PROOF ENGINEERING TOOLS FOR A NEW ERA

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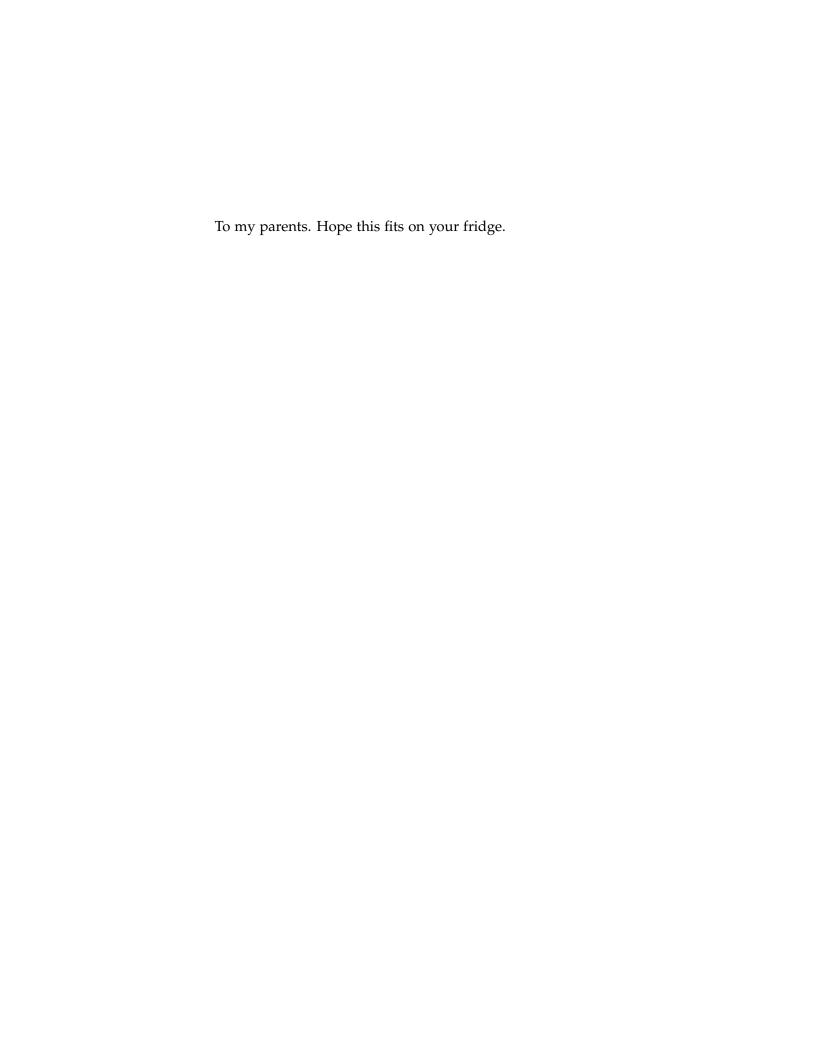
ABSTRACT

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Chairs of the Supervisory Committee: TODO Computer Science & Engineering

Abstract will go here.



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1

INTRODUCTION

Motivation for verifying systems

Era of scale—enter proof engineering [4]

Looking back (Social Processes [2]), development has come a long way, but maintenance is still hard! And this is a problem in practice!

But missed opportunity: automation doesn't understand that proofs evolve

So we build automation that does, and we call this proof repair. Proof repair shows that there is reason to believe that verifying a modified system should often, in practical use cases, be easier than verifying the original the first time around.

Or, in other words (thesis statement): Changes in programs, specifications, and proofs carry information that a tool can extract, generalize, and apply to fix other proofs broken by the same change. A tool that automates this can save work for proof engineers relative to reference manual repairs in practical use cases.

Key technical bit: differencing and program transformations, taking advantage of the rich and structured language proofs are written in.

We implement this in a tool suite for Coq, get some sweet results.

Pave path to the next era of verification

READING GUIDE

How to read this thesis

Mapping of papers to chapters

Authorship statements for included paper materials, to credit coauthors

Expected reader background & where to find more info

MOTIVATING PROOF REPAIR

Before we talk more about proof repair, it helps to know what it's like to develop and maintain proofs to begin with, and what happens under the hood when you do that. This chapter gives you that context, then explains the high-level approach to proof repair that builds on that.

