Calculus I 
$$\int (ax+b)^p dx, \text{ part 4}$$

**Todor Miley** 

2019

Find 
$$\int_1^2 \frac{\mathrm{d}x}{(2-3x)^2}.$$

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$$\int_{1}^{2} \frac{\mathrm{d}x}{(2-3x)^{2}}$$
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- Let u = ?
- Then du = ?

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- Therefore dx = ?

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