

面向交通基础设施检测的 多源异构深度学习融合方法

童 峥
重庆交通大学学术汇报
2023/05/15

目 录

01 研究背景

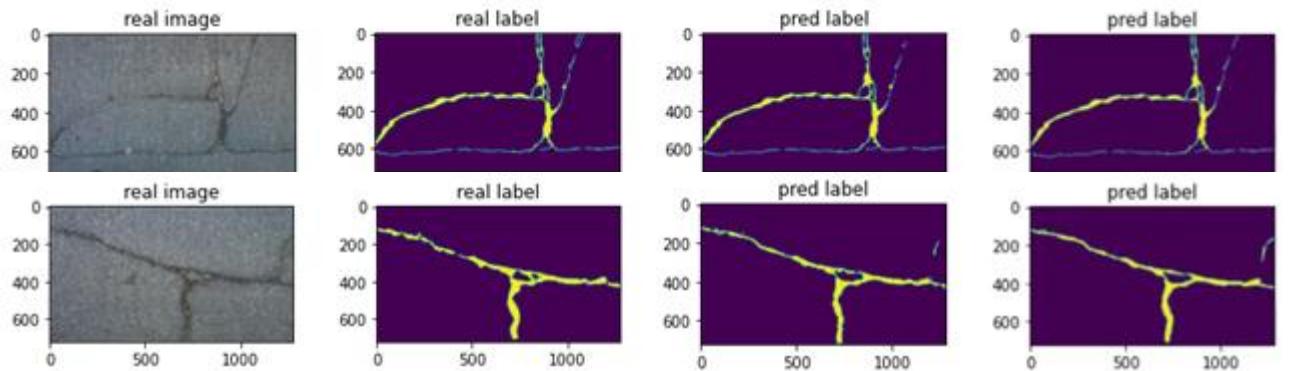
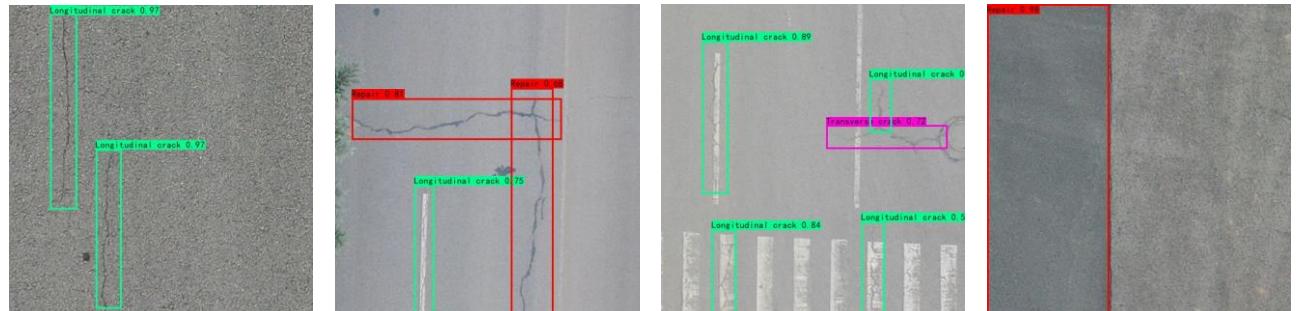
02 融合方法

03 工程应用

04 结论展望

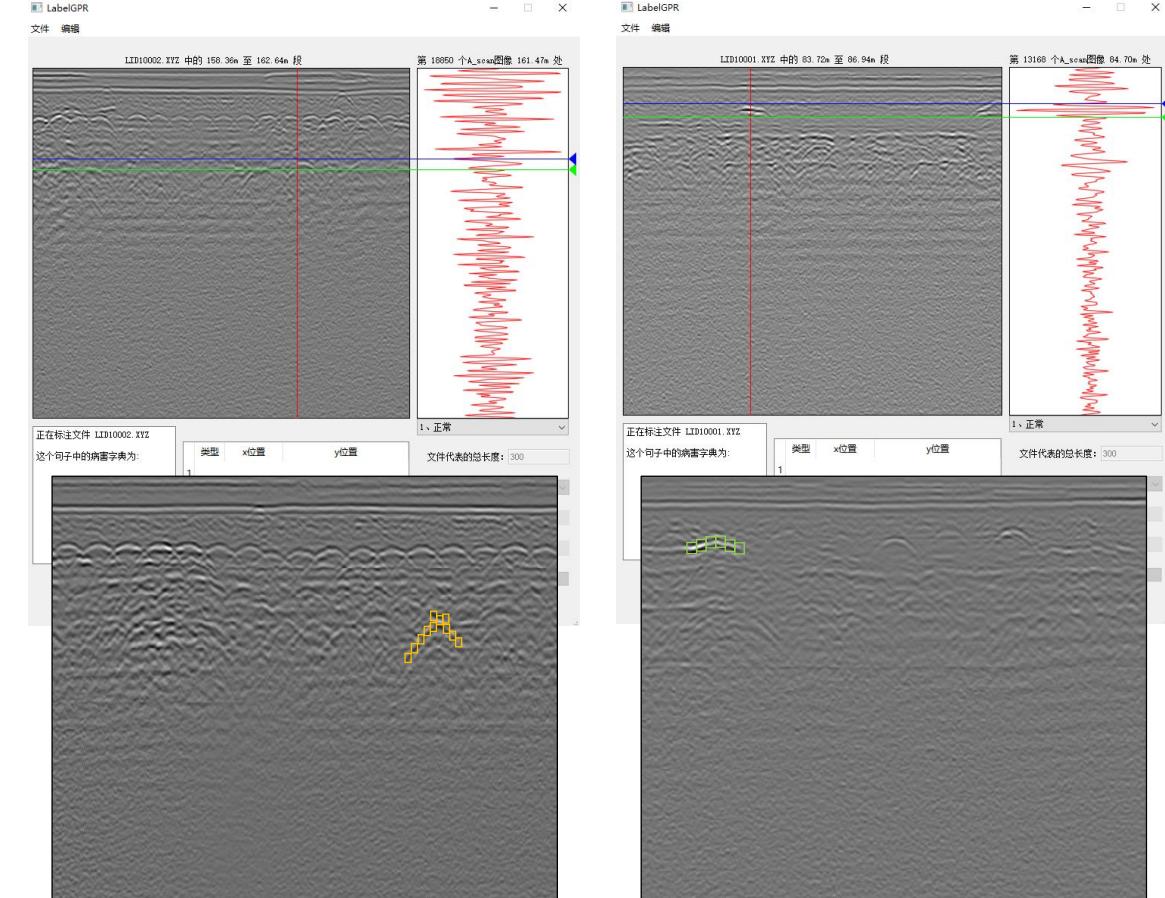
多源异构数据

路表图像



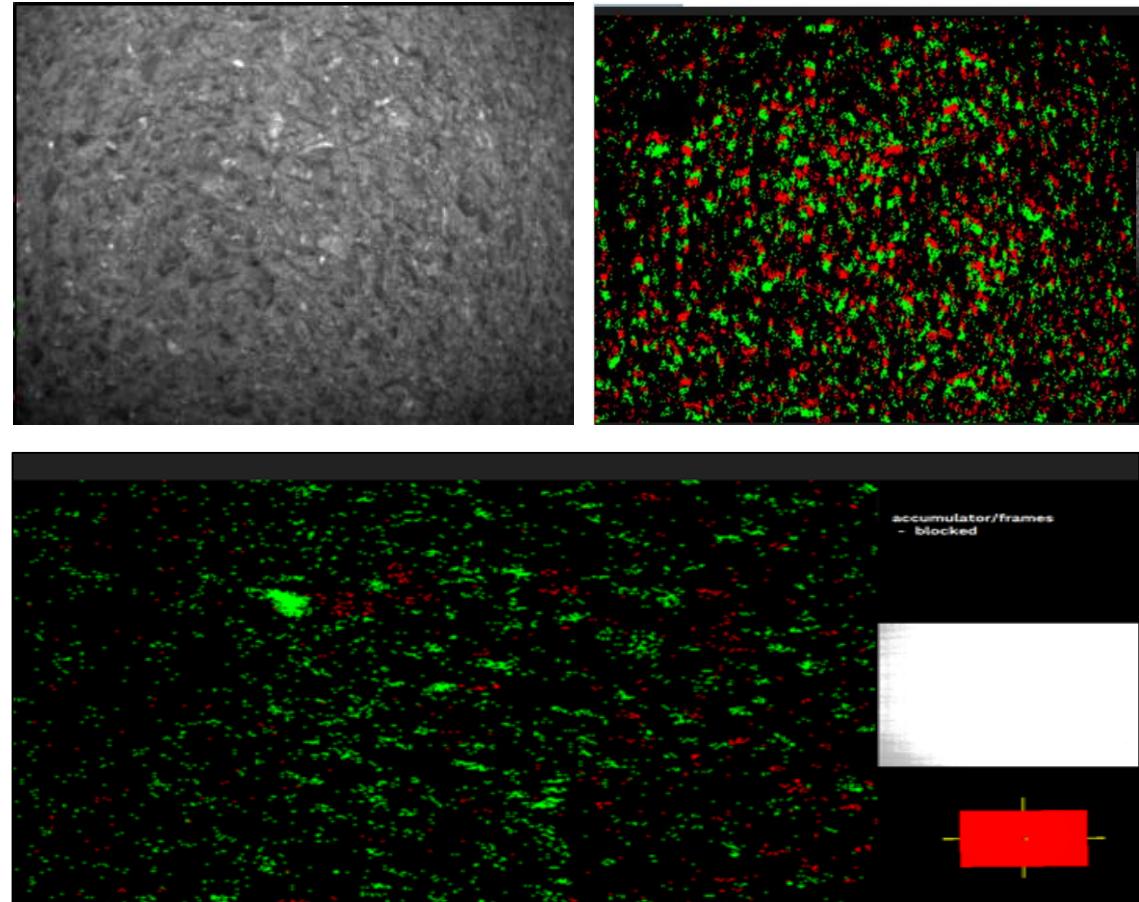
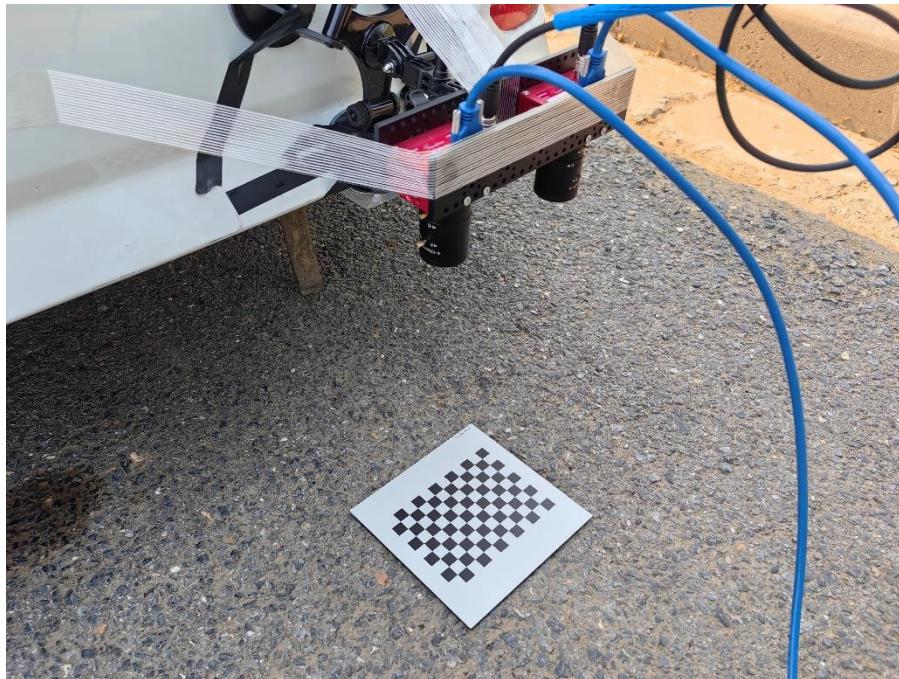
多源异构数据

时序数据



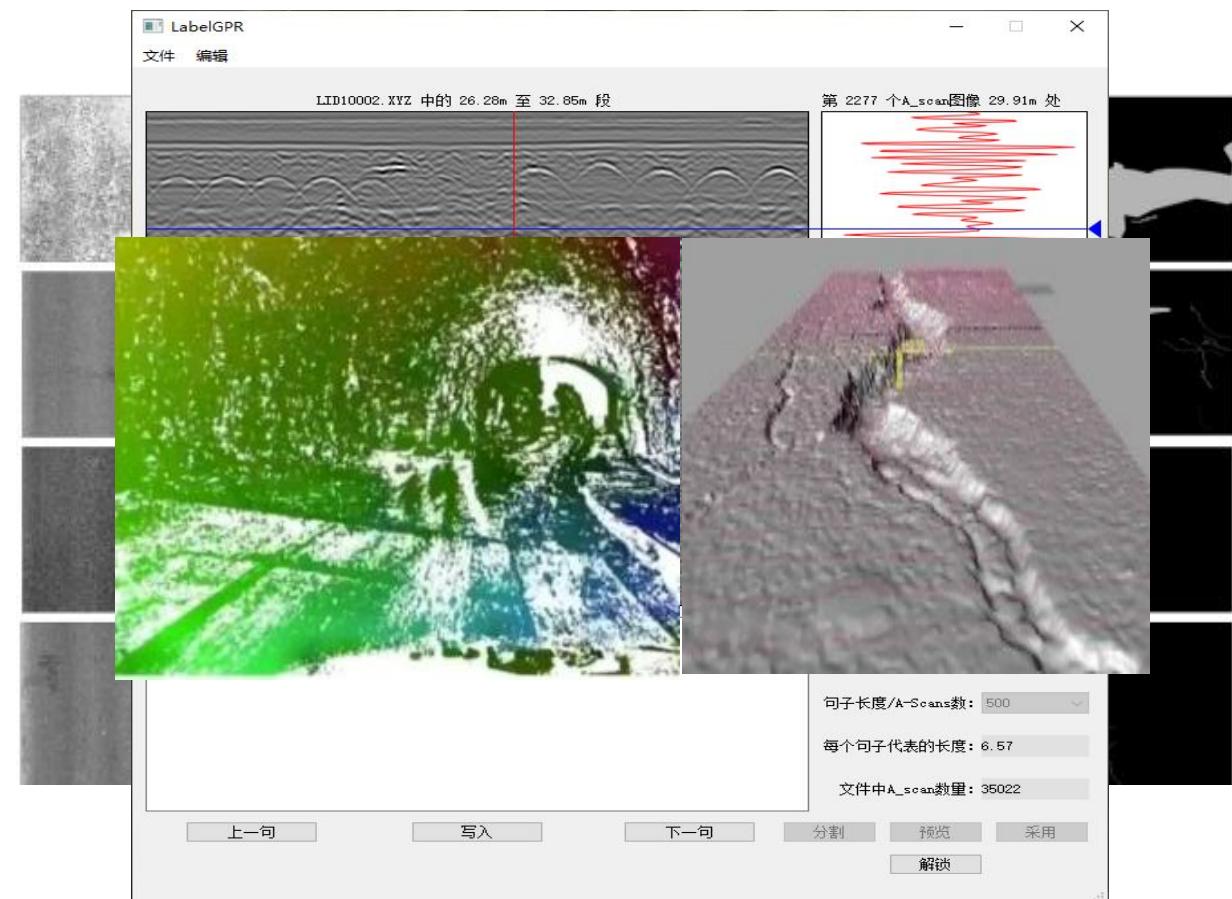
多源异构数据

高维数据



多源异构数据

- 路表图像[1]: 多功能车图像、无人机航拍图像等
- NDT时序数据 [2]: 探地雷达信号、超声波信号、应力应变数据等
- 高维数据[3]: 路面三维点云、多目事件数据等



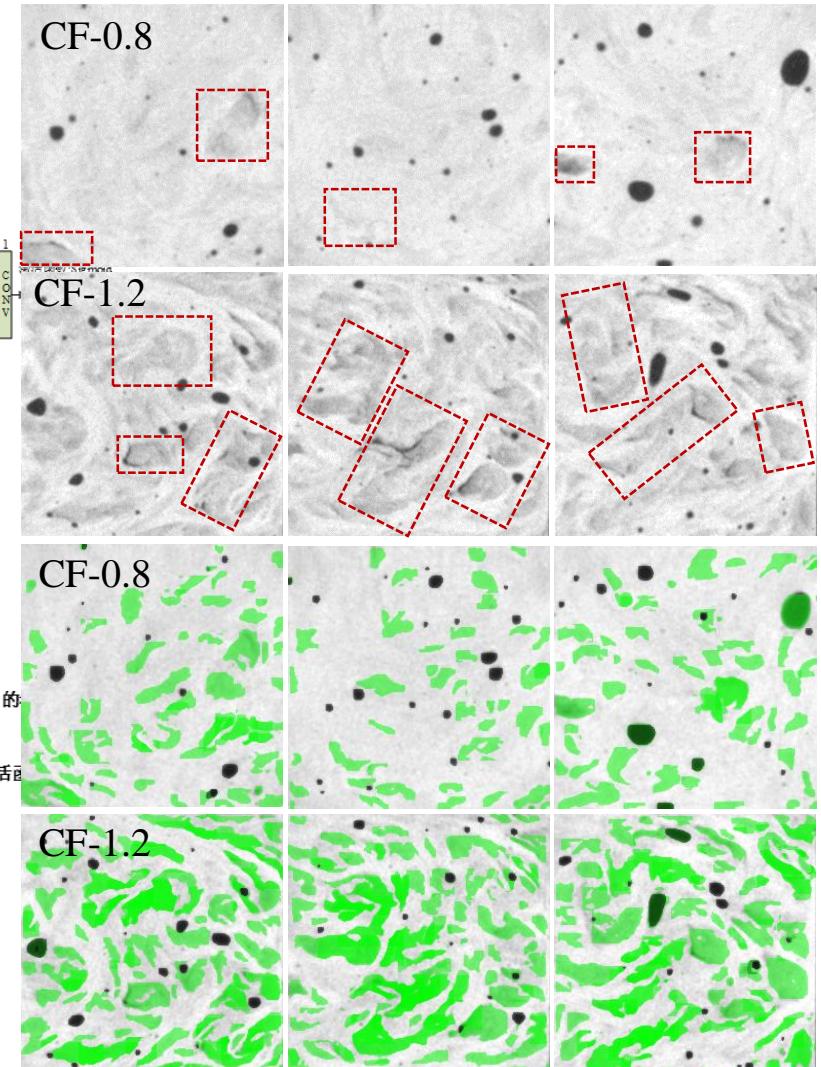
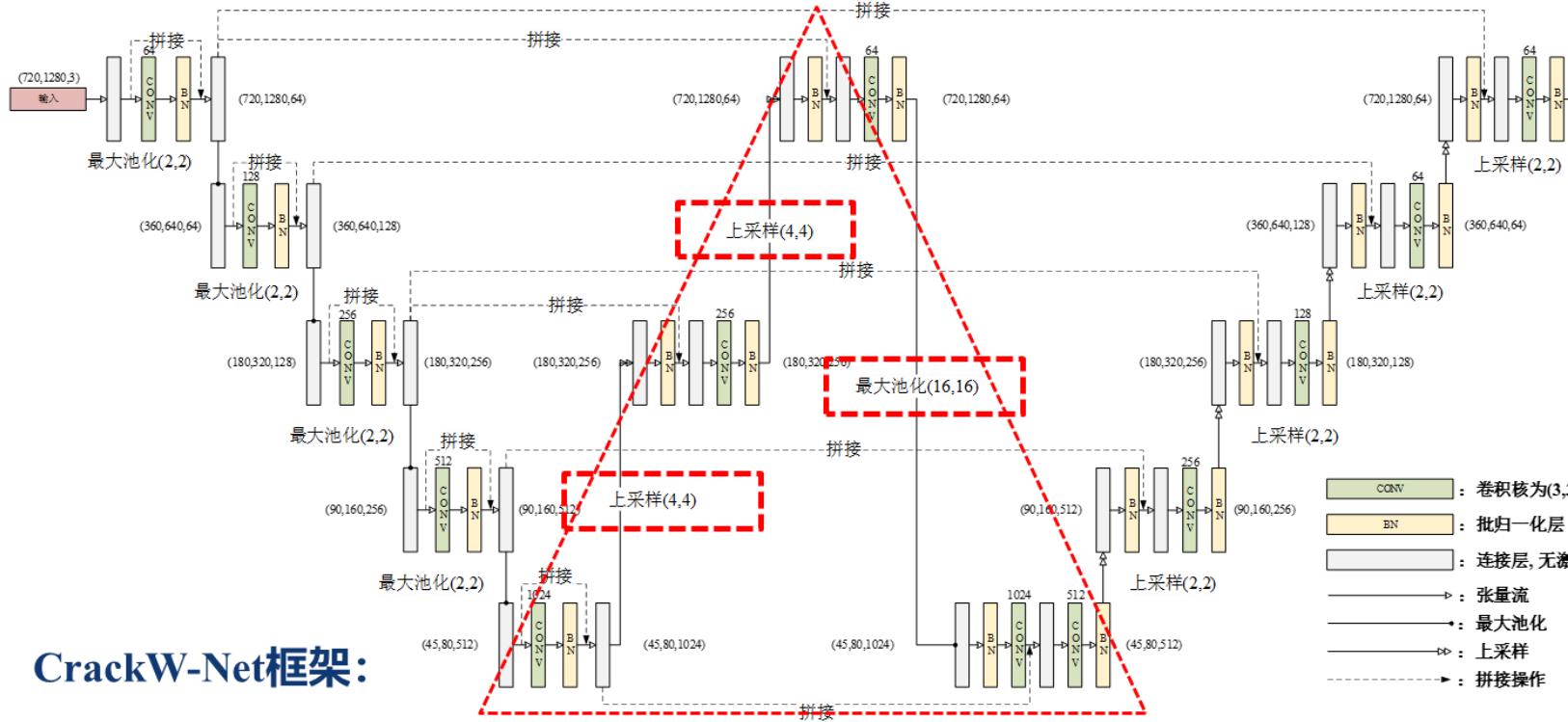
[1] Tong et al. (2022). Pavementscapes: a large-scale hierarchical image dataset. arXiv:2208.00775.

[2] Tong et al. (2020). Advances of deep learning applications in ground-penetrating radar: A survey. CBM.

[3] Li et al. (2021). Classification of Pavement Disease 3D Point Cloud Images Based on Deep Learning Network.

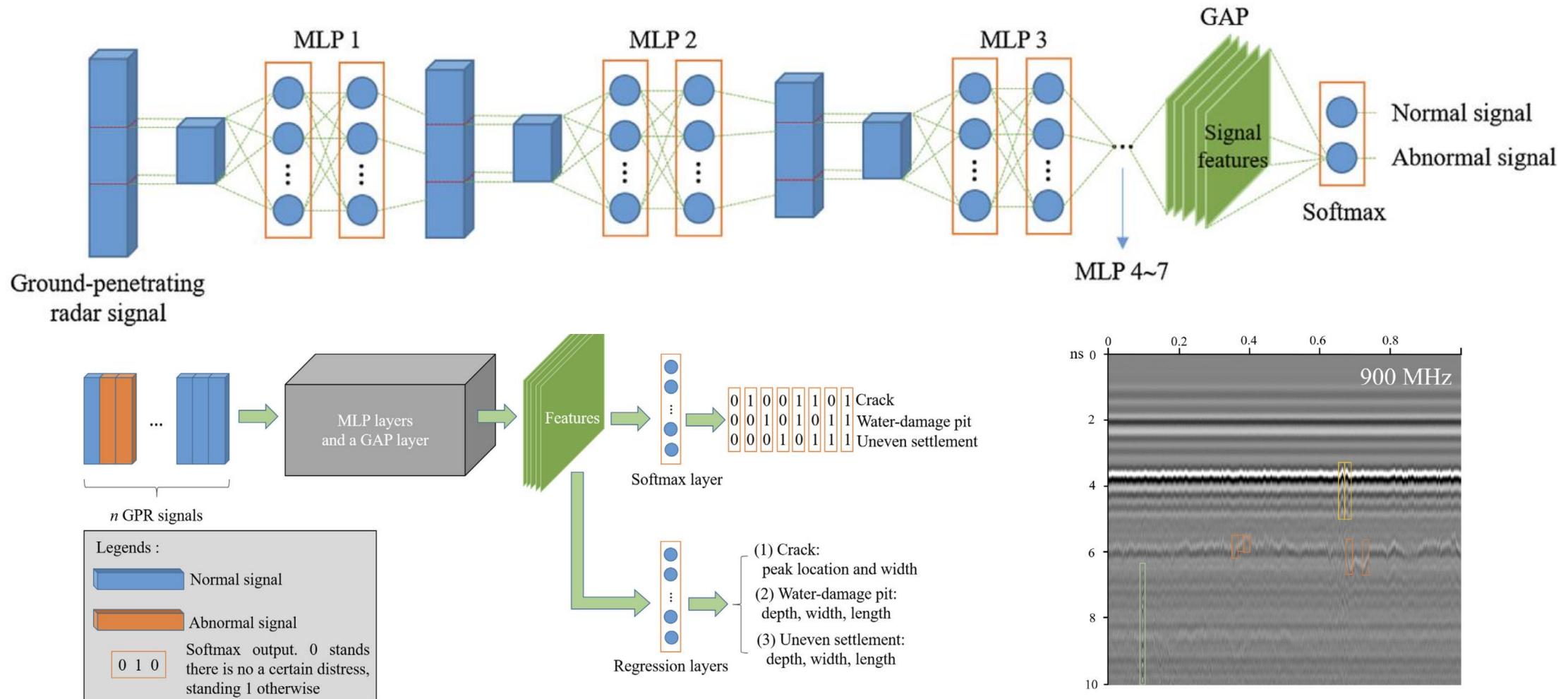
多源异构深度神经网络

图像分割



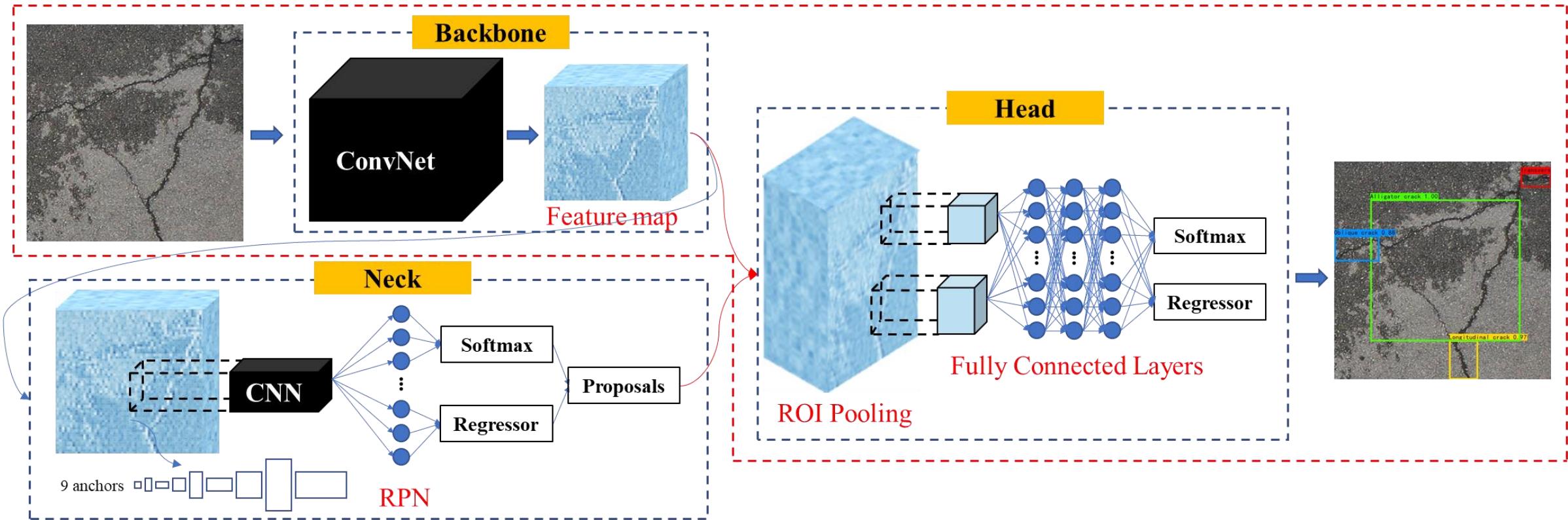
多源异构深度神经网络

信号处理



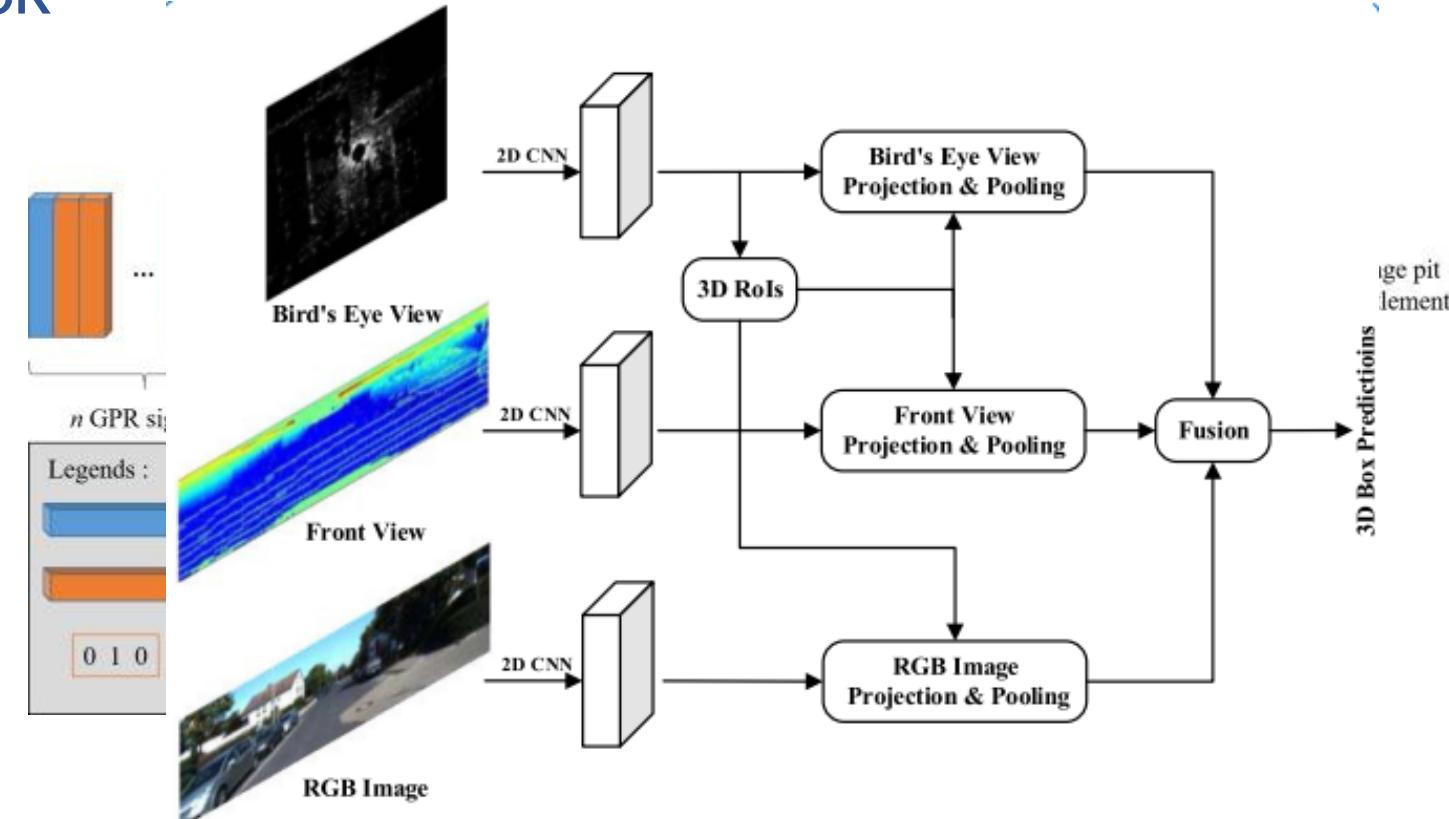
多源异构深度神经网络

高维分析



多源异构深度神经网络

- **图像分割 [3]:** W-Unet、Cracknet、ES-transformer
- **信号处理 [4]:** NIN、RNN、LSTM
- **高维分析 [5]:** RPN、BEV、Point-based methods



[3] Tong et al. (2023). Evidential transformer for pavement distress segmentation. CACAIIE.

[4] Tong et al. (2009). Pavement-distress detection using ground-penetrating radar and network in networks. CBM

[5] J. Deng et al. (2009). ImageNet: A Large-Scale Hierarchical Image Database. CVPR.

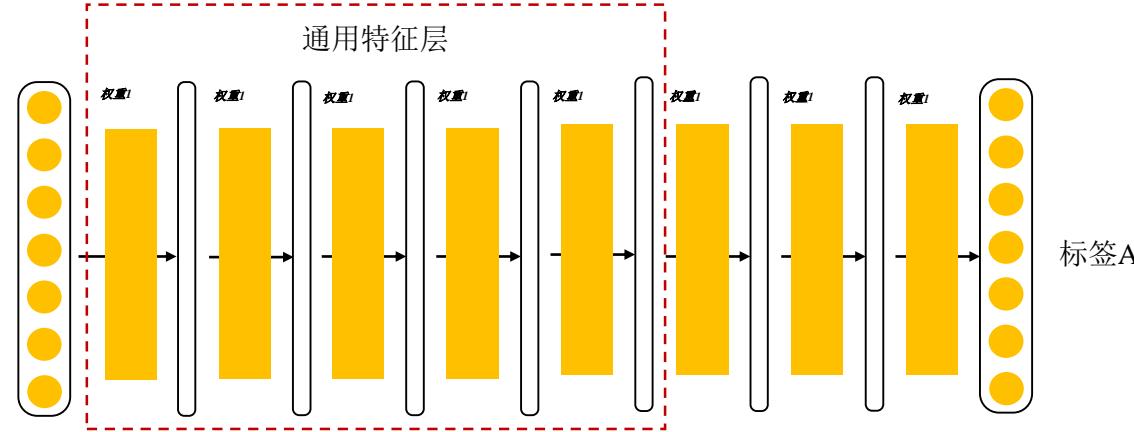
如何重复利用数据和网络？

迁移学习

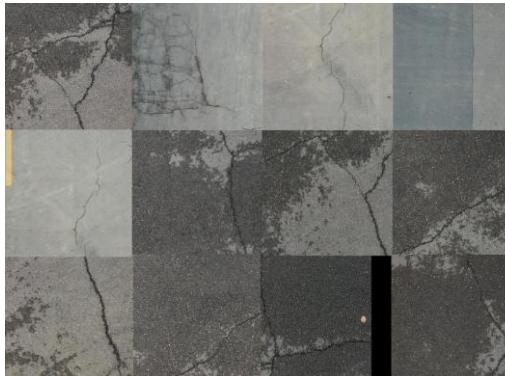
COCO Dataset



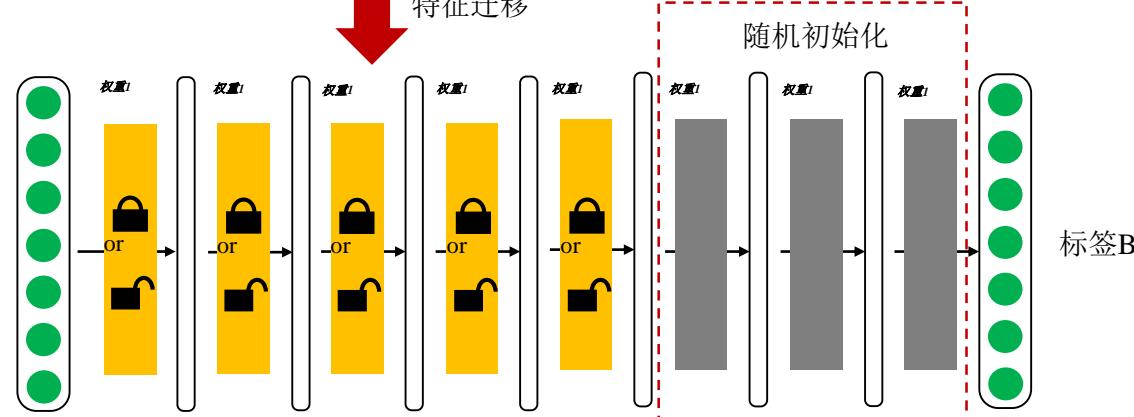
通用特征层



路面病害数据集

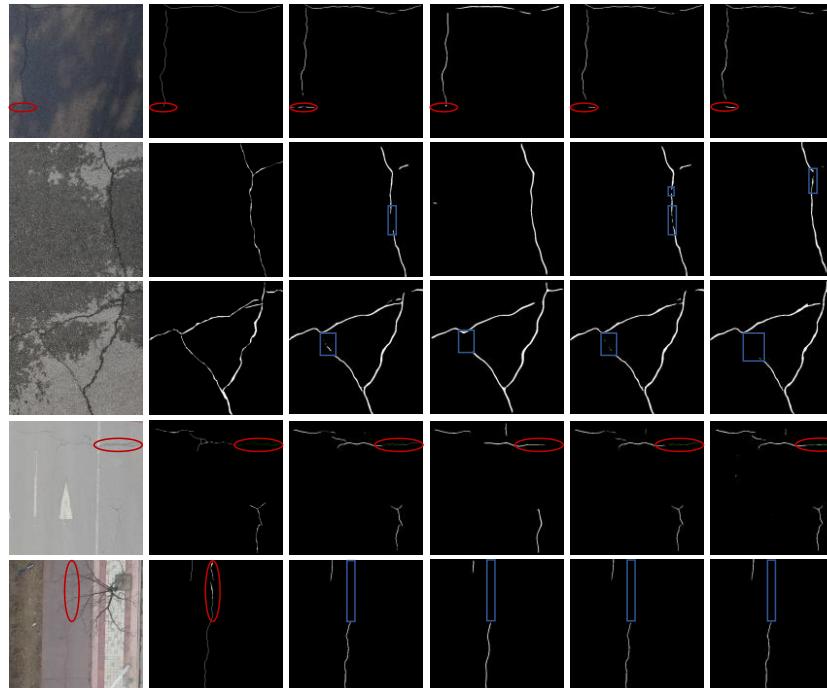


特征迁移

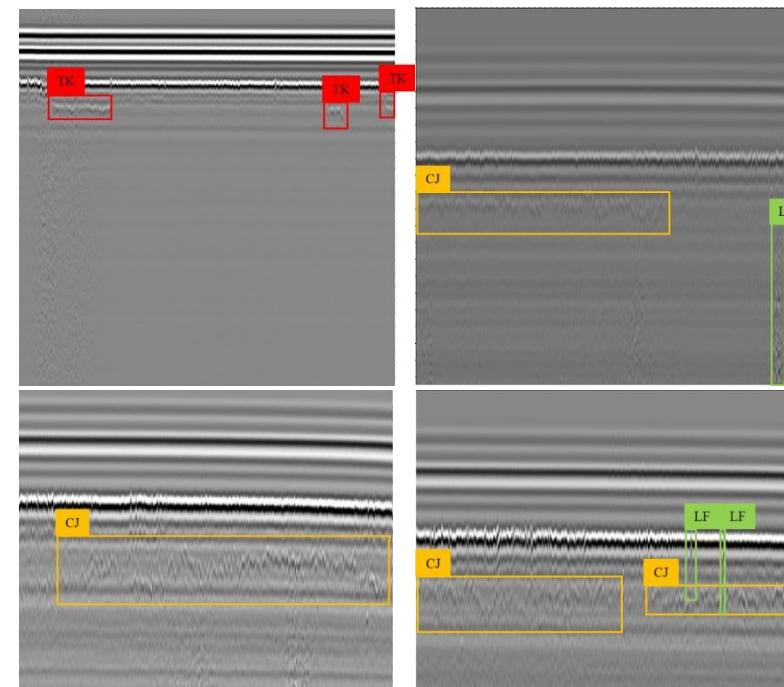


如何重复利用数据和网络？

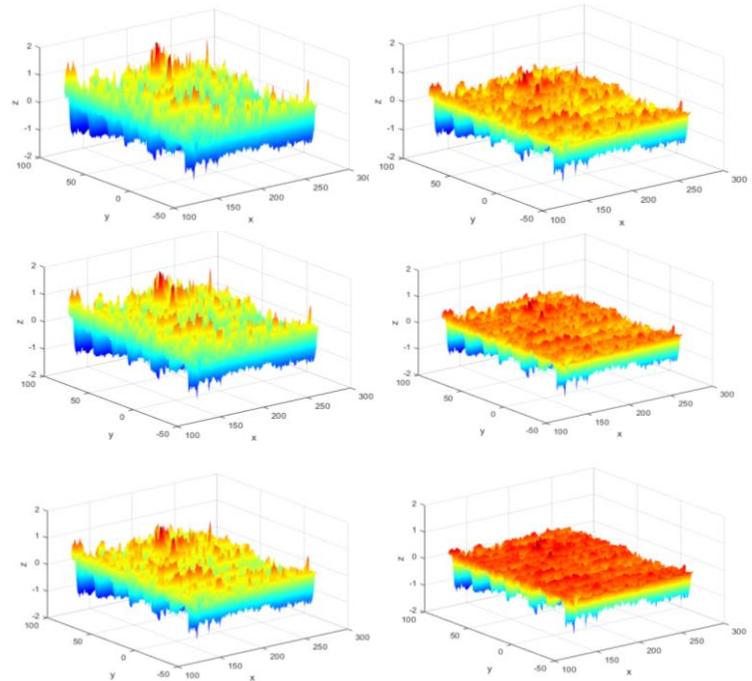
多源数据集组合



病害图片



雷达信号



高维特征

如何重复利用数据和网络？

融合多源异构模型

如何重复利用数据和网络？

- **迁移学习**
 - 运用已有知识来学习新知识，核心是找到已有知识和新知识之间的相似性
 - 学习过程中已有知识容易损失
- **多源数据集组合**
 - 需要重新训练模型
 - 需要处理不精确标签问题
- **融合多源异构模型**
 - 不同模型的输出结果必须兼容
 - 需要具备异常值检测能力
 - 融合结果可能是次优解

目 录

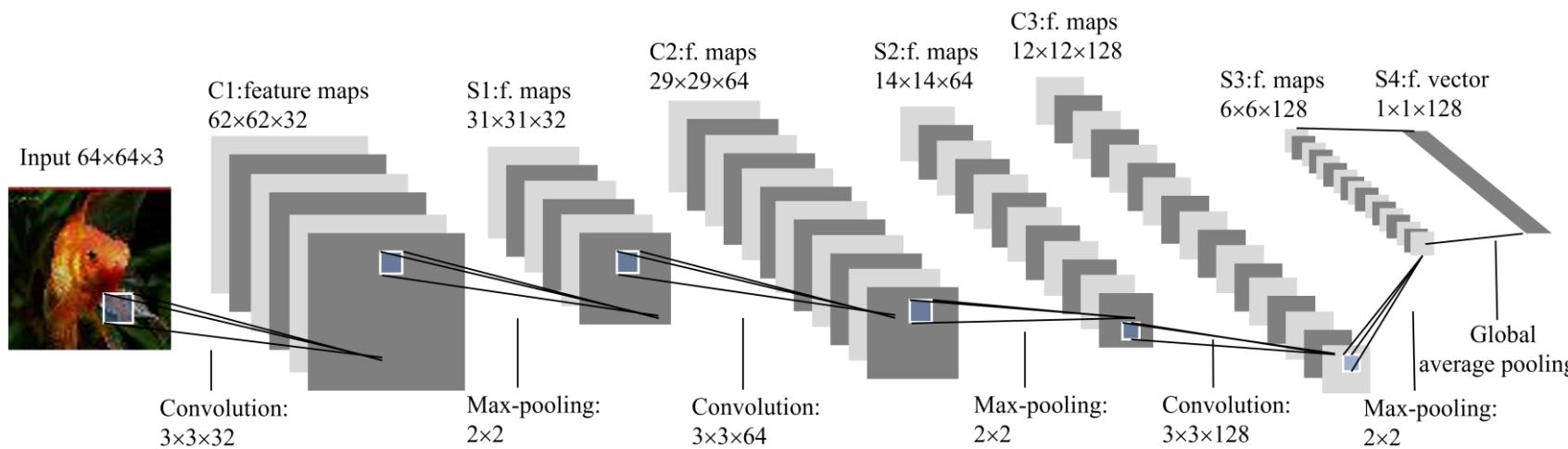
01 研究背景

02 融合方法

03 工程应用

04 结论展望

深度神经网络



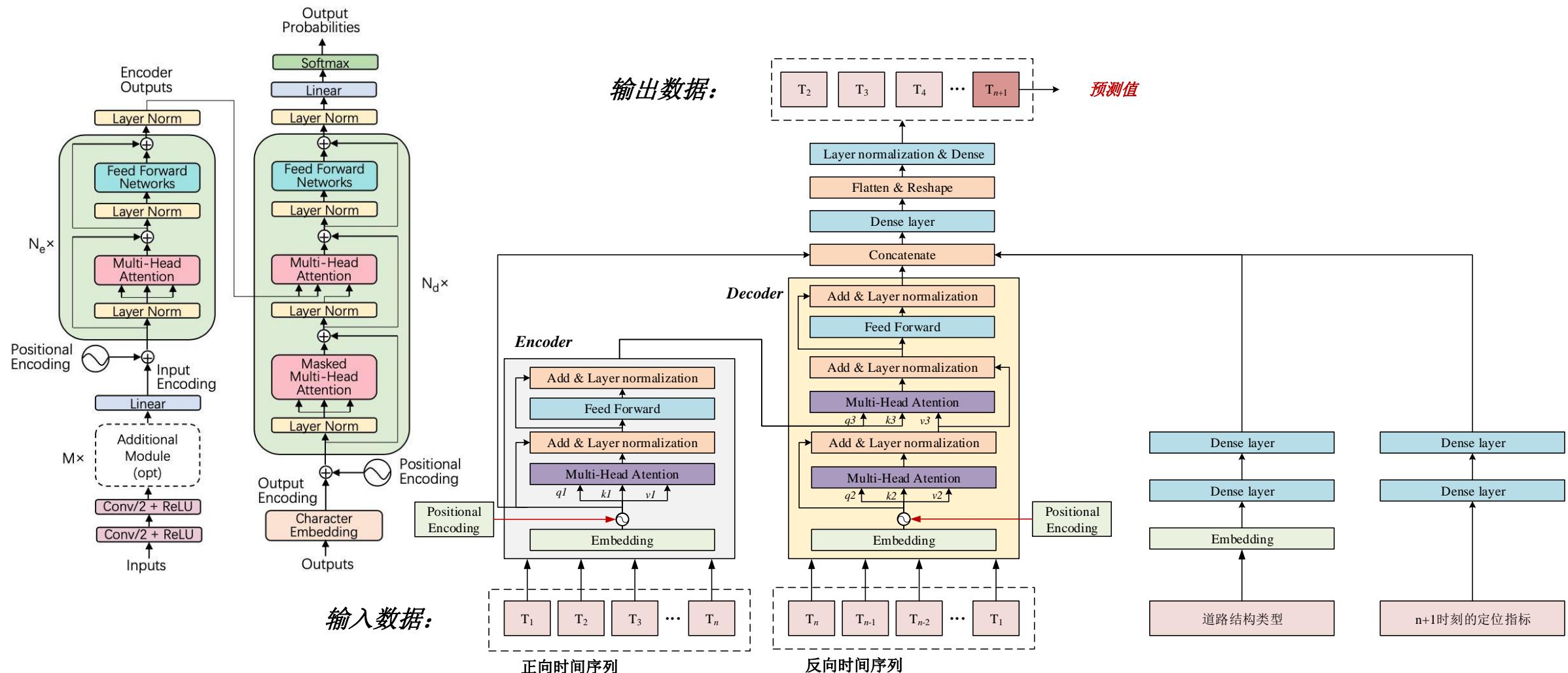
输入

特征提取

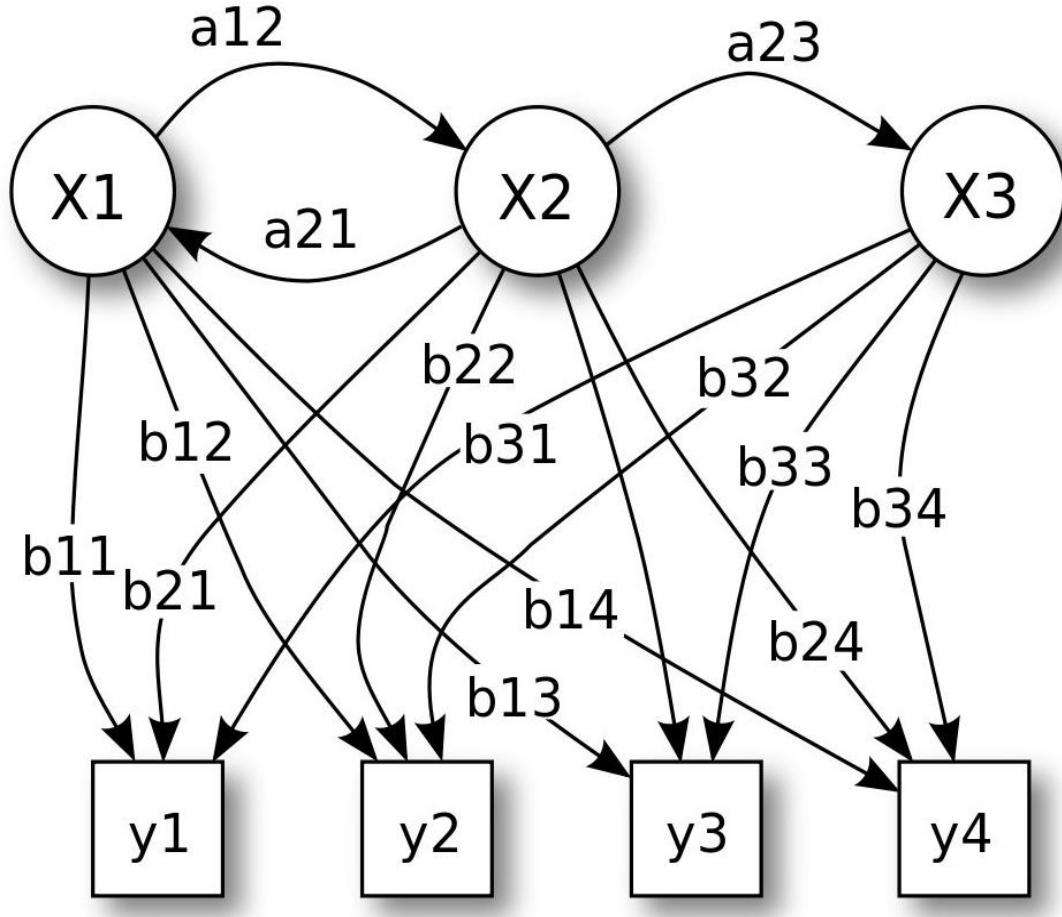
$X \in \mathbb{R}^n$

置信度输出

深度神经网络



深度神经网络融合方法



贝叶斯概率分布

$$P(A|B) = \frac{P(AB)}{P(B)}$$

$$P(B) = \sum_{i=1}^n P(A_i)P(B|A_i)$$

$$P(A_i|B) = \frac{P(A_i)P(B|A_i)}{\sum_{j=1}^n P(A_j)P(B|A_j)}$$

Dempster-Shafer 证据理论

证据合成公式：

$$m(A) = m_1 \oplus m_2(A) = m_2 \oplus m_1(A) = \frac{1}{K} \sum_{B \cap C} m_1(B)m_2(C)$$

归一化常数：

$$K = \sum_{B \cap C \neq \emptyset} m_1(B)m_2(C) = 1 - \sum_{B \cap C \neq \emptyset} m_1(B)m_2(C)$$

深度神经网络融合方法

输入

特征提取

Feat. #1 $X^{(1)} \in \mathbb{R}^{n_1}$

Feat. #2 $X^{(2)} \in \mathbb{R}^{n_2}$

:

Feat. #K $X^{(K)} \in \mathbb{R}^{n_K}$

Concat.

$X^{(0)} \in \mathbb{R}^{n_1+\dots+n_K}$

置信度输出

Softmax $P_1^{\Omega_1}$
 \vdots
 $P_K^{\Omega_K}$

识别框架重组

Bayesian P_1^{Θ}
 \vdots
 P_K^{Θ}

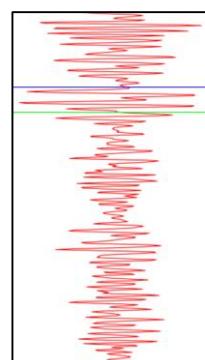
Evidential m_1^{Θ}
 \vdots
 m_K^{Θ}

融合

Bayesian $P^{\Theta} : \text{BF}$

Dempster $m^{\Theta} : \text{PMF}$

端对端训练
E2E



识别框架

- 定义重组函数(refining) $\rho: 2^\Omega \rightarrow 2^\Theta$ 是一个从识别框架 Ω 到另一个识别框架 Θ 的映射：
 - $\{\rho(\{\omega\}) | \omega \in \Omega\} \subseteq 2^\Theta$ is a partition of Θ
 - $\forall A \subseteq \Omega, \rho(A) = \bigcup_{\omega \in A} \rho(\{\omega\})$
- 识别框架 Θ 是识别框架 Ω 的重组框架(refinement)
- 重组函数案例：
 - $\Omega = \{\text{裂缝, 路表变形}\}$
 - $\Theta = \{\text{横向裂缝, 纵向裂缝, 网状裂缝, 块状裂缝, 车辙, 沉陷, 波浪拥包}\}$
 - $\rho(\{\text{裂缝}\}) = \{\text{横向裂缝, 纵向裂缝, 网状裂缝, 块状裂缝}\}$
 - $\rho(\{\text{路表变形}\}) = \{\text{车辙, 沉陷, 波浪拥包}\}$
- 两个识别框架是互相兼容 (compatible) \leftrightarrow 识别框架有相同的重组框架

贝叶斯融合

- P^Ω : $\mathbb{P}(\text{裂缝}) = p$; $\mathbb{P}(\text{路表变形}) = 1 - p$
- P^Θ :
 - $\mathbb{P}(\{\text{横向裂缝, 纵向裂缝, 网状裂缝, 块状裂缝}\}) = p$
 - $\mathbb{P}(\{\text{车辙, 沉陷, 波浪拥包}\}) = 1 - p$

无差异原则：每个元素的概率均等

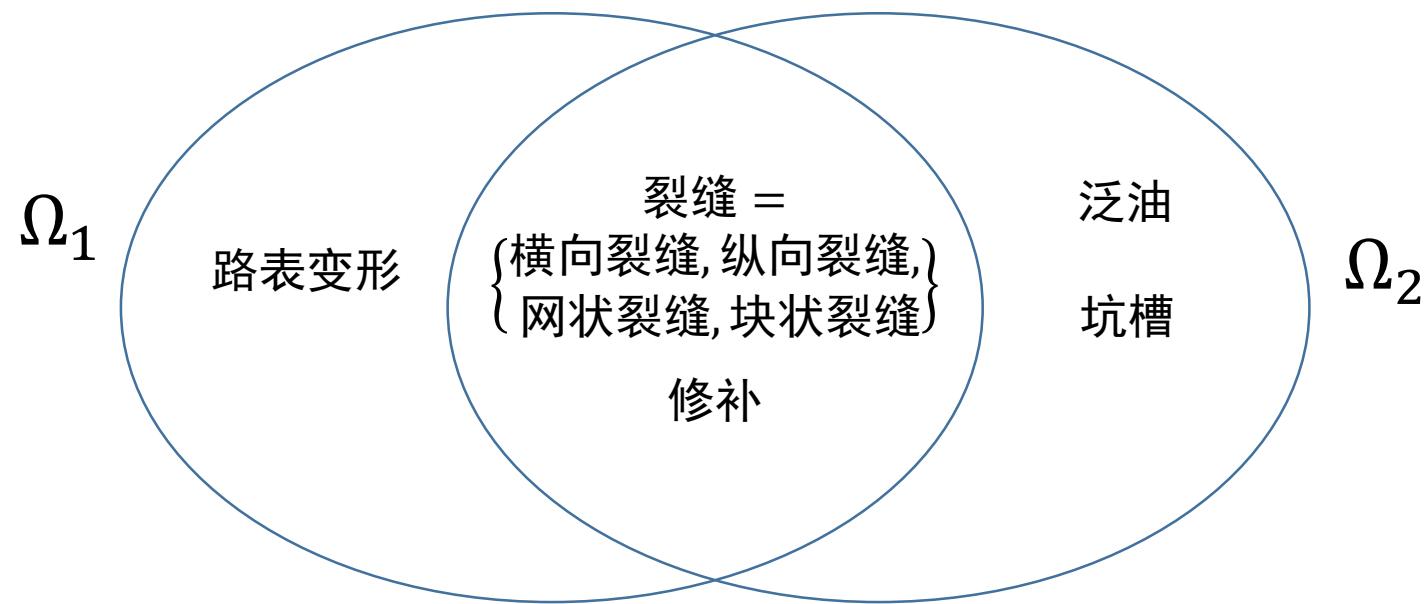
- P^Θ :
 - $\mathbb{P}(\text{横向裂缝}) = \mathbb{P}(\text{纵向裂缝}) = \dots = p/c$
 - $\mathbb{P}(\text{车辙}) = \mathbb{P}(\text{沉陷}) = \dots = \mathbb{P}(\text{波浪拥包}) = (1 - p)/d$

证据融合

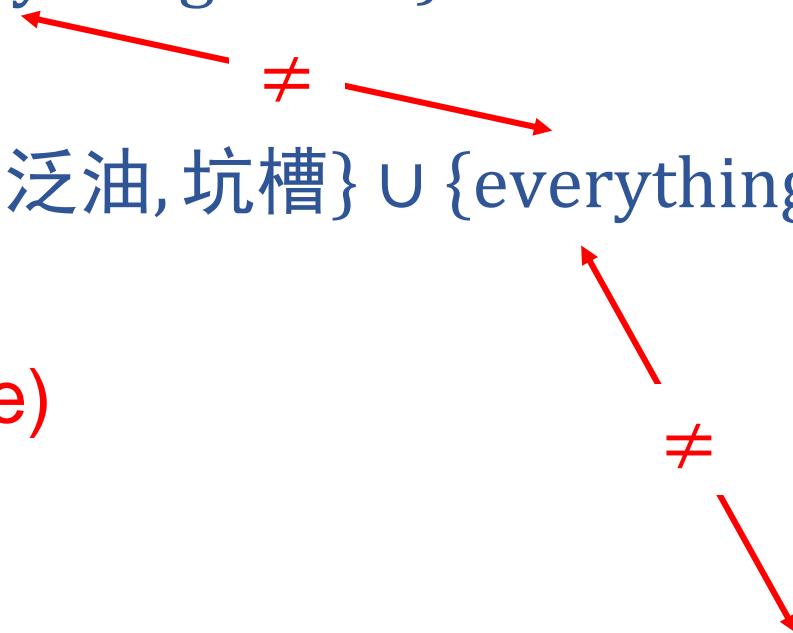
- 概率到信度函数 m^Θ :
 - $m(\{\text{横向裂缝, 纵向裂缝, 网状裂缝, 块状裂缝}\}) = p$
 - $m(\{\text{车辙, 沉陷, 波浪拥包}\}) = 1 - p$
- 信度函数 m^Ω 在识别框架 Θ 的扩展信度函数(vacuous extension) $m^{\Omega \uparrow \Theta}$:
$$m^{\Omega \uparrow \Theta}(B) = \begin{cases} m^\Omega(A) & \text{if } \exists A \subseteq \Omega, B = \rho(A), \\ 0 & \text{otherwise} \end{cases}$$
- 来自不同识别框架 $\Omega_1, \Omega_2, \dots, \Omega_v$ 的扩展信度函数 $m^{\Omega_1 \uparrow \Theta}, m^{\Omega_2 \uparrow \Theta}, \dots, m^{\Omega_v \uparrow \Theta}$ 采用Dempster准则融合:
$$m^\Theta(B) = K_v \sum_{B=A_1 \cap A_2 \cap \dots \cap A_v} m^{\Omega_1 \uparrow \Theta}(A_1)m^{\Omega_1 \uparrow \Theta}(A_2) \cdots m^{\Omega_v \uparrow \Theta}(A_v)$$
$$K_v = \sum_{A_1 \cap A_2 \cap \dots \cap A_v \neq \emptyset} m^{\Omega_1 \uparrow \Theta}(A_1)m^{\Omega_1 \uparrow \Theta}(A_2) \cdots m^{\Omega_v \uparrow \Theta}(A_v)$$

不相容的识别框架

- $\Omega_1 = \{\text{裂缝, 路表变形, 修补}\}$
- $\Omega_2 = \{\text{横向裂缝, 纵向裂缝, 网状裂缝, 块状裂缝, 修补, 泛油, 坑槽}\}$



不相容的识别框架

- $\Omega_1^* = \{\text{裂缝, 路表变形, 修补}\} \cup \{\text{everything else 1}\}$
 - $\Omega_2^* = \{\text{横向裂缝, ..., 块状裂缝, 修补, 泛油, 坑槽}\} \cup \{\text{everything else 2}\}$
 - Ω_1^* 和 Ω_2^* 变成互相兼容 (compatible)
 - Common refinement Θ :
 $\Theta = \{\text{横向裂缝, ..., 修补, 泛油, 坑槽路表变形, 修补}\} \cup \{\text{everything else 3}\}$
- 

深度神经网络融合方法

输入

特征提取

Feat. #1 $X^{(1)} \in \mathbb{R}^{n_1}$

Feat. #2 $X^{(2)} \in \mathbb{R}^{n_2}$

:

Feat. #K $X^{(K)} \in \mathbb{R}^{n_K}$

Concat.

$X^{(0)} \in \mathbb{R}^{n_1+\dots+n_K}$

置信度输出

Softmax $P_1^{\Omega_1}$
 \vdots
 $P_K^{\Omega_K}$

DS layer $m_1^{\Omega_1}$
 \vdots
 $m_K^{\Omega_K}$

Softmax $P^\Theta : \text{PFC}$

DS layer $m^\Theta : \text{EFC}$

识别框架重组

Bayesian P_1^Θ
 \vdots
 P_K^Θ

Evidential m_1^Θ
 \vdots
 m_K^Θ

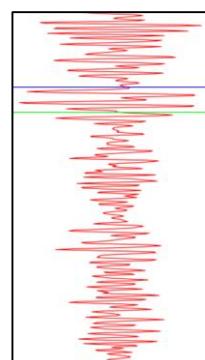
端对端训练
E2E

融合

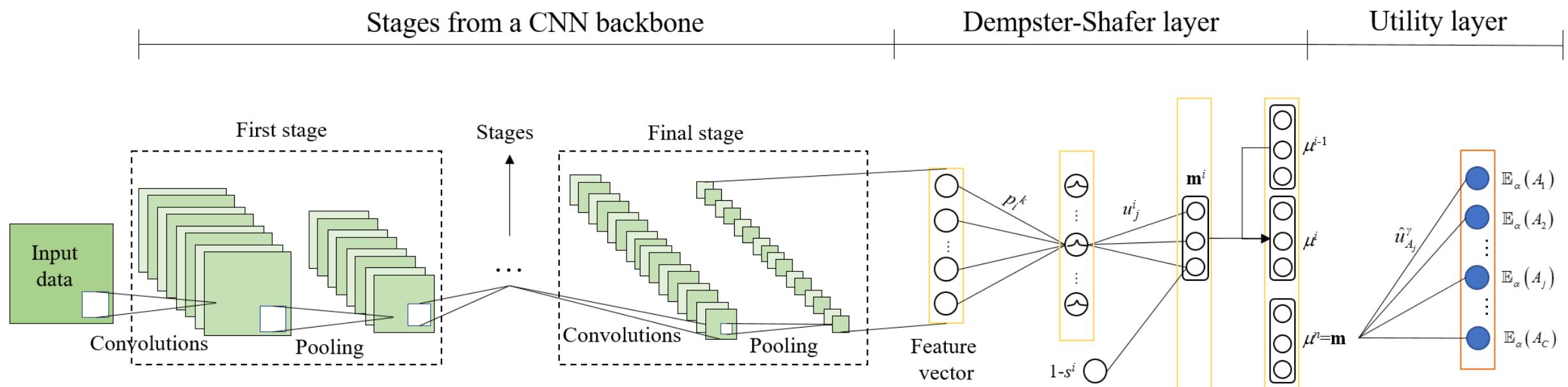
Bayesian $P^\Theta : \text{BF}$

Dempster $m^\Theta : \text{PMF}$

Dempster $m^\Theta : \text{MFE}$

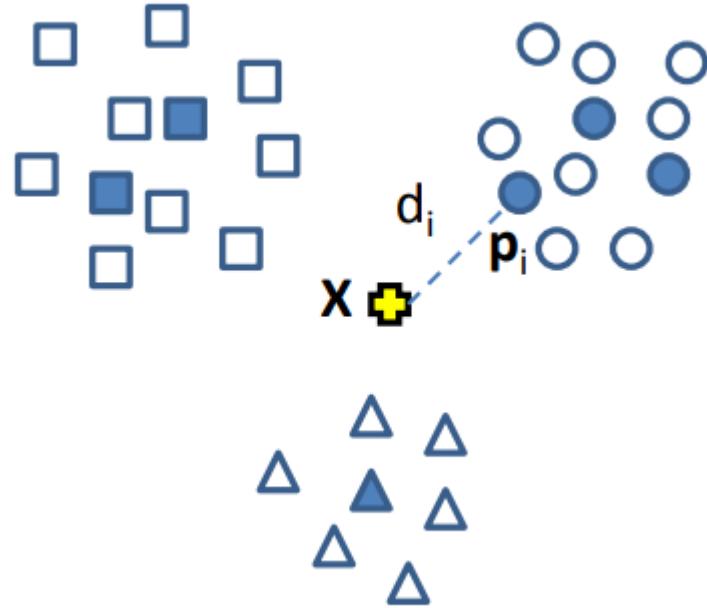


证据深度神经网络



[6] Z. Tong, Ph. Xu and T. Denœux. An evidential classifier based on Dempster-Shafer theory and deep learning. *Neurocomputing*, Vol. 450, pages 275–293, Aug. 2021.

证据结构层



- 采用 r 个prototypes代表训练集
- 任一prototype p_i 具有对任一类别 ω_j 的置信度 $h_{i,j}$, $\sum_j h_{i,j} = 1$
- 任一prototype p_i 对样本 x 类别的置信度随着和 $d_i = \|x - p_i\|$ 相似度增加而减小。

[7] T. Denoeux. A neural network classifier based on Dempster-Shafer theory. IEEE transactions on SMC A, 30(2):131-150, 2000.

证据结构层

- 相似度支持计算:

$$s_i[\mathbf{x}] = \frac{\exp(-\eta_i \|\mathbf{x} - \mathbf{p}_i\|^2)}{1 + \exp(-\xi_i)}, \forall i \in \{1, \dots, r\}$$

- prototype \mathbf{p}_i 的信度函数计算:

$$\begin{aligned} m_i[\mathbf{x}](\{\omega_j\}) &= h_{i,j} s_i[\mathbf{x}], \forall \omega_j \in \Omega \\ m_i[\mathbf{x}](\Omega) &= 1 - s_i[\mathbf{x}] \end{aligned}$$

- r 个prototypes的信度函数融合:

$$m = m_1 \oplus m_2 \oplus \cdots \oplus m_r$$

- 证据结构层的融合信度函数:

$$\sum_{A \subseteq \Omega / \emptyset} m(A) = 1$$

目 录

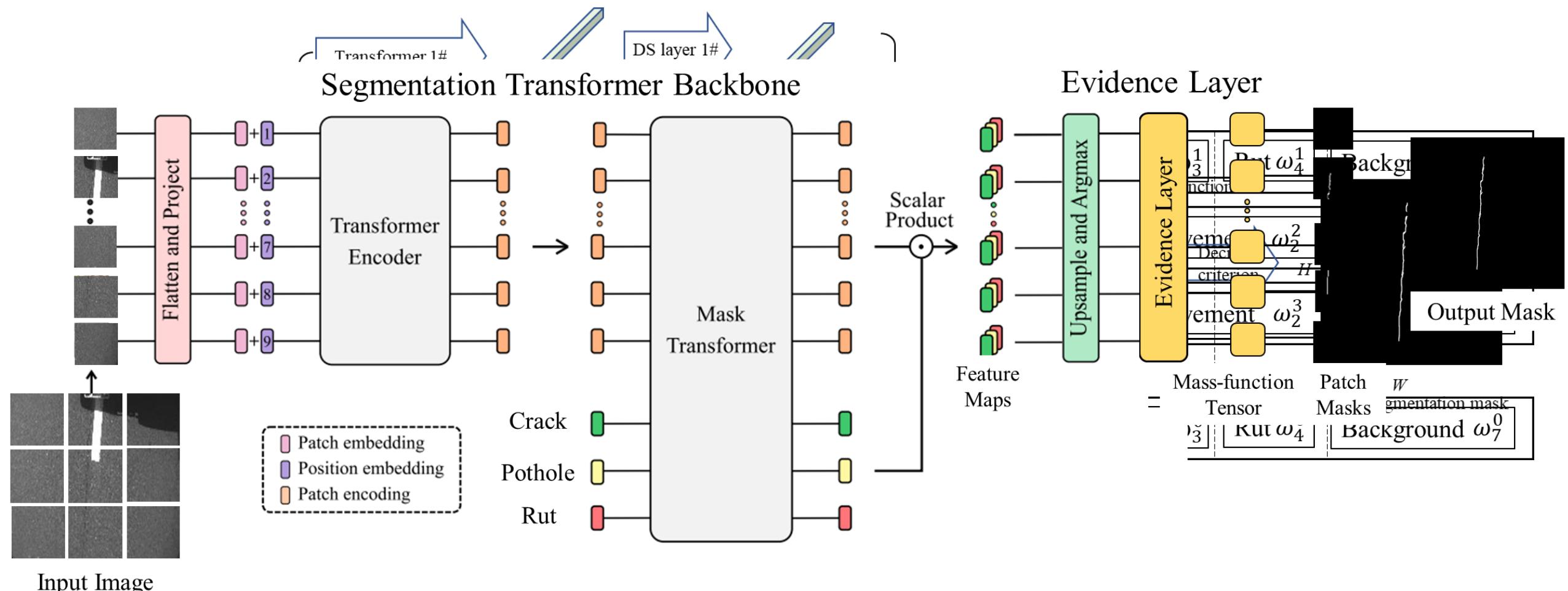
01 研究背景

02 融合方法

03 工程应用

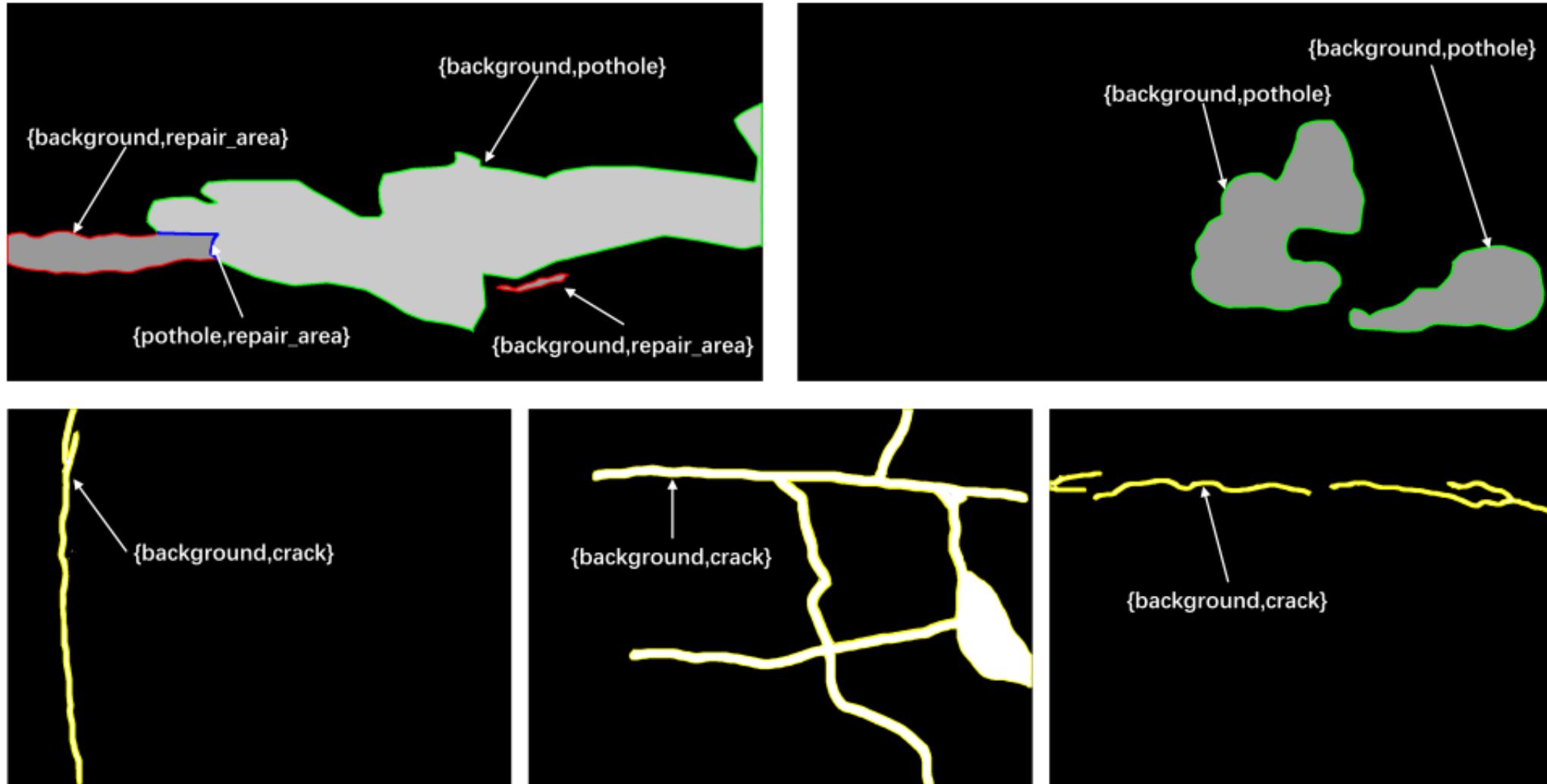
04 结论展望

面向路面病害分割的多源深度神经网络融合

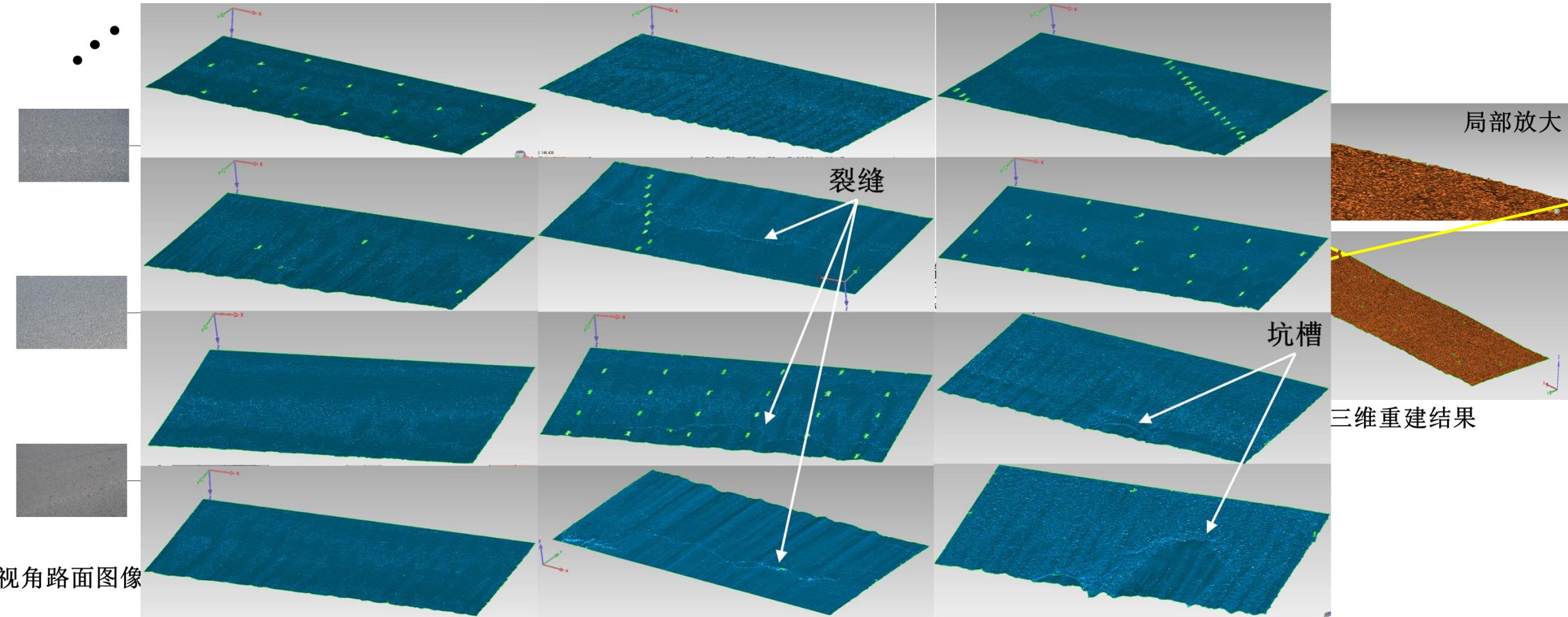


[3] Tong Zheng, Ma Tao, et al. (2023). Evidential transformer for pavement distress segmentation. CACAIE.

面向路面病害分割的多源深度神经网络融合

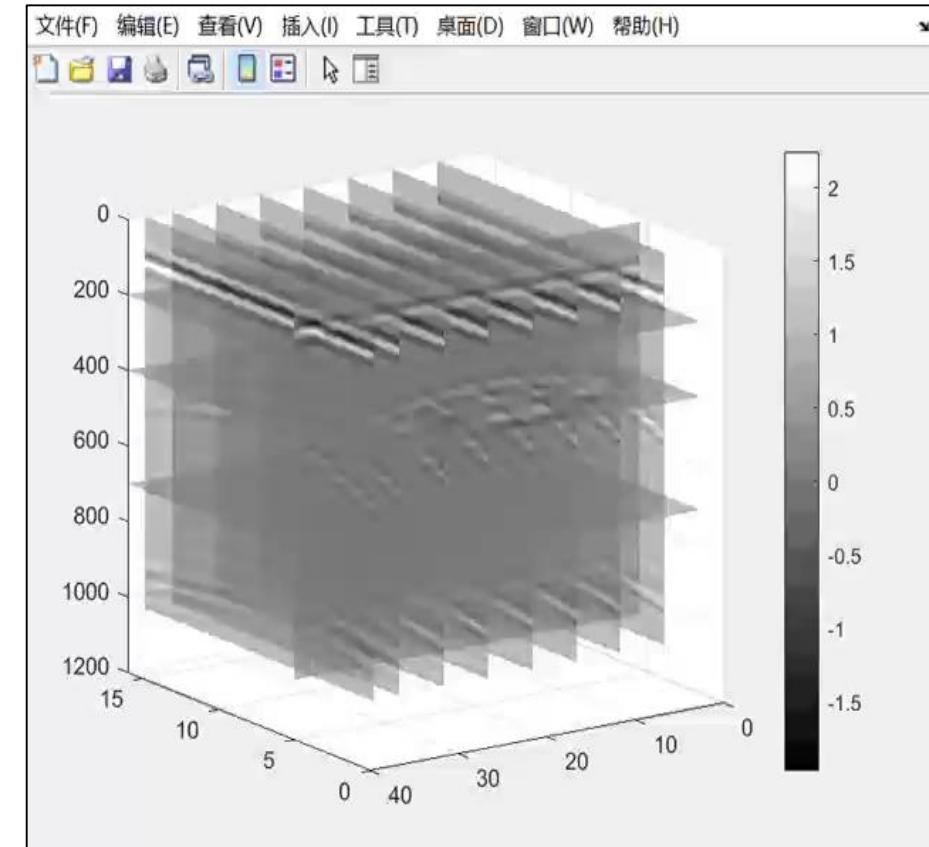
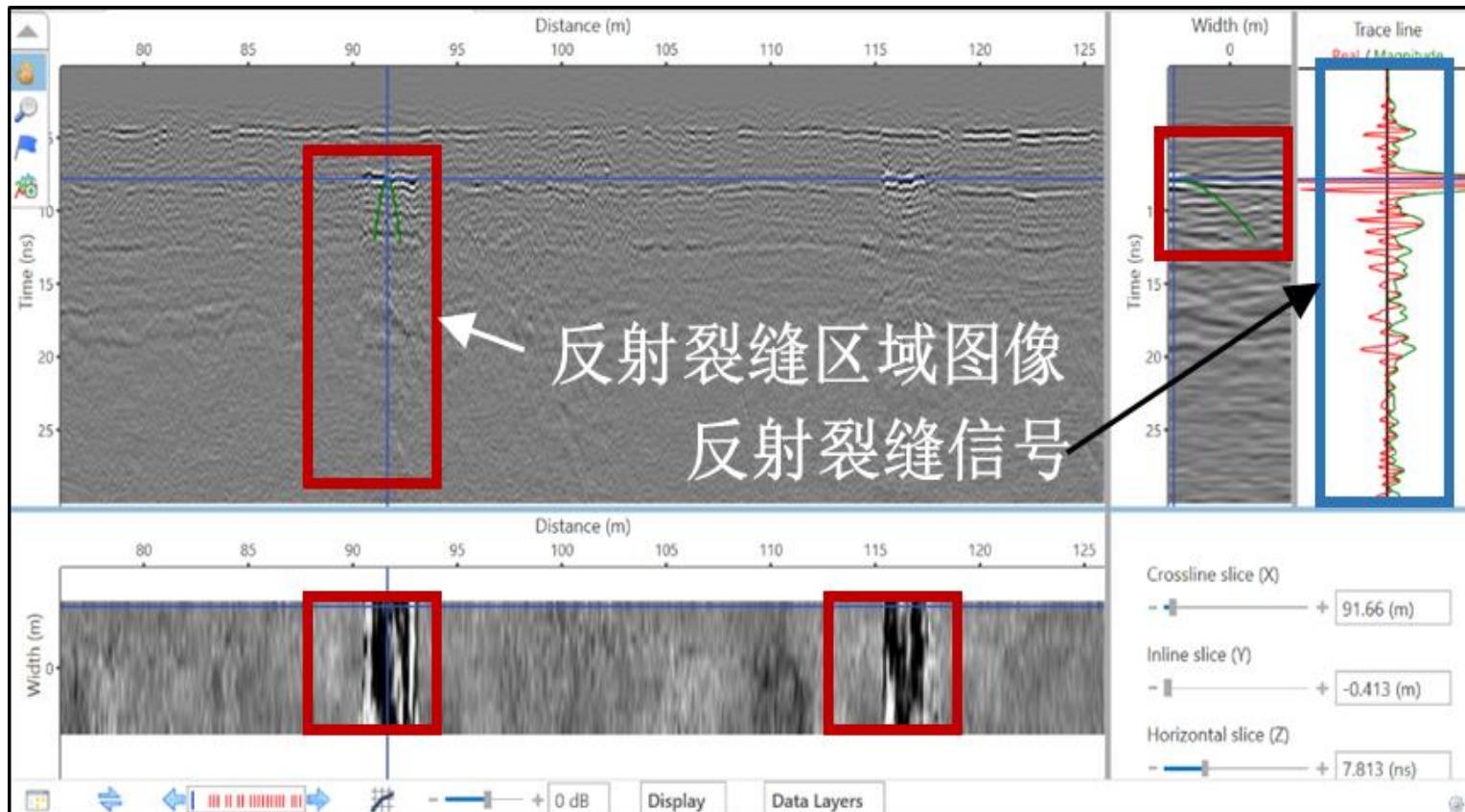


面向多目异源数据的深度神经网络融合

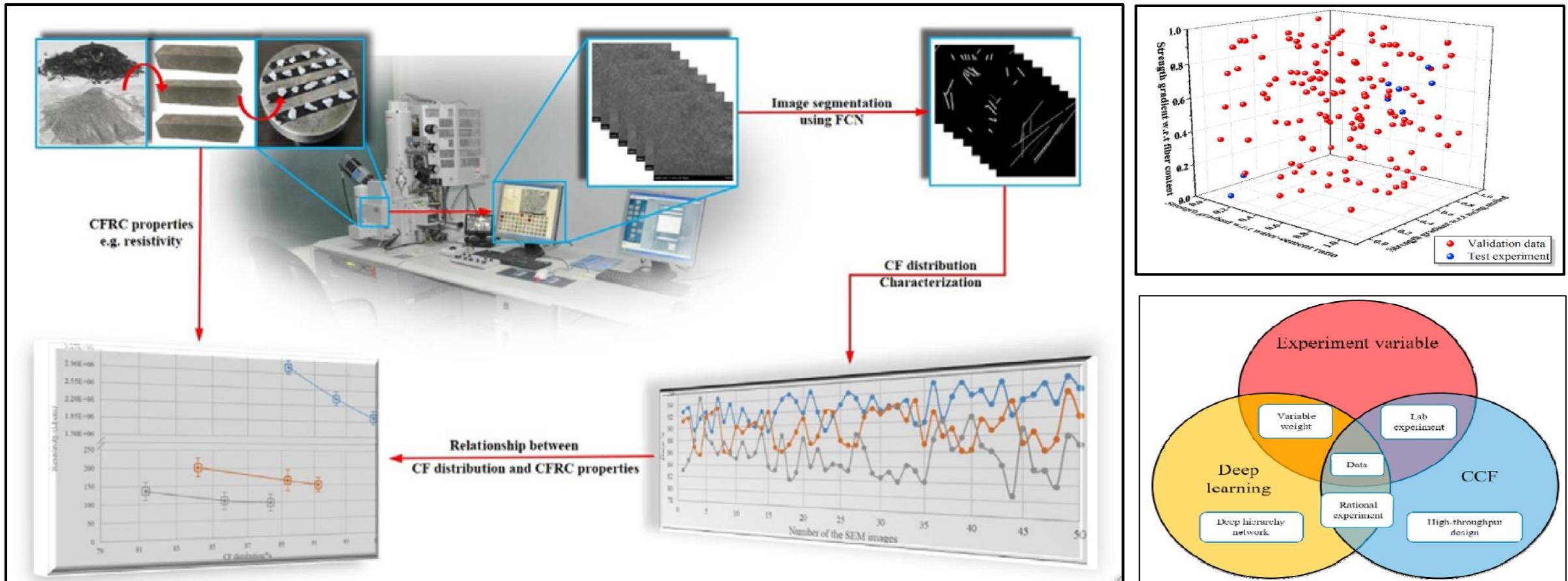


[7] 马涛, 童峥, 张一鸣, 张伟光(2023). 基于多目视觉深度神经网络的道路宏观纹理三维重建方法. 中国公路学报.

多维数据融合

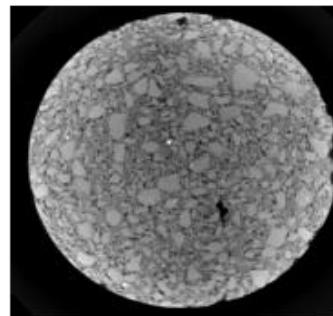


多源异构数据融合

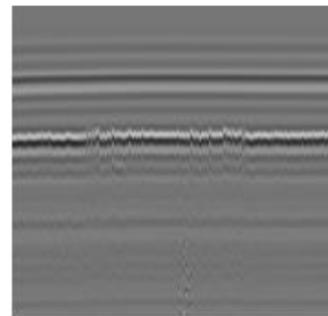


[8] Tong Zheng, et al. (2020). High-throughput design of fiber reinforced cement-based composites using deep learning. CCC.

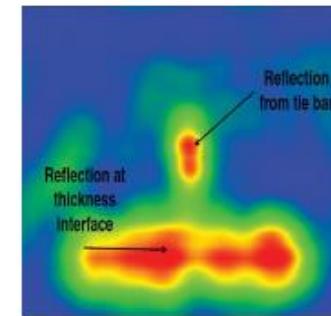
多源异构数据融合



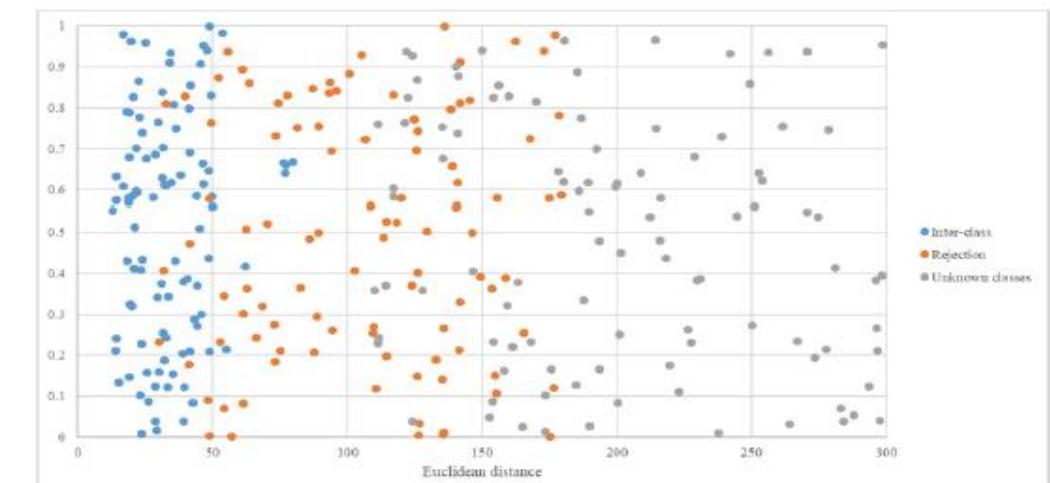
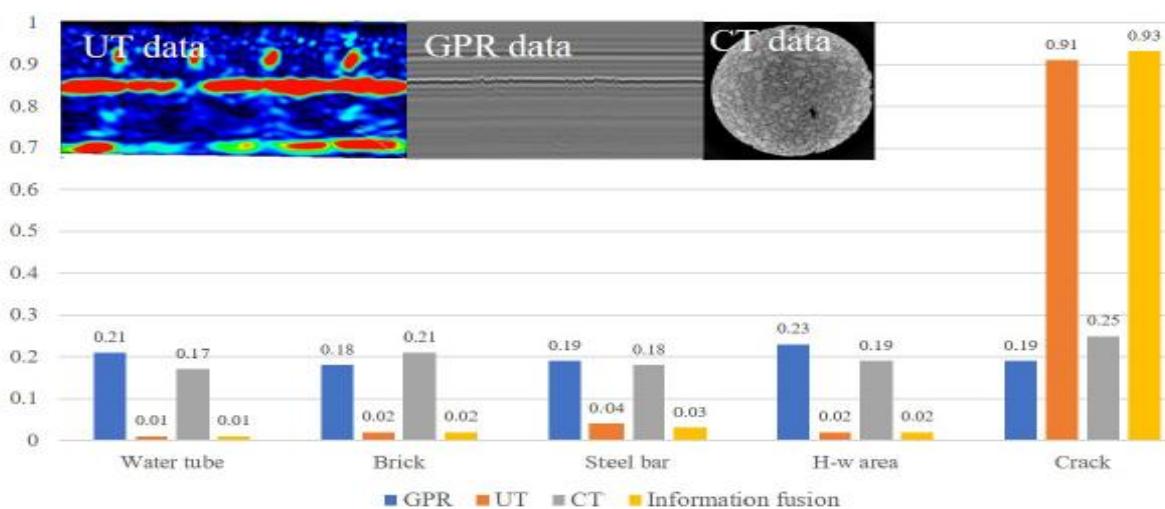
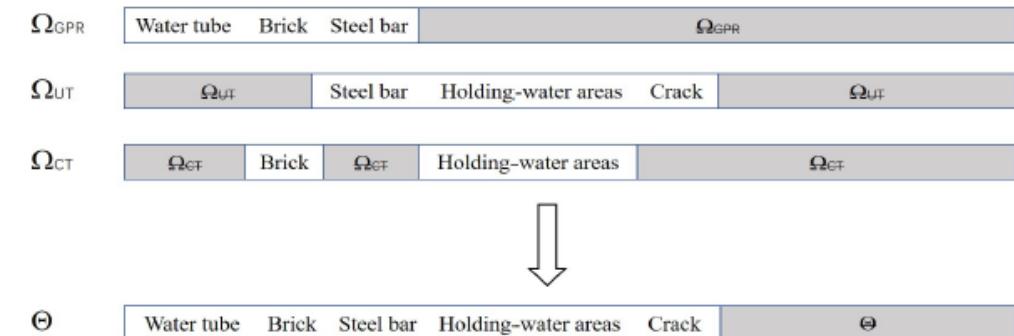
(a) CT image



(b) GPR image

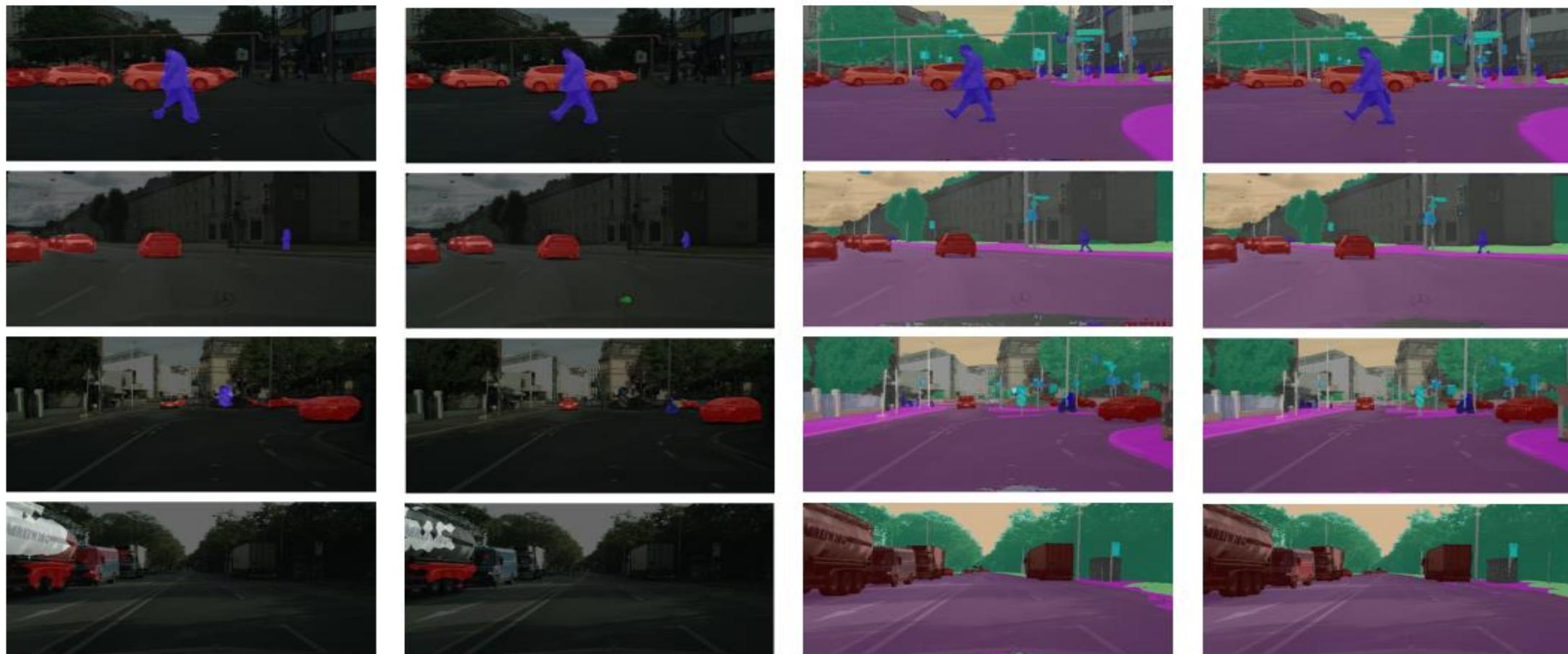


(c) UT image



结果示例

多源异构数据融合



[9] Z. Tong, Ph. Xu and T. Denœux. Fusion of evidential CNN classifiers for image classification.
In Proceedings of the 6th International Conference on Belief Functions (BELIEF), pages 168-176, Shanghai,
France, October 15-19, 2021..



结论

- 证据理论可用于多源异构深度神经网络融合
- 证据理论可融合多源异构交通基础设施检测数据
- 证据深度神经网络融合在保证原模型精度的基础上发展出了更加泛化的模型
- 证据深度神经网络融合重复利用已有深度学习模型，避免重复开发

参考文献

- Z. Tong, T. Ma, W. Zhang, & J. Huyan, (2023). Evidential transformer for pavement distress segmentation. *Computer-Aided Civil and Infrastructure Engineering*, 1–21.
- 马涛, 童峥, 张一鸣, 张伟光, (2023). 基于多目视觉深度神经网络的路面宏观纹理三维重建方法. *中国公路学报*, 2023, 36(03):70-80.
- Z. Tong, Ph. Xu and T. Denœux. An evidential classifier based on Dempster-Shafer theory and deep learning. *Neurocomputing*, Vol. 450, pages 275–293, Aug. 2021.
- Z. Tong, Ph. Xu and T. Denœux. Evidential fully convolutional network for semantic segmentation. *Applied Intelligence*, Vol. 51, pages 6376—6399, Sept. 2021.
- Z. Tong, Ph. Xu and T. Denœux. Fusion of evidential CNN classifiers for image classification. In *Proceedings of the 6th International Conference on Belief Functions (BELIEF)*, pages 168-176, Shanghai, France, October 15-19, 2021.

Call for papers



ARTIFICIAL INTELLIGENCE AND APPLICATIONS

SPECIAL ISSUE ON ADVANCES OF DEEP LEARNING APPLICATIONS IN CIVIL AND TRANSPORTATION ENGINEERING

PROPOSED SUBMISSION DEADLINE: DECEMBER 31, 2022

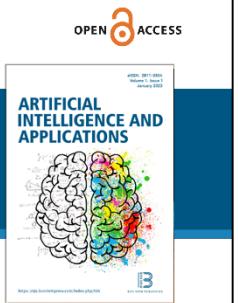
CALL FOR PAPERS

The great success of Artificial Intelligence (AI) and Deep Learning (DL) technologies has led to the possibility of developing more advanced techniques in civil engineering and transportation engineering. Deep neural network-based machine learning is a promising tool to overcome the greatest challenges in structural health monitoring, smart sensing, building information modelling, traffic planning, and so on.

This Special Issue is dedicated to documenting the latest applications and results of AI and DL technologies in civil engineering and transportation engineering.



Please read and use the official author and submission guidelines and submit the manuscript officially through OJS. For further information, please contact our journal managing editor: yu.zheng@bonviewpress.org or rey.zhang@bonviewpress.org. You can download author guideline, official template and submit your manuscript through: <https://ojs.bonviewpress.com/index.php/AIA/about/submissions>



Lead Guest Editor

Zheng Tong
Southwest University
Nanjing, China



Guest Editor

Jie Gao
East China Jiaotong University
China



Guest Editor

Cheng-ku Jen
Nanyang Technological University
Singapore



Special Issue: Advances in Nondestructive Testing and Evaluation

Guest Editors

Prof. Dr. Jinyi Lee

Chosun University, Korea
jinyilee@chosun.ac.kr



Dr. Azouaou Berkache

Chosun University, Korea
azouaoubrk@yahoo.fr



Dr. Minhhuu Le

Phenikaa University, Vietnam
huy.leminh@phenikaa-uni.edu.vn



Dr. Zheng Tong

Southeast University, China
zheng.tong@hds.utc.fr



Deadline for manuscript submissions:
20 September 2022

Editorial Office: applsci@mdpi.com
Assistant Editor: sonya.qin@mdpi.com

mdpi.com/si/116393

Short Special Issue Information

Non-destructive testing and evaluation (NDT&E) is the leading technique for determining the appropriate quality and reliability of various materials, especially components, devices and structures, by enabling the evaluation and localization of anomalies (manufacturing discontinuities, etc.) and during production and fabrication. NDT&E technologies include magnetic flux leak detection (MFL), penetrant testing (PT), ultrasonic testing (UT), radiographic testing (RT), penetrametry, etc. These techniques for increasing the level of safety, such as non-destructive testing, play an important role in Industry 4.0.



The purpose of this special issue is to shed light on recent advances in the field of non-destructive testing and evaluation, including novel and emerging approaches for non-destructive testing and evaluation, inverse problem evaluation, and pioneering applications for a vast array of industries and laboratories.

Special Issue

