# **Author: Anthony Song**

# **Problem Statement:**

3 2015-02-04 17:53:00

4 2015-02-04 17:54:00

5 2015-02-04 17:55:00

Detect occupancy of an office room from light, temperature, humidity and CO2 at a given time.

```
In [1]:
        import numpy as np
        import pandas as pd
        from sklearn.metrics import accuracy score, plot confusion matrix
        import matplotlib.pyplot as plt
        import seaborn as sns
        from sklearn.linear_model import LogisticRegression
        from sklearn.neighbors import KNeighborsClassifier
        from sklearn.naive bayes import GaussianNB
        from sklearn.neural network import MLPClassifier
        from sklearn import svm
        from sklearn.feature selection import SelectKBest
        from sklearn.feature selection import f classif
        from sklearn import preprocessing
        from sklearn.tree import DecisionTreeClassifier, export graphviz, plot tr
        from sklearn.ensemble import RandomForestClassifier
        from statsmodels.tsa.seasonal import seasonal decompose
        from statsmodels.tsa.stattools import adfuller
        from statsmodels.tsa.stattools import grangercausalitytests
        from fbprophet import Prophet
        import warnings
        warnings.filterwarnings('ignore')
        %matplotlib inline
        plt.rcParams['figure.figsize'] = [10.0, 6.0]
In [2]: # Read in data
        df train = pd.read csv('train data.txt')
        df val = pd.read csv('validation data.txt')
In [3]: # Explore data
        df train.head()
Out[3]:
                      date Temperature Humidity Light
                                                    CO2 HumidityRatio Occupancy
         1 2015-02-04 17:51:00
                                23.18
                                      27.2720 426.0 721.25
                                                             0.004793
                                                                            1
         2 2015-02-04 17:51:59
                                23.15
                                      27.2675 429.5 714.00
                                                             0.004783
                                                                            1
```

23.15 27.2450 426.0 713.50

23.15 27.2000 426.0 708.25

23.10 27.2000 426.0 704.50

0.004779

0.004772

0.004757

1

1

1

```
In [4]: df_train.tail()
```

# Out[4]:

	date	Temperature	Humidity	Light	CO2	HumidityRatio	Occupancy
8139	2015-02-10 09:29:00	21.05	36.0975	433.0	787.250000	0.005579	1
8140	2015-02-10 09:29:59	21.05	35.9950	433.0	789.500000	0.005563	1
8141	2015-02-10 09:30:59	21.10	36.0950	433.0	798.500000	0.005596	1
8142	2015-02-10 09:32:00	21.10	36.2600	433.0	820.333333	0.005621	1
8143	2015-02-10 09:33:00	21.10	36.2000	447.0	821.000000	0.005612	1

Data seems to be ordered by date and time and appropriate for time series analysis. Time intervals seem to be about every minute. Dates are from 2015-02-04 to 2015-02-10 (6 days).

```
In [5]: df_train.info()
        <class 'pandas.core.frame.DataFrame'>
        Int64Index: 8143 entries, 1 to 8143
        Data columns (total 7 columns):
        date
                         8143 non-null object
        Temperature
                         8143 non-null float64
        Humidity
                        8143 non-null float64
        Light
                         8143 non-null float64
        CO2
                         8143 non-null float64
        HumidityRatio
                         8143 non-null float64
                         8143 non-null int64
        Occupancy
        dtypes: float64(5), int64(1), object(1)
        memory usage: 508.9+ KB
```

There are no null values in the training data. May need to convert date to datetime object. Occupancy is the only int type.

```
In [6]: df_train.describe()
```

# Out[6]:

	Temperature	Humidity	Light	CO2	HumidityRatio	Occupancy
count	8143.000000	8143.000000	8143.000000	8143.000000	8143.000000	8143.000000
mean	20.619084	25.731507	119.519375	606.546243	0.003863	0.212330
std	1.016916	5.531211	194.755805	314.320877	0.000852	0.408982
min	19.000000	16.745000	0.000000	412.750000	0.002674	0.000000
25%	19.700000	20.200000	0.000000	439.000000	0.003078	0.000000
50%	20.390000	26.222500	0.000000	453.500000	0.003801	0.000000
75%	21.390000	30.533333	256.375000	638.833333	0.004352	0.000000
max	23.180000	39.117500	1546.333333	2028.500000	0.006476	1.000000

Occupancy seems to be binary: either 0 or 1. Assume 1 means occupied, and 0 means unoccupied.

```
In [7]: # Convert date column to datetime object
        df_train['date'] = pd.to_datetime(df_train['date'])
In [8]: # Verify changed datatype for date
        df_train.dtypes
Out[8]: date
                         datetime64[ns]
        Temperature
                                float64
        Humidity
                                float64
        Light
                                float64
        CO2
                                float64
        HumidityRatio
                                float64
        Occupancy
                                  int64
        dtype: object
```

Date values are either at :00 or :59 seconds. Round all to nearest minute.

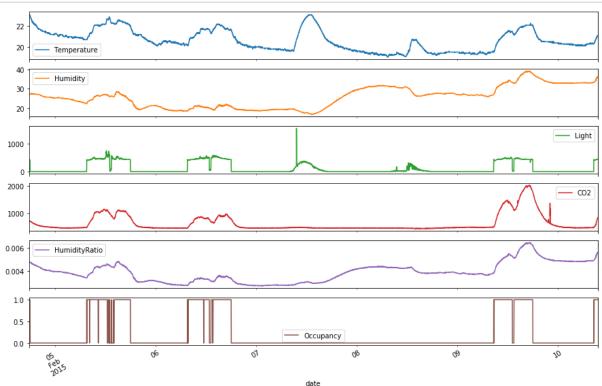
CO2 HumidityRatio Occupancy

# Out[9]:

date						
2015-02-04 17:51:00	23.18	27.2720	426.0	721.25	0.004793	1
2015-02-04 17:52:00	23.15	27.2675	429.5	714.00	0.004783	1
2015-02-04 17:53:00	23.15	27.2450	426.0	713.50	0.004779	1
2015-02-04 17:54:00	23.15	27.2000	426.0	708.25	0.004772	1
2015-02-04 17:55:00	23.10	27.2000	426.0	704.50	0.004757	1

Temperature Humidity Light

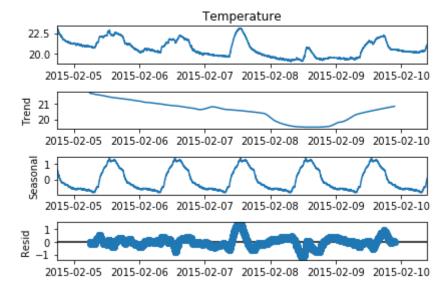
In [10]: pd.plotting.register\_matplotlib\_converters()
# Plot all columns vs. date
df\_train.plot(subplots=True, figsize=(15,10))
plt.show()



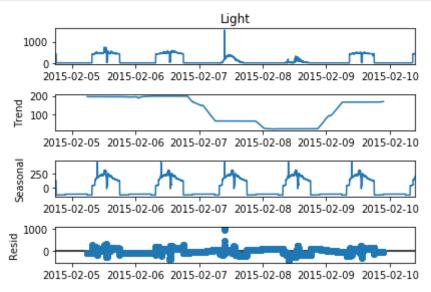
There appears to be some correlation between the variables, which can be seen from when the peaks occur. The occupancy seems less correlated to Humidity than it does with Light and CO2. Light seems to be the most important factor, since there are dips in the occupancy that coincide with dips in Light. There seems to be periodicity in the occupancy, where the occupancy can be 1 during "normal working hours" (i.e., 9am-6pm). However, there was no occupancy on 2 consecutive dates, 2015-02-07 and 2015-02-08. Perhaps those dates were the weekend, which indicates conditional seasonality. For those 2 dates, the CO2 levels were also very low with no peaks. Since the date range is small, assume no overall underlying trends in the variables. There also seems to be a high outlier in the Light data, with the value of 1546.3 within the day of 2015-02-07.

