

**PHYS115 PHYS121 PHYS123
PHYS116 PHYS122 PHYS124
Lab Cover Letter**

Author (You) Trevor N Signature: Trevor N.

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Lab Partner(s) Lauren Lee & Alvin Magata

Date Performed 2024-09-19 Date Submitted 09-26

Lab (such as #1: UNC) 2 - EPF

TA: Eli Doyle

GRADE (to be filled in by your TA) See your TA for detailed feedback.
 An 'x' next to a subcategory means you need to improve this aspect of your work.

Paper Subtotals (points)

- | | |
|--|---|
| <p>() General (6)</p> <p>_____ Sig. figs.</p> <p>_____ Units</p> <p>_____ Clarity of Presentation</p> <p>_____ Format</p> <p>() Abstract (4)</p> <p>_____ Quantity or principle</p> <p>_____ How measurement was made</p> <p>_____ Numerical Results</p> <p>_____ Conclusion</p> <p>() Intro & Theory (9)</p> <p>_____ Basic principle</p> <p>_____ Main equations to be used</p> <p>_____ Apparatus</p> <p>_____ What will be plotted</p> <p>_____ Fitting parameters related</p> <p>() Exp. Procedures (15)</p> <p>_____ Description</p> <p>_____ Stating and justifying uncertainties</p> <p>_____ Data Record</p> <p>_____ Quality of Lab Work</p> <p>() Analysis & Error Analysis (20)</p> <p>_____ Discussion</p> <p>_____ Equations & Calculations</p> <p>_____ Presentation inc. Graphs, Tables</p> <p>_____ Results Reported & Reasonable</p> <p>_____ Underlined items addressed</p> | <p>() Discussion & Conclusions (6)</p> <p>_____ Numerical comparison of results</p> <p>_____ Logical conclusions</p> <p>_____ Discussion of pos. errors</p> <p>_____ Suggestions to reduce errors</p> <p>() Paper Total (60 points) (30 points for CME or EPF)</p> <p>() Notebook (10 points)</p> <p>_____ Format (<i>proper style, following directions</i>)</p> <p>_____ Apparatus (<i>brief description of equipment, including sketches</i>)</p> <p>_____ Data (<i>including computer file names and manually recorded data</i>)</p> <p>_____ Experimental Technique (<i>describing your procedures; stating & justifying uncerts.</i>)</p> <p>_____ Analysis (<i>results and errors</i>)</p> <p>() Worksheet(s)/Fill-in-the-Blank-Report (30 points) if applicable</p> <p>() Adjustments – late submissions, improper procedures, etc. – or bonus points for exceptional work.</p> <p>() Total Grade</p> <p>Graded by _____ (TA's initial)</p> |
|--|---|

2 - EPF

PHYS 122-119B Lab 2: Electric Potential and Fields

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Course & Section: PHYS 122-119B

Station 32

1 Abstract

The purpose of this lab is to experimentally find and confirm the existence and formation of electric potential fields and how its strength falls off with radius squared.

Our results through all three experiments lines up very closely, if not perfectly with our current theoretical understanding of the phenomena of electric potential fields.

2 Theory

2.1 Constants

| | |
|-------------------------|--|
| $V_a = 0 \text{ V}$ | Minimum possible $\Delta\phi$ within the Field |
| $V_b = 15.35 \text{ V}$ | Maximum possible $\Delta\phi$ within the Field |
| $d_d = 7 \text{ cm}$ | Position of point charges for dipole system |
| $d_p = 6 \text{ cm}$ | Position of point charges for dipole system |
| $l_p = 10 \text{ cm}$ | Length of brass plates |

2.2 Formulae

The current understanding of the force of electric charge is as:

$$\vec{F}_{ab} = \frac{1}{4\pi\epsilon_0} \frac{Q_a Q_b}{r^2} \hat{r} \quad \text{Force of electric charge} \quad (2.2.1)$$

Due to the property of superposition of electric charge, this allows us to construct a field at all points as the force is directly related only with position and charge of the point. This field is also conservative, which allows us to construct a relation between position and potential.

This ultimately leaves us with this equation for electrostatic force:

$$\vec{E}(\vec{x}) = \sum_{p=\text{All charges}} \frac{1}{4\pi\epsilon_0} \frac{Q_p}{\|\vec{x} - \vec{x}_p\|^2} \hat{r} \quad \text{Electric field definition} \quad (2.2.2)$$

$$F_{Ea} = \vec{E}(\vec{x})Q \quad \text{Electric force given field} \quad (2.2.3)$$

And this equation for electrostatic potential:

$$\vec{E} = -\frac{dV}{d\vec{x}} \quad \text{Definition of Potential} \quad (2.2.4)$$

$$\phi(\vec{a}) - \phi(\vec{b}) = \int_a^b \vec{E}(\vec{x}) \cdot d\vec{l} \quad \text{Definition of Potential} \quad (2.2.5)$$

$$\phi(\vec{x}) = \sum_{p=\text{All charges}} \frac{1}{4\pi\epsilon_0} \frac{Q_p}{\|\vec{x} - \vec{x}_p\|} \quad \text{Derivation of Potential} \quad (2.2.6)$$

The way we may measure this is by placing a known charge at various points within the field in order to see the potential at that position, in comparison to the lowest or highest potential we can reference through the field.

We may also define equipotential lines as lines where all points that lie on it have equivalent ϕ . Since the field is conservative, this gives us a rough understanding of how the fields flow.

2.3 Derivation of Formulae for specific setups

2.3.1 Point Charge Dipole

Using the superposition principle we can calculate our expected potential between the two point charges.

$$\phi(x) = \frac{V_b}{4\pi\epsilon_0} \left(\frac{1}{|x - d_d|} - \frac{1}{|x + d_d|} \right) + \frac{V_b}{2} \quad \text{Electric Potential} \quad (2.3.1.1)$$

$$\vec{E}(x) = \frac{V_b}{4\pi\epsilon_0} \left(\frac{1}{(x - d_d)^2} - \frac{1}{(x + d_d)^2} \right) \quad \text{Electrostatic force} \quad (2.3.1.2)$$

$$\vec{E}(y) = 0 \quad \text{Electrostatic force} \quad (2.3.1.3)$$

2.3.2 Oppositely Charged Plates

We can now apply the superposition principle to the charged plates

$$\vec{E}(y) = \frac{V_b}{8\pi\epsilon_0 l_p} \left(\frac{1}{(y - d_p)} - \frac{1}{(y + d_p)} \right) \quad \text{Electrostatic force} \quad (2.3.2.1)$$

$$\vec{E}(x) = 0 \quad \text{Electrostatic force} \quad (2.3.2.2)$$

2.3.3 Error Propagation

$$\vec{E} = -\frac{\Delta V}{\Delta x} \quad \text{Electrostatic force} \quad (2.2.4)$$

$$\delta_{\vec{E}} = \sqrt{\left(\frac{\delta_{\Delta V}}{\Delta x}\right)^2 + \left(\frac{\Delta V \delta_{\Delta x}}{\Delta x^2}\right)^2} \quad \text{Error Prop Electrostatic force} \quad (2.3.3.1)$$

$$\delta_{\vec{E}} = \sqrt{2\left(\frac{\delta_V}{\Delta x}\right)^2 + 2\left(\frac{\Delta V \delta_x}{\Delta x^2}\right)^2} \quad \text{Error Prop Electrostatic force} \quad (2.3.3.2)$$

