Conditional GANs

Taking control of the output



Image to image translation



Image to image translation





Retail



Image to image translation





Retail



Image completion



Image to image translation





Retail



Image completion



Text to image synthesis

Some Examples



Image to image translation [1]





[2] Retail



Image completion [3]



Text to image synthesis [4]

More Examples

More Examples

Semi-supervised learning

Image blending

Image inpainting

Super resolution

Semantic segmentation

Object detection

Texture synthesis and style transfer

...

More Examples

Semi-supervised learning

Image blending

Image inpainting

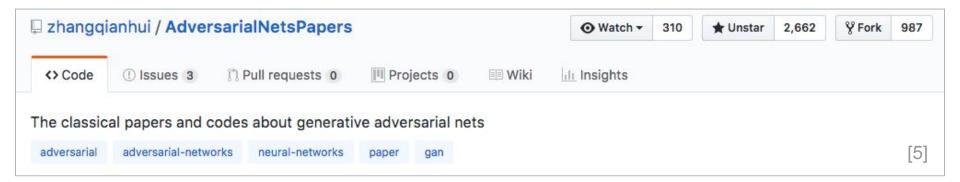
Super resolution

Semantic segmentation

Object detection

Texture synthesis and style transfer

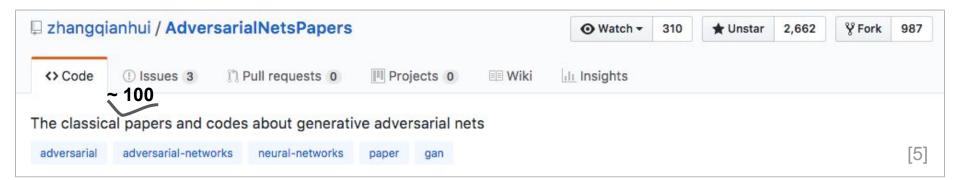
...



More Examples

Semi-supervised learning
Image blending
Image inpainting
Super resolution
Semantic segmentation
Object detection
Texture synthesis and style transfer

...

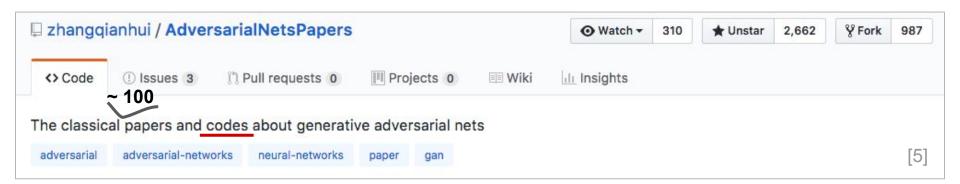


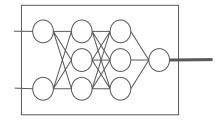
More Examples

Semi-supervised learning
Image blending
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Super resolution
Semantic segmentation