# Check for Seasonality in parameters

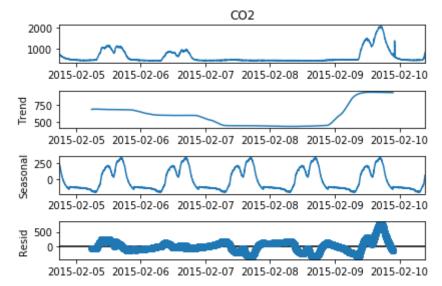
```
In [11]: # Perform seasonality decomposion for Temperature, period = 1 day
    seas_d = seasonal_decompose(df_train['Temperature'], period = (60*24))
    fig=seas_d.plot()
    fig.set_figheight(4)
    plt.show()
```



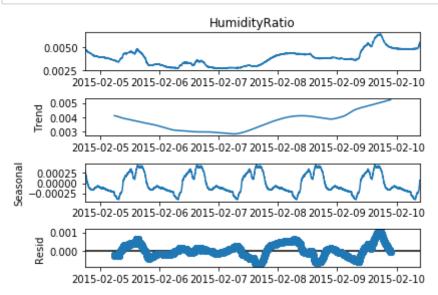
```
In [12]: # Perform seasonality decomposion for Light, period = 1 day
    seas_d = seasonal_decompose(df_train['Light'], period = (60*24))
    fig=seas_d.plot()
    fig.set_figheight(4)
    plt.show()
```



```
In [13]: # Perform seasonality decomposion for CO2, period = 1 day
    seas_d = seasonal_decompose(df_train['CO2'], period = (60*24))
    fig=seas_d.plot()
    fig.set_figheight(4)
    plt.show()
```



```
In [14]: # Perform seasonality decomposion for HumidityRatio, period = 1 day
    seas_d = seasonal_decompose(df_train['HumidityRatio'], period = (60*24))
    fig=seas_d.plot()
    fig.set_figheight(4)
    plt.show()
```



Perform Granger Causality Tests

```
In [15]: # Examine Temperature causing Occupancy
print(grangercausalitytests(df_train[['Occupancy', 'Temperature']], maxl
ag=4))
```

```
Granger Causality
number of lags (no zero) 1
ssr based F test:
                         F=10.5156 , p=0.0012 , df denom=8139, df num
=1
ssr based chi2 test:
                      chi2=10.5195 , p=0.0012
                                               , df=1
likelihood ratio test: chi2=10.5127 , p=0.0012 , df=1
parameter F test:
                         F=10.5156 , p=0.0012
                                               , df denom=8139, df num
=1
Granger Causality
number of lags (no zero) 2
ssr based F test:
                         F=3.5933
                                    , p=0.0276 , df_denom=8136, df_num
=2
ssr based chi2 test:
                      chi2=7.1910
                                    , p=0.0274 , df=2
likelihood ratio test: chi2=7.1878 , p=0.0275
                                               , df=2
parameter F test:
                                               , df_denom=8136, df_num
                         F=3.5933 , p=0.0276
=2
Granger Causality
number of lags (no zero) 3
ssr based F test:
                         F=1.1512 , p=0.3269 , df denom=8133, df num
=3
ssr based chi2 test:
                      chi2=3.4566
                                    p=0.3264 , df=3
                                               , df=3
likelihood ratio test: chi2=3.4559
                                    p=0.3265
parameter F test:
                                               , df_denom=8133, df_num
                         F=1.1512
                                    p=0.3269
=3
Granger Causality
number of lags (no zero) 4
ssr based F test:
                         F=0.6326 , p=0.6392 , df denom=8130, df num
                                               , df=4
ssr based chi2 test:
                      chi2=2.5331 , p=0.6387
likelihood ratio test: chi2=2.5327
                                    , p=0.6388 , df=4
parameter F test:
                         F=0.6326
                                    , p=0.6392 , df denom=8130, df num
=4
{1: ({'ssr ftest': (10.515600218091105, 0.0011884805851629405, 8139.0,
1), 'ssr chi2test': (10.51947622259464, 0.0011812295962018446, 1), 'lrt
est': (10.512686480680713, 0.00118557768661934, 1), 'params_ftest': (1
0.515600218094972, 0.0011884805851604175, 8139.0, 1.0)}, [<statsmodels.
regression.linear model.RegressionResultsWrapper object at 0x1215440d0
>, <statsmodels.regression.linear model.RegressionResultsWrapper object
at 0x12d909b90>, array([[0., 1., 0.]])]), 2: ({'ssr ftest': (3.59327014
28753764, 0.02755189101173785, 8136.0, 2), 'ssr_chi2test': (7.190956792
809351, 0.027447549225782523, 2), 'lrtest': (7.1877827706048265, 0.0274
91143374182788, 2), 'params_ftest': (3.5932701428739904, 0.027551891011
77218, 8136.0, 2.0)}, [<statsmodels.regression.linear model.RegressionR
esultsWrapper object at 0x12153c350>, <statsmodels.regression.linear_mo
del.RegressionResultsWrapper object at 0x12195b110>, array([[0., 0.,
1., 0., 0.],
       [0., 0., 0., 1., 0.]])]), 3: ({'ssr_ftest': (1.1512168877249138,
0.32689209422409926, 8133.0, 3), 'ssr chi2test': (3.456623189258871, 0.
326431677123941, 3), 'lrtest': (3.455889475357253, 0.3265283318868665,
3), 'params ftest': (1.1512168877277935, 0.32689209422298965, 8133.0,
3.0)}, [<statsmodels.regression.linear model.RegressionResultsWrapper o
bject at 0x121534e50>, <statsmodels.regression.linear model.RegressionR
esultsWrapper object at 0x12d9090d0>, array([[0., 0., 0., 1., 0., 0.,
0.],
```

```
[0., 0., 0., 0., 1., 0., 0.],
        [0., 0., 0., 0., 0., 1., 0.]])]), 4: ({'ssr_ftest': (0.632582614
0788949, 0.6392277460576581, 8130.0, 4), 'ssr_chi2test': (2.53313156014
1759, 0.6387130628737945, 4), 'lrtest': (2.5327374439366395, 0.63878339
73927893, 4), 'params_ftest': (0.6325826140901567, 0.6392277460497593,
8130.0, 4.0)}, [<statsmodels.regression.linear_model.RegressionResultsW
rapper object at 0x1216f3f10>, <statsmodels.regression.linear_model.Reg
ressionResultsWrapper object at 0x12d8eca90>, array([[0., 0., 0., 0., 0.,
1., 0., 0., 0., 0., 0., 1., 0., 0.],
        [0., 0., 0., 0., 0., 0., 1., 0., 0.],
        [0., 0., 0., 0., 0., 0., 0., 1., 0.]])])}
```

For a lag <= 2, the Temperature seems to cause Occupancy based on the Granger Causality Test p-value < 0.05.

```
In [16]: # Examine Humidity causing Occupancy
print(grangercausalitytests(df_train[['Occupancy', 'Humidity']], maxlag=
4))
```

```
Granger Causality
number of lags (no zero) 1
ssr based F test:
                         F=0.5782 , p=0.4471 , df denom=8139, df num
=1
ssr based chi2 test:
                      chi2=0.5784
                                   p=0.4469
                                               , df=1
                                               , df=1
likelihood ratio test: chi2=0.5784
                                   p=0.4470
parameter F test:
                                               , df denom=8139, df num
                         F=0.5782
                                   p=0.4471
=1
Granger Causality
number of lags (no zero) 2
ssr based F test:
                         F=1.3368
                                   , p=0.2628 , df_denom=8136, df_num
=2
ssr based chi2 test:
                      chi2=2.6752
                                   p=0.2625
                                               , df=2
likelihood ratio test: chi2=2.6747 , p=0.2625
                                              , df=2
parameter F test:
                         F=1.3368
                                   p=0.2628
                                              , df_denom=8136, df_num
=2
Granger Causality
number of lags (no zero) 3
ssr based F test:
                         F=0.6158 , p=0.6047 , df denom=8133, df num
=3
ssr based chi2 test:
                      chi2=1.8490
                                   p=0.6043 , df=3
likelihood ratio test: chi2=1.8488
                                    , p=0.6044 , df=3
parameter F test:
                         F=0.6158
                                   p=0.6047
                                              , df_denom=8133, df_num
=3
Granger Causality
number of lags (no zero) 4
ssr based F test:
                         F=0.9867 , p=0.4133 , df denom=8130, df num
                                              , df=4
ssr based chi2 test: chi2=3.9510
                                   p=0.4127
                                              , df=4
                                   p=0.4128
likelihood ratio test: chi2=3.9500
parameter F test:
                         F=0.9867
                                   , p=0.4133 , df denom=8130, df num
=4
{1: ({'ssr ftest': (0.5781720070298837, 0.44705175496434246, 8139.0,
1), 'ssr chi2test': (0.578385118716957, 0.4469459998686701, 1), 'lrtes
t': (0.5783645762421656, 0.4469540697217348, 1), 'params_ftest': (0.578
1720070245995, 0.44705175496647276, 8139.0, 1.0)}, [<statsmodels.regres
sion.linear model.RegressionResultsWrapper object at 0x12d909c10>, <sta
tsmodels.regression.linear_model.RegressionResultsWrapper object at 0x1
2d909b90>, array([[0., 1., 0.]])]), 2: ({'ssr_ftest': (1.33676377023540
9, 0.2627521241567607, 8136.0, 2), 'ssr_chi2test': (2.675170563787233,
0.26247871606533607, 2), 'lrtest': (2.6747311232975335, 0.2625363942894
0245, 2), 'params ftest': (1.336763770238285, 0.2627521241561952, 8136.
0, 2.0)}, [<statsmodels.regression.linear model.RegressionResultsWrappe
r object at 0x12d8ecb50>, <statsmodels.regression.linear model.Regressi
onResultsWrapper object at 0x12d8ecf50>, array([[0., 0., 1., 0., 0.],
       [0., 0., 0., 1., 0.]])]), 3: ({'ssr_ftest': (0.6158148460645417,
0.6046860128780425, 8133.0, 3), 'ssr_chi2test': (1.8490346171026817, 0.
6043230239230211, 3), 'lrtest': (1.8488246409760904, 0.604368214741708
9, 3), 'params ftest': (0.6158148460645266, 0.6046860128780425, 8133.0,
3.0)}, [<statsmodels.regression.linear model.RegressionResultsWrapper o
bject at 0x12153c350>, <statsmodels.regression.linear model.RegressionR
esultsWrapper object at 0x121954ad0>, array([[0., 0., 0., 1., 0., 0.,
0.],
       [0., 0., 0., 0., 1., 0., 0.],
```

```
[0., 0., 0., 0., 0., 1., 0.]])]), 4: ({'ssr_ftest': (0.986655133 0898123, 0.4133429557230327, 8130.0, 4), 'ssr_chi2test': (3.95098948497 8097, 0.412679334524536, 4), 'lrtest': (3.9500308127244352, 0.412810681 76994806, 4), 'params_ftest': (0.9866551331015199, 0.4133429557167153, 8130.0, 4.0)}, [<statsmodels.regression.linear_model.RegressionResultsW rapper object at 0x121954f50>, <statsmodels.regression.linear_model.RegressionResultsWrapper object at 0x121954c50>, array([[0., 0., 0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0., 0.])])])}
```