3 Procedure

3.1 Materials

1. Acrylic Tray
2. Cartesian Measuring Plane
3. Two (2) Copper Point Charges
4. Two (2) Copper Line Charges
5. One (1) Hollow Copper Cylinder
6. Multimeter
7. 15v AC Power Supply with electrodes

3.2 General Setup

1. Get a non-conductive tray that is level on the bottom (acrylic) and ensure that a Cartesian Plane is visible at the bottom of the tray
2. Fill the tray with approximately 0.5 cm of tap water, such that it may be lowly conductive
3. For each individual setup, connect the two electrodes of the AC power supply to one of each either point charge or line charge
4. Attach one probe of the Multimeter to one of the electrodes of the power supply and use the other probe to probe points on the surface of the water
5. Ensure the Multimeter setting is in AC Voltage

3.2.1 Dipole Point Charges

1. Place each copper point charge at $x = \pm 7 \text{ cm}$ on the x axis of the cartesian plane
2. Probe the x -axis then the y -axis
3. Probe multiple equipotential lines and mark down their potential and positions

3.2.2 Oppositely Charged Line Charges

1. Place each inner edge of the copper line charge at $y = \pm 6 \text{ cm}$ on the x axis of the cartesian plane, horizontally
2. Probe the x -axis then the y -axis

3. Probe multiple equipotential lines and mark down their potential and positions

3.2.3 Oppositely Charged Line Charges with Hollow Cylinder

1. With the same setup as before, place a hollow cylinder centered on the origin
2. Probe the y -axis
3. Probe random points within the cylinder
4. Probe multiple equipotential lines and mark down their potential and positions

3.3 General Data manipulation

1. Once all data has been collected, calculate the \vec{E} force on all axes using eq. 2.2.4 and 2.3.3.2
2. Compare these data with the expected results obtained from eq. 2.3.1.1, 2.3.1.2, 2.3.1.3, 2.3.2.1, 2.3.2.2

4 Analysis

4.1 Dipole Point Charges

4.1.1 x-axis

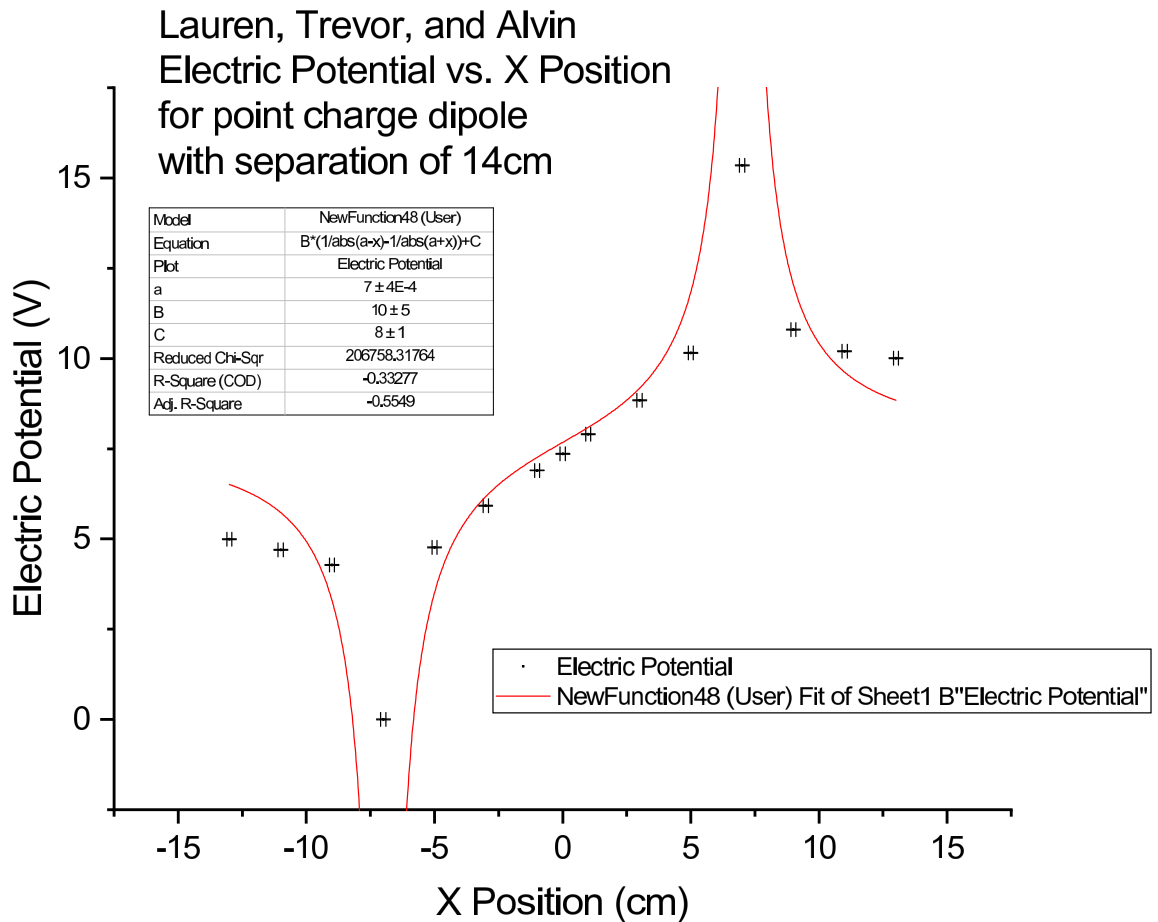
On the x -axis for the two point charges, we should expect the data to follow eq. 2.3.1.2 and 2.3.1.2 for the calculated \vec{E} found using eq. 2.3.3.2 and 2.3.3.2

For our data:

| X Position | Electric Potential | E |
|---------------|--------------------|------------------|
| cm | V | V/cm |
| -13 ± 0.1 | 4.99 ± 0.01 | 0.15 ± 0.01 |
| -11 ± 0.1 | 4.7 ± 0.01 | 0.21 ± 0.02 |
| -9 ± 0.1 | 4.28 ± 0.01 | 2.1 ± 0.2 |
| -7 ± 0.1 | 0 ± 0.01 | -2.4 ± 0.2 |
| -5 ± 0.1 | 4.77 ± 0.01 | -0.58 ± 0.04 |
| -3 ± 0.1 | 5.92 ± 0.01 | -0.49 ± 0.04 |
| -1 ± 0.1 | 6.9 ± 0.01 | -0.46 ± 0.07 |
| 0 ± 0.1 | 7.36 ± 0.01 | -0.54 ± 0.08 |
| 1 ± 0.1 | 7.9 ± 0.01 | -0.47 ± 0.03 |
| 3 ± 0.1 | 8.84 ± 0.01 | -0.66 ± 0.05 |

| X Position | Electric Potential | E |
|--------------|--------------------|-----------------|
| 5 ± 0.1 | 10.15 ± 0.01 | -2.6 ± 0.2 |
| 7 ± 0.1 | 15.35 ± 0.01 | 2.3 ± 0.2 |
| 9 ± 0.1 | 10.8 ± 0.01 | 0.3 ± 0.02 |
| 11 ± 0.1 | 10.2 ± 0.01 | 0.09 ± 0.01 |
| 13 ± 0.1 | 10.01 ± 0.01 | |