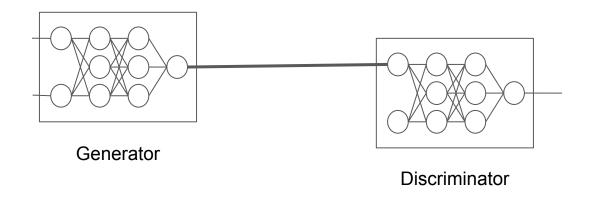
Object detection

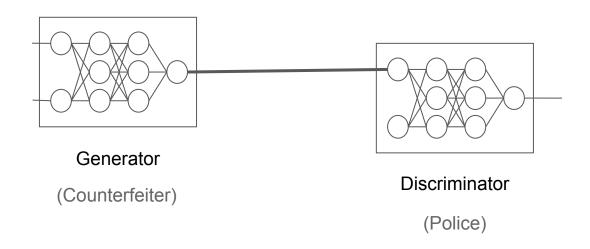
Texture synthesis and style transfer



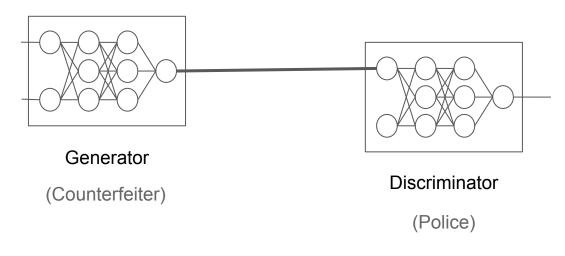


Generator



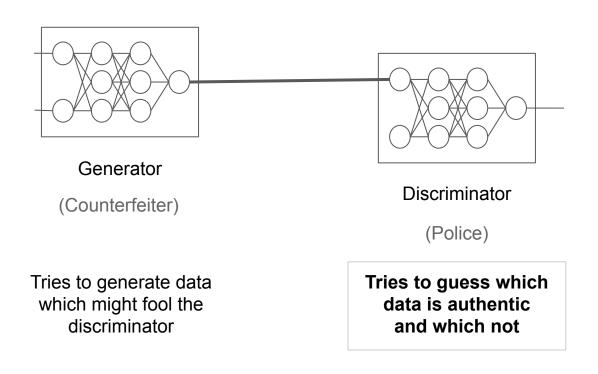


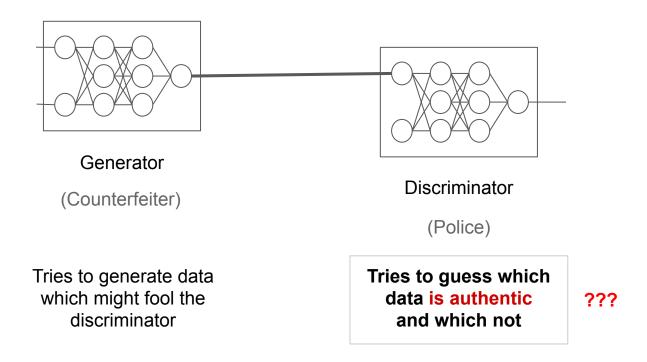
Architecture

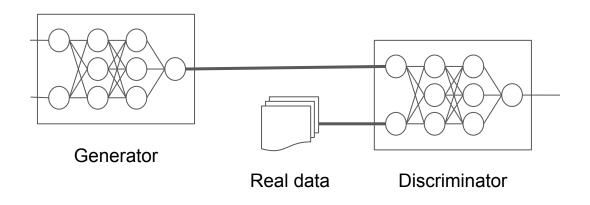


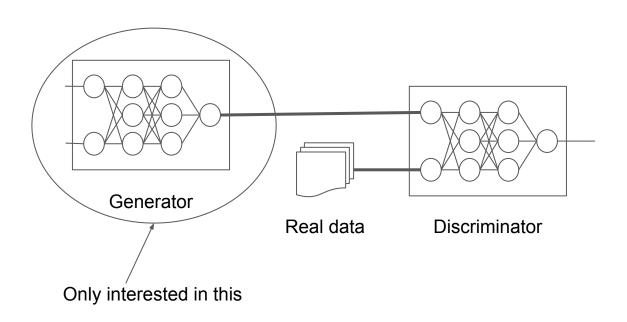
Tries to generate data which might fool the discriminator

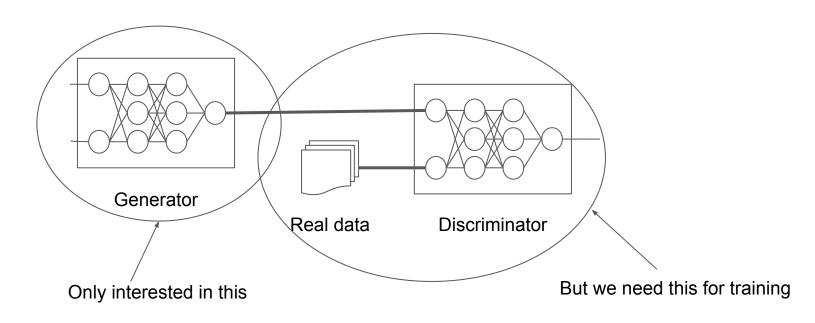
Tries to guess which data is authentic and which not

