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%% Prelab 6
clc;
clear all;
close all;

%% Problem 2
% For T300/5208 graphite/epoxy composite, construct a plot of Q11 versus
% laminate orientation angle theta
Ex = 132.38;    % GPa
Ey = 10.76;    % GPa
Gxy = 5.65;    % GPa
vxy = 0.24;
c = (1-vxy^2*(Ey/Ex))^-1;
Qm11 = c*Ex;
Qm22 = c*Ey;
Qm12 = c*vxy*Ey;
Qm66 = Gxy;

theta = linspace(0, pi/2, 10000);
Q_11 = zeros(1, 10000);
theta_d = zeros(1, 10000);
figure(1)
for i = 1:length(theta)
    m = cos(theta(i));
    n = sin(theta(i));
    Q_11_i = m^4*Qm11 + n^4*Qm22 + 2*m^2*n^2*Qm12 + 4*m^2*n^2*Qm66;
    Q_11(1,i) = Q_11_i;
    theta_d(:,i) = 180/pi * theta(i);
end
plot(theta_d, Q_11)
grid on
xlabel('\Theta$ (degrees)', 'interpreter', 'latex', 'fontsize', 16);
ylabel('Q_{11}$ (GPa)', 'interpreter', 'latex', 'fontsize', 16)
title('Q_{11}$ vs. \Theta$', 'interpreter', 'latex', 'fontsize', 20)
saveas(1, 'Problem2.png')

%a: For what theta will the composite longitudinal stiffness be at half the
%theta = 0 degrees value? 1/3 the value?
Q_11_0 = Q_11(1,1);
Q_11_0_half = Q_11_0/2;
Q_11_0_third = Q_11_0/3;
half = false; third = false;
theta_half = 0; theta_third = 0;
for i = 1:length(Q_11)
    Q = Q_11(1,i);
    if half == false
        if Q <= Q_11_0_half
            theta_half = theta_d(i)
            half = true;
        end
    end
end

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    if third == false
        if Q <= Q_11_0_third
            theta_third = theta_d(i)
            third = true;
        end
    end
end

%b: For what value of theta with the composite longitudinal stiffness drop
%by 10%?
Q_11_0_90 = Q_11_0 * .9;
ninety = false; theta_ninety = 0;
for i = 1:length(Q_11)
    Q = Q_11(1,i);
    if ninety == false
        if Q <= Q_11_0_90
            theta_ninety = theta_d(i)
            ninety = true;
        end
    end
end
end

%% Problem 3
% What lamina orientation angle, theta, if any, yields a maximum value of
% Q_16 for T300/5208 graphite/epoxy?
Ex = 181;      % GPa
Ey = 10.3;     % GPa
Gxy = 7.17;    % GPa
vxy = 0.28;
c = (1-vxy^2*(Ey/Ex))^-1;
Qm11 = c*Ex;
Qm22 = c*Ey;
Qm12 = c*vxy*Ey;
Qm66 = Gxy;

theta = linspace(0, pi/2, 10000);
Q_16 = zeros(1, 10000);
Q_26 = zeros(1, 10000);
theta_d = zeros(1, 10000);
figure(2)
for i = 1:length(theta)
    m = cos(theta(i));
    n = sin(theta(i));
    Q_16_i = m^3*n*Qm11 - m*n^3*Qm22 + (m*n^3-m^3*n)*Qm12 + 2*(m*n^3-m^3*n)*Qm66;
    Q_16(1,i) = Q_16_i;
    Q_26_i = m*n^3*Qm11 - m^3*n*Qm22 + (-m*n^3+m^3*n)*Qm12 + 2*(-m*n^3+m^3*n)*Qm66;
    Q_26(1,i) = Q_26_i;
    theta_d(:,i) = 180/pi * theta(i);
end
plot(theta_d, Q_16, 'k'); hold on;
plot(theta_d, Q_26, 'b--');

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grid on
legend({'$Q_{16}$', '$Q_{26}$'}, 'interpreter', 'latex', 'location', 'best', ↵
'fontsize', 14)
xlabel('$\Theta$ (degrees)', 'interpreter', 'latex', 'fontsize', 16);
ylabel('$Q$ (GPa)', 'interpreter', 'latex', 'fontsize', 16)
title('$Q$ vs. $\Theta$', 'interpreter', 'latex', 'fontsize', 20)
saveas(2, 'Problem3.png')

% Find max values of Q16 and the associated theta value
Q16_max = max(Q_16)
Q16_max_index = find(Q_16==Q16_max);
Q16_max_theta = theta_d(1, Q16_max_index)

%% Problem 4
% From table F.2
X = 1500;
Xp = 1500;
Y = 40;
Yp = 246;
S = 68;
m = cos(15*pi/180);
n = sin(15*pi/180);

F1_1 = 1/X - 1/Xp;
F2_1 = 1/Y - 1/Yp;
F11_1 = 1/(X*Xp);
F22_1 = 1/(Y*Yp);
F12_1 = -.5*sqrt(F11_1*F22_1);
F66_1 = 1/(S^2);

F1 = n^2 * F2_1;
F11 = m^4*F11_1 + n^4*F22_1 + 2*m^2*n^2*F12_1 + 4*m^2*n^2*F66_1;

% Solve for failure stress for compressive and tensile loads
syms o real
eq1 = 1 == F1*o + F11*o^2;
o_solve = vpa(solve(eq1, o), 8)
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