We have the following graph with the overlayed expected result:

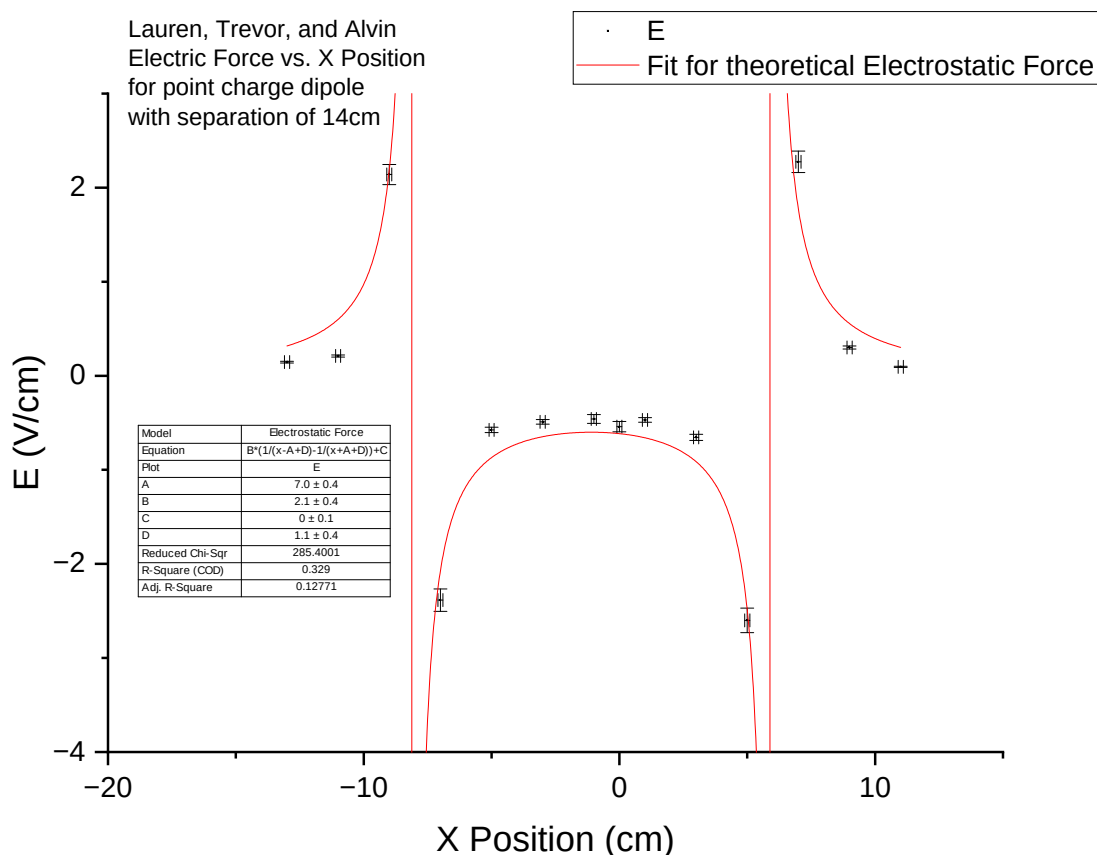


[Diagram 4.1.1.1]

| Property | Value |
|--------------|--|
| Fit Equation | $B \left(\frac{1}{\ A-x\ } - \frac{1}{\ A+x\ } \right) + C$ |
| A | 7.0000 ± 0.0004 |
| B | 10 ± 5 |
| C | 8 ± 1 |
| χ^2 | 206758.31764 |
| r^2 | -0.33277 |

We found this fit to not fit very well, especially with the χ^2 or r^2 metrics, as we are not using point charges and instead cylinders, leading to a significantly different range of possible potentials. We believe the significant χ^2 is due to there being an infinite asymptote where we have a non-infinite value.

We additionally have a graph of our calculated \vec{E} along with its closest fit to eq. 2.3.1.2



[Diagram 4.1.1.2]

| Property | Value |
|--------------|--|
| Fit Equation | $B \left(\frac{1}{x-A+D} - \frac{1}{x+A+D} \right) + C$ |
| A | 7.0 ± 0.4 |
| B | 2.1 ± 0.4 |
| C | 0 ± 0.1 |
| D | 1.1 ± 0.4 |
| χ^2 | 285.4001 |
| r^2 | 0.329 |

Which we find to be very close to the expected result with an r^2 of 0.329 and a low χ^2 of 285.4001.

4.1.2 y-axis

For the y -axis, we expect our $\vec{E} = 0$, which should have our electric potential be constant, calculated using eq. 2.3.3.2 and 2.3.3.2

For our data:

| Y Position | Electric Potential | E |
|---------------|--------------------|--------------------|
| cm | V | V/cm |
| -10 ± 0.1 | 7.44 ± 0.01 | 0.000 ± 0.002 |
| -5 ± 0.1 | 7.44 ± 0.01 | -0.002 ± 0.002 |
| 0 ± 0.1 | 7.45 ± 0.01 | 0.022 ± 0.002 |
| 5 ± 0.1 | 7.34 ± 0.01 | 0.018 ± 0.002 |
| 10 ± 0.1 | 7.25 ± 0.01 | |