2.1 PROOF DEVELOPMENT

Cartoon version of development: program, spec, proof

Proof assistants: short overview of foundations & different options (survey paper), then say focus on Coq

Slightly less brief overview of Coq and its foundations and automation and so on (including proof terms), going through a running example of proof development in Coq

2.2 PROOF MAINTENANCE

Problem is when something changes—change something in running example

There are a lot of development processes people use to make proofs less likely to break to begin with (survey paper)

But still, even with these, the reality: This happens all the time (REPLICA)

And in fact not just after developing a proof, but during development too (REPLICA)

And breaks proofs even for experts (REPLICA)

And it's an extra big problem when you have a large development and the changes are outside of your control

Hence Social Processes

Why automation breaks, even with good development processes Hence proof repair—smarter automation

2.3 PROOF REPAIR

Name inspired by program repair, but quite different as we'll soon see.

Recall thesis: Changes in programs, specifications, and proofs carry information that a tool can extract, generalize, and apply to fix other proofs broken by the same change. A tool that automates this can save work for proof engineers relative to reference manual repairs in practical use cases.

Proof repair accomplishes this using a combination of differencing and program transformations.

Differencing extracts the information from the change in program, specification, or proof.

The transformations then generalize that information to a more general fix for other proofs broken by the same change.

The details of applying the fix vary by the kind of fix, as we'll soon see.

Crucially, all of this happens over the proof terms in this rich language we saw in the Development section. This is kind of the key insight that makes it all work.

This is great because this language gives us so much information and certainty. This helps us with two of the biggest challenges from program repair. (generals related work)

But it's also challenging because this language is so unforgiving. Plus, in the end, we need these tactic proofs, not just proof terms. So we can't just reuse program repair tools. (generals related work)

So next two chapters will show two tools in our tool suite that work this way, how they handle these challenges, and how they save work.

PROOF REPAIR BY EXAMPLE

The first tool (PUMPKIN PATCH) focuses on changes in programs and specifications, though these changes are limited in scope as we'll see later.

What this tool does is, when programs and specifications change and this breaks a lot of proofs, it lets the proof engineer fix just one of those proofs. It then generalizes the example patch into something that can fix other proofs broken by the same change.

So in other words, the information from those changes is carried in the difference between the old and new version of the example patched proof. PUMPKIN PATCH generalizes that information.

Application can be automated in some cases at the end, or it can be manual.

The work saved is shown retroactively on case studies replaying changes from large proof devleopments in Git. Results for this tool are preliminary compared to what we'll see later, since this was the first prototype.

3.1 MOTIVATING EXAMPLE

Traditional proof automation considers only the current state of theorems, proofs, and definitions. This is a missed opportunity: verification projects are rarely static. Like other software, these projects evolve over time.

With traditional proof automation, the burden of change largely falls on proof engineers. This does not have to be true. Proof automation can view theorems, proofs, and definitions as fluid entities: when a proof or specification changes, a tool can search the difference between the old and new versions for a *reusable patch* that can fix broken proofs.

WITHOUT PROOF REPAIR Experienced Coq programmers use design principles and custom tactics to make proofs resilient to change. These techniques are useful for large proof developments, but they place the burden of change on the programmer. This can be problematic when change occurs outside of the programmer's control.

Figure 1: Old (left) and new (right) definitions of IZR in Coq. The old definition applies injection from naturals to reals and conversion of positives to naturals; the new definition applies injection from positives to reals.

Consider a commit from the Coq 8.7 release [3]. This commit redefined injection from integers to reals (Figure 1). This change broke 18 proofs in the standard library.

The Coq developer who committed the change fixed the broken proofs, then made an additional 12 commits to address the change in coq-contribs, a regression suite of projects that the Coq developers maintain as versions change. Many of these changes were simple. For example, the developer wrote a lemma that describes the change:

```
Lemma INR_IPR : \forall p, INR (Pos.to_nat p) = IPR p.
```

The developer then used this lemma to fix broken proofs within the standard library. For example, one proof broke on this line:

```
rewrite Pos2Nat.inj_sub by trivial.X
```

It succeeded with the lemma:

```
rewrite <- 3!INR_IPR, Pos2Nat.inj_sub by trivial.√
```

These changes are outside-facing: Coq users have to make similar changes to their own proofs when they update from Coq 8.6 to Coq 8.7. The Coq developer can update some tactics to account for this, but it is impossible to account for every tactic that users could use. Furthermore, while the developer responsible for the changes knows about the lemma that describes the change, the Coq user does not. The Coq user must determine how the definition has changed and how to address the change, perhaps by reading documentation or by talking to the developers.

