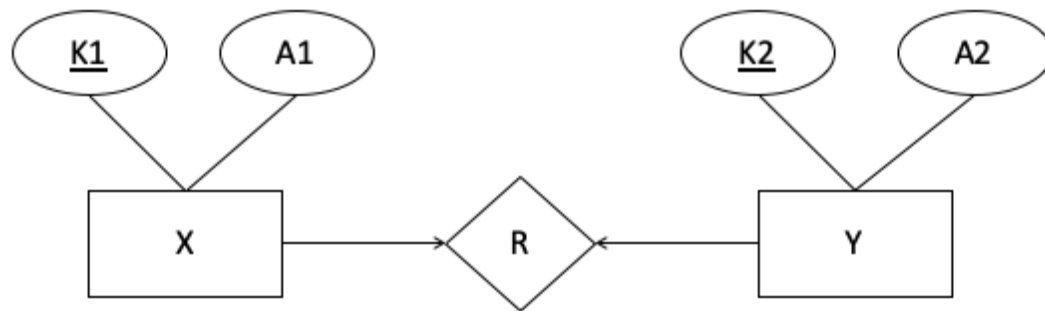


1) 1:1

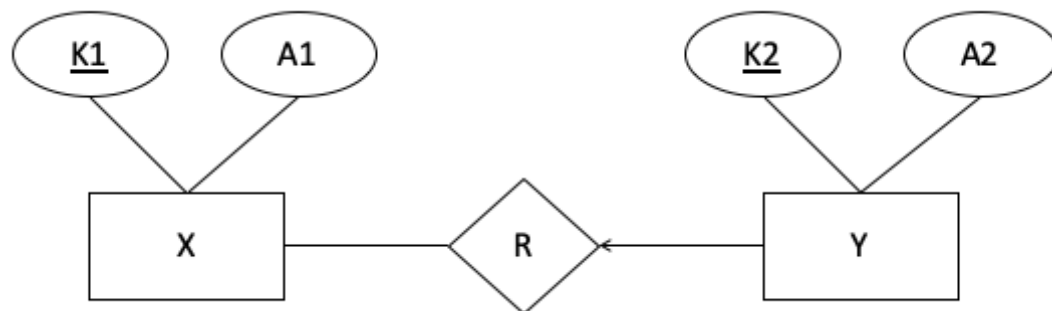


$X(\underline{K1}, K2, A1)$  ( $K2$  needs to be unique)  
 $Y(\underline{K2}, A2)$

or

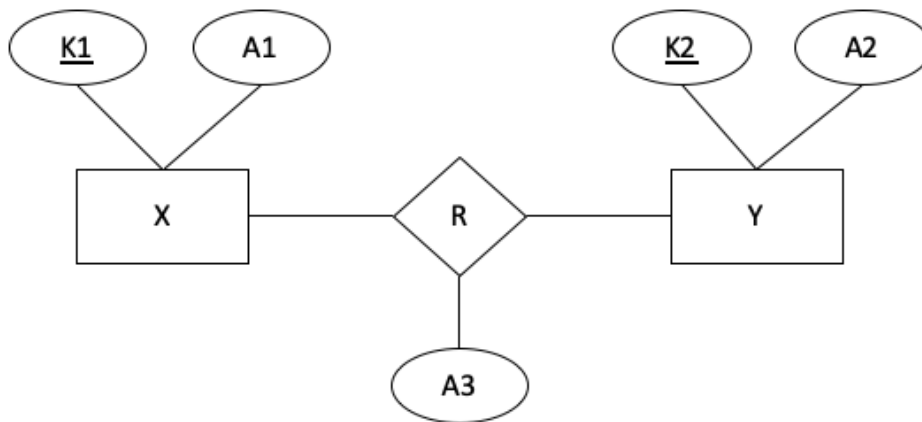
$X(\underline{K1}, A1)$   
 $Y(\underline{K2}, K1, A2)$  ( $K1$  needs to be unique)

2) 1:M



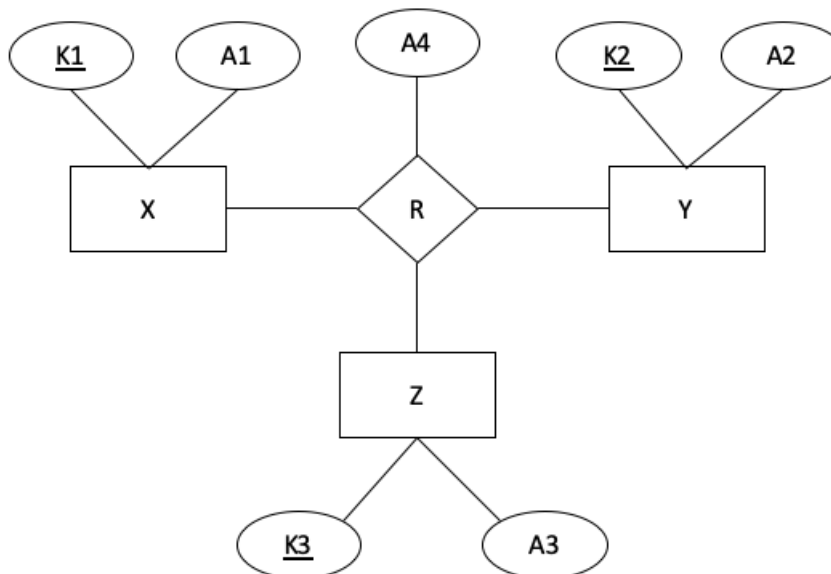
$X(\underline{K1}, A1)$   
 $Y(\underline{K2}, K1, A2)$