We see that our \vec{E} is fairly consistently close to 0

4.1.3 Equipotential Lines

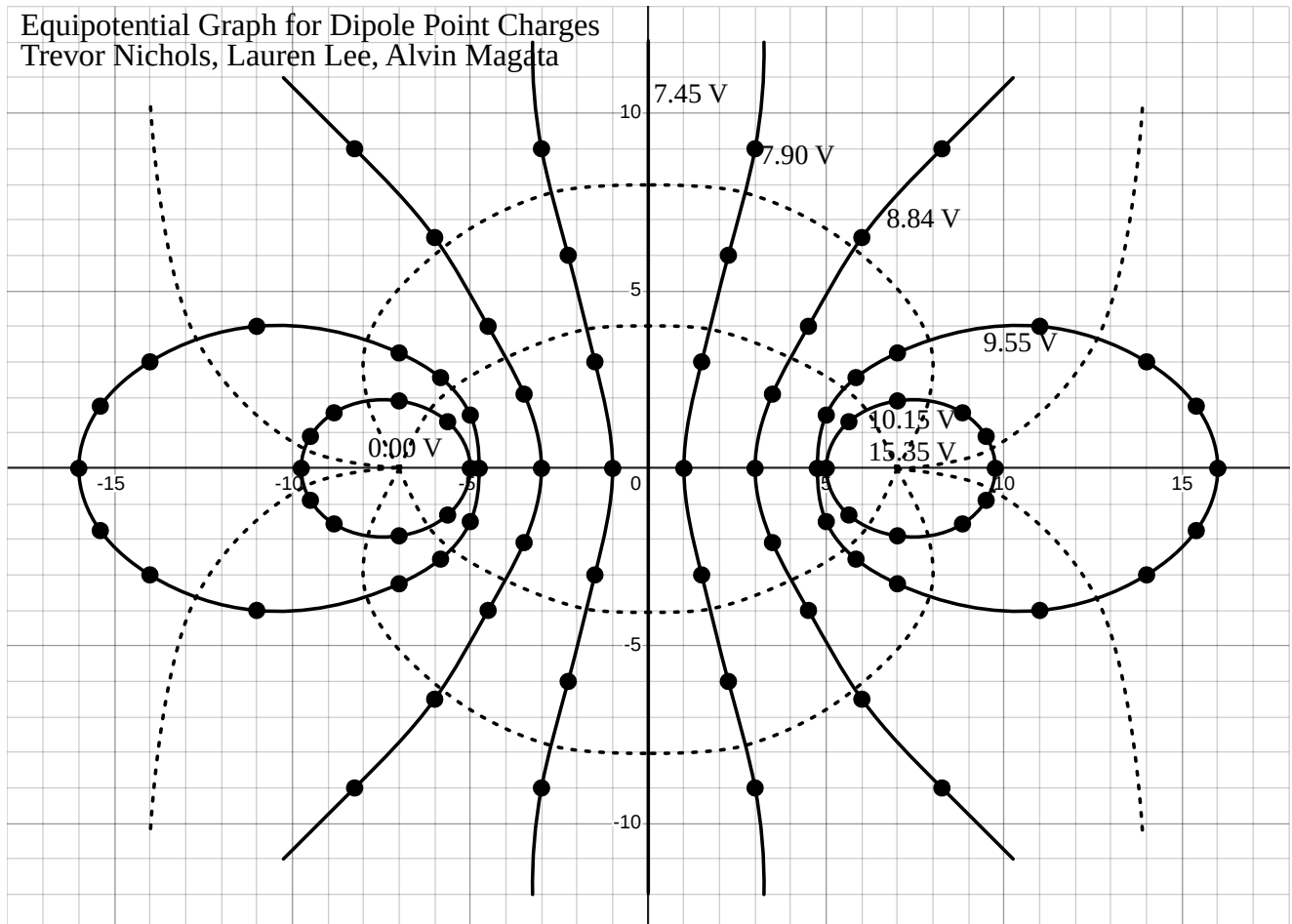
We can further analyze the \vec{E} field by finding places where the potentials remain the same, as the equipotential lines are perpendicular to the direction of \vec{E}

For our data:

| X Position | Y Position | Electric Potential |
|------------|------------|--------------------|
| cm | cm | V |
| 0.00 | 0.00 | 7.36 |
| 1.00 | 0.00 | 7.90 |
| 1.50 | -3.00 | 7.90 |
| 2.25 | -6.00 | 7.90 |
| 3.00 | -9.00 | 7.90 |
| 3.25 | -12.00 | 7.91 |
| 3.00 | 0.00 | 8.84 |
| 4.50 | -4.00 | 8.84 |
| 6.00 | -7.50 | 8.84 |
| 8.25 | -9.00 | 8.84 |
| 10.25 | -11.00 | 8.84 |
| 5.00 | 0.00 | 10.15 |
| 7.00 | -1.90 | 10.15 |
| 9.75 | 0.00 | 10.15 |

| X Position | Y Position | Electric Potential |
|------------|------------|--------------------|
| 16.00 | 0.00 | 9.55 |
| 14.00 | -3.00 | 9.55 |
| 11.00 | -4.00 | 9.55 |
| 7.00 | -3.25 | 9.55 |
| 5.00 | -1.50 | 9.55 |
| 4.75 | 0.00 | 9.55 |

We have the following graph of equipotential lines:



[Diagram 4.1.3.1]

This lines up with our expected equipotential lines for a dipole point charge system.

4.2 Oppositely Charged Plates

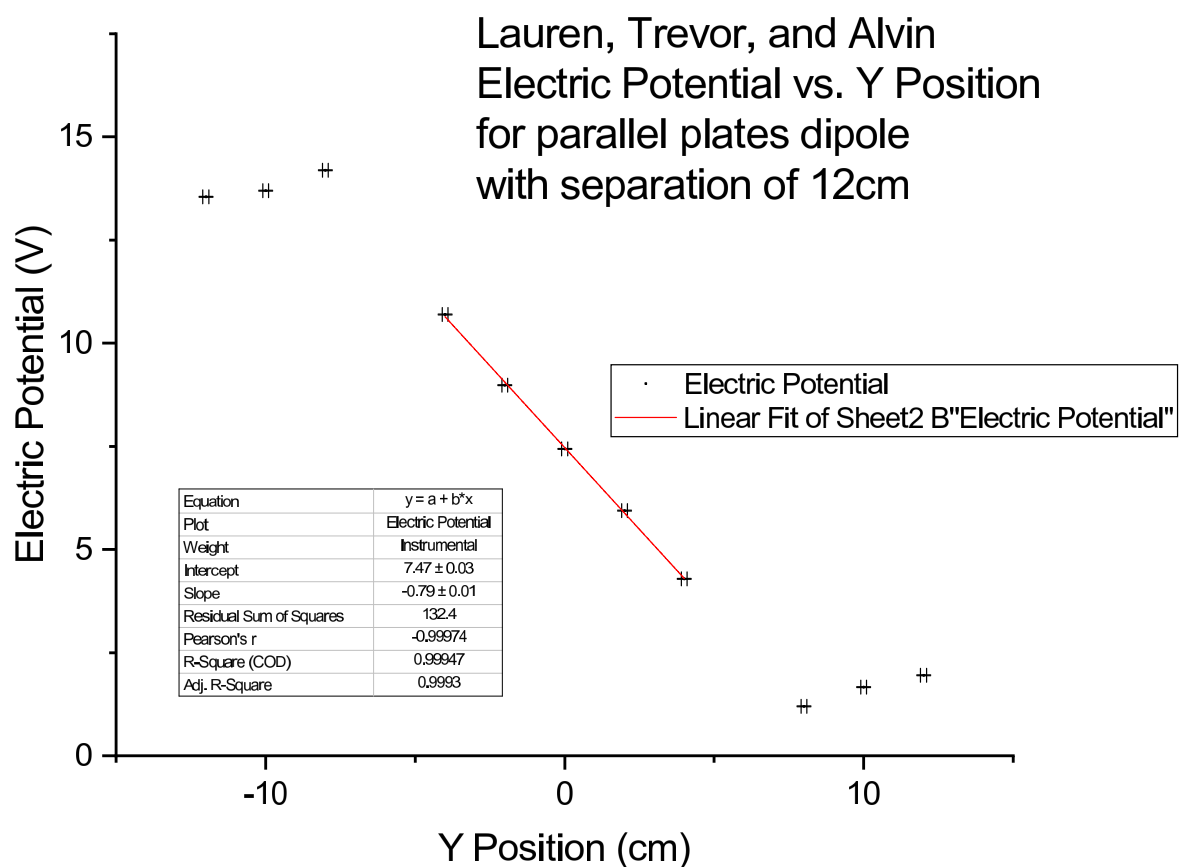
4.2.1 y-axis

On the x -axis for the two point charges, we should expect the data to follow eq. 2.3.2.1 for the calculated \vec{E} found using eq. 2.3.3.2 and 2.3.3.2