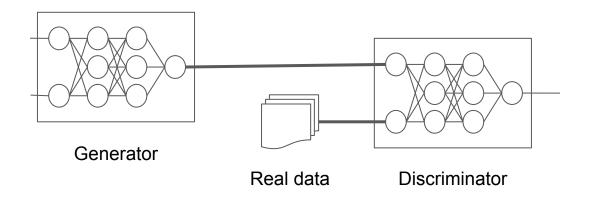


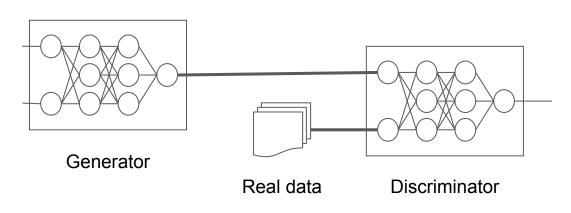




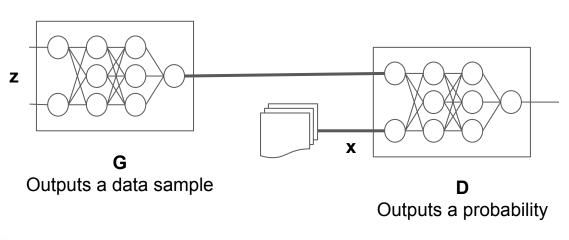




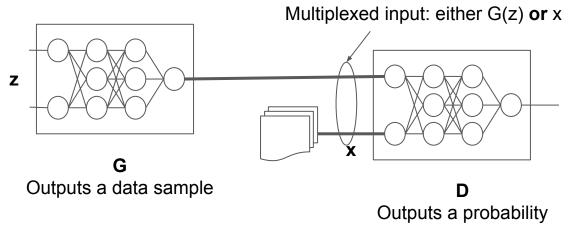




$$\begin{split} J^{(D)} &= -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right) \\ J^{(G)} &= -J^{(D)} \end{split}$$



$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right)$$
$$I^{(G)} = -I^{(D)}$$



$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log (1 - D(G(\boldsymbol{z})))$$
$$J^{(G)} = -J^{(D)}$$

Training

Use SGD-like algorithm of choice on two minibatches simultaneously:

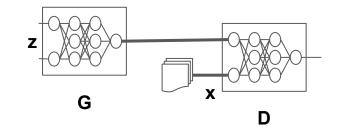
A minibatch of training examples

A minibatch of generated samples

$$J^{(D)} = -rac{1}{2} \mathbb{E}_{oldsymbol{x} \sim p_{ ext{data}}} \log D(oldsymbol{x}) - rac{1}{2} \mathbb{E}_{oldsymbol{z}} \log \left(1 - D\left(G(oldsymbol{z})
ight)
ight)$$

$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log (1 - D(G(\boldsymbol{z})))$$
$$J^{(G)} = -J^{(D)}$$

Inputs		Prediction	Conse	quence
G(z)	x	D	J(D)	J(G)



$$\begin{split} J^{(D)} &= -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right) \\ J^{(G)} &= -J^{(D)} \end{split}$$

2	
G	D D

Inputs		Prediction	Conse	Consequence		
G(z)	x	D	J(D)	J(G)		
✓						

$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right)$$
$$J^{(G)} = -J^{(D)}$$

2	
G	D

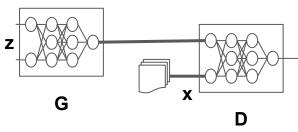
Inputs		Prediction	Consequence	
G(z)	x	D	J(D)	J(G)
✓		G		

