## Practice Exercise 7: O-notation

**Exercises a-b.** Suppose that each of the following expressions represents the number of logical operations in an algorithm as a function of *n*, the size of the list being manipulated. For each expression, determine the *dominant term* and then classify the algorithm in *simplified O-notation*.

- (a).  $1000n^3 + n^2 \log_{10} n + 2n^3 \log_2 n + 20200^7$ 
  - 1a. What is the dominant term?
  - 1b. What is the O-notation?
- (b).  $8n^2 + 7^{89}log_8 n + 2^n + 56n^4$ 
  - 2a. What is the dominant term?
  - 2b. What is the O-notation?

**Exercises c-k.** Find the running time (O-notation) in terms of *n* for each section. Do *not* try to understand what the functions do, but simply look at their execution times.

```
int function computation(int result, int n)
{
    for (int i = 3; i <= n; ++i)
        result += i * n;
    return result;
}</pre>
```

```
long factorial (int n)
{
    if (n < = 1)
        return 1;
    else
        return n * factorial (n - 1);
}</pre>
```

```
Exercise (g)

void modifyArray(int a[], int size, int item)
{
    int max = a[0];
    for (int i = 1; i < size / 2; ++i)
    {
        if (max < a[i])
            max = a[i];
    }
    for (int j = 1; j <= size; ++j)
    {
        ++max;
        cout << max;
    }
}</pre>
```

```
bool myFunction (int k)
{
    int x = k + 2;
    while (x > 1) x /= 2;
    return (k > x);
}
```