The null hypothesis fails to be rejected at the p-value of 0.05, therefore Humidity does not cause Occupancy.

```
In [17]: # Examine Light causing Occupancy
print(grangercausalitytests(df_train[['Occupancy', 'Light']], maxlag=4))
```

```
Granger Causality
number of lags (no zero) 1
ssr based F test:
                          F=216.6264, p=0.0000
                                               , df_denom=8139, df_num
=1
ssr based chi2 test:
                       chi2=216.7063, p=0.0000
                                                , df=1
likelihood ratio test: chi2=213.8725, p=0.0000
                                                , df=1
                          F=216.6264, p=0.0000
                                                , df denom=8139, df num
parameter F test:
=1
Granger Causality
number of lags (no zero) 2
ssr based F test:
                          F=152.1224, p=0.0000
                                               , df_denom=8136, df_num
=2
ssr based chi2 test:
                       chi2=304.4318, p=0.0000
                                                , df=2
likelihood ratio test: chi2=298.8777, p=0.0000
                                               , df=2
parameter F test:
                          F=152.1224, p=0.0000
                                               , df_denom=8136, df_num
=2
Granger Causality
number of lags (no zero) 3
ssr based F test:
                          F=116.2704, p=0.0000 , df_denom=8133, df_num
=3
ssr based chi2 test:
                       chi2=349.1115, p=0.0000
                                                , df=3
                                                , df=3
likelihood ratio test: chi2=341.8325, p=0.0000
                          F=116.2704, p=0.0000
parameter F test:
                                                , df_denom=8133, df_num
=3
Granger Causality
number of lags (no zero) 4
ssr based F test:
                          F=83.6931 , p=0.0000 , df denom=8130, df num
=4
ssr based chi2 test:
                       chi2=335.1431, p=0.0000
                                               , df=4
likelihood ratio test: chi2=328.4267, p=0.0000
                                                , df=4
parameter F test:
                          F=83.6931 , p=0.0000 , df denom=8130, df num
=4
{1: ({'ssr ftest': (216.62642993560382, 2.0562395592856343e-48, 8139.0,
1), 'ssr chi2test': (216.70627749547688, 4.7299069898945616e-49, 1), 'l
rtest': (213.87253788191447, 1.9634670480476312e-48, 1), 'params ftes
t': (216.62642993560408, 2.0562395592856343e-48, 8139.0, 1.0)}, [<stats
models.regression.linear model.RegressionResultsWrapper object at 0x12d
909950>, <statsmodels.regression.linear model.RegressionResultsWrapper
object at 0x1215446d0>, array([[0., 1., 0.]])]), 2: ({'ssr ftest': (15
2.1223915307634, 1.3784532028737795e-65, 8136.0, 2), 'ssr_chi2test': (3
04.4317574857288, 7.824990229010475e-67, 2), 'lrtest': (298.87770134397
58, 1.2575688495486277e-65, 2), 'params_ftest': (152.12239153065397, 1.
3784532030197569e-65, 8136.0, 2.0)}, [<statsmodels.regression.linear mo
del.RegressionResultsWrapper object at 0x121954590>, <statsmodels.regre
ssion.linear model.RegressionResultsWrapper object at 0x121954650>, arr
ay([[0., 0., 1., 0., 0.],
       [0., 0., 0., 1., 0.]])]), 3: ({'ssr_ftest': (116.27041836773999,
1.0028907212619656e-73, 8133.0, 3), 'ssr_chi2test': (349.1114738153462,
2.323097820054367e-75, 3), 'lrtest': (341.83245601379167, 8.75259793334
1622e-74, 3), 'params_ftest': (116.27041836773998, 1.0028907212628492e-
73, 8133.0, 3.0)}, [<statsmodels.regression.linear model.RegressionResu
ltsWrapper object at 0x1215eb590>, <statsmodels.regression.linear mode
1.RegressionResultsWrapper object at 0x121954050>, array([[0., 0., 0.,
1., 0., 0., 0.],
```

```
[0., 0., 0., 0., 1., 0., 0.],
        [0., 0., 0., 0., 0., 1., 0.]])]), 4: ({'ssr_ftest': (83.69313503 029518, 9.349574743675364e-70, 8130.0, 4), 'ssr_chi2test': (335.1431370 290639, 2.827331931643635e-71, 4), 'lrtest': (328.4267270025739, 7.9631 98645095444e-70, 4), 'params_ftest': (83.69313503028006, 9.349574743941 627e-70, 8130.0, 4.0)}, [<statsmodels.regression.linear_model.RegressionResultsWrapper object at 0x12d8f2650>, <statsmodels.regression.linear_model.RegressionResultsWrapper object at 0x12d8f2290>, array([[0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0., 0.]])]))}
```

Light seems to have a strong effect on Occupancy, since p-value is 0.000.

```
In [18]: # Examine CO2 causing Occupancy
print(grangercausalitytests(df_train[['Occupancy', 'CO2']], maxlag=4))
```

```
Granger Causality
number of lags (no zero) 1
ssr based F test:
                                               , df denom=8139, df num
                          F=34.9532 , p=0.0000
=1
ssr based chi2 test:
                      chi2=34.9661 , p=0.0000
                                               , df=1
likelihood ratio test: chi2=34.8912 , p=0.0000
                                               , df=1
parameter F test:
                          F=34.9532 , p=0.0000
                                               , df denom=8139, df num
=1
Granger Causality
number of lags (no zero) 2
ssr based F test:
                        F=12.9394 , p=0.0000
                                               , df denom=8136, df num
=2
ssr based chi2 test:
                      chi2=25.8947 , p=0.0000
                                                , df=2
likelihood ratio test: chi2=25.8536 , p=0.0000
                                               , df=2
parameter F test:
                         F=12.9394 , p=0.0000
                                               , df_denom=8136, df_num
=2
Granger Causality
number of lags (no zero) 3
ssr based F test:
                          F=5.3197 , p=0.0012 , df_denom=8133, df_num
=3
ssr based chi2 test:
                     chi2=15.9727 , p=0.0011 , df=3
                                                , df=3
likelihood ratio test: chi2=15.9571 , p=0.0012
                         F=5.3197 , p=0.0012 , df_denom=8133, df_num
parameter F test:
=3
Granger Causality
number of lags (no zero) 4
ssr based F test:
                         F=2.7232 , p=0.0279 , df denom=8130, df num
                      chi2=10.9050 , p=0.0277
                                               , df=4
ssr based chi2 test:
likelihood ratio test: chi2=10.8977 , p=0.0277
                                               , df=4
parameter F test:
                          F=2.7232 , p=0.0279 , df denom=8130, df num
=4
{1: ({'ssr ftest': (34.95321142853135, 3.513441792672317e-09, 8139.0,
1), 'ssr chi2test': (34.9660950302374, 3.3549665099567356e-09, 1), 'lrt
est': (34.891227760119364, 3.486481577200691e-09, 1), 'params ftest':
(34.95321142828012, 3.5134417931224022e-09, 8139.0, 1.0)}, [<statsmodel
s.regression.linear model.RegressionResultsWrapper object at 0x12d909b9
0>, <statsmodels.regression.linear model.RegressionResultsWrapper objec
t at 0x121954650>, array([[0., 1., 0.]])]), 2: ({'ssr ftest': (12.93940
2174169055, 2.451361363274222e-06, 8136.0, 2), 'ssr_chi2test': (25.8947
0823498286, 2.3825144949992743e-06, 2), 'lrtest': (25.853612705301202,
2.4319762667379205e-06, 2), 'params_ftest': (12.939402174147045, 2.4513
613633286006e-06, 8136.0, 2.0)}, [<statsmodels.regression.linear model.
RegressionResultsWrapper object at 0x12d8f2b50>, <statsmodels.regressio
n.linear model.RegressionResultsWrapper object at 0x12d8f2410>, array
([[0., 0., 1., 0., 0.],
       [0., 0., 0., 1., 0.]])]), 3: ({'ssr_ftest': (5.319664402728529,
0.0011641746096933505, 8133.0, 3), 'ssr chi2test': (15.97272897019927,
0.0011486767474718582, 3), 'lrtest': (15.957078183288104, 0.00115719392
29575265, 3), 'params_ftest': (5.3196644026789315, 0.00116417460977454
9, 8133.0, 3.0)}, [<statsmodels.regression.linear model.RegressionResul
tsWrapper object at 0x12d911710>, <statsmodels.regression.linear_model.
RegressionResultsWrapper object at 0x12d911150>, array([[0., 0., 0.,
1., 0., 0., 0.],
```

```
[0., 0., 0., 0., 1., 0., 0.],
        [0., 0., 0., 0., 0., 1., 0.]])]), 4: ({'ssr_ftest': (2.723246955
2480016, 0.027863347815891896, 8130.0, 4), 'ssr_chi2test': (10.90504647
9096425, 0.027652144774908145, 4), 'lrtest': (10.897747430004529, 0.027
737549191175867, 4), 'params_ftest': (2.723246955187612, 0.027863347818
739642, 8130.0, 4.0)}, [<statsmodels.regression.linear_model.Regression
ResultsWrapper object at 0x121eeddd0>, <statsmodels.regression.linear_m
odel.RegressionResultsWrapper object at 0x12d911950>, array([[0., 0.,
0., 0., 1., 0., 0., 0., 0., 0.],
        [0., 0., 0., 0., 0., 0., 1., 0., 0.],
        [0., 0., 0., 0., 0., 0., 1., 0., 0.],
        [0., 0., 0., 0., 0., 0., 0., 1., 0.])])])}
```

