

Search for pair production of Higgs bosons  
in the  $b\bar{b}b\bar{b}$  final state using proton–proton  
collisions at  $\sqrt{s} = 13$  TeV with the ATLAS  
detector

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# Search for pair production of Higgs bosons in the $b\bar{b}b\bar{b}$ final state using proton–proton collisions at $\sqrt{s} = 13$ TeV with the ATLAS detector

## ABSTRACT

We present a search for Higgs boson pair production, with two  $b\bar{b}$  pairs in the final state. This analysis uses the full 2015 and 2016 data collected by the ATLAS Collaboration at  $\sqrt{s} = 13$  TeV, corresponding to  $X \pm \gamma \text{ fb}^{-1}$  of 2015 and  $\mathcal{A} \pm B \text{ fb}^{-1}$  of 2016  $pp$  collision data. The data are interpreted in the context of the bulk Randall-Sundrum warped extra dimension model with a Kaluza-Klein graviton decaying to  $hh$ . Relative to the 2015 analysis, this analysis focuses on improvements in the boosted analysis in the highest resonance mass range (between 2000 GeV and 3000 GeV). The data is found to be compatible with the Standard model, and no signs of new physics have been observed.

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EVERYTHING IS MEANINGLESS. BUDDHA.

# Acknowledgments

THANKS TO EVERYONE IN THE ATLAS COLLABORATION, who have supported this remarkable program and have contributed to every bit of the result in my thesis. Sir Issac Newton said he was standing on the gaint's showlders, and I am standing on the ATLAS(member)'s showlders. It's eight stories high so I hope it doesn't shrug. Without their work on detector design, commisioning, operational works, reconstruction, data processing, performance studies and recommendations, software support, computing support, and analysis discussions and guidance, I could not have completed this work. I truely and sincerely thank everyone deeply for their contributions.



# Introduction

Why do we look for  $b\bar{b} \rightarrow 4b$ ?

There are two types of analysis in particle physics. The first one is measurement, which yields a observable with an uncertainty. This could either improve our knowledge of the Standard Model, or show some inconsistency with the Standard Model. The other type is search, which generally assumes some new physics model and try to justify in data whether the new model is justified in some observables. A successful search turns the subject into a measurement, yet a null result will set a new limit for a given physics model.

*Knowledge knows no bounds.*

Creator

# 1

## Motivation for searches beyond the Standard Model

THERE'S SOMETHING OUT THERE THAT WE DON'T KNOW.

## 1.1 THE STANDARD MODEL

## 1.2 PROBLEMS WITH THE STANDARD MODEL

## 1.3 PATHS BEYOND THE STANDARD MODEL

## 1.4 HIGGS SELF COUPLING

There has been many literatures about modifications of Higgs self coupling. Using standard model measurements and their precisions, we can constrain the self coupling parameter to an order of magnitude, see [note](#).

*Run.*

Random Person

# 2

## Machine of discovery–The Large Hadron Collider

### 2.1 DESIGN

The deflection angle  $d\vartheta$ , with radius  $\varrho(s)$  of a particle with charge  $Ze$  and momentum  $p$  in a magnetic field  $B(s)$  is (see this [talk](#)):

$$d\vartheta = \frac{ds}{\varrho(s)} = \frac{ZeB(s)ds}{p} \quad (2.1)$$

Ingerate this over the circumference:

$$\oint_C d\mathcal{V} = 2\pi = \frac{Ze}{p} \oint_C B(s) ds \quad (2.2)$$

Thus the momentum is:

$$p = \frac{Ze}{2\pi} \oint_C B(s) ds = Z \times 44.7 \left[ \frac{MeV}{cTm} \right] \oint_C B(s) ds \quad (2.3)$$

Given LHC has 1232 14.2m long dipoles with B field 8.33 T, we have p is 7.0 TeV/c.

## 2.2 PERFORMANCE

Above injection energy the relative beam energy uncertainty is 0.1%, fully correlated between the 2 beams. No correction must be applied to the online energy values. Energy and uncertainty are determined by the magnetic model, see [talk](#).

*DAMN.*

God

# 3

## Eyes of giant–The ATLAS Detector

We love ATLAS. It even has a writing style <https://cds.cern.ch/record/1110290>.

### 3.1 TRIGGER AND DATA ACQUISITION

To avoid too high accept rates for certain triggers, the triggers are often prescaled, which means the accepted events get rejected at the prescale. For example, a prescale of two means only every second event passing all trigger conditions gets accepted.

For trigger information, see [2015 note](#) and [2016 updates](#).



*I hate my life.*

Tony

# 4

## Reconstruction of Objects

### 4.1 LEPTONS

Leptons are rare in proton-proton collisions. Less than 1% of the total tracks are made from leptons, and these are often related to very interesting physics processes, especially involving the electroweak forces.

Electrons are maximal ionizing in the tracking system. They get absorbed completely in ECAL and leaves no signature in the HCAL. The amplified, shaped and sampled raw signal from each calorimeter cell is converted into the energy deposited.  $3 \times 7$  cells in the barrel middle layer or  $5 \times 5$  in the endcap middle layer are clustered together. If the cluster has no associated tracks, it is an "unconverted photon"; if it is matched to a pair of oppositely charged tracks, it is a "converted photon".

A cluster matched to one track could be a converted photon, and the discrimination from electrons comes from the number of hits from the innermost layers of pixel detector. The calibration uses a multivariate regression algorithm, and validated in data using  $Z \rightarrow ee$  events, see [note](#).

Muons are special for leaving minimally ionizing signatures in the detector. They usually penetrate the calorimeter and form tracks in the Muon Spectrometer. This is useful for reducing the generate rate of events, hence for triggering. They are also very clean in reconstruction and have excellent resolutions up to 1 TeV. Material and station information, see [note](#).

For Tau ID, see this [note](#)

## 4.2 JETS

Jets are reconstructed using local topocluster weighting ([LCW](#)) algorithm.