For our data:

| Y Position | Electric Potential | E |
|---------------|--------------------|-------------------|
| cm | V | V/cm |
| -12 ± 0.1 | 13.55 ± 0.01 | -0.25 ± 0.009 |
| -10 ± 0.1 | 13.7 ± 0.01 | 0.87 ± 0.02 |
| -8 ± 0.1 | 14.19 ± 0.01 | 0.86 ± 0.03 |
| -4 ± 0.1 | 10.7 ± 0.01 | 0.77 ± 0.06 |
| -2 ± 0.1 | 8.98 ± 0.01 | 0.75 ± 0.06 |
| 0 ± 0.1 | 7.44 ± 0.01 | 0.83 ± 0.05 |
| 2 ± 0.1 | 5.94 ± 0.01 | 0.77 ± 0.06 |
| 4 ± 0.1 | 4.29 ± 0.01 | -0.23 ± 0.03 |
| 8 ± 0.1 | 1.2 ± 0.01 | -0.15 ± 0.02 |
| 10 ± 0.1 | 1.66 ± 0.01 | -0.145 ± 0.01 |
| 12 ± 0.1 | 1.95 ± 0.01 | |

We have the following graph with the overlayed expected result for the area between the plates:



[Diagram 4.2.1.1]

| Property | Value |
|--------------|------------------|
| Fit Equation | $y = A + Bx$ |
| A | 7.47 ± 0.03 |
| B | -0.79 ± 0.01 |
| r^2 | 0.99947 |

The fit has an r^2 value of 0.99947, which is extremely correlated, further confirming the theory.

4.2.2 x-axis

For the y -axis, we expect our $\vec{E} = 0$, which should have our electric potential be constant, calculated using eq. 2.3.3.2 and 2.3.3.2

| X Position | Electric Potential | E |
|---------------|--------------------|--------------------|
| cm | V | V/cm |
| -15 ± 0.1 | 7.22 ± 0.01 | -0.012 ± 0.002 |
| -10 ± 0.1 | 7.28 ± 0.01 | 0.000 ± 0.002 |
| -5 ± 0.1 | 7.28 ± 0.01 | -0.034 ± 0.002 |
| 0 ± 0.1 | 7.45 ± 0.01 | -0.008 ± 0.002 |
| 5 ± 0.1 | 7.49 ± 0.01 | -0.014 ± 0.002 |
| 10 ± 0.1 | 7.56 ± 0.01 | -0.012 ± 0.002 |
| 15 ± 0.1 | 7.62 ± 0.01 | |

We see that our \vec{E} is fairly consistently close to 0

4.2.3 Equipotential Lines

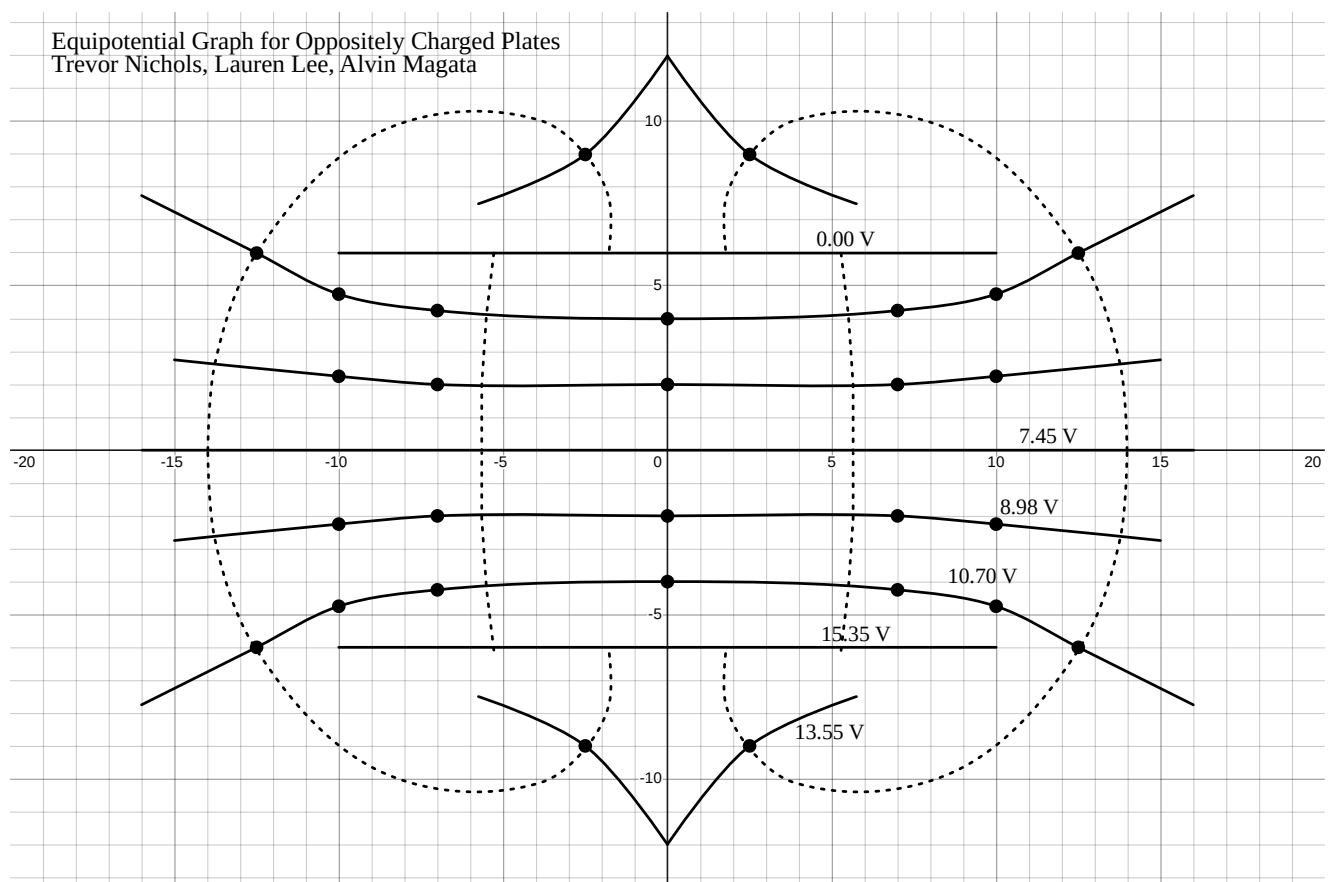
We can further analyze the \vec{E} field by finding places where the potentials remain the same, as the equipotential lines are perpendicular to the direction of \vec{E}