WITH PROOF REPAIR When a user updates the Coq standard library, a proof repair tool can determine that the definition has changed, then analyze changes in the standard library and in coq-contribs that resulted from the change in definition (in this case, rewriting by the lemma). It can extract a reusable patch from those changes, which it can automatically apply within broken user proofs. The user never has to consider how the definition has changed.

3.2 APPROACH

In the example from Section 3.1, we can see how the example change in one proof carries enough information to fix other proofs broken by the same change (namely the rewrite by INR_IPR). So a tool can extract that, generalize it, and use it to fix other proofs broken by the same change.

The key insight behind Pumpkin's approach is that this is true more generally. To use Pumpkin, the programmer modifies a single proof script to provide an *example* of how to adapt a proof to a change. Pumpkin extracts that information into a *patch candidate*—which is localized to the context of the example, but not enough to fix other proofs broken by the change. It then generalizes that candidate into a *reusable patch*: a function that can be used to fix other broken proofs broken by the same change, which Pumpkin defines as a Coq term.

In other words, looking back to the thesis statement, the information shows up in the difference between versions of the example patched proof. Pumpkin can extract and generalize that information. Application works with hint databases or is manual. Here is the system diagram for Pumpkin. The Pumpkin repository contains a detailed user guide.

As mentioned earlier, Pumpkin does this using a combination of semantic differencing and program transformations. Differencing looks at the difference between versions of the example patched proof for this information, and finds the candidate. Then, program transformations modify that candidate to produce the reusable proof patch.

And of course all of this happens over proof terms, since tactics might hide necessary in information. Of course this is hard to see on the example from Section 3.1, since we were lucky enough to see the difference in tactics here. Let's look at a toy example for which that isn't true.

To motivate this workflow, consider using Pumpkin to search the proofs in Figure 2 for a patch between conclusions. Except we will show a place where the lemma is actually applied. Note that the tactics don't change even though the terms do—and even though the change could break other proofs.

So what do we do? We invoke the plugin using old and new as the example change:

Patch Proof old new as patch.

Pumpkin first determines the type that a patch from new to old should have. To determine this, it semantically *diffs* the types and finds this goal type (line 2):

```
\forall n m p, n <= m -> m <= p -> n <= p -> n <= p + 1
```

It then breaks each inductive proof into cases and determines an intermediate goal type for the candidate. In the base case, for example,

```
1 Theorem old: \forall (n m p : nat),
     n \ll m \gg m \ll p \gg
                                      1 Theorem new: \forall (n m p : nat
     n \le p + 1.
                                           ), n <= m \rightarrow m <= p \rightarrow
                        (* P p *)
                                           n \le p.
3 Proof.
                                           (* P' p *)
    intros. induction HO.
                                      3 Proof.
5
     - auto with arith.
                                          intros. induction HO.
6
     - constructor. auto.
                                           - auto with arith.
7 Qed.
                                      6
                                           - constructor. auto.
8
                                      7
                                         Qed.
  fun (n m p : nat) (H : n <= m</pre>
                                      8
    ) (H0 : m \le p) =>
                                      9 fun (n m p : nat) (H : n <=
10
    le_ind
                                           m) (H0 : m \le p) =>
11
       m
                                      10
                                           le_ind
                                 (*
                                      11
                                           (*m*)
12
                                      12
       (fun p0 \Rightarrow n \leq p0 + 1)
                                             (fun p0 \Rightarrow n \leq p0)
        (* P *)
                                           (* P' *)
       (le_plus_trans n m 1 H)
13
                                             Η
                                           (* : P' m *)
(fun (m0 : nat) (_ : m
        (* : P m *)
       (fun (m0 : nat) (_ : m <=
14
                                           \leq m0) (IHle : n \leq m0) \Rightarrow
     m0) (IHle : n \le m0 + 1) =>
15
         le_S n (m0 + 1) IHle)
                                               le_S n m0 IHle)
16
                                      16
                                             р
                                 (*
                                           (* p *)
                                      17
    p *)
HO
                                             НО
17
```

Figure 2: Two proofs with different conclusions (top) and the corresponding proof terms (bottom) with relevant type information. We highlight the change in theorem conclusion and the difference in terms that corresponds to a patch.

it *diffs* the types and determines that a candidate between the base cases of new and old should have this type (lines 11 and 12):

```
(fun p0 \Rightarrow n \leq p0) m \rightarrow (fun p0 \Rightarrow n \leq p0 + 1) m
```

It then *diffs* the terms (line 13) for such a candidate:

```
fun n m p H0 H1 =>
  (fun (H : n <= m) => le_plus_trans n m 1 H)
: ∀ n m p, n <= m -> m <= p -> n <= m -> n <= m + 1</pre>
```

This candidate is close, but it is not yet a patch. This candidate maps base case to base case (it is applied to m); the patch should map conclusion to conclusion (it should be applied to p).

