Tomiris Zhermanazarova

ID: 201669929

$$\frac{Q-1}{E} = \frac{\sum x = 30806}{\sum y = 494800} = \frac{\sum x^2 = 105821236}{\sum y = 494800} = \frac{\sum y^2 = 25959740000}{\sum xy = 1631016000}$$

$$\alpha = \frac{(\xi y)(\xi x^2) - (\xi x)(\xi xy)}{n(\xi x^2) - (\xi x)^2} = \underbrace{(19370 = \alpha)}_{n(\xi x^2) - (\xi x)^2}$$

$$\beta = \frac{n(\xi xy) - (\xi x)(\xi y)}{n(\xi x^2) - (\xi x)^2} = \underbrace{(9,774 = \beta)}_{n(\xi x^2) - (\xi x)^2}$$

$$y = 19370 + 9.774x$$

(b)
$$b = 9.774$$
 $y = 19370$

$$Q = 19370 + 9.774.5000 = (8240 = 4)$$

Q-2 @ No, will not converge.

Because of negative class label and positive weight.

(b)	Step	Weights	Score		Update
	1	[1,0,0,0]	1	No	[1,4,3,6]
1	g	[0,-4,-3,-6]	- 20	No	[1,2,-2,3]
	2	r1-2-5,-37	-1+9=8	Yes	_
-	4	[1,-2,-5,-3]	-7-19=-26	Yes	_
	,	, , ,			

$$\frac{Q-3}{W_A} = 1 + (-6) + 3 = -2$$
 $W_B = -1 + 2 = -1$
 $W_C = 6 + 1 = 7$

y would be predicted by C class, as $W_c = 7$ is the largest. y = C

$$(\mathcal{W}_{A} = (1, 2, 3))$$

$$W_g = W_g + X$$

$$W_{g} = (-1, 0, 2) + (1, -3, 1) = (0, -3, 3) = W_{g}$$

$$W_c = W_c - X$$

$$W_c = (0, -2, 1) - (1, -3, 1) = ((-1, 1, 0) = W_c)$$