# **Stockport simulations**

```
library(calmr)
library(tidyverse)

theme_set(theme_minimal(base_size = 14))
```

### Mackintosh 1975 simulations

## Continuous and partial reinforcement

### Design

Group	Phase 1	Phase 2
Continuous	20x A-O1	20x A-O3
Partial	10x A-O1 ; 10x A-O2	20x A-O3

```
simple_design <- data.frame(
   Group = c("continuous", "partial"),
   Phase1 = c("20A(01)", "10A(01)/10A(02)"),
   R1 = c(TRUE, TRUE),
   Phase2 = c("20A(03)", "20A(03)"),
   R2 = c(TRUE, TRUE)
)

# parsing the design and showing the original and what was detected parsed <- parse_design(simple_design)

pars_MAC1975 <- get_parameters(simple_design, model = "MAC1975")

# set to original model with no WCA</pre>
```

```
pars_MAC1975$gammas[c("A","B")] <- 0
pars_MAC1975$gammas[c("01","02","03")] <- 1</pre>
```

#### Run simulation

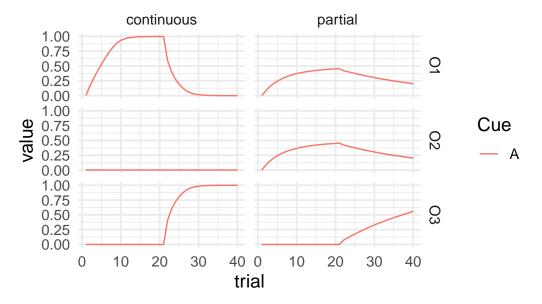
```
simple_design_results <- run_experiment(
    simple_design, # note we do not need to pass the parsed design
    model = "MAC1975",
    parameters = pars_MAC1975,
    iterations = 10
)

# supported_plots("MAC1975")
# plot(simple_design_results)
# plot(simple_design_results, type = "as")

#slotNames(simple_design_results)</pre>
```

#### Plot the results

## **Associative Strengths**



```
# calculate and plot Alphas

alphas_res <-
    results(simple_design_results)[["as"]] %>%
        filter(s1 %in% c("A")) %>%
        group_by(trial, s1, group) %>%
        summarise(value = mean(value))

alphas_res %>%
    ggplot(aes(x = trial, y = value, colour = s1)) +
    geom_line() +
    facet_grid(cols = vars(group)) +
    labs(title = "Alphas")
```

# **Alphas**



## Le Pelley, Beesley, & Griffiths (2011)

### Design

Phase 1	Phase 2
(10 each)	(10 each)
AV-O1; AW-O1	AX-O3
BV-O2; BW-O2	BY-O4
CX-O2 ; CY-O2	CV-O3
DX-O1; DY-O1	DW-O4

```
LBG_2011 <- data.frame(
    Group = c("LBG_2011"),
    Phase1 = c("10AV(01)/10AW(01)/10BV(02)/10BW(02)/10CX(02)/10CY(02)/10DX(01)/10DY(01)"),
    R1 = c(TRUE),
    Phase2 = c("10AX(03)/10BY(04)/10CV(03)/10DW(04)"),
    R2 = c(TRUE),
    Test = c("1#A/1#B/1#C/1#D/1#V/1#W/1#X/1#Y"),
    R3 = c(TRUE)
)</pre>
```

```
# parsing the design and showing the original and what was detected
parsed <- parse_design(LBG_2011)

pars_MAC1975 <- get_parameters(LBG_2011, model = "MAC1975")

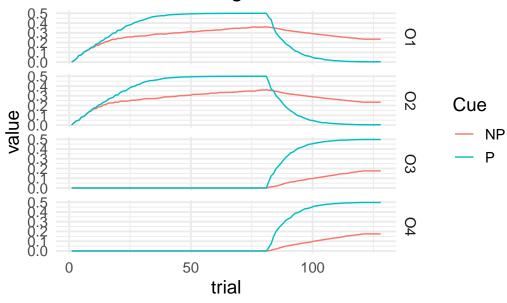
# set to original model with no WCA
pars_MAC1975$gammas[c("A","B","C","D","V","W","X","Y")] <- 0
pars_MAC1975$gammas[c("01","02","03","04")] <- 1</pre>
```

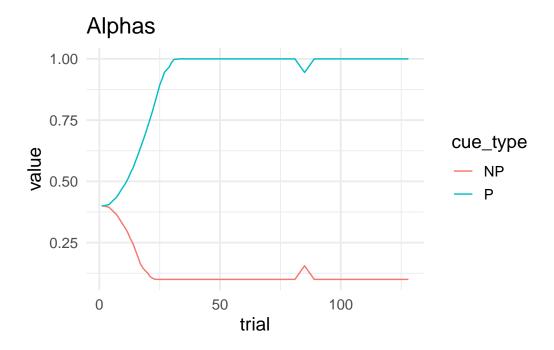
#### Run simulation

```
LBG_2011_results <- run_experiment(
  LBG_2011, # note we do not need to pass the parsed design
  model = "MAC1975",
  parameters = pars_MAC1975,
  iterations = 10
)</pre>
```

#### Plot the results

## **Associative Strengths**





The simulation results (Vs) show the Learned Predictiveness effect, with stronger learning about P cues compared to NP cues in Stage 2. The alpha results show a maintenance of the high associability for P cues in Stage 2. The initial blip in Stage 2 is probably due to all cues having V=0 with respect to new outcomes. So NP cues are initially an equally valid predictor and gain some associability...I'm not sure why associability declines for P cues, but their high associability means learning is more rapid and they quickly become the best available predictor.

### Does uncertainty increase associability for NP cues? (Stockport)

### Design:

Phase 1	Phase 2
$\overline{(10 \text{ each})}$	
AV-O1	$5x \text{ AV-O1}$ ; $5 \times \text{AV(O2)}$
AW-O1	10x  AW(O1)
BV-O2	5x BV-O2 ; 5 x BV(O1)
BW-O2	10x  BW(O2)

```
STK <- data.frame(
    Group = c("LBG_2011"),
    Phase1 = c("10AV(01)/10AW(01)/10BV(02)/10BW(02)"),
    R1 = c(TRUE),
    Phase2 = c("5AV(01)/5AV(02)/10AW(01)/5BV(02)/5BV(01)/10BW(02)"),
    R2 = c(TRUE),
    Test = c("1#A/1#B/1#V/1#W"),
    R3 = c(TRUE)
)

# parsing the design and showing the original and what was detected parsed <- parse_design(STK)

pars_MAC1975 <- get_parameters(STK, model = "MAC1975")

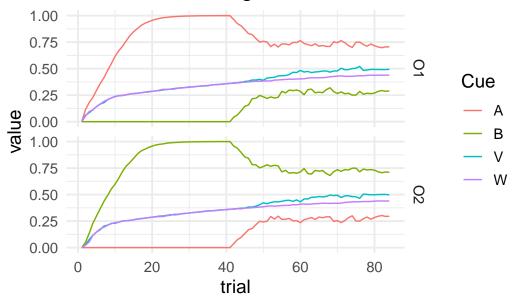
# set to original model with no WCA
pars_MAC1975$gammas[c("A","B","V","W")] <- 0
pars_MAC1975$gammas[c("01","02")] <- 1</pre>
```

#### Run simulation

```
STK <- run_experiment(
   STK, # note we do not need to pass the parsed design
   model = "MAC1975",
   parameters = pars_MAC1975,
   iterations = 50
)</pre>
```

#### Plot the results

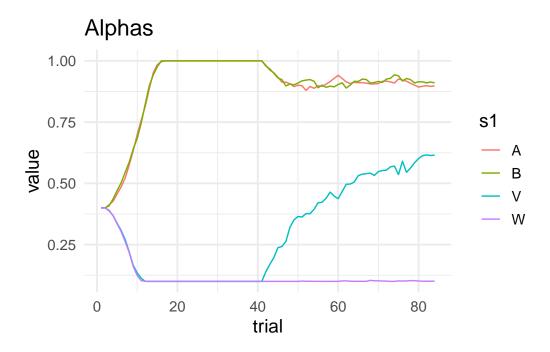
## **Associative Strengths**



```
# calculate and plot Alphas

alphas_res <-
    results(STK)[["as"]] %>%
    filter(s1 %in% c("A", "B", "V", "W")) %>%
    group_by(trial, s1) %>%
    summarise(value = mean(value))

alphas_res %>%
    ggplot(aes(x = trial, y = value, colour = s1)) +
    geom_line() +
    labs(title = "Alphas")
```



Interestingly, the Mackintosh model does predict that associability for the NP cue X will rise over the course of Stage 2. This is because on AX-O2 and BX-O1 trials, X is a better predictor of the alternative outcome than A and B, for which V=0 (initially).