CO2 seems to have a strong effect on Occupancy, since p-value is < 0.05 for max\_lag <= 4.

```
In [19]: # Examine HumidityRatio causing Occupancy
print(grangercausalitytests(df_train[['Occupancy', 'HumidityRatio']], ma
xlag=4))
```

```
Granger Causality
number of lags (no zero) 1
ssr based F test:
                         F=2.7994 , p=0.0943 , df_denom=8139, df_num
=1
ssr based chi2 test:
                     chi2=2.8005
                                               , df=1
                                    p=0.0942
likelihood ratio test: chi2=2.8000
                                   , p=0.0943 , df=1
                                               , df denom=8139, df num
parameter F test:
                         F=2.7994
                                    p=0.0943
=1
Granger Causality
number of lags (no zero) 2
ssr based F test:
                         F=1.7887
                                    , p=0.1672 , df_denom=8136, df_num
=2
ssr based chi2 test:
                      chi2=3.5797
                                                , df=2
                                    p=0.1670
likelihood ratio test: chi2=3.5789 , p=0.1671
                                              , df=2
parameter F test:
                         F=1.7887
                                   p=0.1672
                                              , df_denom=8136, df_num
=2
Granger Causality
number of lags (no zero) 3
ssr based F test:
                         F=0.7380 , p=0.5293 , df denom=8133, df num
=3
ssr based chi2 test:
                      chi2=2.2158
                                    , p=0.5289 , df=3
                                              , df=3
likelihood ratio test: chi2=2.2155
                                    p=0.5289
parameter F test:
                         F=0.7380
                                    , p=0.5293 , df_denom=8133, df_num
=3
Granger Causality
number of lags (no zero) 4
ssr based F test:
                         F=0.9660 , p=0.4248 , df denom=8130, df num
ssr based chi2 test: chi2=3.8683
                                    p=0.4241 , df=4
likelihood ratio test: chi2=3.8674
                                    , p=0.4243 , df=4
parameter F test:
                         F=0.9660
                                    , p=0.4248 , df denom=8130, df num
=4
{1: ({'ssr ftest': (2.7994495684347247, 0.09433510384211544, 8139.0,
1), 'ssr chi2test': (2.8004814333696433, 0.0942360069980527, 1), 'lrtes
t': (2.799999924012809, 0.09426431130865497, 1), 'params_ftest': (2.799
449568434711, 0.09433510384211544, 8139.0, 1.0)}, [<statsmodels.regress
ion.linear model.RegressionResultsWrapper object at 0x12d8ec850>, <stat
smodels.regression.linear model.RegressionResultsWrapper object at 0x12
153c350>, array([[0., 1., 0.]])]), 2: ({'ssr ftest': (1.788748729481386
4, 0.16723494858875154, 8136.0, 2), 'ssr_chi2test': (3.579696019348074,
0.16698554792622738, 2), 'lrtest': (3.578909232201113, 0.16705125189055
7, 2), 'params_ftest': (1.7887487294809006, 0.16723494858883073, 8136.
0, 2.0)}, [<statsmodels.regression.linear model.RegressionResultsWrappe
r object at 0x12d911b50>, <statsmodels.regression.linear model.Regressi
onResultsWrapper object at 0x12d9115d0>, array([[0., 0., 1., 0., 0.],
       [0., 0., 0., 1., 0.]])]), 3: ({'ssr_ftest': (0.7379510394387019,
0.5292573095580974, 8133.0, 3), 'ssr_chi2test': (2.2157585617967666, 0.
5288510996267659, 3), 'lrtest': (2.215457044883806, 0.5289102360516149,
3), 'params ftest': (0.7379510394391602, 0.5292573095579194, 8133.0, 3.
0)}, [<statsmodels.regression.linear model.RegressionResultsWrapper obj
ect at 0x1215348d0>, <statsmodels.regression.linear model.RegressionRes
ultsWrapper object at 0x12d8f2e50>, array([[0., 0., 0., 1., 0., 0.,
0.],
       [0., 0., 0., 0., 1., 0., 0.],
```

```
[0., 0., 0., 0., 0., 1., 0.]])]), 4: ({'ssr_ftest': (0.966003318 8057995, 0.42478433188508447, 8130.0, 4), 'ssr_chi2test': (3.8682907806 939246, 0.4241241083428684, 4), 'lrtest': (3.8673718144054874, 0.424252 58322177695, 4), 'params_ftest': (0.9660033188159165, 0.424784331879396 9, 8130.0, 4.0)}, [<statsmodels.regression.linear_model.RegressionResultsWrapper object at 0x12196be90>, <statsmodels.regression.linear_model.RegressionResultsWrapper object at 0x121709ad0>, array([[0., 0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0.], [0., 0., 0., 0., 0., 0., 0., 0., 0., 0.]])])}
```

The null hypothesis fails to be rejected at the p-value of 0.05, therefore HumidityRatio does not cause Occupancy.

Check each parameter for stationarity using ADF Test

```
In [20]: # Check Temperature for stationarity
    result = adfuller(df_train['Temperature'].values)
    print('ADF Statistic: %f' % result[0])
    print('p-value: %f' % result[1])
    print('Critical Values:')
    for key, value in result[4].items():
        print('\t%s: %.3f' % (key, value))

ADF Statistic: -2.694434
    p-value: 0.075006
    Critical Values:
        1%: -3.431
        5%: -2.862
        10%: -2.567
```

The p-value is above the rule-of-thumb threshold of 0.05, indicating that there is a unit root, and Temperature is NOT stationary.

The p-value is above the rule-of-thumb threshold of 0.05, indicating that there is a unit root, and Humidity is NOT stationary.