For our data:

| X Position | Y Position | Electric Potential |
|------------|------------|--------------------|
| cm | cm | V |
| 0.00 | -2.00 | 8.98 |
| 7.00 | -2.00 | 8.98 |
| 10.00 | -2.25 | 8.98 |
| 15.00 | -2.75 | 8.98 |

| X Position | Y Position | Electric Potential |
|------------|------------|--------------------|
| 0.00 | -4.00 | 10.70 |
| 6.00 | -4.25 | 10.70 |
| 10.00 | -4.75 | 10.70 |
| 12.50 | -6.00 | 10.70 |
| 16.00 | -7.75 | 10.70 |
| 0.00 | -12.00 | 13.55 |
| 2.50 | -9.00 | 13.55 |
| 5.75 | -7.50 | 13.55 |
| 0.00 | -10.00 | 13.70 |
| 1.00 | -8.25 | 13.70 |
| 3.75 | -8.50 | 13.70 |

We have the following graph of equipotential lines:



[Diagram 4.2.3.1]

This lines up with our expected equipotential lines for an oppositely charged plate system.

4.3 Oppositely Charged Plates with Hollow Cylinder

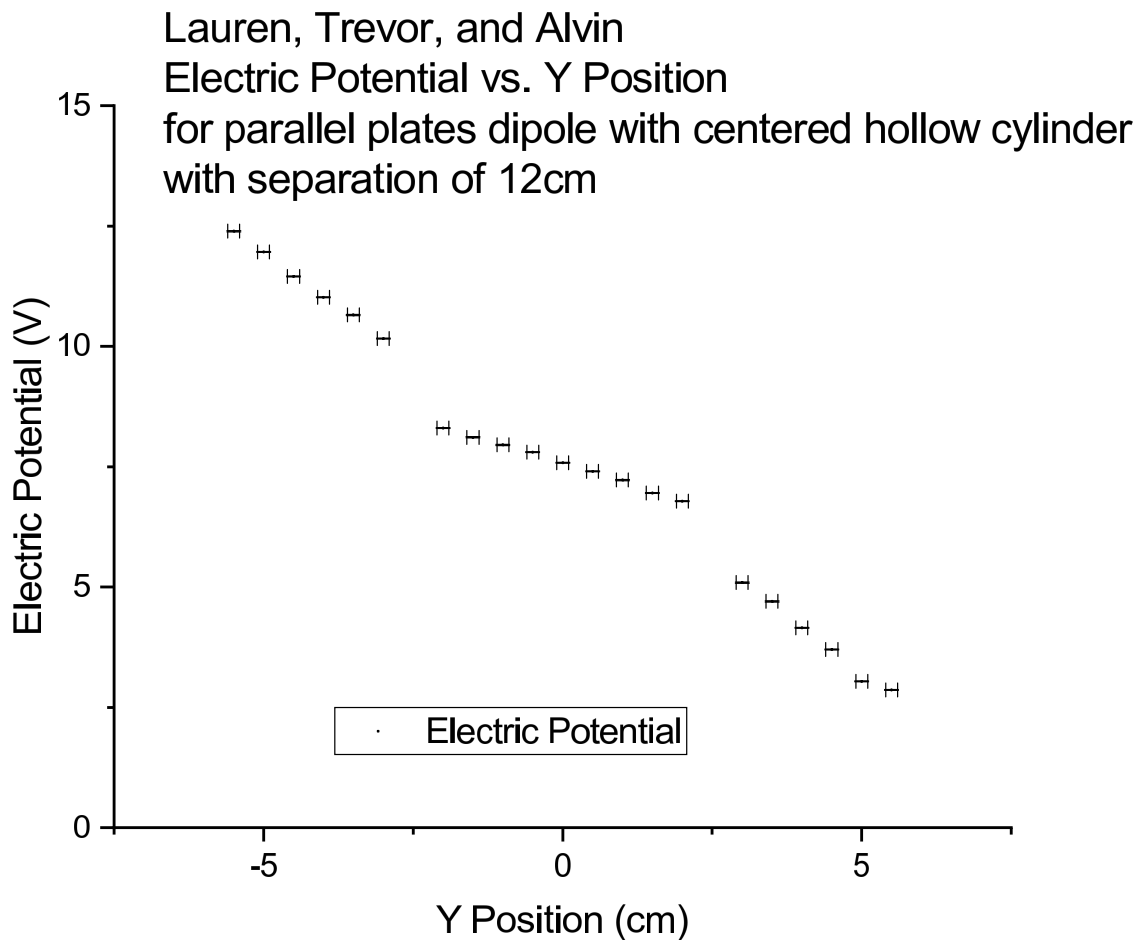
4.3.1 y-axis

We did not calculate what we expect the potentials and fields to be like when we include a cylinder in the middle, but we expect it to not be too different without it, other than the area within the cylinder to have close to no electric field.

For our data:

| X Position | Electric Potential | E |
|-------------------|---------------------------|-----------------|
| cm | V | V/cm |
| -5.5 ± 0.1 | 12.39 ± 0.01 | 0.9 ± 0.2 |
| -5 ± 0.1 | 11.96 ± 0.01 | 1.0 ± 0.3 |
| -4.5 ± 0.1 | 11.45 ± 0.01 | 0.9 ± 0.2 |
| -4 ± 0.1 | 11.02 ± 0.01 | 0.7 ± 0.2 |
| -3.5 ± 0.1 | 10.65 ± 0.01 | 1.0 ± 0.3 |
| -3 ± 0.1 | 10.16 ± 0.01 | 1.9 ± 0.3 |
| -2 ± 0.1 | 8.3 ± 0.01 | 0.4 ± 0.1 |
| -1.5 ± 0.1 | 8.11 ± 0.01 | 0.3 ± 0.1 |
| -1 ± 0.1 | 7.95 ± 0.01 | 0.30 ± 0.09 |
| -0.5 ± 0.1 | 7.8 ± 0.01 | 0.4 ± 0.1 |
| 0 ± 0.1 | 7.58 ± 0.01 | 0.4 ± 0.1 |
| 0.5 ± 0.1 | 7.4 ± 0.01 | 0.4 ± 0.1 |
| 1 ± 0.1 | 7.22 ± 0.01 | 0.5 ± 0.2 |
| 1.5 ± 0.1 | 6.95 ± 0.01 | 0.3 ± 0.1 |
| 2 ± 0.1 | 6.78 ± 0.01 | 1.7 ± 0.2 |
| 3 ± 0.1 | 5.09 ± 0.01 | 0.8 ± 0.2 |
| 3.5 ± 0.1 | 4.7 ± 0.01 | 1.1 ± 0.3 |
| 4 ± 0.1 | 4.15 ± 0.01 | 0.9 ± 0.3 |
| 4.5 ± 0.1 | 3.7 ± 0.01 | 1.3 ± 0.4 |
| 5 ± 0.1 | 3.04 ± 0.01 | 0.4 ± 0.1 |
| 5.5 ± 0.1 | 2.86 ± 0.01 | |

We have the following graph:



[Diagram 4.3.1.1]

Which does not differ too much from the original Diagram 4.2.1.1, except with a flatter spot in the middle, which we did expect. We believe this is not perfectly flat as our 2-D analog of a 3-D phenomena is imperfect.

