```
In [2]: # Tom Deng 662007936
In [3]: import numpy as np
        import matplotlib.pyplot as plt
        from skimage.io import imread
        from skimage.transform import resize
        from sklearn.cluster import KMeans
        # Step 1: Load the image
        image path = "C:\\Users\\Tom\\Downloads\\seg2.jpg" # Change this to the act
        image = imread(image path)
        # Step 2: Resize image for faster processing (optional)
        image = resize(image, (300, 400), anti aliasing=True) # Resize to 300x400 p
        # Step 3: Reshape image to 2D array (each pixel is a data point)
        h, w, c = image.shape # Get height, width, and channels
        pixels = image.reshape(-1, c) # Reshape to (num pixels, num channels)
        # Step 4: Apply K-Means clustering
        num clusters = 6 # Number of segments (adjust as needed)
        kmeans = KMeans(n clusters=num clusters, random state=42, n init=10)
        labels = kmeans.fit predict(pixels)
        # Step 5: Replace pixel values with cluster centers
        segmented image = kmeans.cluster centers [labels]
        segmented image = segmented image.reshape(h, w, c) # Reshape back to origin
        # Step 6: Display the original and segmented images
        fig, ax = plt.subplots(1, 2, figsize=(12, 6))
        ax[0].imshow(image)
        ax[0].set title("Original Image")
        ax[0].axis("off")
        ax[1].imshow(segmented image)
        ax[1].set title("Segmented Image (K-Means)")
        ax[1].axis("off")
        plt.show()
```