This is where the transformations come in. There are four:

- 1. Patch specialization to arguments
- 2. Patch abstraction of arguments or functions
- 3. *Patch inversion* to reverse a patch
- 4. Lemma factoring to break a term into parts

Here, Pumpkin *abstracts* this candidate by m (line 11), which lifts it out of the base case:

```
fun n0 n m p H0 H1 =>
  (fun (H : n <= n0) => le_plus_trans n n0 1 H)
: ∀ n0 n m p, n <= m -> m <= p -> n <= n0 -> n <= n0 + 1</pre>
```

Pumpkin then *specializes* this candidate to p (line 16), the argument to the conclusion of le_ind. This produces a patch:

```
patch n m p H0 H1 := 
 (fun (H : n <= \overline{p}) => le_plus_trans n \overline{p} 1 H)
 : \forall n m p, n <= m -> m <= p -> n <= \overline{p} -> n <= \overline{p} + 1
```

The user can then use patch to fix other broken proofs. For example, given a proof that applies old, the user can use patch to prove the same conclusion by applying new:

```
apply old.√
apply patch. apply new.√
```

This can happen automatically through hint databases.

This simple example uses only two transformations. The other transformations help turn candidates into patches in similar ways. We discuss all of this in detail later.

CONFIGURATION The components come together to form a proof patch finding procedure:

```
Pseudocode: find_patch(term, term', direction)
```

- 1: diff types of term and term' for goals
- 2: diff term and term' for candidates
- 3: if there are candidates then
- 4: factor, abstract, specialize, and/or invert candidates
- 5: **if** there are patches **then return** patches
- 6: return failure

Pumpkin infers a *configuration* from the example change. This configuration customizes the highlighted lines for an entire class of changes: It determines what to diff on lines 1 and 2, and how to use the components on line 4.

For example, to find a patch for Figure 2, Pumpkin used the configuration for changes in conclusions of two proofs that induct over the same hypothesis. Given two such proofs:

```
\forall x, H x -> \stackrel{P}{P} x
```

Pumpkin searches for a patch with this type:

```
\forall x, H x -> P' x -> P x
```

using this configuration:

```
1: diff conclusion types for goals
```

- 2: diff conclusion terms for candidates
- 3: if there are candidates then
- 4: abstract and then specialize candidates

Later we will see real-world examples that demonstrate more configurations.

3.3 DIFFERENCING

The tool should be able to identify the semantic difference between terms. The semantic difference is the difference between two terms that corresponds to the difference between their types. Consider the base case terms in Figure 2 (line 13):

```
le_plus_trans n m 1 H : n <= m + 1
    H : n <= m</pre>
```

The semantic differencing component first identifies the difference in their types, or the *goal type*:

```
n \le m -> n \le m + 1
```

It then finds a difference in terms that has that type:

```
fun (H : n <= m) => le_plus_trans n m 1 H
```

This is the *candidate* for a reusable patch that the other components modify to find a patch.

Differencing operates over terms and types. Differencing tactics is insufficient, since tactics and hints may mask patches (line 5).¹ Furthermore, differencing is aware of the semantics of terms and types. Simply exploring the syntactic difference makes it hard to identify which changes are meaningful. For example, in the inductive case (line 14), the inductive hypothesis changes:

```
... (IHle : n \le m0 + 1) ... (IHle : n \le m0) ...
```

¹ Since this is a simple example, replaying an existing tactic happens to work. There are additional examples in the repository (Cex.v).

However, the type of IHle changes for *any* two inductive proofs over le with different conclusions. A syntactic differencing component may identify this change as a candidate. Our semantic differencing component knows that it can ignore this change.

Plus parts of Inside the Core, Testing Boundaries, Future Work How differencing works in detail

Limitations and whether they're addressed in later tools yet or not

3.4 TRANSFORMATION

PATCH SPECIALIZATION The tool should be able to specialize a patch candidate to specific arguments as determined by the differences in terms. To find a patch for Figure 2, for example, Pumpkin must specialize the patch candidate to p to produce the final patch.