4.3.2 Random Points within the Cylinder

We expect all points in the cylinder to be of the same potential and little to no electric field, due to Gauss's law and symmetry

For our data:

| X Position | Y Position | Electric Potential |
|------------|------------|--------------------|
| cm | cm | V |
| -1 | 1 | 7.25 |
| -0.5 | 1.5 | 6.86 |
| -1.5 | 1 | 7.21 |
| -1 | -1 | 8.22 |
| -1.5 | -1 | 8.26 |

| X Position | Y Position | Electric Potential |
|------------|------------|--------------------|
| -0.5 | -1.5 | 8.49 |

With an average $V_{avg} = 7.715 \text{ V}$ we can see that our potentials stay roughly within this range, although with some deviation as we had explained in the previous section.

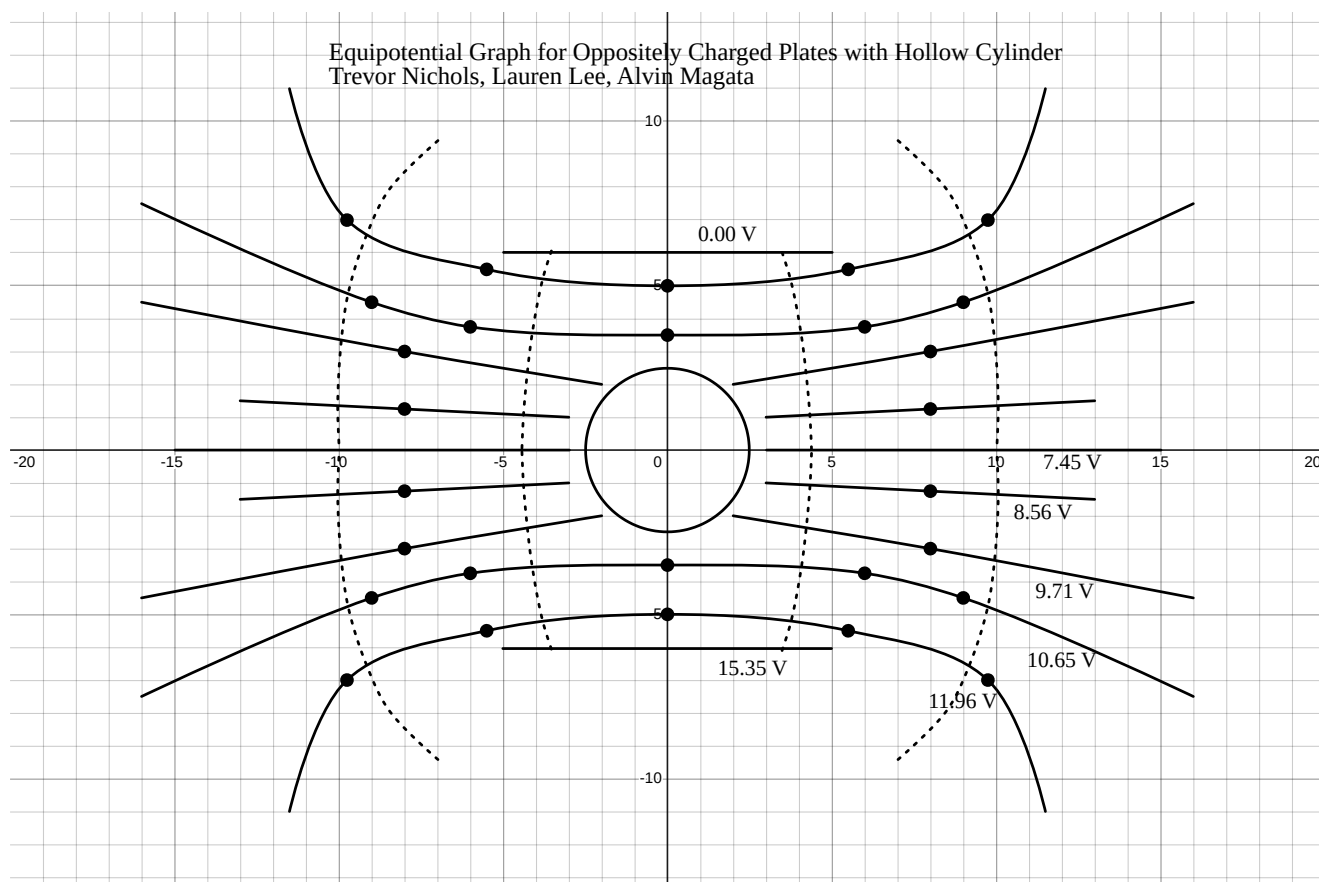
4.3.3 Equipotential Lines

We can further analyze the \vec{E} field by finding places where the potentials remain the same, as the equipotential lines are perpendicular to the direction of \vec{E}

For our data:

| X Position | Y Position | Electric Potential |
|------------|------------|--------------------|
| cm | cm | V |
| 0 | -3.5 | 10.65 |
| 6 | -3.25 | 10.65 |
| 9 | -4.5 | 10.65 |
| 16 | -7.5 | 10.65 |
| 0 | -5 | 11.96 |
| 5.5 | -5.5 | 11.96 |
| 9.75 | -7 | 11.96 |
| 11.5 | -11 | 11.96 |
| 3 | -1 | 8.56 |
| 8 | -1.25 | 8.56 |
| 13 | -1.5 | 8.56 |
| 2 | -2 | 9.71 |
| 8 | -3 | 9.71 |
| 16 | -4.5 | 9.71 |

We have the following graph of equipotential lines:



[Diagram 4.3.3.1]

This lines up with our expected equipotential lines for an oppositely charged plate with cylinder system.

5 Conclusion

The purpose of this lab is to experimentally find and confirm the existence and formation of electric potential fields and their relation with distance from charges.

For the Dipole Point charge setup, we find our data to be close to the expected results, except with the small complication of our point charges not being point charges, and thus not tending to infinity at small r -values. The electrostatic force on the other hand appears to be significantly more close to the theoretical values we were expecting. Additionally, we found the experimental equipotential lines to be very close to what we expect in theory, thus we fail to reject the current theory on electrostatic forces.

