I bououpenue moyene 8

$$\mathcal{M}_{L_{t_{1}}}(A) = \sum_{n} \frac{\sum_{A}^{n} S^{n} y_{L}(ds)}{\sum_{A^{N}} y_{L}(ds)} \times_{L_{t_{1}}}^{n} + \mathcal{E}_{L_{t_{1}}}(A)$$

$$S^{*} \in Supp y_{0} \qquad \widetilde{\mathcal{M}}_{L_{t_{1}}}(A)$$

$$\stackrel{?}{=} y_{L} \rightarrow S_{S^{*}} \qquad \text{Kakue gaublue we } \mathcal{E}$$

$$1-c \leq \frac{y_{L_{t_{1}}}(A)}{\sum_{A}^{n} y_{L}(ds)} \leq 1+C$$

$$1-c \leq \frac{M_{k+1}(A)}{\widehat{\mathcal{V}}_{k+1}(A)} \leq 1+C$$

$$1-c \leq 1+\frac{\varphi_{k+1}(A)}{\widehat{\mathcal{V}}_{k+1}(A)} \leq 1+C$$

$$μ_o$$
 - $αδς$, weap $f_o(s)$ - πιστιώς f

$$f_{t+1}(s) = \sum_{n} \frac{s^{n} f_{t}(s)}{\sum_{A^{n}} y^{n} \mu_{1}(dg)} \chi_{t+1}^{n} \cdot (1 + g_{t+1}(s))$$

$$\mu_{k} \sim \sum_{k+1}^{n} \sim \sum_{k+1}^{n} \sum_{k+1$$

h(1) = Leb

 $\int_{M}^{S} f_{tr}(ds) = 0$

 $\xi_{t+1}(\omega, A)$

$$\left| \operatorname{ln} \frac{\mathcal{L}_{L+1}(A)}{\mathcal{L}_{L+1}(B)} - \operatorname{ln} \frac{\mathcal{L}_{I}(A)}{\mathcal{L}_{L+1}(B)} \right| \leq \left| \operatorname{ln} \frac{\mathcal{L}_{I+1}(A)}{\mathcal{L}_{L+1}(A)} - \operatorname{ln} \frac{\mathcal{L}_{I}(A)}{\mathcal{L}_{L+1}(B)} \right| + \operatorname{ln} \frac{1+C}{1-c}$$

(pub noughoe)

