



直方图均衡化

对于离散值: $p_r(r_k) = \frac{n_k}{n}$

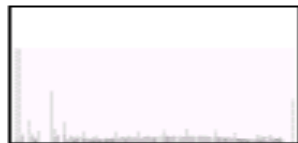
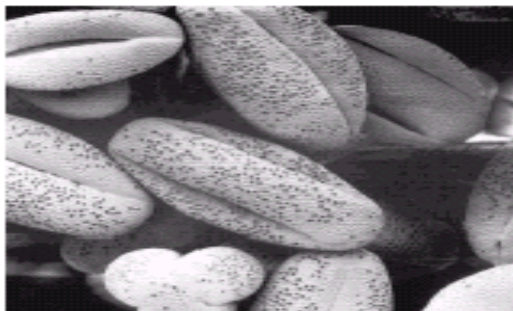
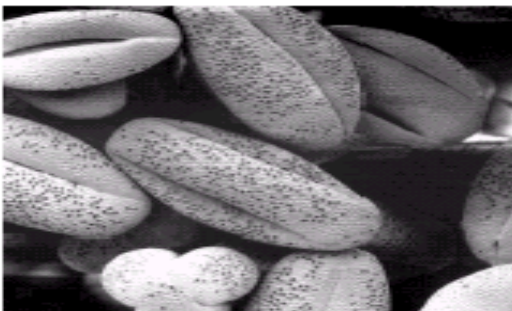
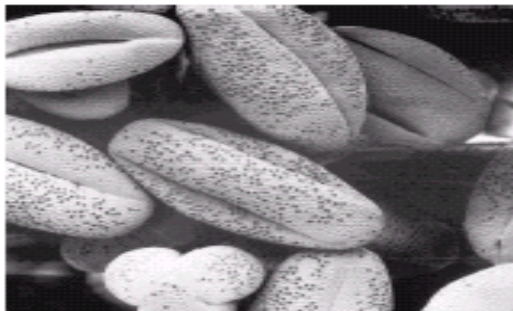
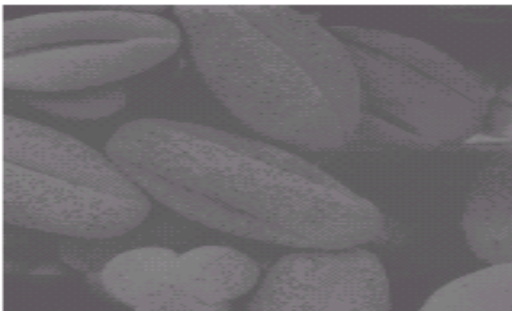
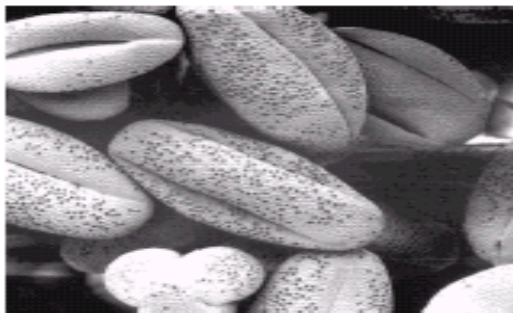
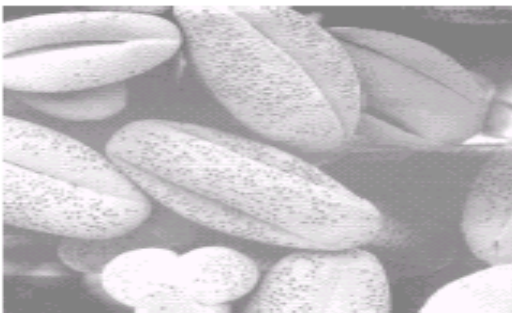
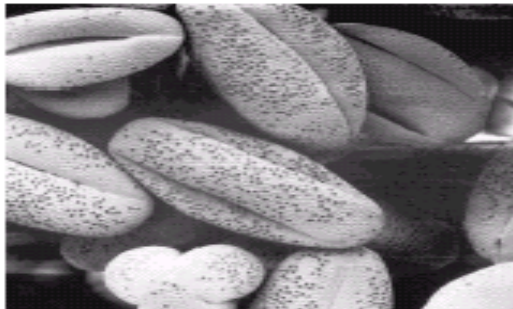
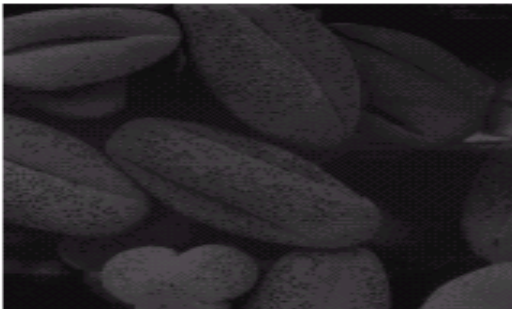
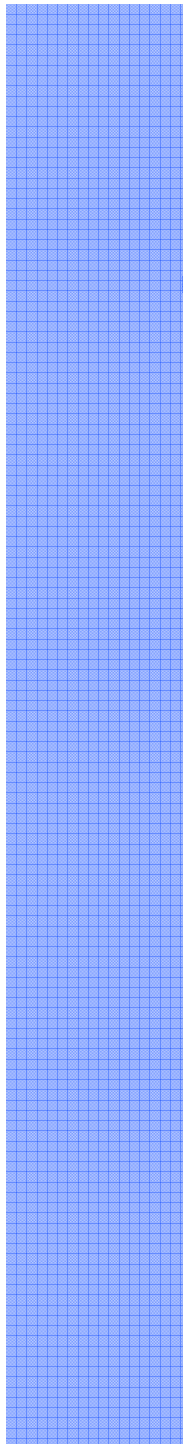
已知变换函数的离散形式为:

$$s_k = T(r_k) = \sum_{j=0}^k p_r(r_j) = \sum_{j=0}^k \frac{n_j}{n}$$

$$k=0, 1, 2, \dots, L-1$$

s_k 称作直方图均衡化

将输入图像中灰度级为 r_k (横坐标) 的像素映射到输出图像中灰度级为 s_k (横坐标) 的对应像素得到



Histogram Equalisation

Spreading out the frequencies in an image (or equalising the image) is a simple way to improve dark or washed out images

The formula for histogram equalisation is given where

- r_k : input intensity
- s_k : processed intensity
- k : the intensity range (e.g 0.0 – 1.0)
- n_j : the frequency of intensity j
- n : the sum of all frequencies

$$\begin{aligned} s_k &= T(r_k) \\ &= \sum_{j=1}^k p_r(r_j) \\ &= \sum_{j=1}^k \frac{n_j}{n} \end{aligned}$$

Example

Logarithmic Transformations

The general form of the log transformation is

$$s = c * \log(1 + r)$$

The log transformation maps a narrow range of **low** input grey level values into a wider range of output values

The inverse log transformation performs the opposite transformation

Power Law Transformations

Power law transformations have the following form

$$s = c * r^\gamma$$

Map a narrow range of dark input values into a wider range of output values or vice versa

Varying γ gives a whole family of curves