The p-value is below the rule-of-thumb threshold of 0.05, indicating that there is no unit root, and Light IS stationary.

```
In [23]: # Check CO2 for stationarity
    result = adfuller(df_train['CO2'].values)
    print('ADF Statistic: %f' % result[0])
    print('p-value: %f' % result[1])
    print('Critical Values:')
    for key, value in result[4].items():
        print('\t%s: %.3f' % (key, value))

ADF Statistic: -3.639003
    p-value: 0.005058
    Critical Values:
        1%: -3.431
        5%: -2.862
        10%: -2.567
```

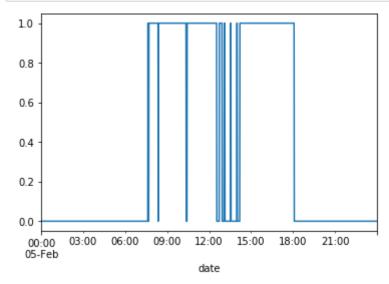
The p-value is below the rule-of-thumb threshold of 0.05, indicating that there is no unit root, and CO2 IS stationary.

```
In [24]: # Check HumidityRatio for stationarity
    result = adfuller(df_train['HumidityRatio'].values)
    print('ADF Statistic: %f' % result[0])
    print('p-value: %f' % result[1])
    print('Critical Values:')
    for key, value in result[4].items():
        print('\t*s: %.3f' % (key, value))

ADF Statistic: -1.279709
    p-value: 0.638403
    Critical Values:
        1%: -3.431
        5%: -2.862
        10%: -2.567
```

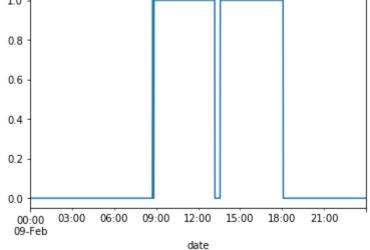
The p-value is above the rule-of-thumb threshold of 0.05, indicating that there is a unit root, and HumidityRatio is NOT stationary.

```
In [25]: # Examine hours for Occupancy=1
    df_train[df_train.index.day == 5]['Occupancy'].plot()
    plt.show()
```



```
In [26]: df_train[df_train.index.day == 6]['Occupancy'].plot()
           plt.show()
            1.0
            0.8
            0.6
            0.4
            0.2
            0.0
                    03:00
                          06:00
                                09:00
                                       12:00
                                             15:00
                                                   18:00
              00:00
             06-Feb
                                       date
```

```
In [27]: df_train[df_train.index.day == 9]['Occupancy'].plot()
    plt.show()
```



The plots confirm that the hours for occupancy tend to be roughly between 9am-6pm.

Since the day of the week and time of the day seem to be important factors in predicting occupancy and trends in the other variables, create new columns for "WorkHours" and "Weekday"

```
In [28]: # Separate X and y
X_df_train = df_train.iloc[:,:5]
y_df_train = df_train['Occupancy']

In [29]: # Add binary column for Weekday
X_df_train['Weekday'] = np.where((X_df_train.index.day == 7) | (X_df_train.index.day == 8), 0, 1)
```

In [30]: # Add binary column for WorkHours
X\_df\_train['WorkHours'] = np.where((X\_df\_train.index.hour >= 8) & (X\_df\_train.index.day <= 6), 1, 0)</pre>

In [31]: X\_df\_train

Out[31]:

	Temperature Humidity Light CO2 HumidityRat		HumidityRatio	Weekday	WorkHours		
date							
2015-02-04 17:51:00	23.18	27.2720	426.0	721.250000	0.004793	1	1
2015-02-04 17:52:00	23.15	27.2675	429.5	714.000000	0.004783	1	1
2015-02-04 17:53:00	23.15	27.2450	426.0	713.500000	0.004779	1	1
2015-02-04 17:54:00	23.15	27.2000	426.0	708.250000	0.004772	1	1
2015-02-04 17:55:00	23.10	27.2000	426.0	704.500000	0.004757	1	1
2015-02-10 09:29:00	21.05	36.0975	433.0	787.250000	0.005579	1	0
2015-02-10 09:30:00	21.05	35.9950	433.0	789.500000	0.005563	1	0
2015-02-10 09:31:00	21.10	36.0950	433.0	798.500000	0.005596	1	0
2015-02-10 09:32:00	21.10	36.2600	433.0	820.333333	0.005621	1	0
2015-02-10 09:33:00	21.10	36.2000	447.0	821.000000	0.005612	1	0

 $8143 \text{ rows} \times 7 \text{ columns}$ 

```
In [32]: # Examine outlier for Light
X_df_train[X_df_train.index.day == 7]['Light'].plot(grid=True)
plt.show()
```

This is most likely an error, so we'll assume that the data for that spike can be removed and imputed.

15:00

18:00

12:00

date

03:00

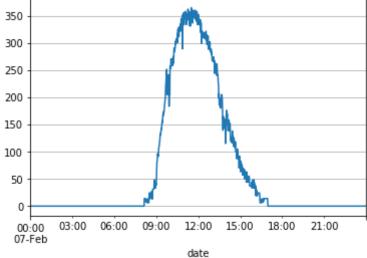
00:00 07-Feb 06:00

09:00

The data for Light was unusually high for 4 data points (09:40:59 through 09:43:59). To improve training the model, we'll change these values by imputing using simple linear regression.

```
In [34]: # Replace high values with NaN
    X_df_train.at['2015-02-07 09:41:00', 'Light'] = np.nan
    X_df_train.at['2015-02-07 09:42:00', 'Light'] = np.nan
    X_df_train.at['2015-02-07 09:43:00', 'Light'] = np.nan
    X_df_train.at['2015-02-07 09:44:00', 'Light'] = np.nan
In [35]: # Interpolate NaN values using simple linear regression
    X_df_train['Light'].interpolate(method='linear', inplace=True)
```

```
In [36]: # Verify values were imputed
    X_df_train[X_df_train.index.day == 7]['Light'].plot(grid=True)
    plt.show()
```



CO2 also had some unusually high spikes near the end of the day on 2015-02-09. Let's zoom in and examine it.

```
In [37]: # Examine spikes for CO2
    df_train[df_train.index.day == 9]['CO2'].plot(grid=True)
    plt.show()
```

However, the spike for CO2 is still in the range of the data, so we'll keep it and not bother smoothing it for now.

15:00

18:00

400 -

00:00 09-Feb 03:00

06:00

09:00

12:00

date

```
In [38]: # Examine correlation matrix for predicting variables
X_df_train.corr()
```

Out[38]:

	Temperature	Humidity	Light	CO2	HumidityRatio	Weekday	WorkHours
Temperature	1.000000	-0.141759	0.654502	0.559894	0.151762	0.418657	0.532213
Humidity	-0.141759	1.000000	0.040864	0.439023	0.955198	0.108551	-0.327712
Light	0.654502	0.040864	1.000000	0.670003	0.234770	0.284592	0.404677
CO2	0.559894	0.439023	0.670003	1.000000	0.626556	0.394834	0.201954
HumidityRatio	0.151762	0.955198	0.234770	0.626556	1.000000	0.243146	-0.167921
Weekday	0.418657	0.108551	0.284592	0.394834	0.243146	1.000000	0.462569
WorkHours	0.532213	-0.327712	0.404677	0.201954	-0.167921	0.462569	1.000000

The correlation matrix shows that Humidity and HumidityRatio are highly correlated, so one of these may potentially be removed from the model to reduce multicollinearity. CO2 and HumidityRatio seem somewhat correlated, too. Therefore, let us drop HumidityRatio from the model.

```
In [39]: X_df_train = X_df_train.drop(columns = 'HumidityRatio')
In [40]: # Examine correlation matrix after dropping HumidityRatio
    X_df_train.corr()
```

Out[40]:

	Temperature	Humidity	Light	CO2	Weekday	WorkHours
Temperature	1.000000	-0.141759	0.654502	0.559894	0.418657	0.532213
Humidity	-0.141759	1.000000	0.040864	0.439023	0.108551	-0.327712
Light	0.654502	0.040864	1.000000	0.670003	0.284592	0.404677
CO2	0.559894	0.439023	0.670003	1.000000	0.394834	0.201954
Weekday	0.418657	0.108551	0.284592	0.394834	1.000000	0.462569
WorkHours	0.532213	-0.327712	0.404677	0.201954	0.462569	1.000000

Inspect df\_val:

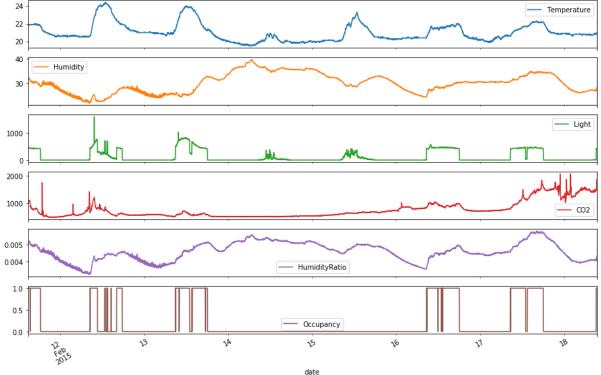
```
In [41]: df_val.info()
         <class 'pandas.core.frame.DataFrame'>
         Int64Index: 9752 entries, 1 to 9752
         Data columns (total 7 columns):
         date
                          9752 non-null object
         Temperature
                          9752 non-null float64
         Humidity
                          9752 non-null float64
         Light
                          9752 non-null float64
         CO2
                          9752 non-null float64
         HumidityRatio
                          9752 non-null float64
                          9752 non-null int64
         Occupancy
         dtypes: float64(5), int64(1), object(1)
         memory usage: 609.5+ KB
```

Again, no null values.

