# Recommender System (Spring 2022)

## Homework #2 (100 Pts, March 23)

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(1) [30 pts] We are given six items (A, B, C, D, E, and F) with four transactions in which each user clicks the items in a sequential manner. When a target user clicks the item A lastly, calculate the top-3 recommended items.

TID	Sequence
	_
10	$A \rightarrow B \rightarrow C$
20	$\mathbf{A} \to \mathbf{B} \to \mathbf{D} \to \mathbf{C} \to \mathbf{E}$
30	$\mathbf{B} \to \mathbf{D} \to \mathbf{A} \to \mathbf{F}$
40	$\mathbf{B} \to \mathbf{A} \to \mathbf{E} \to \mathbf{F}$

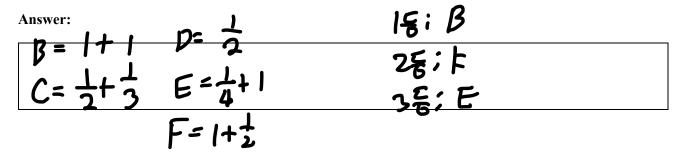
(a) [10 pts] When using simple Association Rules (AR), calculate the top-3 recommended items.

Answers

g: 4 D: 2 F: 2 信息 C: 2 E: 2 器場: CDEF

(a) [10 pts] When using Markov Chains (MC), calculate the top-3 recommended items.

(a) [10 pts] When using Sequential Rules (SR), calculate the top-3 recommended items.



- (2) [50 pts] We are given template code and datasets in Python. Using a reference code, fill out your code. Run '0\_check.py' and '1\_main.py' to validate your implementation code.
- (a) [20 pts] Write your code to implement the slope one predictor algorithm in 'models/ SlpeOnePredictor\_explicit.py'. The average deviation of two items and predicted rating of the slope one predictor are defined as follows:

$$dev_{i,j} = \sum_{(r_{ui}, r_{ui}) \in S_{i,j(R)}} \frac{r_{uj} - r_{ui}}{|S_{i,j(R)}|}, \qquad \hat{r}_{ui} = \frac{\sum_{i \in S(u) - \{j\}} (dev_{i,j} + r_{ui}) \cdot |S_{i,j(R)}|}{\sum_{i \in S(u) - \{j\}} |S_{i,j(R)}|}$$

Note: Fill in your code here. You also have to submit your code to i-campus.

#### **Answer:**

```
def fit(self):
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                                                                                                 fil possell
predicted 473定数
             You can pre-calculate deviation in here or calculate in predict().
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         def predict(self, user_id, item_ids): # user_id = 2 , item_ids = [1,3]
             # [user_id, one_missing_item] 구하기
                  bunmo = 0
bunza = 0
                  for r in rated_items:
                       temp = self.train[:,one_missing_item] - self.train[:,r]
item_counting = sum( ~np.isnan(temp) )
temp_mean = np.nanmean(temp)
                       if np.isnan(temp_mean):
                            continue
                            user_plus_mean =self.train[user_id,r]+ temp_mean
                           bunza += user_plus_mean * item_counting
bunmo += item_counting
                  predicted_values.append( bunza/bunmo)
             return predicted_values
```

(b) [10 pts] Refer to 'models/MF\_explicit.py,' write your code to implement the matrix factorization algorithm with modeling user & item bias on 'models/BiasedMF\_explicit.py.' Initialize all the variables following a normal distribution N(0,0.01). The predicted rating of the biased MF is defined as follows:

 $\hat{r}_{ui} = o_u + p_i + u_u v_i^T$  where  $o_u$  and  $p_i$  denote bias for user u and item i, respectively.

Note: Fill in your code here. You also have to submit your code to i-campus.

Answer:

(c) [20 pts] Refer to 'models/MF\_explicit.py,' write your code to implement the SVD++ algorithm with on 'models/SVDpp\_explicit.py'. Run '0\_check.py' to validate your implementation. Initialize all the variables following normal distribution N(0,0.01). The predicted rating of the SVD++ is defined as follows:

$$\hat{r}_{ui} = \sum_{s=1}^{k+2} (u_{us} + [FY]_{us}) v_{is} = \sum_{s=1}^{k+2} \left( u_{us} + \sum_{h \in \mathcal{I}_u} \frac{y_{hs}}{\sqrt{\mathcal{I}_u + \varepsilon}} \right) v_{is} = o_u + p_i + \sum_{s=1}^{k} (u_{us} + [FY]_{us}) v_{is}$$

where 
$$\varepsilon = 1e - 10$$

Note: Fill in your code here. You also have to submit your code to i-campus.

#### **Answer:**

```
class SVDpp_explicit_model(torch.nn.Module):
    def __init__(self, num_users, num_items, n_features):
        super().__init__()
                                                                                                                                                                          ratings = torch.FloatTensor(self.train)#.cuda()
weights = torch.FloatTensor(self.y)#.cuda()
= EDIT HERE =
                                                                                                                                                                          implicit ratings = torch.FloatTensor(self.train).bool().float()
                  self.item_to_nf = torch.nn.Embedding(num_items,n_features)
self.item_to_nf_bias = torch.zeros(num_items,2,requires_grad=False)
                                                                                                                                                                          # TODO: normalize implicit ratings with the eplison
                                                                                                                                                                          small_num = float(1e-10)
implicit_ratings = implicit_ratings * small_num
                   self.nf_to_item = torch.nn.Embedding(n_features+2,num_items,padding_idx=n_features)
                  torch.nn.init.normal\_(self.item\_to\_nf.weight, std=0.01) \\ torch.nn.init.normal\_(self.nf\_to\_item.weight, std=0.01) \\ self.nf\_to\_item.weight.data[n\_features,:]=1.0
                                                                                                                                                                                                            == FDTT HFRF =
                                                                                                                                                                          # U와 V를 업데이트 함.
for epoch in range(self.num_epcohs):
self.optimizer.zero_grad()
                                                 ---- EDIT HERE ----
                                                                                                                                                                               prediction = self.model.forward(implicit_ratings)
loss = self.mse_loss(weights, ratings, prediction)
            def forward(self, implicit_train_matrix):
    reconstruction = None
                                                                                                                                                                               # Backpropagate
loss.backward()
                                                           === EDIT HERE ======
                     item to nf 랑 bias랑 붙이기
                                                                                                                                                                               # Update the parameters
self.optimizer.step()
                   item_to_nf_concat = torch.cat((self.item_to_nf.weight,self.item_to_nf_bias),1)
                   reconstruction = torch.matmul(implicit train matrix.item to nf concat )
                                                                                                                                                                          with torch.no grad():
                   reconstruction = torch.matmul(reconstruction ,self.nf_to_item.weight )
                                                                                                                                                                         self.reconstructed = self.model.forward(implicit_ratings).cpu().numpy()
self.implicit_ratings = implicit_ratings.cpu().numpy()
                                                           == EDIT HERE ===
                                                                                                                                                                    def predict(self, user_id, item_ids):
    return self.reconstructed[user_id, item_ids]
                   return reconstruction
```

(3) [20 pts] Given the data ('naver\_movie\_dataset\_100k.csv' and 'movielens\_1m.csv'), draw the plots of RMSE by adjusting rank for biased MF and SVD++ respectively. With adjusting dimension sizes(=rank), explain the results and how much rank affects RMSE. Run '2 search.py' to run the code.

Note: Please show the results for two datasets in the code.

Note: Show your plots and explanations in short (3-5) lines.

### **Answer:**

