Functional programming

450X

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Overview

- 1. Why functions?
- 2. Common pitfalls
- 3. Functionals
- 4. Function factories
- 5. Recursion

Why functions?

- ullet A function is a mapping from some inputs ${f X}$ to some outputs ${f Y}$.
- Whenever we carry out the same process more than once, a function is strongly recommended
- Much more convenient for both tractability and debugging
- Allow for decomposition of complex problems into smaller pieces

Basic function architecture

```
foo ← function(x, y){
   return(x + y)
}
```

Common pitfalls (1)

Can you spot the problem?

```
foo ← function(x, y){
   return(x + y)
}
item1 ← 3
item2 ← "five"
```

foo(item1, item2)

Solution (1)

```
foo ← function(x, y){
    stopifnot(is.numeric(x), is.numeric(y))
    return(x + y)
}
```

```
foo(item1, item2)
# Error in foo(item1, item2) : is.numeric(y) is not TRUE
# Calls: <Anonymous> ... withCallingHandlers → withVisibl
```

• An alternative is using tryCatch().

Common pitfall (2)

What's wrong here?

```
bar ← function(x, y, z){
   out ← x + y
   return(out)
   out_two ← out + z
   return(out_two)
}
```

Common pitfall (2)

What's wrong here?

```
bar ← function(x, y, z){
   out ← x + y
   return(out)
   out_two ← out + z
   return(out_two)
}
bar(2, 4, 6)
```

[1] 6

Solution (2)

```
bar ← function(x, y, z){
   out ← x + y
   cat(paste0("Intermediate output: ", out))
   out_two ← out + z
   return(out_two)
}
bar(2, 4, 6)
```

```
## Intermediate output: 6
## [1] 12
```

Functionals

- Functions can take *other functions* as arguments!
- we've seen this before in the form of lapply or map:

```
vec ← 2:6
map_dbl(vec, sqrt)
```

```
## [1] 1.414214 1.732051 2.000000 2.236068 2.449490
```

 Other functions that rely on functionals are, for example, apply, optimize, integrate

You can write your own functions with functionals:

```
print_summary ← function(data, fn){
    out ← fn(data)
    return(paste0("Statistic: ", out))
}
print_summary(c(2, 4, 4), mean)

## [1] "Statistic: 3.3333333333333333"

## [1] "Statistic: 4"
```

But what about this?

```
blob \leftarrow c(2, 4, 4, NA)
print_summary(blob, mean)
```

```
## [1] "Statistic: NA"
```

• Can't pass additional arguments to mean:

```
print_summary(blob, mean(na.rm = FALSE))
```

- Fortunately, there is a shortcut!
- ... lets us pass on whatever else is specified as an input argument.

```
print_summary \( \tau \) function(x, f, ...){
    return(f(x, ...))
}
print_summary(blob, mean, na.rm = TRUE)
```

```
## [1] 3.333333
```

 Selecting columns in dataframes is a little bit trickier.

```
col_summary(df, value, mean)
# Error in .f(.x[[i]], ...) : object 'value' not found
```

- Have to rely on something called tidyeval
- Look up quotations and quasi-quotations!

```
col_summary ← function(dataframe, col_name, f,
    col_name ← enquo(col_name)
    get_col ← dataframe %>%
        summarise(out = f(!!col_name, ...))
    return(get_col)
}
col_summary(df, value, mean, na.rm = TRUE)
```

```
## # A tibble: 1 x 1
## out
## <dbl>
## 1 30.3
```

Function factories

- Functions can also produce *other* functions as output!
- These things are sometimes called function factories.

```
factory \( \sum \text{function}(x, y) \{
    fm \( \sum \text{paste0}(y, " \sim ", x) \)
    function(d) \{
        lm(formula = fm, data = d) \$coef
    }
}
```

Function factories (cont'd)

Function factories (cont'd)

Function factories (cont'd)

• Will be very useful when doing bootstrapping or MLE estimation

Recursion

• Factorial example:

$$n! = n * (n-1) * (n-2)*...*1$$

• Use the property of recursion to make the function to refer to itself.

Recursion (cont'd)

• What's wrong with the definition as below?

```
factorial_fn ← function(n){
   return(n * factorial_fn(n-1))
}
```

Recursion (cont'd)

• Let's fix it.

```
factorial_fn ← function(n){
   if(n ≤ 1){
      return(1)
   }
   else{
      return(n * factorial_fn(n-1))
   }
}
```

Recursion (cont'd)

```
factorial_fn(5)

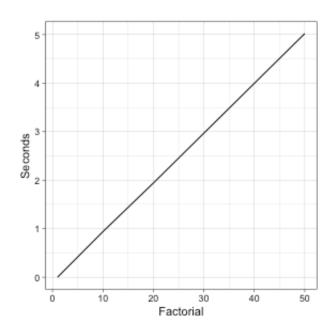
## [1] 120

factorial_fn(4)

## [1] 24
```

Problems with recursion

• Not always the most efficient implementation...



Further applications

- ullet Fibonacci sequence $x_n=x_{n-1}+x_{n+2}$
- Collatz conjecture (Syracuse Problem)
- Sorting, searching, merging algorithms...

Conclusion

- More hands-on programming: what are the most efficient ways to solve a problem?
- Functions are the bread-and-butter of intermediate and advanced programming
- Highly recommended for replicability, tractability, and time saving.
- Still, much more out there... (e.g., basic search algorithms)

Next week

- Parallel programming
- Server-side scripts and working on the cluster