3) M:N (Binary Relationship)



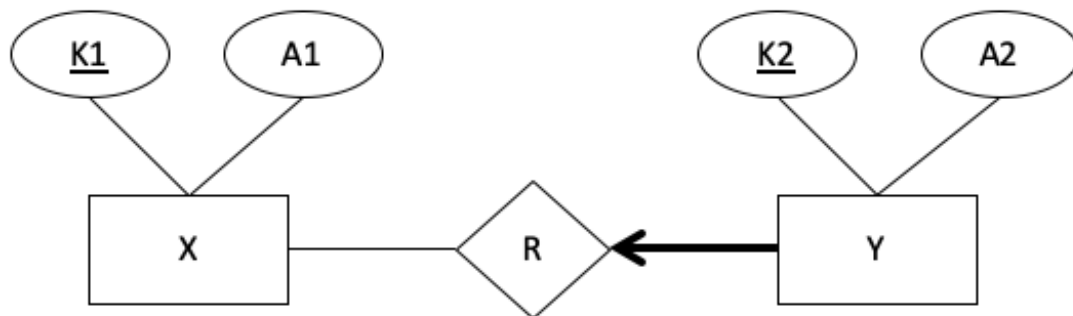
$X(\underline{K1}, A1)$   
 $Y(\underline{K2}, A2)$   
 $R(\underline{K1}, \underline{K2}, A3)$

4) M:N (Ternary Relationship)



$X(\underline{K1}, A1)$   
 $Y(\underline{K2}, A2)$   
 $Z(\underline{K3}, A3)$   
 $R(\underline{K1}, \underline{K2}, \underline{K3}, A4)$

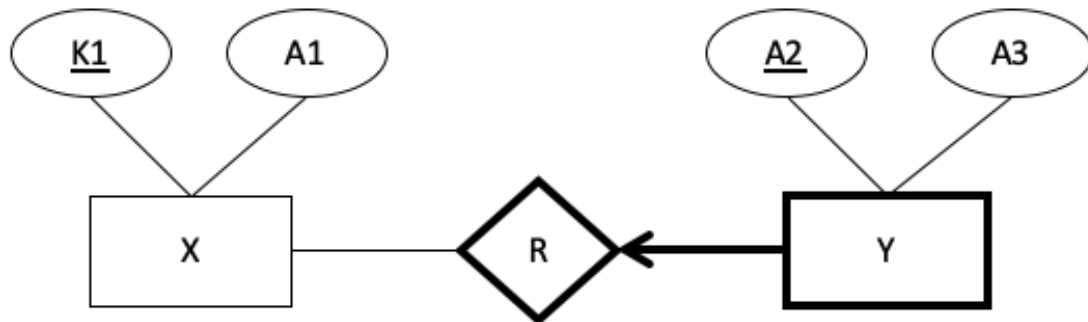
5) 1:M Entity with Total Participation



$X(\underline{K1}, A1)$

$Y(\underline{K1}, \underline{K2}, A2)$  ( $K1$  cannot be null)

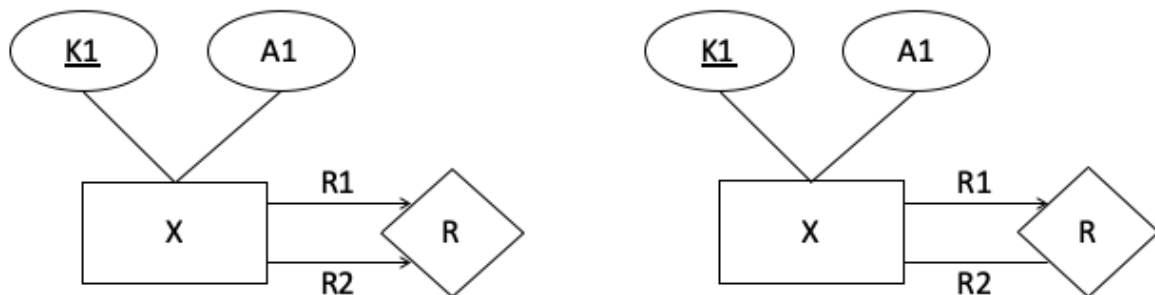
6) 1:M Weak Entity with Total Participation (assume that A2 is the partial key)