Segmented Image (K-Means)



```
In [7]: #Problem 2
            import pandas as pd
            # Load the dataset (Modify 'housing prices.csv' to the actual file name)
            data = pd.read txt("C:\\Users\\Tom\\Downloads\\housing prices.txt") # Assun
            # Extract features (X) and target variable (y)
            X = data.iloc[:, 0].values.reshape(-1, 1) # Population
            y = data.iloc[:, 1].values.reshape(-1, 1) # Price
            # Normalize features (Mean Normalization)
            X mean = np.mean(X)
            X \text{ std} = \text{np.std}(X)
            X = (X - X mean) / X std
            # Add intercept term (bias)
            X = np.c_{np.ones}((X.shape[0], 1)), X] \# Add a column of ones to X
           AttributeError
                                                     Traceback (most recent call last)
           Cell In[7], line 4
                 2 import pandas as pd
                 3 # Load the dataset (Modify 'housing prices.csv' to the actual file n
           ---> 4 data = pd.read txt("C:\\Users\\Tom\\Downloads\\housing prices.txt")
           # Assumes two columns: Population, Price
                 6 # Extract features (X) and target variable (y)
                 7 X = data.iloc[:, 0].values.reshape(-1, 1) # Population
          AttributeError: module 'pandas' has no attribute 'read txt'
   In [8]: def compute cost(X, y, theta):
                Compute the cost function J for linear regression.
                Parameters:
                X (ndarray): Feature matrix (with bias term).
                y (ndarray): Target variable.
                theta (ndarray): Model parameters.
                Returns:
                float: Cost J
                0.00
                m = len(y)
                predictions = X.dot(theta)
                cost = (1 / (2 * m)) * np.sum((predictions - y) ** 2)
                return cost
            def mini batch gradient descent(X, y, theta, learning rate, batch size, num
                Perform Mini-Batch Gradient Descent.
                Parameters:
                X (ndarray): Feature matrix.
                y (ndarray): Target variable.
Loading [MathJax]/extensions/Safe.js
```

```
theta (ndarray): Model parameters.
learning rate (float): Learning rate.
batch size (int): Mini-batch size.
num iters (int): Number of iterations.
Returns:
theta (ndarray): Optimized parameters.
J history (list): History of cost function values.
m = len(y)
J history = []
for i in range(num iters):
    indices = np.random.permutation(m) # Shuffle data indices
    X shuffled = X[indices]
    y shuffled = y[indices]
    for j in range(0, m, batch size):
        X batch = X shuffled[j:j+batch size]
        y batch = y shuffled[j:j+batch size]
        predictions = X batch.dot(theta)
        errors = predictions - y batch
        gradient = (1 / batch size) * X batch.T.dot(errors)
        theta -= learning_rate * gradient # Update theta
    J history.append(compute cost(X, y, theta)) # Store cost for plotts
return theta, J history
```

```
In [9]: # Initialize parameters
        theta = np.zeros((2, 1)) # Two parameters: intercept and slope
        learning rate = 0.01
        num iters = 1000
        batch sizes = [1, 5, 10, 20]
        # Store cost history for each batch size
        cost histories = {}
        plt.figure(figsize=(10, 6))
        for batch_size in batch sizes:
            theta_init = np.zeros((2, 1)) # Reset theta for each batch size
            theta opt, J history = mini batch gradient descent(X, y, theta init, lea
            cost histories[batch size] = J history
            plt.plot(range(len(J history)), J history, label=f'Batch Size {batch siz
        plt.xlabel("Iterations")
        plt.ylabel("Cost J")
        plt.title("Cost Function J over Iterations for Different Batch Sizes")
        plt.legend()
        plt.show()
```

```
NameError
                                                   Traceback (most recent call last)
        Cell In[9], line 14
             12 for batch size in batch sizes:
                    theta init = np.zeros((2, 1)) # Reset theta for each batch size
        ---> 14
                    theta opt, J history = mini batch gradient descent(X, y, theta i
        nit, learning rate, batch size, num iters)
                    cost histories[batch size] = J history
                    plt.plot(range(len(J history)), J history, label=f'Batch Size {b
             16
        atch size}')
        NameError: name 'X' is not defined
        <Figure size 1000x600 with 0 Axes>
In [10]: # Normalize the input population value
         pop input = (160000 - X \text{ mean}) / X \text{ std}
         pop input = np.array([1, pop input]).reshape(1, -1) # Add bias term
         # Predict using the best-trained model (batch size 10 as an example)
         predicted price = pop input.dot(theta opt)
         print(f"Predicted house price for a city with population 160,000: ${predicte
        NameError
                                                  Traceback (most recent call last)
        Cell In[10], line 2
              1 # Normalize the input population value
        ----> 2 pop input = (160000 - X mean) / X std
              3 pop input = np.array([1, pop input]).reshape(1, -1) # Add bias term
              5 # Predict using the best-trained model (batch size 10 as an example)
        NameError: name 'X mean' is not defined
In [11]: #Problem 3
         import numpy as np
         import pandas as pd
         import matplotlib.pyplot as plt
         from sklearn.datasets import load breast cancer
         from sklearn.model selection import train test split
         from sklearn.preprocessing import StandardScaler
         from sklearn.linear model import LogisticRegression
         from sklearn.feature selection import RFE
         from sklearn.metrics import accuracy score, precision score, recall score, f
In [12]: # Load the breast cancer dataset
         data = load breast cancer()
         X = pd.DataFrame(data.data, columns=data.feature names) # Feature matrix
         y = data.target # Target variable (0 = Malignant, 1 = Benign)
         # Display dataset information
         print("Dataset Features:\n", X.head())
         print("\nTarget Labels:\n", np.unique(y, return counts=True)) # Distributid
```

```
Dataset Features:
              mean radius mean texture mean perimeter mean area mean smoothness \
          0
                   17.99
                                 10.38
                                                122.80
                                                          1001.0
                                                                          0.11840
          1
                   20.57
                                 17.77
                                                132.90
                                                          1326.0
                                                                          0.08474
          2
                   19.69
                                 21.25
                                               130.00
                                                          1203.0
                                                                          0.10960
          3
                   11.42
                                 20.38
                                                77.58
                                                          386.1
                                                                          0.14250
                                               135.10
          4
                   20.29
                                 14.34
                                                          1297.0
                                                                          0.10030
             mean compactness mean concavity mean concave points mean symmetry \
          0
                      0.27760
                                       0.3001
                                                          0.14710
                                                          0.07017
          1
                      0.07864
                                       0.0869
                                                                          0.1812
          2
                                       0.1974
                                                          0.12790
                                                                          0.2069
                      0.15990
          3
                      0.28390
                                      0.2414
                                                          0.10520
                                                                          0.2597
          4
                                      0.1980
                                                          0.10430
                      0.13280
                                                                          0.1809
             mean fractal dimension ... worst radius worst texture worst perimeter
          \
                                                 25.38
          0
                            0.07871 ...
                                                               17.33
                                                                               184.60
          1
                            0.05667 ...
                                                24.99
                                                               23.41
                                                                               158.80
          2
                            0.05999 ...
                                                23.57
                                                               25.53
                                                                               152.50
          3
                            0.09744 ...
                                                14.91
                                                               26.50
                                                                               98.87
          4
                            0.05883 ...
                                                22.54
                                                               16.67
                                                                               152.20
             worst area worst smoothness worst compactness worst concavity \
          0
                 2019.0
                                   0.1622
                                                     0.6656
                                                                      0.7119
                 1956.0
                                   0.1238
                                                     0.1866
                                                                      0.2416
          1
          2
                 1709.0
                                   0.1444
                                                     0.4245
                                                                      0.4504
          3
                  567.7
                                  0.2098
                                                     0.8663
                                                                      0.6869
                 1575.0
                                  0.1374
                                                    0.2050
                                                                      0.4000
             worst concave points worst symmetry worst fractal dimension
          0
                           0.2654
                                          0.4601
                                                                  0.11890
          1
                           0.1860
                                          0.2750
                                                                  0.08902
          2
                           0.2430
                                          0.3613
                                                                  0.08758
          3
                           0.2575
                                          0.6638
                                                                  0.17300
          4
                           0.1625
                                          0.2364
                                                                  0.07678
          [5 rows x 30 columns]
          Target Labels:
           (array([0, 1]), array([212, 357], dtype=int64))
  In [13]: # Split data (70% training, 30% testing)
           X train, X test, y train, y test = train test split(X, y, test size=0.3, rar
  In [14]: # Standardize the features (zero mean, unit variance)
           scaler = StandardScaler()
           X train scaled = scaler.fit transform(X train)
           X test scaled = scaler.transform(X test)
  In [15]: # Initialize logistic regression model
           log reg = LogisticRegression(max iter=1000, random state=42)
           # Use RFE to select the top 2 features
           rfe = RFE(log reg, n features to select=2)
Loading [MathJax]/extensions/Safe.js
```

```
rfe.fit(X train_scaled, y_train)
         # Get the selected features
         selected features = X.columns[rfe.support ]
         print("\nSelected Best Two Features for Classification:", selected features)
        Selected Best Two Features for Classification: Index(['worst area', 'worst c
        oncave points'], dtype='object')
In [16]: # Select only the best two features
         X train selected = X train scaled[:, rfe.support ]
         X test selected = X test scaled[:, rfe.support ]
         # Train logistic regression with selected features
         log reg.fit(X train selected, y train)
Out[16]: ▼
                           LogisticRegression
         LogisticRegression(max_iter=1000, random_state=42)
In [17]: # Predict on test set
         y pred = log reg.predict(X test selected)
In [18]: # Compute classification metrics
         accuracy = accuracy score(y test, y pred)
         precision = precision score(y test, y pred)
         recall = recall score(y test, y pred)
         f1 = f1 score(y test, y pred)
         conf matrix = confusion matrix(y test, y pred)
         # Display results
         print("\nModel Evaluation Metrics:")
         print(f"Accuracy: {accuracy:.4f}")
         print(f"Precision: {precision:.4f}")
         print(f"Recall: {recall:.4f}")
         print(f"F1 Score: {f1:.4f}")
         # Display confusion matrix
         print("\nConfusion Matrix:")
         print(conf matrix)
         # Classification report
         print("\nClassification Report:")
         print(classification_report(y_test, y_pred))
```