$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log (1 - D(G(\boldsymbol{z})))$$
$$J^{(G)} = -J^{(D)}$$

z	
G	X

Inputs		Prediction	Consequence		
G(z)	x	D	J(D)	J(G)	
✓		G			

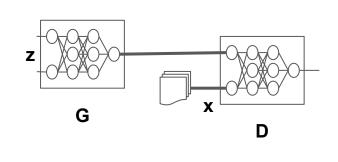
$$egin{aligned} J^{(D)} = & \boxed{-rac{1}{2}\mathbb{E}_{m{x}\sim p_{ ext{data}}}\log D(m{x})} - rac{1}{2}\mathbb{E}_{m{z}}\log\left(1-D\left(G(m{z})
ight)
ight) \ J^{(G)} = & -J^{(D)} \end{aligned}$$



G	x D
$\sigma^{(D)} =$	
$J^{(G)} = -$	$-J^{(D)}$

Inputs		Prediction	Consequence	
G(z)	x	D	J(D)	J(G)
✓		G		

$$-\frac{1}{2}\mathbb{E}_{\boldsymbol{z}}\log\left(1-D\left(G(\boldsymbol{z})\right)\right)$$
 > 0.5



	Inputs		Prediction	Consequence	
	G(z)	x	D	J(D)	J(C
	✓		G		

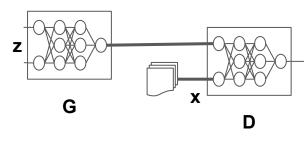
$$J^{(G)} = -J^{(D)}$$

$$-\frac{1}{2}\mathbb{E}_{\boldsymbol{z}}\log\left(1-D\left(G(\boldsymbol{z})\right)\right)$$

$$> 0.5$$

$$< 0.5$$

J(G)



z	X
$J^{(D)} =$	

Inputs		Prediction	Consequence	
G(z)	x	D	J(D)	J(G)
1		G		

$$-\frac{1}{2}\mathbb{E}_{\boldsymbol{z}}\log\left(1-D\left(G(\boldsymbol{z})\right)\right)$$

$$> 0.5$$

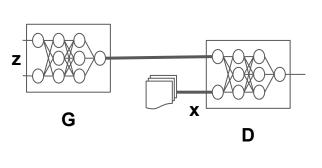
$$\log(<0.5) < \log(>0.5)$$

$$-J^{(D)}$$

2	
G	

Inputs		Prediction	Consequence	
G(z)	x	D	J(D)	J(G)
✓		G	>	

$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right)$$
$$J^{(G)} = -J^{(D)}$$



Inputs		Prediction Consequence		quence
G(z)	x	D	J(D)	J(G)
✓		G	>	
✓		х		>
	✓	G	>	
	✓	х		>
	-	-	G(z) x D	G(z) x D J(D) ✓ G > ✓ G >

$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right)$$
$$J^{(G)} = -J^{(D)}$$

Conclusion:

We (ideally) consider the generator trained when

$$p(D(G(z)) = p(D(x)) = 0.5$$

Inp	uts	Prediction	Conse	quence	
G(z)	x	D	J(D)	J(G)	
√		G	>		
✓		х		>	
	✓	G	>		
	✓	х		>	

$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right)$$

Conclusion:

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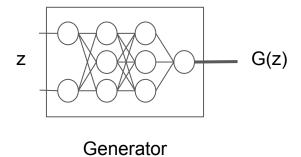
$$p(D(G(z)) = p(D(x)) = 0.5$$

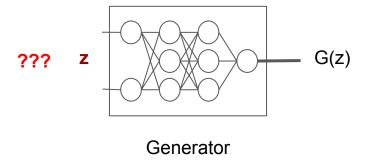
(Nash equilibrium)