In [42]: df\_val.describe()

# Out[42]:

	Temperature	Humidity	Light	CO2	HumidityRatio	Occupancy
count	9752.000000	9752.000000	9752.000000	9752.000000	9752.000000	9752.000000
mean	21.001768	29.891910	123.067930	753.224832	0.004589	0.210111
std	1.020693	3.952844	208.221275	297.096114	0.000531	0.407408
min	19.500000	21.865000	0.000000	484.666667	0.003275	0.000000
25%	20.290000	26.642083	0.000000	542.312500	0.004196	0.000000
50%	20.790000	30.200000	0.000000	639.000000	0.004593	0.000000
75%	21.533333	32.700000	208.250000	831.125000	0.004998	0.000000
max	24.390000	39.500000	1581.000000	2076.500000	0.005769	1.000000



It can be seen that this is a continuation of the time series data from the training set. Now, the dates 2015-02-11 to 2015-02-19 are given. The same seasonality pattern of no occupancy for 2 consecutive days (2015-02-14 and 2015-02-15) can be observed, which indicates conditional seasonality. Add columns for Weekday or Weekend and Hour to take into account this seasonality for predicting Occupancy. Also, note that the time range is quite short here, and none of the variables lead us to predict that there is a trend component to this time series. Therefore, assume there is no trend component.

Split the validation set into validation set for comparing models and test set for assessing model accuracy. Use dates from 2015-02-11 to 2015-02-14 for validation set, and 2015-02-15 to 2015-02-18 for test set. This gives a good balance by including a date in each set with a "weekend" day, and makes the test set the latest set in time.

```
In [47]: X_df_test = X_df_val[df_val.index.day >= 15]
         y df test = y df val[df val.index.day >= 15]
         X_df_val = X_df_val[df_val.index.day <= 14]</pre>
         y df val = y df val[df val.index.day <= 14]
```

```
In [48]: X df val.head()
```

# Out[48]:

	Temperature	Humidity	Light	CO2	Weekday	WorkHours
date						
2015-02-11 14:48:00	21.7600	31.133333	437.333333	1029.666667	1	0
2015-02-11 14:49:00	21.7900	31.000000	437.333333	1000.000000	1	0
2015-02-11 14:50:00	21.7675	31.122500	434.000000	1003.750000	1	0
2015-02-11 14:51:00	21.7675	31.122500	439.000000	1009.500000	1	0
2015-02-11 14:52:00	21.7900	31.133333	437.333333	1005.666667	1	0

```
In [49]: y_df_val.head()
```

Out[49]: date

2015-02-11 14:48:00 1 2015-02-11 14:49:00 1 2015-02-11 14:50:00 1 2015-02-11 14:51:00 1 2015-02-11 14:52:00

Name: Occupancy, dtype: int64

```
In [50]: X df test.head()
```

### Out[50]:

	Temperature	Humidity	Light	CO2	Weekday	WorkHours
date						
2015-02-15 00:00:00	19.89	35.745	0.0	535.500000	0	0
2015-02-15 00:01:00	19.89	35.700	0.0	541.000000	0	0
2015-02-15 00:02:00	20.00	35.700	0.0	539.333333	0	0
2015-02-15 00:03:00	20.00	35.700	0.0	541.000000	0	0
2015-02-15 00:04:00	20.00	35.700	0.0	542.000000	0	0

```
In [51]: y_df_test.head()
Out[51]: date
         2015-02-15 00:00:00
                                0
         2015-02-15 00:01:00
         2015-02-15 00:02:00
                                0
         2015-02-15 00:03:00
                                0
         2015-02-15 00:04:00
         Name: Occupancy, dtype: int64
In [52]: # Normalize appropriate columns for building Classification Models
         cols_to_norm = ['Temperature', 'Humidity', 'Light', 'CO2']
         X_df_train[cols_to_norm] = X_df_train[cols_to_norm].apply(lambda x: (x -
         x.min()) / (x.max() - x.min()))
In [53]: X df val[cols to norm] = X df val[cols to norm].apply(lambda x: (x - x.m
         in()) / (x.max() - x.min()))
         X 	ext{ df test[cols to norm]} = X 	ext{ df test[cols to norm].apply(lambda } x: (x - x)
         .min()) / (x.max() - x.min()))
In [54]: X_train = X_df_train
         y_train = y_df_train
         X_test = X_df_val
         y_test = y_df_val
In [55]: # Implement Logistic Regression
         logreg = LogisticRegression(solver='lbfgs', max_iter=200)
         # Fit model: Predict y from x test after training on x train and y train
         y_pred = logreg.fit(X_train, y_train).predict(X_test)
         # Report testing accuracy
         print("Testing accuracy out of a total %d points : %f" % (X_test.shape[0
         ], accuracy_score(y_test, y_pred)))
         Testing accuracy out of a total 4872 points : 0.811576
In [56]: # Implement the Gaussian Naive Bayes algorithm for classification
         gnb = GaussianNB()
         # Fit model: Predict y from x test after training on x train and y train
         y_pred = gnb.fit(X_train, y_train).predict(X_test)
         # Report testing accuracy
         print("Testing accuracy out of a total %d points: %f" % (X test.shape[0
         ], accuracy_score(y_test, y_pred)))
         Testing accuracy out of a total 4872 points: 0.888547
In [57]: # Implement KNN
         neigh = KNeighborsClassifier(n neighbors=3) #Best: n neighbors=3
         # Fit model: Predict y from x test after training on x train and y train
         y_pred = neigh.fit(X_train, y_train).predict(X_test)
         # Report testing accuracy
         print("Testing accuracy out of a total %d points: %f" % (X test.shape[0
         ], accuracy_score(y_test, y_pred)))
         Testing accuracy out of a total 4872 points: 0.932471
```

```
In [58]: # Build classifier using svm
SVM = svm.SVC(C=1, kernel = 'rbf').fit(X_train, y_train) #Best: C=1, ker
nel = 'rbf'
y_pred = SVM.predict(X_test)
print("Testing accuracy out of a total %d points : %f" % (X_test.shape[0]), accuracy_score(y_test, y_pred)))
```

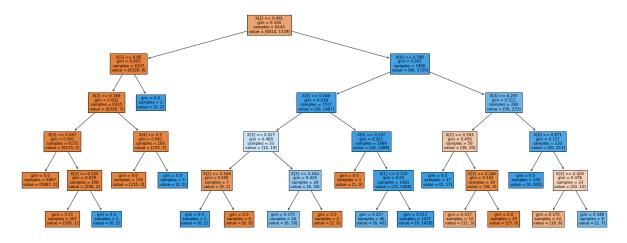
Testing accuracy out of a total 4872 points : 0.991379

Testing accuracy out of a total 4872 points: 0.837233

```
In [60]: # Build classifier using CART
    dct = DecisionTreeClassifier(max_depth=5, random_state=99)
    dct.fit(X_train, y_train)
    y_pred = dct.predict(X_test)
    print("Testing accuracy out of a total %d points : %f" % (X_test.shape[0], accuracy_score(y_test, y_pred)))
```

Testing accuracy out of a total 4872 points : 0.880747

```
In [61]: # Plot decision tree to view feature importances
    plt.figure(figsize=(25,10)) #Set figure size for legibility
    plot_tree(dct, filled=True)
    plt.show()
```



The Decision Tree plot shows that X[2] (Light) is the most important feature, followed by X[3] (CO2) and X[0] (Temperature).

Testing accuracy out of a total 4872 points: 0.838259

```
In [63]: # Calculate feature importances
importances = rf.feature_importances_
print(importances)

# Sort feature importances in descending order
indices = np.argsort(importances)[::-1]
print(indices)

[0.06784078 0.02669683 0.64817013 0.21166027 0.01187343 0.03375856]
[2 3 0 5 1 4]
```

The rank and weights of the features from the Random Forest classifier confirm that X[2] (Light) is the most important feature.

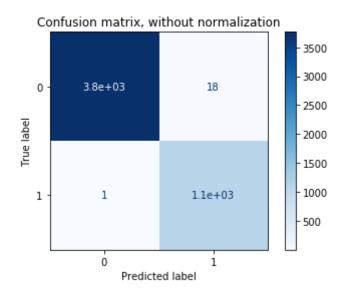
SVM model with C=1 and kernel='rbf' performed the best on the validation set. Assess the true accuracy of the model using the test set.

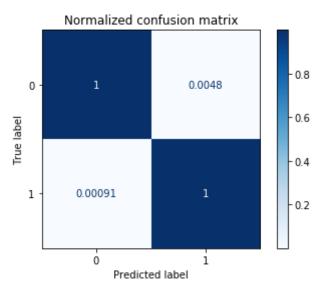
Testing accuracy out of a total 4880 points: 0.996107

The accuracy on the test set is 0.996107, which is very high!

```
Confusion matrix, without normalization [[3765 18] [ 1 1096]]

Normalized confusion matrix [[9.95241872e-01 4.75812847e-03] [9.11577028e-04 9.99088423e-01]]
```





The model above only predicts based on the variables Temperature, Humidity, CO2, Weekday, and WorkHours. It assumes that the information on the variables is known. For further exploration, subsets of the variables could be used to train more models. For a more difficult problem, forecast the variables and make predictions from the forecast, and compare the predictions with the actual results.