Jet mass, see [note](#). Jet mass is one of the best tools for distinguishing massive particle decays from QCD background. Jets are trimmed by re-clustering the constituents of the jet into subjects.  $k_t$  algorithm with  $R_{sub} = 0.2$  is used, and if the subjects has  $p_T$  less than 5% of the original jet  $p_T$ , the constituent is removed. The calorimeter-based jet mass ( $m^{calo}$ ), with calorimeter-cell cluster constituents  $i$  with energy  $E_i$ , momentum  $\vec{p}_i$  ( $|\vec{p}_i| = E_i$ ) is defined as:

$$m^{calo} = \sqrt{(\sum_i E_i)^2 - (\sum_i p_i)^2} \quad (4.1)$$

For a boosted massive particle, the angular spread in the decay products scales as  $\frac{1}{p_T}$ . For highly boosted cases, the spread could be comparable with the O.L.I calorimeter granularity. Tracking information can be used to maintain performance beyond this. The track-assisted jet mass ( $m^{TA}$ ) is

defined as:

$$m^{TA} = \frac{p_T^{calo}}{p_T^{track}} \times m^{track} \quad (4.2)$$

where  $p_T^{calo}$  is the calorimeter measurement,  $p_T^{track}$  is the four-vector sum of tracks associated to the large-radius calorimetric jet, and  $m^{track}$  is the invariant mass of this four-vector sum (the track mass is set to  $m_\pi$ ). This ratio corrects for charged-to-neutral fluctuations, thus improving the resolution with respect to track-only jet mass.

NEED TO INSERT A FIGURE HERE.

### 4.3 FLAVOR TAGGING

Tracks reconstruction, see [this great note](#). The first step is creating clusters based on pixel and SCT measured energy deposits, which are space-points. Then three space-points form a seed, and they are combined to build track candidates using a Kalman filter. After ambiguity solving, an artificial neural network is trained and used to identify merged clusters. The last step is a high resolution fit, which is CPU intensive. The min  $p_T$  is 400 MeV, and  $|\eta| < 2.5$ , and at least seven hits in the pixel or SCT. Total number of holes has to be less than two per track, and no more than one in the pixels.  $Z_0^{BL} \sin \vartheta$  is required to be less than 3 mm. Interestingly, the performance of track reconstruction is highly dependent on the momentum of the particle. With higher boost, the decay tracks have smaller separations in the inner detector, hindering the resolving cluster process, and thus degrading the track identification efficiency. For a 1 TeV  $B_0$ , the reconstruction track efficiency is 83%, compared to 95% for a 200 GeV  $B_0$ .

$b$ -tagging, see [2016 run2 note](#). Recurrent Neural Network (RNN), which could explore more the correlation between different input parameters, especially the fragmentation of jets and the impact parameters, has shown improvements in  $b$ -tagging efficiency and is under investigation for future

Multivariate Taggers, see [RNN note](#).  $b$ -jet calibration is done using  $t\bar{t}$  events, as can be seen in [Likelihood talk](#) and [Matrix method and Likelihood note](#) or a Tag-and-Probe using semi-leptonic  $t\bar{t}$  events.

There are 3 taggers in MV2 family, MV2<sub>COO</sub>, MV2<sub>C10</sub>, MV2<sub>C20</sub> depending on their charm composition in training:  $MV2_{COO} \rightarrow 0\%$  c-fraction in the training,  $MV2_{C10} \rightarrow 7\%$  c-fraction in the training and  $MV2_{C20} \rightarrow 15\%$  c-fraction in the training. See [twiki](#).

Vertex reconstruction and resolution, can be seen in this [note](#).

The increase of tracks from fragmentation in the high jet  $p_T$  region is the main reason for the performance degradation. As the jet  $p_T$  increases, the number of fake vertices is increasing, while the secondary vertex reconstruction efficiency for b and c jets slightly decreases with jet  $p_T$ .

#### 4.4 BOOSTED OBJECT TAGGING

Although this work doesn't depend on specific boosted W/Z/H/Top taggers, many analyses adopt them and improve search sensitivities. For machine learning techniques applied, see this [W/Top tagger using BDT/DNN](#)

*Maybe. Just maybe.*

Who

# 5

## Censor of work–Data Quality

5.1 DATA FLOW IN ATLAS

5.2 ONLINE MONITORING

5.3 OFFLINE MONITORING

*Pick the berry.*

Bear

# 6

## Event Selection

### 6.1 TRIGGER SELECTION

See 6.4.3 for the 2015 trigger. In data and simulation, there is a small offset in the efficiency curves for the threshold. The trigger *HLT\_j360\_a10\_lcw\_sub*, where topo-cluster jets with local calibration weights and pile-up subtraction, is used.

### 6.2 OPTIMIZATION STRATEGY

To improve the analysis, a quantity which defines the sensitivity of analysis is maximized. Technically, the optimal sensitivity is described as  $\sqrt{2((S+B)\ln 1 + \frac{S}{B} - S)}$ , see note. This is usually considered at the  $S \ll B$  limit and simplified as  $\frac{S}{\sqrt{B}}$ , when no knowledge of the model cross section

is available, or  $\frac{S}{\sqrt{S+B}}$ , if the signal cross section is known. These parametrizations have limitations, particularly when the signal yield and the number of estimated background are both small. A better parametrization for low signal strength is  $\frac{S}{\sqrt{1+B}}$ , where the extra  $\sqrt{1+B}$  accounts for poisson fluctuations. For a discussion of p-values, please see this [note](#).

For this analysis, two methods are used: one is calculate the number of signal and backgrounds within 68% of the signal  $m_{hh}$  mass window, the other is to implement the full signal and background predictions after smoothing and compare the asymptotic expected exclusion limits. Both methods yield comparable results.

To avoid bias during the optimization process, data's signal regions are blinded.

### 6.3 $b$ TAGGING

$b$ -tagging, which is the identification of the  $b$ hadron, <sup>1</sup> is the core and main limiting factor of this analysis. Because of the relatively long lifetime, it is possible to tag the  $b$ hadron using the inner detector informations. A higher  $b$ -tagging efficiency will increase the signal selection efficiency, while a lower  $b$ -tagging fake rate will reduce the background like  $g\bar{g} \rightarrow c\bar{c}$  in the signal regions.

### 6.4 SIGNAL EFFICIENCY

Acceptance refers to purely geometric fiducial volume of the detector. Efficiency refers to purely detector effectiveness in finding objects. The final value in the study is Acceptance  $\times$  Efficiency, where both effects are considered.

*Tough part.*

Revolutionaries.

# 7

## Background Estimation

### 7.1 BACKGROUND COMPOSITION

Backgrounds of this analysis are mostly QCD multijet events and  $t\bar{t}$  events.  $t\bar{t}$  cross section increased by a factor of 3.4.

The background mainly consists of multijet events. Unfortunately, the multi- $b$  qcd is not well simulated in the MC. In RunI, there is one measurement of  $b\bar{b}$  using  $J/\psi + \mu$ .



## 7.2 SIDEBAND REGION DISTRIBUTIONS

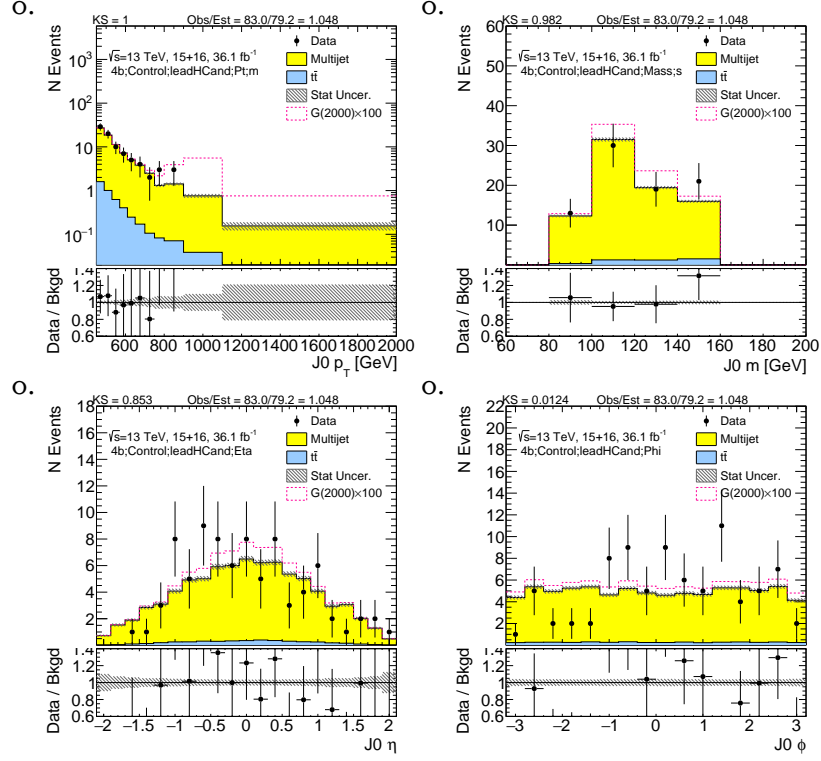
## 7.3 CONTROL REGION DISTRIBUTIONS

This section shows comparisons of data with the prediction of QCD multi-jets and  $t\bar{t}$  in the control region (CR), which is identical to the signal region (SR) except the large- $R$  jets are required to have masses close but not too close to the Higgs mass. The definition can be seen in Section ???. The predicted and observed event yields are summarized in Tables ??? and ???.

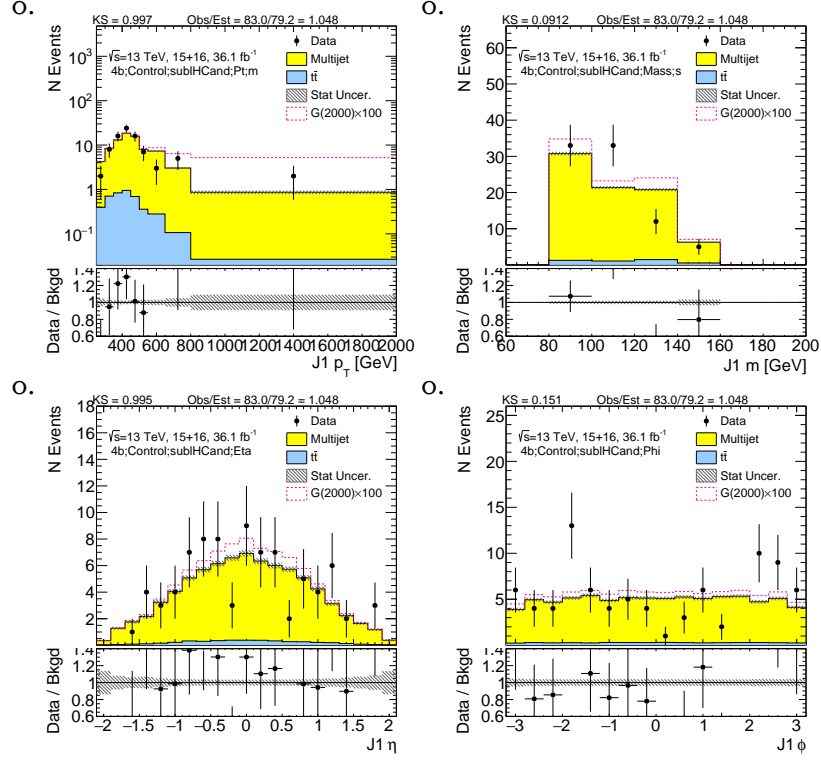
Figures 7.1, 7.2, 7.3, and 7.4 show predictions of various kinematics of the large- $R$  jets and their associated track jets in the  $4b$  selection. The shapes and normalization are a feature of the prediction, where the normalization is derived in the SB. The quality of the prediction is generally good, and no clear systematic biases are observed.

Figures 7.5, 7.6, 7.7, and 7.8 show predictions of various kinematics of the large- $R$  jets and their associated track jets in the  $3b$  selection. The shapes and normalization are a feature of the prediction, where the normalization is derived in the SB. The quality of the prediction is generally good, and no clear systematic biases are observed.

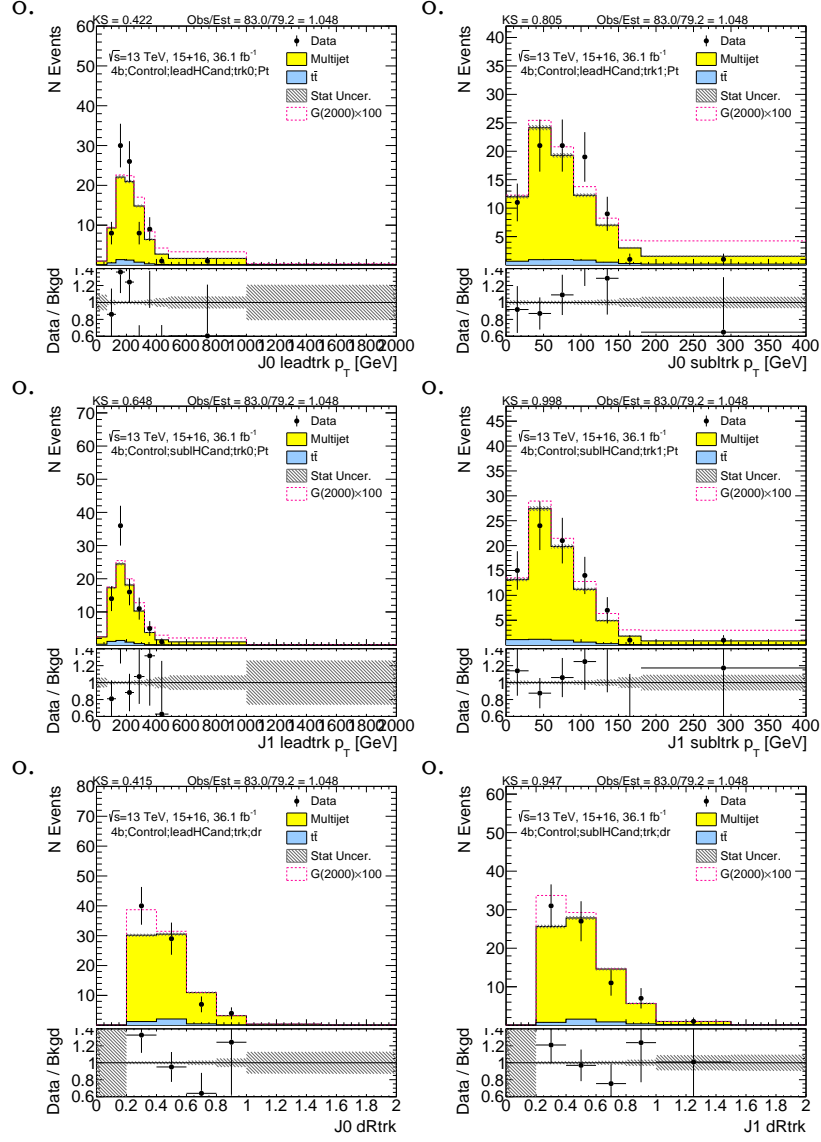
Figures 7.9, 7.10, 7.11, and 7.12 show predictions of various kinematics of the large- $R$  jets and their associated track jets in the  $2bs$  selection. The shapes and normalization are a feature of the prediction, where the normalization is derived in the SB. The quality of the prediction is generally good, and no clear systematic biases are observed.

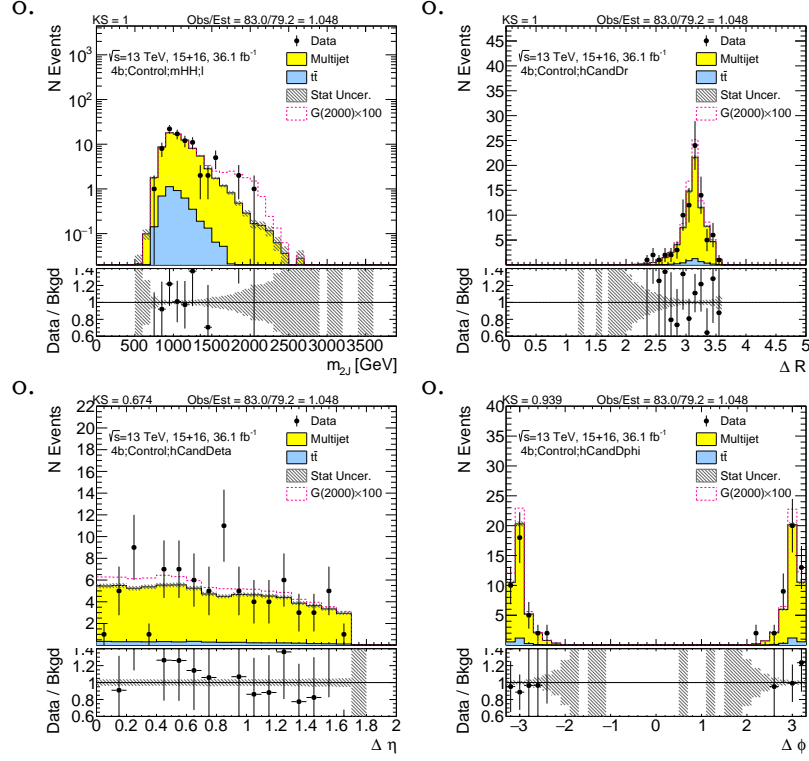


**Figure 7.1:** Kinematics of the lead large- $R$  jet in data and prediction in the sideband region after requiring 4  $b$ -tags. The normalization agrees by construction, and the shapes are a feature of the prediction.

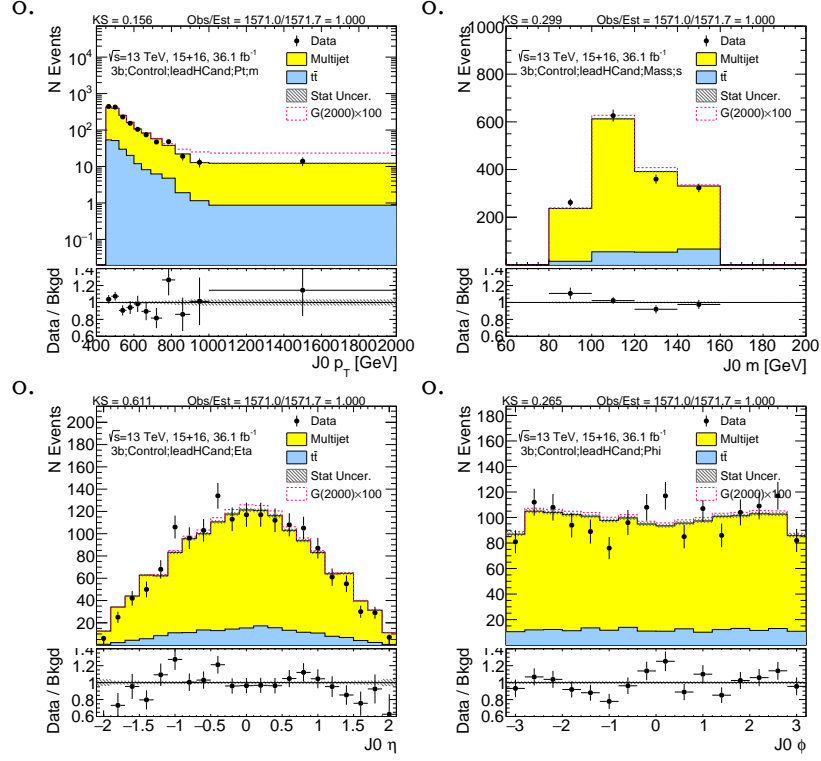


**Figure 7.2:** Kinematics of the sub-lead large- $R$  jet in data and prediction in the sideband region after requiring 4  $b$ -tags. The normalization agrees by construction, and the shapes are a feature of the prediction.

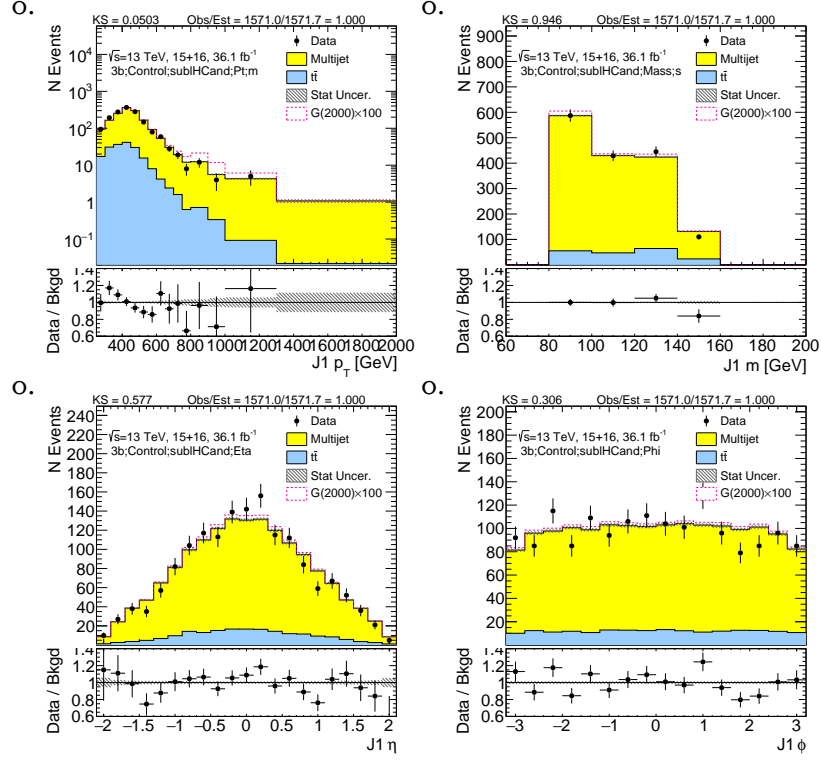




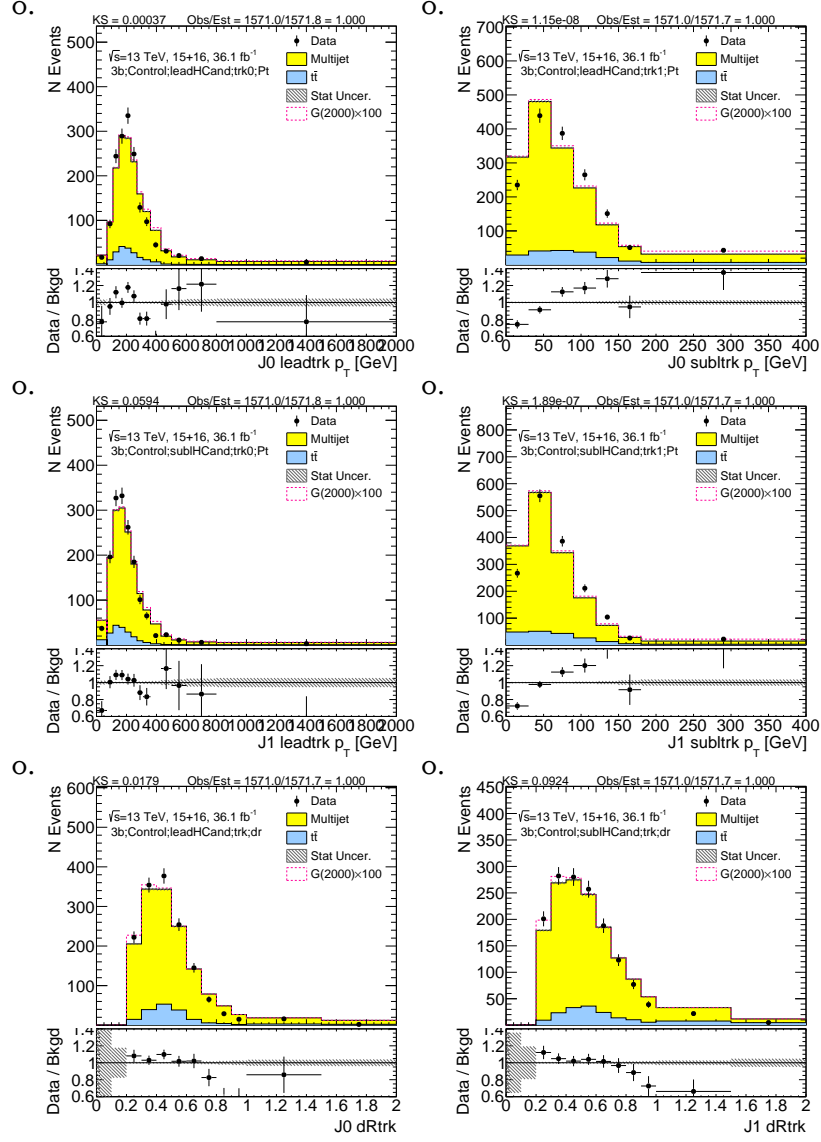
**Figure 7.4:** Kinematics of the large- $R$  jet system in data and prediction in the sideband region after requiring 4  $b$ -tags. The normalization agrees by construction, and the shapes are a feature of the prediction.



**Figure 7.5:** Kinematics of the lead large- $R$  jet in data and prediction in the sideband region after requiring 3  $b$ -tags. The normalization agrees by construction, and the shapes are a feature of the prediction.

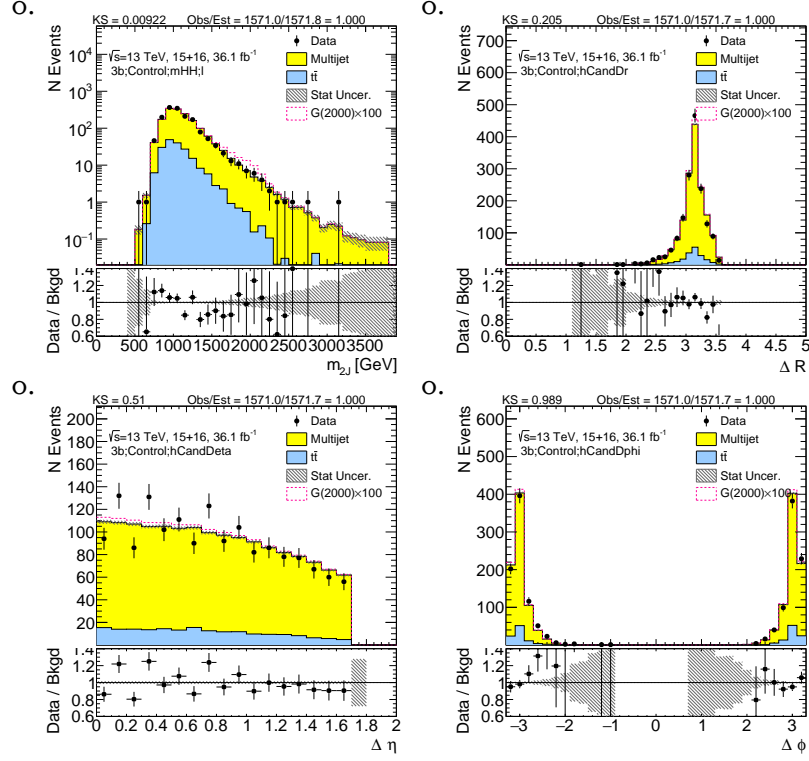


**Figure 7.6:** Kinematics of the sub-lead large- $R$  jet in data and prediction in the sideband region after requiring 3  $b$ -tags. The normalization agrees by construction, and the shapes are a feature of the prediction.

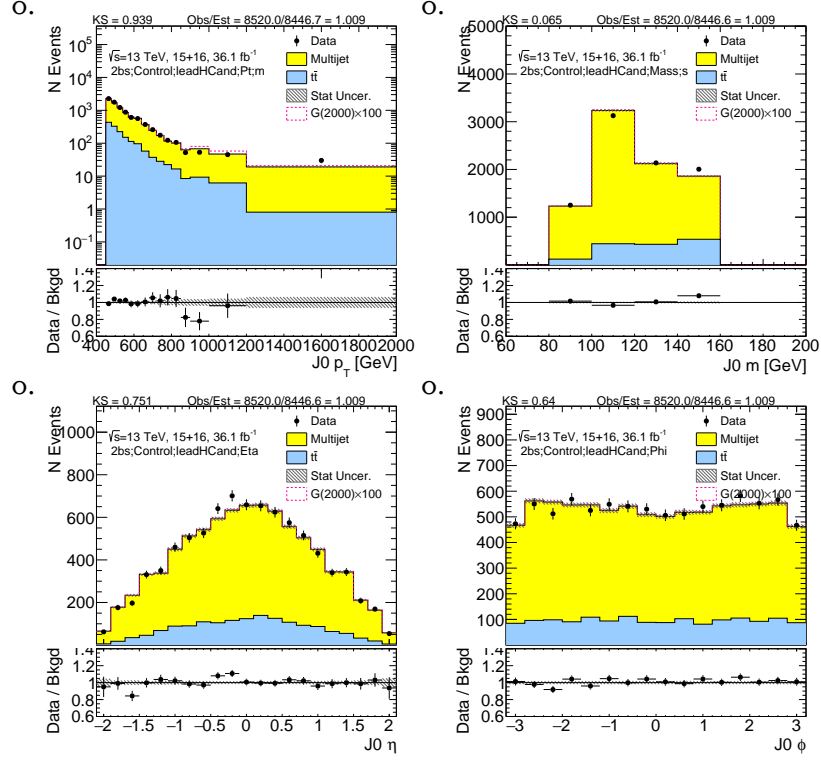


**Figure 7.7:** First two rows show the kinematics of the lead (left) and sub-lead (right) small- $R$  track jets associated to the lead (first-row) and sub-lead (second-row) large- $R$  jet in data and prediction in the sideband region after requiring 3  $b$ -tags. Third row shows the  $\Delta R$  between two leading small- $R$  track-jets associated to the leading (left) and sub-leading (right) large- $R$  jet. The normalization agrees by construction, and the shapes are a feature of the prediction.



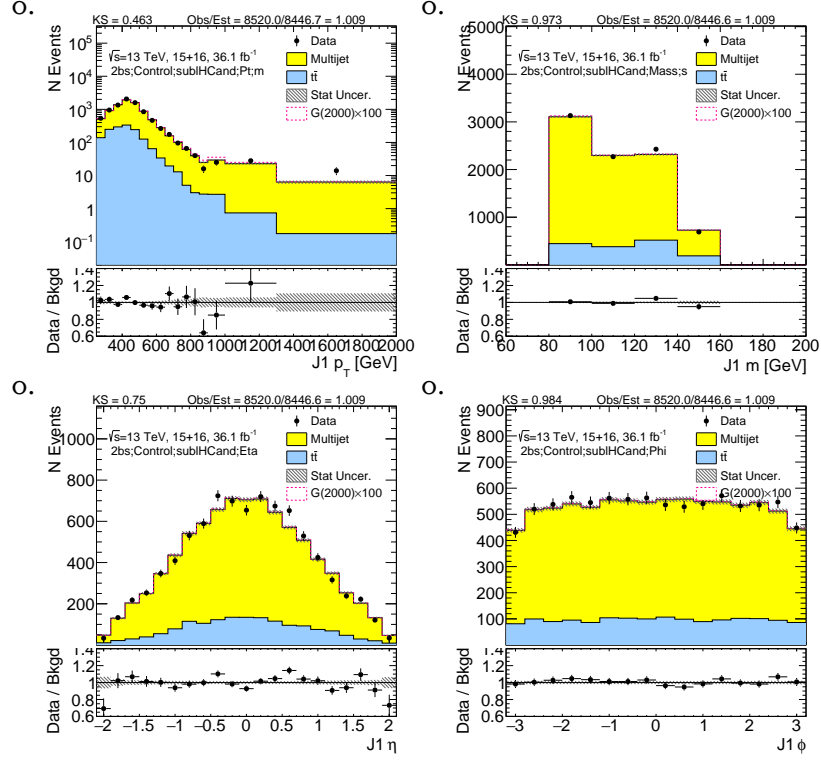


**Figure 7.8:** Kinematics of the large- $R$  jet system in data and prediction in the sideband region after requiring 3  $b$ -tags. The normalization agrees by construction, and the shapes are a feature of the prediction.

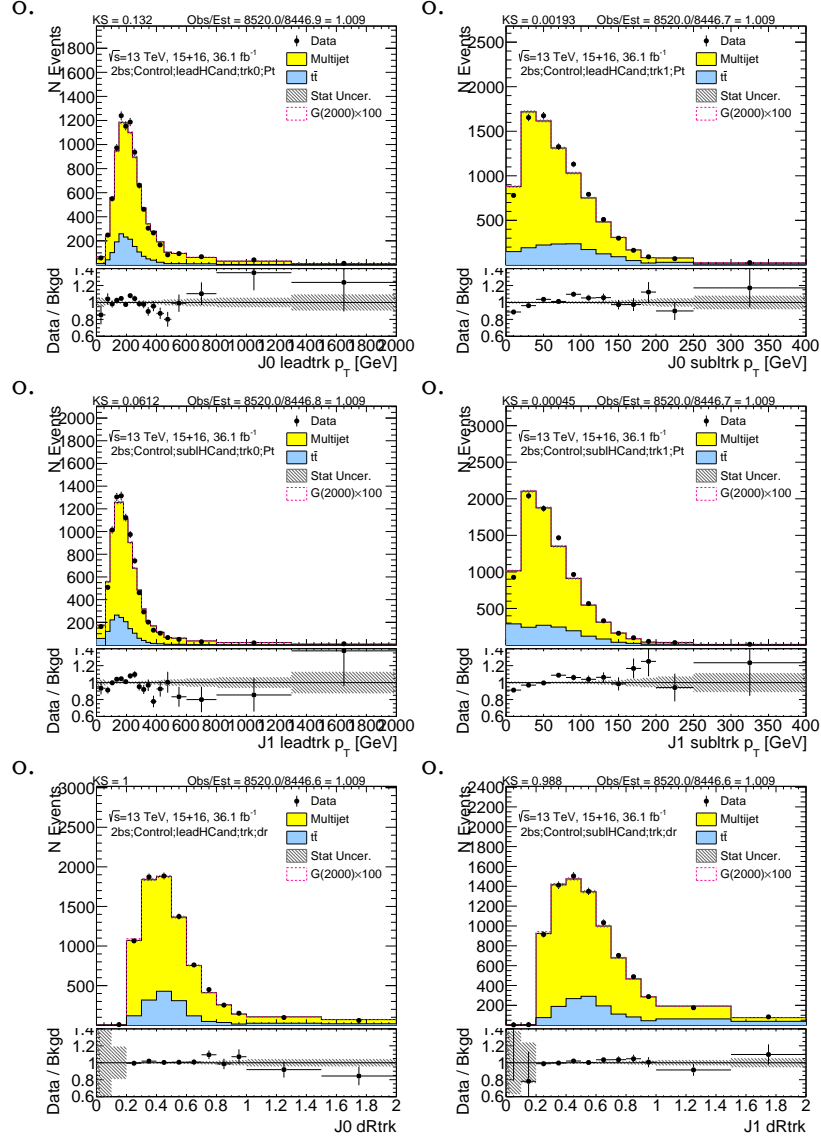


**Figure 7.9:** Kinematics of the lead large- $R$  jet in data and prediction in the sideband region after requiring 2  $b$ -tags split. The normalization agrees by construction, and the shapes are a feature of the prediction.

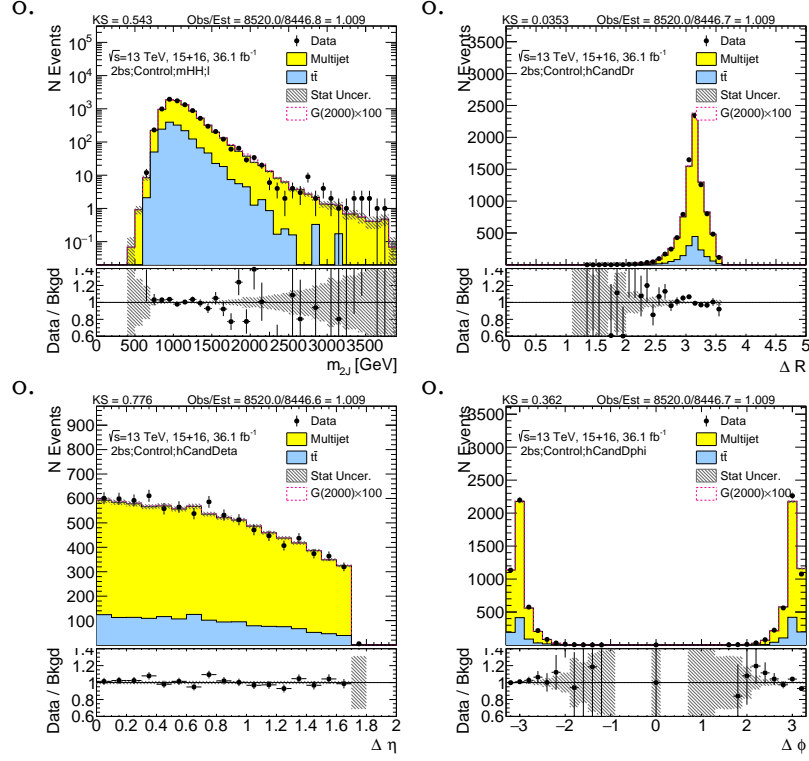
## 7.4 SIGNAL REGION PREDICTIONS



**Figure 7.10:** Kinematics of the sub-lead large- $R$  jet in data and prediction in the sideband region after requiring 2  $b$ -tags split. The normalization agrees by construction, and the shapes are a feature of the prediction.



**Figure 7.11:** First two rows show the kinematics of the lead (left) and sub-lead (right) small- $R$  track jets associated to the lead (first-row) and sub-lead (second-row) large- $R$  jet in data and prediction in the sideband region after requiring 2  $b$ -tags split. Third row shows the  $\Delta R$  between two leading small- $R$  track-jets associated to the leading (left) and sub-leading (right) large- $R$  jet. The normalization agrees by construction, and the shapes are a feature of the prediction.



**Figure 7.12:** Kinematics of the large- $R$  jet system in data and prediction in the sideband region after requiring 2  $b$ -tags split. The normalization agrees by construction, and the shapes are a feature of the prediction.

*Since we do physics.*

Tony Tong

# 8

## Systematics

PAINFUL part.

*Enfin.*

French Person

9

Result

Not yet.

*Tell the world.*

Marathon

# 10

## Interpretation

In order to avoid the **Oops-Leon** cases, commonly accepted standard for announcing the discovery of a particle is that the number of observed events is 5 standard deviations ( $\sigma$ ) above the expected level of the background.

With no excess observed, a limit needs to be set on the cross section of the signal <sup>2</sup>.

One method to parametrize signal is called **signal morphing**. Specifically, in momentum morphing, not only the signal strength is scaled, but also the width is modified by a non-linear transformation.

An estimator should satisfy three criterias:



- Consistency: the value of the estimator should converge to the truth value if the sample size goes to infinity
- Efficiency: theory limits the variance of the true value, given a sample size  $N$  (Minimum Variance bound, or MVB). If the variance of the estimator is equal to the MVB the estimator is called efficient.
- Unbiased: the estimator should have no difference from the true value, otherwise it is biased.

Maximum likelihood estimator is a good estimator, based on these criterias.

For measurements, most of the time <https://arxiv.org/abs/1611.01927> is done to compare with generator level distributions. This accounts for detector effects, statistical fluctuations and background mis-identification. Since the analysis is a search, this  $bb \rightarrow b\bar{b}b\bar{b}$  is a search, unfolding is less applicable in this case.

# 11

## Conclusion

We will find something new one day, because there is always something new.



Some extra stuff

Some appendix.

# References

- [1] Georges Aad et al. Performance of  $b$ -Jet Identification in the ATLAS Experiment. *JINST*, 11 (04):P04008, 2016. doi: 10.1088/1748-0221/11/04/P04008.
- [2] Glen Cowan, Kyle Cranmer, Eilam Gross, and Ofer Vitells. Asymptotic formulae for likelihood-based tests of new physics. *Eur. Phys. J.*, C71:1554, 2011. doi: 10.1140/epjc/s10052-011-1554-0, 10.1140/epjc/s10052-013-2501-z. [Erratum: *Eur. Phys. J.* C73,2501(2013)].