.SparseMatrix Class Reference

Public Member Functions

• def create_sparse_matrix (self, filename, matrix_length, density)

Creates a sparse matrix with CSR format (four arrays)

• def load_sparse_matrix (self, filename)

Takes a file and get the values array of it.

• def multiply (self, filename_matrix, vector)

Takes a file with a sparse matrix in CSR format and multiply it with a vector.

Static Public Member Functions

• def gen_vector (size)

Creates a random vector given a size.

5.18.1 Member Function Documentation

5.18.1.1 create_sparse_matrix()

Creates a sparse matrix with CSR format (four arrays)

Parameters

filename	The file name where will be stored the final result.
matrix_length	The length of the matrix.
density	percentage of non-zeros elements

Returns

float128[:,:], str, float128[:], float128[:]

5.18.1.2 gen_vector()

```
\label{lem:condition} \mbox{def sparse\_matrix.SparseMatrix.gen\_vector (} \\ size \mbox{)} \mbox{ [static]}
```

Creates a random vector given a size.

Parameters

size	Length of the vector that will be created.
------	--

Returns

float128[:]

5.18.1.3 load_sparse_matrix()

Takes a file and get the values array of it.

Parameters

The file name where arrayes are stored.	filen
---	-------

Returns

None

5.18.1.4 multiply()

Takes a file with a sparse matrix in CSR format and multiply it with a vector.

Parameters

filename_matrix	The filename where the CSR matrix is located.
vector	The vector to multiply with the matrix

Returns

128[:]

The documentation for this class was generated from the following file:

• sparse_matrices/sparse_matrix.py

5.19 sm_testCSR.SparseMatrix Class Reference

Public Member Functions

• def create_sparse_matrix (self, filename, matrix_length, density)

The documentation for this class was generated from the following file:

sparse_matrices/sm_testCSR.py

5.20 sm_test.SparseMatrix Class Reference

Public Member Functions

• def create_sparse_matrix (self, filename, matrix_length, density)

The documentation for this class was generated from the following file:

· sparse_matrices/sm_test.py

5.21 sparse_matrix_tab.SparseMatrixTab Class Reference

Public Member Functions

- def __init__ (self)
- def get_sparse_tab (self)
- def create_sparse_matrix (self, widget, data=None)
- def **multiply** (self, widget, data=None)
- def save_result (self, widget, data=None)

Public Attributes

- sparseMatrix
- · filename_entry
- · matrix_length_entry
- matrix_density_entry
- · filename
- res

The documentation for this class was generated from the following file:

• sparse_matrices/sparse_matrix_tab.py

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