#### HW 4

### Steps for installing PuLP

```
In [1]:
         import sys
         !{sys.executable} -m pip install pulp
        Collecting pulp
          Using cached PuLP-2.3-py3-none-any.whl (40.6 MB)
        Collecting amply>=0.1.2
          Downloading amply-0.1.4-py3-none-any.whl (16 kB)
        Requirement already satisfied: pyparsing in /opt/conda/lib/python3.8/site-pa
        ckages (from amply>=0.1.2->pulp) (2.4.7)
        Requirement already satisfied: docutils>=0.3 in /opt/conda/lib/python3.8/sit
        e-packages (from amply>=0.1.2->pulp) (0.15.2)
        Installing collected packages: amply, pulp
        Successfully installed amply-0.1.4 pulp-2.3
In [2]:
         import pulp
In [3]:
         # Import PuLP modeler functions
         from pulp import * # Here because of * we will not put `pulp' before eac
```

# Steps for Decision Variables.

Set up the ranges and lists for rows and columns.

# Define the vectors, matrices, vector variables using dictionary.

```
In [7]:
    a= {i:{j:(-1)**(j+i)*(i-j) for j in column} for i in row}
```

```
In [8]: b = {i: (-1)**(i) for i in row}
In [9]: # create index for columns
    my_var = LpVariable.dicts("var", column, lowBound=0)
```

#### Define the Auxiliary variable

```
In [10]: # Auxliliaryy variable
aux_var=LpVariable("aux_var", lowBound=0)
```

### Define the auxiliary LP problem

```
In [11]: probA = LpProblem("contraint_problem", LpMaximize)
```

## Objective function for the auxiliary LP.

```
In [12]: probA += -aux_var
```

## Constraints for the auxiliary LP.

```
contraint problem:
MAXIMIZE
-1*aux var + 0
SUBJECT TO
_C1: - aux_var + 9 var_10 + var_2 - 2 var_3 + 3 var_4 - 4 var_5 + 5 var_6
- 6 var_7 + 7 var_8 - 8 var_9 <= -1
_C2: - aux_var - var_1 - 8 var_10 + var_3 - 2 var_4 + 3 var_5 - 4 var_6
+ 5 var 7 - 6 var 8 + 7 var 9 <= 1
_C3: - aux_var + 2 var_1 + 7 var_10 - var_2 + var_4 - 2 var_5 + 3 var_6
-4 \text{ var } 7 + 5 \text{ var } 8 - 6 \text{ var } 9 \le -1
C4: - aux var - 3 var 1 - 6 var 10 + 2 var 2 - var 3 + var 5 - 2 var 6
+ 3 var 7 - 4 var 8 + 5 var 9 <= 1
_C5: - aux_var + 4 var_1 + 5 var_10 - 3 var_2 + 2 var_3 - var_4 + var_6
-2 \text{ var } 7 + 3 \text{ var } 8 - 4 \text{ var } 9 <= -1
_C6: - aux_var - 5 var_1 - 4 var_10 + 4 var_2 - 3 var_3 + 2 var_4 - var_5
+ var 7 - 2 var 8 + 3 var 9 <= 1
_C7: - aux_var + 6 var_1 + 3 var_10 - 5 var_2 + 4 var_3 - 3 var_4 + 2 var_5
- var 6 + var 8 - 2 var 9 <= -1
_C8: - aux_var - 7 var_1 - 2 var_10 + 6 var_2 - 5 var_3 + 4 var_4 - 3 var_5
+ 2 var 6 - var 7 + var 9 <= 1
C9: - aux var + 8 var 1 + var 10 - 7 var 2 + 6 var 3 - 5 var 4 + 4 var 5
- 3 \text{ var } 6 + 2 \text{ var } 7 - \text{var } 8 <= -1
_C10: - aux_var - 9 var_1 + 8 var_2 - 7 var_3 + 6 var_4 - 5 var_5 + 4 var_6
- 3 var 7 + 2 var 8 - var 9 <= 1
VARIABLES
aux var Continuous
var_1 Continuous
var_10 Continuous
var_2 Continuous
var 3 Continuous
var 4 Continuous
var 5 Continuous
var 6 Continuous
var_7 Continuous
var 8 Continuous
var 9 Continuous
```

# Solve the auxiliary LP.

```
In [15]:
# The problem is solved using PuLP's choice of Solver
probA.solve()
# The status of the solution is printed to the screen
print("Status:", LpStatus[probA.status])
```

Status: Optimal

# Show the optimal value and determine feasiblity of the original constraints.

```
In [16]: print("The optimal value = ", value(probA.objective))

The optimal value = 0.0

In [17]: if value(probA.objective)==0:
        print("The original constraints are feasible")
        else: print("The original constraints are not feasible")
```

The original constraints are feasible

#### Show the values for the optimal solution

```
In [18]:
          # Each of the variables is printed with it's resolved optimum value
          for a in probA.variables():
              print(a.name, "=", a.varValue)
         aux_var = 0.0
         var 1 = 0.0
         var 10 = 0.0
         var 2 = 0.14285714
         var_3 = 0.0
         var 4 = 0.0
         var_5 = 0.0
         var_6 = 0.0
         var_7 = 0.0
         var 8 = 0.0
         var_9 = 0.14285714
In []:
In []:
In [ ]:
In [ ]:
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```