the LP problem.

```
maximize z = 300x_1 + 400x_2 + 1000x_3

x_1 + x_2 \le 40

x_2 + 2x_3 \le 30

subject to 2x_1 \le 20

x_1 + 2x_3 \le 10

2x_2 + x_3 \le 10

x_1, x_2, x_3 \ge 0
```

```
In [1]: import sys
!{sys.executable} -m pip install pulp
```

Requirement already satisfied: pulp in /opt/conda/lib/python3.8/site -packages (2.3.1)

Requirement already satisfied: amply>=0.1.2 in /opt/conda/lib/python 3.8/site-packages (from pulp) (0.1.4)

Requirement already satisfied: pyparsing in /opt/conda/lib/python3.8 /site-packages (from amply>=0.1.2->pulp) (2.4.7)

Requirement already satisfied: docutils>=0.3 in /opt/conda/lib/pytho n3.8/site-packages (from amply>=0.1.2->pulp) (0.15.2)

```
In [2]: import pulp
```

In [3]: # Create a LP Minimization problem
Lp_prob = pulp.LpProblem('Your_LP_Problem', pulp.LpMaximize) # We set
up theproblem using the command LpProblem in the PuLP package.

```
In [4]: # Create problem Decision Variables
x_1 = pulp.LpVariable("x_1")
x_2 = pulp.LpVariable("x_2")
x_3 = pulp.LpVariable("x_3")
```

```
In [5]: # Objective Function
        Lp prob += 300* x 1 + 400*x 2 + 1000 * x 3
        # Constraints:
        Lp prob += x 1 + x 2 <= 40
        Lp_prob += x_2 + 2*x_3 <= 30
        Lp prob += 2*x 1 <= 20
        Lp prob += x 1 + 2*x 3 <= 10
        Lp prob += 2*x 2 + x 3 <= 10
        Lp\_prob += x\_1 >= 0
        Lp prob += x 2 >= 0
        Lp\_prob += x\_3 >= 0
In [6]: # Display the problem
        print(Lp prob)
        Your LP Problem:
        MAXIMIZE
        300*x_1 + 400*x_2 + 1000*x_3 + 0
        SUBJECT TO
        _C1: x_1 + x_2 <= 40
        C2: x 2 + 2 x 3 \le 30
        C3: 2 x 1 <= 20
        _{C4}: x_1 + 2 x_3 \le 10
        _C5: 2 x_2 + x_3 \le 10
        _C6: x_1 >= 0
        C7: x 2 >= 0
        _C8: x_3 >= 0
        VARIABLES
        x 1 free Continuous
        x 2 free Continuous
        x 3 free Continuous
In [7]: Lp_prob.solve()
        pulp.LpStatus[Lp_prob.status]
Out[7]: 'Optimal'
```

```
In [8]: # Printing the final solution
    print("x_1=", pulp.value(x_1), "x_2=", pulp.value(x_2), "x_3=", pulp.
    value(x_3), "z=", pulp.value(Lp_prob.objective))

x_1= 0.0 x_2= 2.5 x_3= 5.0 z= 6000.0
```

Another way to show the solutions: