## Notebook

## BIOE 591: Ecological Modeling Homework Assignment 2

Author: Tony Chang

Date: 09/17/14

Abstract: Solutions to BIOE1 assignment 2 written in Python 3.4

Dependencies: Python 3.4

## Pre-exercise

```
#declare the constants
stock_terrestrial_biomass = 5.6e17
terrestrial_npp = 5e16
stock_marine_biomass = 2e15
marine_npp = 2.5e16
```

In [6]:

In [3]:

```
rt_terrestrial = stock_terrestrial_biomass/terrestrial_npp
rt_marine = stock_marine_biomass/marine_npp
print('T_terrestrial = %.1f yr \t T_marine = %.2f yr' %(rt_terrestrial, rt_marine))
```

 $T_{terrestrial} = 11.2 \text{ yr}$   $T_{marine} = 0.08 \text{ yr}$ 

## Exercise 1

Exercise 1: Suppose that the average residence time (ignoring respiratory pathways) of carbon in the phytoplankton in a lake is two weeks. Zooplankton in the

lake, grazing upon the phytoplankton, consume 40% of the net primary productivity and have an incorporation efficiency of 25% (i.e., 25% of the phytoplankton biomass they eat is incorporated into zooplankton biomass). In other words, the net productivity of the zooplankton is  $0.25 \times 0.40$  or 10% of the npp of the algae. If the average residence time (ignoring respiratory pathways) of carbon in zooplankton biomass is six months, estimate the ratio of the average biomass of the zooplankton population to that of the phytoplankton population in the lake. Figure II-3 illustrates the flows in and out of the two stocks of plankton.

Since we don't know the gross primary productivity in the lake, we can just use some arbitrary value (G=1). This will not matter since we will be considering a ratio of zooplankton mass to phytoplankton mass.

Given the parameters described in the text, we can calculate the stock of zooplankton as a function of the NPP from phytoplankton below:

$$[M_{zoo}] = NPP_{phy} * I * C * rt_{zoo} \quad \quad (1)$$

Where  $\langle (I \rangle)$  is the incorporation efficiency,  $\langle (C \rangle)$  is the percent of phytoplankton consumed, and  $\langle (rt_{zoo} \rangle)$  is the residence time for zooplankton. Phytoplankton stock can simply be calculated with the known residence time  $\langle (rt_{phy} \rangle)$ .

$$[M_{phy}] = NPP_{phy} * rt_{phy} \quad quad \quad (2)$$

So in calculating the ratio of zooplankton mass and phytoplankton mass, we need only consider the residence times for both zooplankton and phytoplankton, and the efficiency at which zooplankton incorporates phytoplankton:

```
\label{eq:maco} $$ \prod_{zoo}}{M_{phy}} = \frac{I * C * rt_{zoo}}{rt_{phy}}\ \quad (3)\]
```

In [1]:

```
yr_wk = (1/52.1775)
rt_phy = 2 * yr_wk #2 week residence time for phytoplankton
rt_zoo = 0.5 #6 month residence time for zooplankton
G = 1 #gross primary productivity g(C)/yr of phytoplankton (use arbitrary 1 value)
R = 0 #resiration rate
N = G - R #net primary productivity
M_P = N * rt_phy # stock of phytoplankton
I = 0.25 #incorporation efficiency of phytoplankton by zooplankton
C = 0.4 #percent of phytoplankton consumed by zooplankton
H = N * I * C #input net primary productivity of zooplankton
M_Z = H * rt_zoo
ratio = M_Z/M_P
```

In [22]:

```
#print the results
print('The average mass ratio of zooplankton to phytoplankton is: %.1f' %(ratio))
```

The average mass ratio of zooplankton to phytoplankton is: 1.3

Due to the longer residence time of zooplankton over the course of a year, there will be  $\sim 1.3$  mass of zooplankton to every one mass of phytoplankton in the lake stock every year under the given zooplankton consumption/incorporation efficiency and residence times.