For the oppositely charged plates, we similarly found our data to line up extremely closely to what we theoretically expected with an r^2 value of over 0.999. Our experimental equipotential lines also line up closely to what we expect in theory, minus the pointy tops and bottoms, which we believe may be due to the plates not being of infinite length.

The cylinder setup was also close to theory in the equipotential lines. The area within the cylinder had more deviance from a singular potential than we hoped, but there is a noticeable flattening in that area of the graph due to the cylinder.

Thus, overall, we fail to reject the current theory on electrostatic forces and potential as our experimental data lines up closely to what we would expect in theory.

6 Acknowledgements and Info

- Lab 2 - EPF
- 2024-09-19
- Station 32 Rockefeller 403
- PHYS 122-119B

Lab Partner: Lauren Lee, Alvin Magata

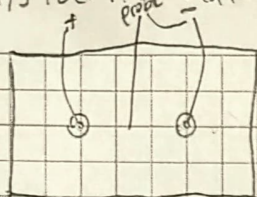
Lab Manual: Lab 2 EPF PHYS 122

6.1 References

Driscoll, D., *General Physics 2: Electricity and Magnetism Lab Manual*, "Electric Potential and Fields".

Dipole:

Alvin Magaña

Placed two "point charges" at ± 7 cm on the x-axis ± 0.1 (cm)

x-position

potential (V)

 $V_a = 0.00$ ± 0.01 $V_b = 15.55$

(cm)

position

potential (V)

| | |
|-----|-------|
| -13 | 4.99 |
| -11 | 4.70 |
| -9 | 4.28 |
| -5 | 4.77 |
| -3 | 5.92 |
| -1 | 6.90 |
| 0 | 7.36 |
| 1 | 7.90 |
| 3 | 8.84 |
| 5 | 10.15 |
| 9 | 10.80 |
| 11 | 10.20 |
| 13 | 10.01 |

| | |
|----------------------|-----------------|
| (0,0) | 7.36 |
| (1.5, -3) | 7.90 |
| (1,0) | 7.90 |
| (1.5, -3) | 7.90 |
| (2.25, -6) | 7.90 |
| (3, -9) | 7.90 |
| (3.25, -12) | 7.91 |
| (3, 0) | 8.84 |
| (4.5, -4) | 8.84 |
| (6, -6.5) | 8.84 |
| (8.25, -9) | 8.84 |
| (10.25, -11) | 8.84 |
| (5, 0) | 10.15 |
| (7, -1.9) | 10.15 |
| (9.75, 0) | 10.15 |
| (16, 0) | 9.55 |
| (14, -3) | 9.55 |
| (11, -4) | 9.55 |
| (7, -3.25) | 9.55 |
| (5, -1.5) | 9.55 |
| (4.75, 0) | 9.55 |

y-position (cm)

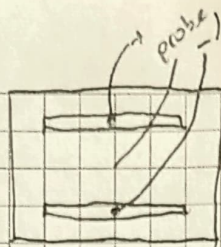
potential (V)

| | |
|-----|------|
| -10 | 7.94 |
| -5 | 7.94 |
| 0 | 7.45 |
| 5 | 7.34 |
| 10 | 7.25 |

 $\chi^2 = 2.8903$
206756

Parallel Plates

Two plates, 4 edges $y = \pm 6$ cm from origin



| y-position (cm) | potential (V) |
|-----------------|---------------|
| -12 | 13.55 |
| -10 | 13.70 |
| -8 | 14.19 |
| -4 | 10.70 |
| -2 | 8.98 |
| 0 | 7.44 |
| 2 | 5.94 |
| 4 | 4.29 |
| 8 | 1.20 |
| 10 | 1.66 |
| 12 | 1.95 |

| x-position (cm) | potential (V) |
|-----------------|---------------|
| -15 | 7.22 |
| -10 | 7.24 |
| -5 | 7.28 |
| 0 | 7.45 |
| 5 | 7.49 |
| 10 | 7.56 |
| 15 | 7.62 |

position (cm) potential (V)

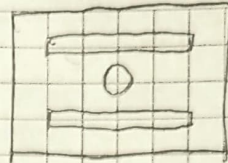
| | |
|-------------|-------|
| (0, -2) | 8.98 |
| (7, -2) | 8.98 |
| (10, -2.25) | 8.98 |
| (15, -2.75) | 8.98 |
| (0, -4) | 10.70 |
| (6, -4.25) | 10.70 |
| (10, -4.75) | 10.70 |
| (12.5, -6) | 10.70 |
| (16, -7.75) | 10.70 |
| (0, -12) | 13.55 |
| (2.5, -9) | 13.55 |

| | |
|--------------|-------|
| (0, -10) | 13.70 |
| (1, -8.25) | 13.70 |
| (5.75, -8.5) | 13.70 |

(5.75, -7.5) 13.55

PP & cylinder

Two plates, edges at $y = \pm 6 \text{ cm}$ from origin
cylinder centered at origin.



| y-position (cm) | potential (V) |
|-----------------|---------------|
| -5.5 | 12.39 |
| -5 | 11.96 |
| -4.5 | 11.45 |
| -4 | 11.02 |
| -3.5 | 10.65 |
| -3 | 10.16 |
| -2.5 | ~ |
| -2 | 8.80 |
| -1.5 | 8.11 |
| -1 | 7.95 |
| -0.5 | 7.80 |
| 0 | 7.58 |
| 0.5 | 7.40 |
| 1 | 7.22 |
| 1.5 | 6.95 |
| 2 | 6.78 |
| 2.5 | ~ |
| 3 | 5.09 |
| 3.5 | 4.70 |
| 4 | 4.15 |
| 4.5 | 3.70 |
| 5 | 3.04 |
| 5.5 | 2.86 |

| Random points in cylinder | potential (V) |
|---------------------------|---------------|
| (-1, 1) | 7.25 |
| (-0.5, 1.5) | 6.86 |
| (-1.5, 1) | 7.21 |
| (-1, -1) | 8.22 |
| (-0.5, -1) | 8.26 |
| (-0.5, -1.5) | 8.49 |

| Position | potential (V) |
|-------------|---------------|
| (0, -3.5) | 10.65 |
| (6, -3.25) | 10.65 |
| (9, -4.5) | 10.65 |
| (16, -7.5) | 10.65 |
| (0, -5) | 11.96 |
| (5.5, -5.5) | 11.96 |
| (9.75, -7) | 11.96 |
| (11.5, -11) | 11.96 |
| (3, -1) | 8.56 |
| (8, -1.25) | 8.56 |
| (13, -1.5) | 8.56 |
| (12, -2) | 9.71 |
| (8, -3) | 9.71 |
| (16, -4.5) | 9.71 |

All students must sign and submit this page along with their first report:

I have read the document entitled "Plagiarism and TurnItIn.com FAQ" and I agree to abide by all of the policies and procedures outlined in this document.

Signature: TN

Printed Name: Trevor Nichols

Date: 26-09-2024 e-mail address: tn32