PATCH ABSTRACTION A tool should be able to abstract patch candidates of this form by the common argument:

```
candidate : P' t \rightarrow P t candidate_abs : \forall t0, P' t0 \rightarrow P t0
```

and it should be able to abstract patch candidates of this form by the common function:

```
candidate : P t' \rightarrow P t candidate_abs : \forall PO, PO t' \rightarrow PO t
```

This is necessary because the tool may find candidates in an applied form. For example, when searching for a patch between the proofs in Figure 2, Pumpkin finds a candidate in the difference of base cases. To produce a patch, Pumpkin must abstract the candidate by the argument m. Abstracting candidates is not always possible; abstraction will necessarily be a collection of heuristics.

PATCH INVERSION The tool should be able to invert a patch candidate. This is necessary to search for isomorphisms. It is also necessary to search for implications between propositionally equal types, since candidates may appear in the wrong direction. For example, consider two list lemmas (we write length as len):

```
old : \forall 1' 1, len (1' ++ 1) = len 1' + len 1 new : \forall 1' 1, len (1' ++ 1) = len 1' + len (rev 1)
```

If Pumpkin searches the difference in proofs of these lemmas for a patch from the conclusion of new to the conclusion of old, it may find a candidate *backwards*:

```
candidate 1' 1 (H : old 1' 1) :=
  eq_ind_r ... (rev_length 1)
: ∀ 1' 1, old 1' 1 -> new 1' 1
```

The component can invert this to get the patch:

```
patch 1' 1 (H : new 1' 1) :=
   eq_ind_r ... (eq_sym (rev_length 1))
: ∀ 1' 1, new 1' 1 -> old 1' 1
```

We can then use this patch to port proofs. For example, if we add this patch to a hint database [1], we can port this proof:

```
Theorem app_rev_len : ∀ 1 l',
  len (rev (l' ++ l)) = len (rev l) + len (rev l').
Proof.
  intros. rewrite rev_app_distr. apply old.√
Qed.

to this proof:

Theorem app_rev_len : ∀ 1 l',
  len (rev (l' ++ l)) = len (rev l) + len (rev l').
Proof.
  intros. rewrite rev_app_distr. apply new.√
Qed.
```

Rewrites like candidate are *invertible*: We can invert any rewrite in one direction by rewriting in the opposite direction. In contrast, it is not possible to invert the patch Pumpkin found for Figure 2. Inversion will necessarily sometimes fail, since not all terms are invertible.

LEMMA FACTORING The tool should be able to factor a term into a sequence of lemmas. This can help break other problems, like abstraction, into smaller subproblems. It is also necessary to invert certain terms. Consider inverting an arbitrary sequence of two rewrites:

```
t := eq_ind_r G ... (eq_ind_r F ...)
```

We can view t as a term that composes two functions:

```
g := eq_ind_r G ...
f := eq_ind_r F ...
t := g o f
```

The inverse of t is the following:

```
t^{-1} := f^{-1} \circ g^{-1}
```

To invert t, Pumpkin identifies the factors [f; g], inverts each factor to $[f^{-1}; g^{-1}]$, then folds and applies the inverse factors in the opposite direction.

plus parts of PUMPKIN PATCH Inside the Core, Testing Boundaries, Future Work

How the four transformations work in detail

Limitations and whether they're addressed in later tools yet or not

3.5 IMPLEMENTATION

parts of PUMPKIN PATCH Inside the Core, plus more

- 3.5.1 Tool Details
- 3.5.2 Workflow Integration
- 3.6 RESULTS

PUMPKIN PATCH Case Studies, key technical results

3.7 CONCLUSION

Rehashing thesis and how we do it What we haven't accomplished yet at this point (parts of PUMPKIN PATCH future work), segue into next chapter

PROOF REPAIR ACROSS TYPE EQUIVALENCES

This extension to the suite adds support for a broad class of changes in datatypes, handling a large class of practical repair scenarios. What this tool (PUMPKIN Pi) does is, when datatypes change and this breaks a lot of proofs, it generalizes the change in datatype itself (possibly with some user input) so that it can automatically fix proofs broken by the change in datatype.

So in other words, the information from those changes is carried in the difference between the old and new version of the changed datatype, possibly with some user input.

PUMPKIN Pi generalizes that information and applies it automatically.

The work saved is shown on a lot of case studies (see Table from PUMPKIN Pi).