Fit time series forecasting models with Facebook Prophet

The range of date for the df\_train set is 2015-02-04 17:51:00 (Wed) through 2015-02-10 09:33:00 (Tues). The range of date for the df\_val set is 2015-02-11 14:48:00 (Wed) through 2015-02-14 23:59:00 (Sat). The range of date for the df\_test set is 2015-02-15 through (Sun) 2015-02-18 09:19:00 (Wed). Fit the predicted time series for the individual parameters to align with the day of week and time on the df\_val set.

```
In [67]: # Prophet requires columns ds (Date) and y (value)
    X_df_train_forecast = df_train[['Temperature', 'Humidity', 'Light', 'CO
    2']]
    X_df_train_forecast['ds'] = df_train.index
    X_df_train_forecast['y'] = df_train['Temperature']
In [68]: X_df_train_forecast
```

Out[68]:

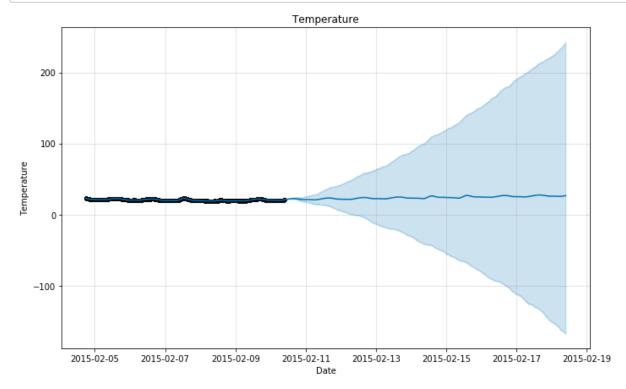
	Temperature	Humidity	Light	CO2	ds	У
date						
2015-02-04 17:51:00	23.18	27.2720	426.0	721.250000	2015-02-04 17:51:00	23.18
2015-02-04 17:52:00	23.15	27.2675	429.5	714.000000	2015-02-04 17:52:00	23.15
2015-02-04 17:53:00	23.15	27.2450	426.0	713.500000	2015-02-04 17:53:00	23.15
2015-02-04 17:54:00	23.15	27.2000	426.0	708.250000	2015-02-04 17:54:00	23.15
2015-02-04 17:55:00	23.10	27.2000	426.0	704.500000	2015-02-04 17:55:00	23.10
2015-02-10 09:29:00	21.05	36.0975	433.0	787.250000	2015-02-10 09:29:00	21.05
2015-02-10 09:30:00	21.05	35.9950	433.0	789.500000	2015-02-10 09:30:00	21.05
2015-02-10 09:31:00	21.10	36.0950	433.0	798.500000	2015-02-10 09:31:00	21.10
2015-02-10 09:32:00	21.10	36.2600	433.0	820.333333	2015-02-10 09:32:00	21.10
2015-02-10 09:33:00	21.10	36.2000	447.0	821.000000	2015-02-10 09:33:00	21.10

8143 rows × 6 columns

```
In [69]: def is_weekday(ds):
    date = pd.to_datetime(ds)
    return (date.day != 7 and date.day != 8 and date.day != 14 and date.
day != 15)
```

```
In [71]: # Model seasonality to make forecasts for Temperature
    m = Prophet(daily_seasonality=False, weekly_seasonality=False, yearly_se
    asonality=False)
    m.add_seasonality(name='daily_weekday', period=1, fourier_order=3, condition_name='weekday')
    m.add_seasonality(name='daily_weekend', period=1, fourier_order=3, condition_name='weekend')
    m.fit(X_df_train_forecast)
    # Make a future dataframe up to 2015-02-18 09:19:00
    temp_forecast = m.make_future_dataframe(periods=60*24*8, freq='T')
    temp_forecast['weekday'] = temp_forecast['ds'].apply(is_weekday)
    temp_forecast['weekend'] = ~temp_forecast['ds'].apply(is_weekday)
    # Make predictions
    forecast = m.predict(temp_forecast)
```

```
In [72]: m.plot(forecast, xlabel = 'Date', ylabel = 'Temperature')
plt.title('Temperature');
```



```
In [73]: X_df_train_forecast['TempForecast'] = forecast['yhat']
```

# Out[75]:

#### **TempForecast**

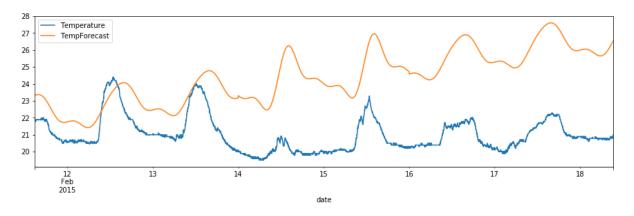
date	
2015-02-04 17:51:00	22.825499
2015-02-04 17:52:00	22.819885
2015-02-04 17:53:00	22.814238
2015-02-04 17:54:00	22.808558
2015-02-04 17:55:00	22.802846
2015-02-18 09:29:00	26.606772
2015-02-18 09:30:00	26.613720
2015-02-18 09:31:00	26.620671
2015-02-18 09:32:00	26.627625
2015-02-18 09:33:00	26.634581

# 19663 rows × 1 columns

```
In [76]: df_val = df_val.join(temp_fc, on='date', how='inner')
```

```
In [77]: df_val.plot(y=["Temperature", "TempForecast"], figsize=(15,4))
```

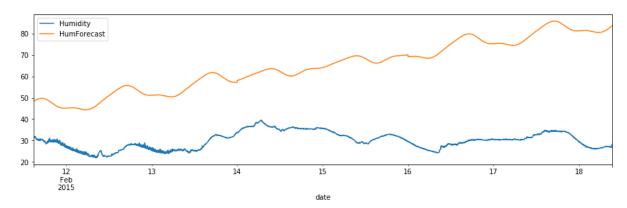
# Out[77]: <matplotlib.axes.\_subplots.AxesSubplot at 0x12dc51b90>



```
In [78]: # Model seasonality to make forecasts for Humidity
    m = Prophet(daily_seasonality=False, weekly_seasonality=False, yearly_se
    asonality=False)
    m.add_seasonality(name='daily_weekday', period=1, fourier_order=3, condi
    tion_name='weekday')
    m.add_seasonality(name='daily_weekend', period=1, fourier_order=3, condi
    tion_name='weekend')
    X_df_train_forecast['y'] = df_train['Humidity']
    m.fit(X_df_train_forecast)
    # Make a future dataframe up to 2015-02-18 09:19:00
    hum_forecast = m.make_future_dataframe(periods=60*24*8, freq='T')
    hum_forecast['weekday'] = hum_forecast['ds'].apply(is_weekday)
    hum_forecast['weekend'] = ~hum_forecast['ds'].apply(is_weekday)
    # Make predictions
    forecast = m.predict(hum_forecast)
```

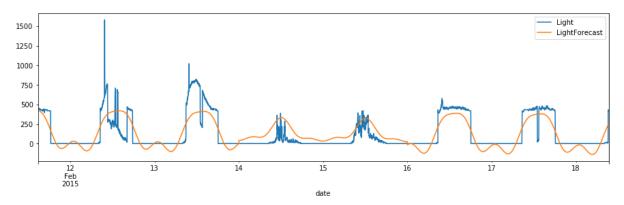
```
In [79]: X_df_train_forecast['HumForecast'] = forecast['yhat']
hum_fc = forecast[['ds', 'yhat']].rename(columns={"ds": "date", "yhat":
    "HumForecast"}).set_index('date')
df_val = df_val.join(hum_fc, on='date', how='inner')
df_val.plot(y=["Humidity", "HumForecast"], figsize=(15,4))
```

# Out[79]: <matplotlib.axes.\_subplots.AxesSubplot at 0x12de316d0>



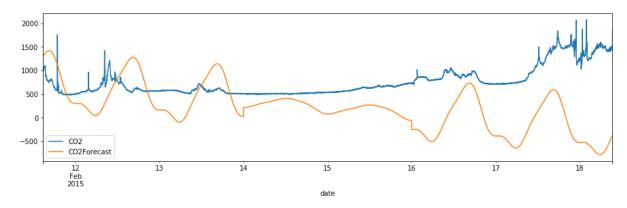
```
In [80]: # Model seasonality to make forecasts for Light
         m = Prophet(daily seasonality=False, weekly seasonality=False, yearly se
         asonality=False)
         m.add seasonality(name='daily weekday', period=1, fourier_order=3, condi
         tion name='weekday')
         m.add_seasonality(name='daily_weekend', period=1, fourier_order=3, condi
         tion name='weekend')
         X df train forecast['y'] = df train['Light']
         m.fit(X_df_train_forecast)
         # Make a future dataframe up to 2015-02-18 09:19:00
         light_forecast = m.make_future_dataframe(periods=60*24*8, freq='T')
         light_forecast['weekday'] = light_forecast['ds'].apply(is_weekday)
         light_forecast['weekend'] = ~light_forecast['ds'].apply(is_weekday)
         # Make predictions
         forecast = m.predict(light_forecast)
         X_df_train_forecast['LightForecast'] = forecast['yhat']
         light_fc = forecast[['ds', 'yhat']].rename(columns={"ds": "date", "yhat"
         : "LightForecast" }).set index('date')
         df_val = df_val.join(light_fc, on='date', how='inner')
         # Plot Light vs. Forecasted Light
         df_val.plot(y=["Light", "LightForecast"], figsize=(15,4))
```