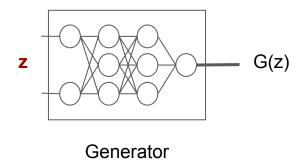
Inputs		Prediction	Consequence	
G(z)	x	D	J(D)	J(G)
✓		G	>	
✓		х		>
	✓	G	>	
	✓	х		>

$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{\boldsymbol{x} \sim p_{\text{data}}} \log D(\boldsymbol{x}) - \frac{1}{2} \mathbb{E}_{\boldsymbol{z}} \log \left(1 - D\left(G(\boldsymbol{z})\right)\right)$$

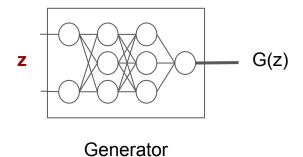
Controlling the output [Mirza et. al]





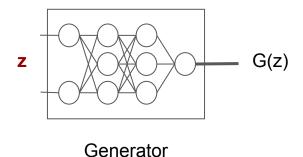


In an uncontrolled environment, z is sampled uniformly from a normal distribution. (latent space/noisy)



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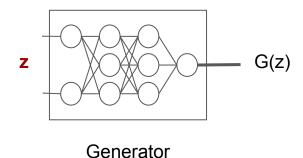
Controlling the output of G means controlling some aspects of its input, z.



In an uncontrolled environment, z is sampled uniformly from a normal distribution. (latent space/noisy)

Controlling the output of G means controlling some aspects of its input, z.

We do this by encoding features of the training data into z along with its normal sampled values.

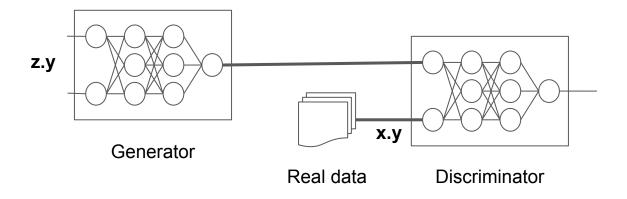


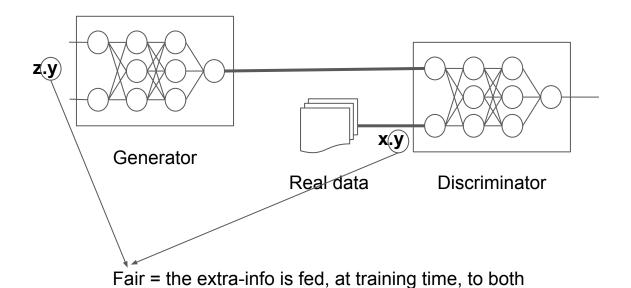
In an uncontrolled environment, z is sampled uniformly from a normal distribution. (latent space/noisy)

Controlling the output of G means controlling some aspects of its input, z.

We do this by encoding features of the training data into z along with its normal sampled values.

In a fair manner!





the generator and the real-sampled data

Code time

Sources

[1] "Unsupervised Image-to-Image Translation Networks" -- Ming-Yu et al. https://arxiv.org/pdf/1703.00848.pdf

[2] "Artificial intelligence can say yes to the dress" -- Quartz article https://qz.com/1090267/artificial-intelligence-can-now-show-you-how-those-pants-will-fit/

[3] "Semantic Image Inpainting with Deep Generative Models" -- Yeh et al. https://arxiv.org/pdf/1607.07539.pdf

[4] "Generative Adversarial Text to Image Synthesis" -- Reed et al. https://arxiv.org/pdf/1605.05396.pdf

Sources (2)

[5] "AdversarialNetsPapers" -- JiChao Zhang https://github.com/zhangqianhui/AdversarialNetsPapers

[6] "Conditional Generative Adversarial Nets" -- Mirza et al. https://arxiv.org/pdf/1411.1784

[7] "Tensorflow Models Github: TfGAN Jupyter Notebook" -- Joel Shor https://github.com/tensorflow/models/blob/master/research/gan/tutorial.ipynb