4.1 MOTIVATING EXAMPLE

PUMPKIN Pi motivating example

4.2 APPROACH

Parts of PUMPKIN Pi intro, problem definition, plus more

Like I mentioned earlier, this also works using differencing and program transformations. And of course all of this happens over proof terms.

Here's the system diagram.

Here, differencing thus looks at the difference between versions of the changed datatype, and finds something called a type equivalence. I'll explain that with examples. Sometimes differencing is automatic, and sometimes it's manual.

Then, program transformation ports proofs across the equivalence directly. So they take care of application.

4.3 DIFFERENCING

DEVOID 3.1 and 4.1, with some more general things from PUMPKIN Pi and more.

How differencing works in detail Limitations and whether they're addressed in other tools yet or not

4.4 TRANSFORMATION

Parts of PUMPKIN Pi Transformation, with DEVOID 3.2 and 4.2 as examples, plus some of the beautiful Carlo theory to explain why we go from equivalences to configurations and what that really means

How the transformation works in detail

Limitations and whether they're addressed in other tools yet or not

4.5 IMPLEMENTATION

Parts of PUMPKIN Pi and DEVOID implementation, plus more

4.5.1 Tool Details

4.5.2 Workflow Integration

PUMPKIN Pi Decompiler and Implementation

4.6 RESULTS

PUMPKIN Pi Case Studies, key technical results

4.7 CONCLUSION

Rehashing thesis and how we do it

What we got here beyond what we had in PUMPKIN PATCH, segue into next chapter

5

RELATED WORK

5.1 PROGRAMS

Program Refactoring

Program Repair

Ornaments

Programming by Example

Differencing & Incremental Computation

5.2 PROOFS

Proof Reuse

Proof Refactoring

Proof Repair

Proof Design

Proof Automation

Transport

Parametricity

Refinement

CONCLUSIONS & FUTURE WORK

Reflect on thesis statement and explain how we got it exactly now that you know everything

But I want to spend the resst of this thesis talking about the next era of verification so I can write out a bunch of ideas for students who might want to work with me

THE NEXT ERA: PROOF ENGINEERING FOR ALL

Future Work from many papers, plus research statement, DARPA thoughts, plus more, but trimmed down a lot

What I want in the long run, how this all fits in, is a world of proof engineering for all. From research statement, three rings (four including experts in the center).

And what we have so far with my thesis is a world where it's easier for experts and a bit easier for practitioners, but there's still a lot left to go building on it.

So here are 12 short future project summaries that reach each of these tiers, building that world. Super please contact me if any of these seem fun to you.

Proof Engineering for Experts

Unifying theme: lateral reach. Some examples:

MORE PROOF ASSISTANTS Thoughts from PUMPKIN Pi on Isabelle/HOL, future work from PUMPKIN PATCH.

MORE CHANGES Version updates, isolating large changes (PUMP-KIN PATCH), relations more general than equivalences (PUMPKIN Pi).

MORE STYLES ML for decompiler (PUMPKIN Pi, REPLICA): more for diverse proof styles (PUMPKIN PATCH). Note that this is a WIP, but sketch out project, challenges, future ideas, expectations, evaluation a bit.

Proof Engineering for Practitioners

Unifying theme: usability. Some examples:

AUTOMATION More search procedures for automatic configuration, e-graphs from PUMPKIN Pi, custom unification heuristics.

INTEGRATION IDE & CI integration, HCI for repair.

EVALUATION repair challenge, user studies ideas (PUMPKIN PATCH, REPLICA, panel w/ Benjamin Pierce, QED at large). (maybe look for more ideas, this can be merged with integration if need be).

Proof Engineering for Software Engineers

Unifying theme: mixed methods verification, or the 2030 vision from Twitter thread. Some examples:

GRADUAL VERIFICATION A continuum from testing to verification, tools to help with that.

TOOL-ASSISTED PROOF DEVELOPMENT Tool-assisted development to follow good design principles for verificattion (James Wilcox conversation, final REPLICA takeaway).

SPECIFICATION INFERENCE Analysis to infer specs (TA1).

Proof Engineering for New Domains

Unifying theme: collaboration, new abstractions for new domains). Some examples:

MACHINE LEARNING Fairification & other ML correctness properties. Some stuff here but more.

CRYPTOGRAPHY Lots of stuff here but not thinking broadly enough. What about cryptographic proof systems? ZK and beyond. Recall email thread.

SOMETHING ELSE Look for more in survey paper, email, DARPA TAs, Twitter. Healthcare perhaps?

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