# Out[80]: <matplotlib.axes.\_subplots.AxesSubplot at 0x103db8190>



```
In [81]: # Model seasonality to make forecasts for CO2
         m = Prophet(daily seasonality=False, weekly seasonality=False, yearly se
         asonality=False)
         m.add_seasonality(name='daily_weekday', period=1, fourier_order=3, condi
         tion name='weekday')
         m.add_seasonality(name='daily_weekend', period=1, fourier_order=3, condi
         tion name='weekend')
         X df train forecast['y'] = df train['CO2']
         m.fit(X_df_train_forecast)
         # Make a future dataframe up to 2015-02-18 09:19:00
         co2 forecast = m.make future dataframe(periods=60*24*8, freq='T')
         co2 forecast['weekday'] = co2 forecast['ds'].apply(is weekday)
         co2_forecast['weekend'] = ~co2_forecast['ds'].apply(is_weekday)
         # Make predictions
         forecast = m.predict(co2_forecast)
         X_df_train_forecast['CO2Forecast'] = forecast['yhat']
         co2_fc = forecast[['ds', 'yhat']].rename(columns={"ds": "date", "yhat":
         "CO2Forecast"}).set index('date')
         df_val = df_val.join(co2_fc, on='date', how='inner')
         df val.plot(y=["CO2", "CO2Forecast"], figsize=(15,4))
```

Out[81]: <matplotlib.axes.\_subplots.AxesSubplot at 0x138147810>



Predict Occupancy with forecasted parameters

```
In [82]: # Separate X and y
         X_df_val = df_val[['TempForecast', 'HumForecast', 'LightForecast', 'CO2F
          orecast']]
         y_df_val = df_val['Occupancy']
          # Add columns for Weekday and WorkHours
         X_df_val['Weekday'] = np.where((X_df_val.index.day == 14) | (X_df_val.in
          dex.day == 15), 0, 1)
          X_df_val['WorkHours'] = np.where((X_df_val.index.hour >= 8) & (X df val.
          index.hour <= 6), 1, 0)
          # Split into validation and test sets
          X_df_test = X_df_val[df_val.index.day >= 15]
         y_df_test = y_df_val[df_val.index.day >= 15]
          X_df_val = X_df_val[df_val.index.day <= 14]</pre>
         y_df_val = y_df_val[df_val.index.day <= 14]</pre>
          # Normalize appropriate columns for building Classification Models
         cols_to_norm = ['TempForecast', 'HumForecast', 'LightForecast', 'CO2Fore
          cast']
         X 	ext{ df val[cols to norm]} = X 	ext{ df val[cols to norm].apply(lambda x: } (x - x.m)
          in()) / (x.max() - x.min()))
          X 	ext{ df test[cols to norm]} = X 	ext{ df test[cols to norm].apply(lambda x: } (x - x)
          .min()) / (x.max() - x.min()))
          # Rename variables for easier implementation
         X train = X df train
          y train = y df train
         X \text{ test} = X \text{ df val}
         y test = y df val
In [83]: # Implement Logistic Regression
         logreq = LogisticRegression(solver='lbfgs', max_iter=100)
         # Fit model: Predict y from x test after training on x train and y train
         y pred = logreg.fit(X train, y train).predict(X test)
          # Report testing accuracy
         print("Testing accuracy out of a total %d points: %f" % (X test.shape[0
          ], accuracy_score(y_test, y_pred)))
         Testing accuracy out of a total 4872 points: 0.791872
```

```
In [84]: # Implement the Gaussian Naive Bayes algorithm for classification
gnb = GaussianNB()
# Fit model: Predict y from x_test after training on x_train and y_train
y_pred = gnb.fit(X_train, y_train).predict(X_test)
# Report testing accuracy
print("Testing accuracy out of a total %d points : %f" % (X_test.shape[0], accuracy_score(y_test, y_pred)))
```

Testing accuracy out of a total 4872 points : 0.836412

```
In [85]: # Implement KNN
    neigh = KNeighborsClassifier(n_neighbors=3) #Best: n_neighbors=3
    # Fit model: Predict y from x_test after training on x_train and y_train
    y_pred = neigh.fit(X_train, y_train).predict(X_test)
    # Report testing accuracy
    print("Testing accuracy out of a total %d points : %f" % (X_test.shape[0]), accuracy_score(y_test, y_pred)))

Testing accuracy out of a total 4872 points : 0.853859

In [86]: # Build classifier using SVM
    SVM = svm.SVC(C=.01, kernel = 'rbf').fit(X_train, y_train) #Best: C=.01, kernel = 'rbf'
    y_pred = SVM.predict(X_test)
    print("Testing accuracy out of a total %d points : %f" % (X_test.shape[0]), accuracy_score(y_test, y_pred)))
```

Testing accuracy out of a total 4872 points: 0.853243

```
In [87]: # Build classifier using simple neural network
    NN = MLPClassifier(solver = 'adam', learning_rate_init = 0.01, max_iter
    = 150, hidden_layer_sizes=(5, 2), random_state=99).fit(X_train, y_train)
    y_pred = NN.predict(X_test)
    acc = accuracy_score(y_test, y_pred)
    print("Testing accuracy out of a total %d points : %f" % (X_test.shape[0]), accuracy_score(y_test, y_pred)))
```

Testing accuracy out of a total 4872 points : 0.828818

```
In [88]: # Build classifier using CART
    dct = DecisionTreeClassifier(max_depth=4, random_state=99)
    dct.fit(X_train, y_train)
    y_pred = dct.predict(X_test)
    print("Testing accuracy out of a total %d points : %f" % (X_test.shape[0], accuracy_score(y_test, y_pred)))
```

Testing accuracy out of a total 4872 points: 0.821839

```
In [89]: # Build classifier using Random Forest
    rf = RandomForestClassifier(n_estimators=200, max_depth=1, random_state=
    99)
    rf.fit(X_train, y_train)
    y_pred = rf.predict(X_test)
    print("Testing accuracy out of a total %d points : %f" % (X_test.shape[0], accuracy_score(y_test, y_pred)))
```

Testing accuracy out of a total 4872 points: 0.809524

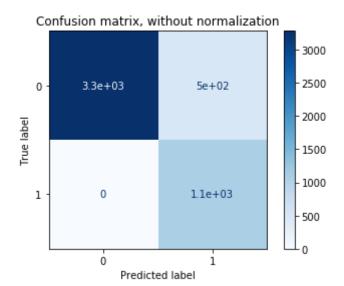
SVM with C=0.01 and kernel='rbf' performed the best in the validation set. Test its true accuracy on the test set.

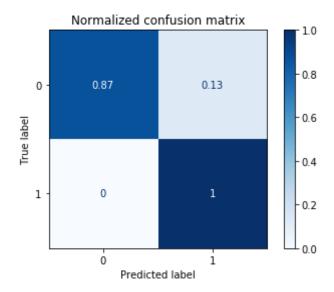
```
In [90]: X_test = X_df_test
    y_test = y_df_test
    y_pred = SVM.predict(X_test)
    print("Testing accuracy out of a total %d points : %f" % (X_test.shape[0], accuracy_score(y_test, y_pred)))
```

Testing accuracy out of a total 4880 points : 0.897336

The accuracy on the test set was 0.897336. Not bad. The accuracy would be improved if the variables were forecasted better. Now plot the confusion matrix.

```
Confusion matrix, without normalization [[3282 501] [ 0 1097]]
Normalized confusion matrix [[0.86756542 0.13243458] [0. 1. ]]
```





The final model chosen to predict Occupancy when the variables Temperature, Humidity, Light, and CO2 were forecasted from the training set was a Support Vector Model with margin C=0.01 and kernel='rbf'. This model performed the best in the validation set and resulted in a 89.7% accuracy in the test set. The confusion matrix shows that out of 4880 total test data points (minutes), 3282 points were correctly identified as unoccupied (true negatives), 1097 points were correctly identified as occupied (true positives), 501 points were incorrectly identified as unoccupied (false positives), and 0 points were incorrectly identified as unoccupied when they were occupied (false negatives). For the future, the model could be improved by tuning the trend component for forecasting the variables, and building and testing models on subsets of the parameters.

The Control of the	
Tn [ ] •	
T11     6	