$X(\underline{K1}, A1)$

$Y(\underline{K1}, \underline{A2}, A3)$

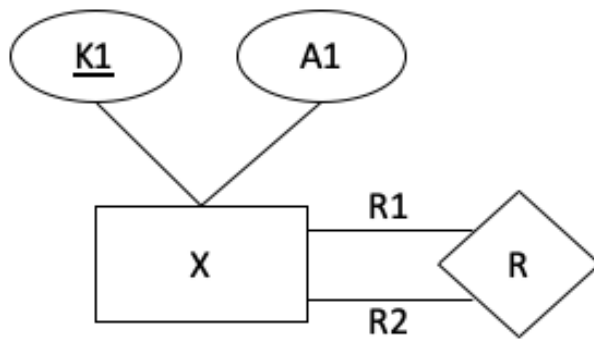
7) 1:1 and 1:M Unary Relationship



$X(\underline{K1}, A1, K2)$  (if it is 1:1, then we require  $K2$  to be unique) OR

$X(\underline{R1-K1}, A1, \underline{R2-K1})$  (if it is 1:1, then we require  $R2-K1$  to be unique)

8) M:N Unary Relationship



$X(\underline{K1}, A1)$

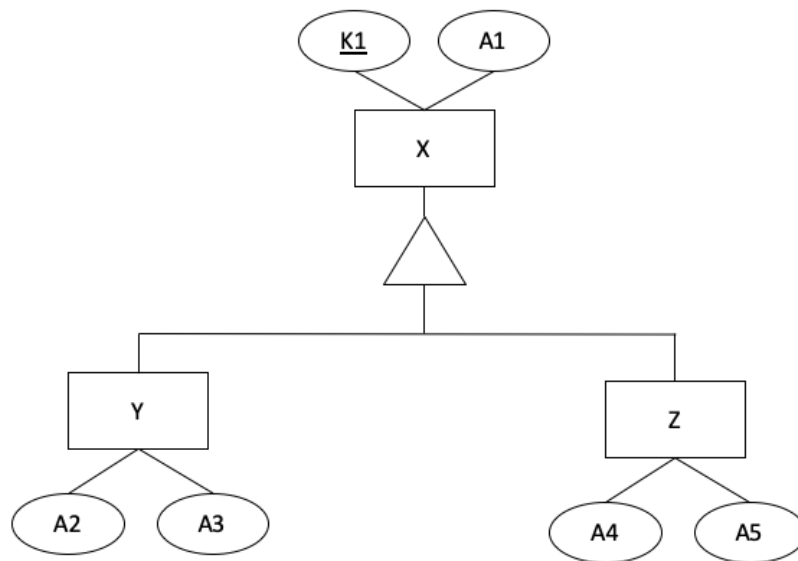
$R(\underline{K1}, \underline{K2})$

OR

$X(\underline{R1-K1}, A1)$

$R(\underline{R1-K1}, \underline{R2-K1})$

9) ISA 1

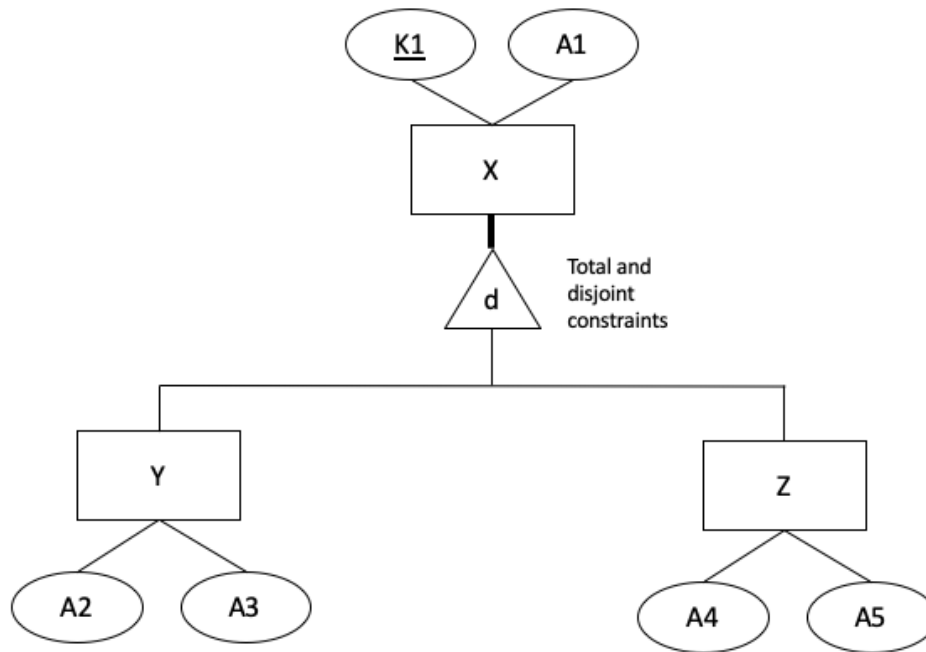


$X(\underline{K1}, A1)$

$Y(\underline{K1}, A2, A3)$

$Z(\underline{K1}, A4, A5)$

10) ISA 2 (the “d” means disjoint)



$Y(\underline{K1}, A1, A2, A3)$

$Z(\underline{K1}, A1, A4, A5)$

K1 is not bolded because it is not a foreign key in our case.

Although Y and Z are “subclasses” of X, we do **not** create table X. Hence, K1 is not bolded.