Model Evaluation Metrics:

Accuracy: 0.9415 Precision: 0.9450 Recall: 0.9626 F1 Score: 0.9537

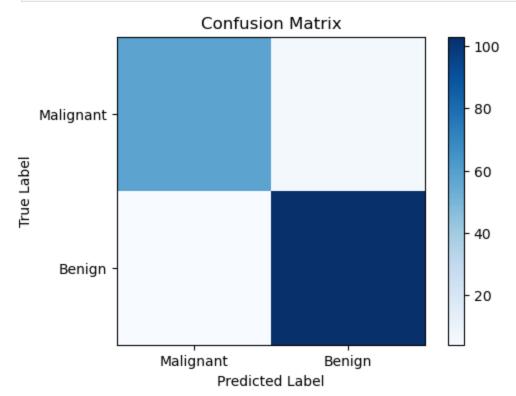
Confusion Matrix:

[[58 6] [4 103]]

Classification Report:

	precision	recall	f1-score	support
0	0.94	0.91	0.92	64
1	0.94	0.96	0.95	107
accuracy			0.94	171
macro avg	0.94	0.93	0.94	171
weighted avg	0.94	0.94	0.94	171

```
In [19]: # Plot confusion matrix
    plt.figure(figsize=(6, 4))
    plt.imshow(conf_matrix, cmap="Blues", interpolation="nearest")
    plt.colorbar()
    plt.xticks([0, 1], ['Malignant', 'Benign'])
    plt.yticks([0, 1], ['Malignant', 'Benign'])
    plt.xlabel("Predicted Label")
    plt.ylabel("True Label")
    plt.title("Confusion Matrix")
    plt.show()
```



In [20]:		
In []:		