

cd ::= class C extends D { \overline{fd} ; kd \overline{md} }	class
fd ::= q a C f	field
kd ::= q C (t C g, t C f) { <u>super(g)</u> ; this.f = f; }	constructor
md ::= t C m (t C this, t C x) { t C y s; return z }	instance method
e ::= x x.f	expression
s ::= x = e x.f = y x = y.m(z) super(g) this(g) x = new C() s;s	statement
t ::= k q	qualifier type
k ::= initialized underinitialized unknowninitialized fbcbottom	initialization qualifier
q ::= readonly mutable polymutable substitutablepolymutable receiverdependantmutable immutable bottom	immutability qualifier
a ::= assignable receiverdependantassignable final	assignability qualifier

Qualifier Hierarchy

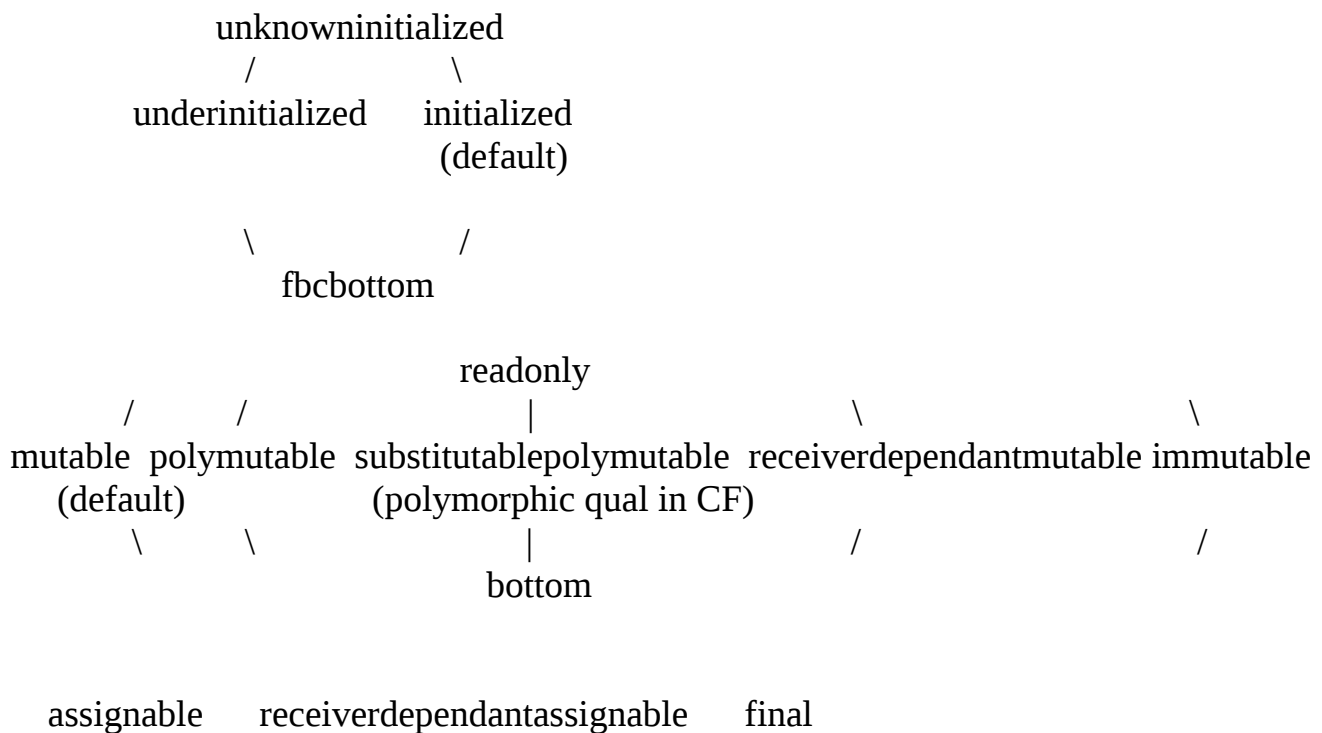


Figure 1 Combination of qualifiers. First two qualifier hierarchies are orthogonal. If an object is under initialization, its immutability guarantee is not satisfied. So even immutable and receiverdependantmutable objects can also be modified when under initialization. Third one is only used on field declarations, and not included in atms.

Subtype relations

$k_1 q_1 <: k_2 q_2 \iff k_1 <: k_2 \wedge q_1 <: q_2$

Helper Functions

$q \text{ a } C \text{ f}$

$fType(f) = q \text{ a}$

Note:

- 1) No initialization modifier on field declarations. In actual implementation, to have circular initialization, *@NotOnlyInitialized* can be used on field declaration. However, it doesn't belong to initialization qualifier hierarchy.
- 2) The field is unique within the whole type hierarchy

fields(C) returns all fields directly declared in C.

cBody(kd) returns constructor body of kd.

mBody(md) returns method body of md.

Viewpoint Adaptation Rules

$_ \triangleright \text{mutable} = \text{mutable}$

$_ \triangleright \text{readonly} = \text{readonly}$

$_ \triangleright \text{immutable} = \text{immutable}$

$_ \triangleright \text{bottom} = \text{bottom}$

$_ \triangleright \text{polymutable} = \text{substitutabledpolymutable}$

$q \triangleright \text{receiverdependantmutable} = q$

Note: substitutabledpolymutable only exists shortly after viewpoint adaptation is done, but will must be substituted by another qualifier immediately by QualifierPolymorphism. So, substitutabledpolymutable should not appear on left or right side of viewpoint adaptation triangle.

Special Rules

- Forbid polymutable fields; readonly or polymutable constructor return type and readonly instantiation of objects
- Forbid assignability qualifiers – assignable, receiverdependantassignable in locations other than fields.
- In constructor, $q_{\text{this}} = q_{\text{ret}}$
- Forbid initialization modifier on fields, constructor return type and new statement
- Forbid bottom except on (implicit/explicit) lower bounds and null literal.
- Forbid explicit use of substitutablepolymutable everywhere.

TODO: Should we allow polymutable constructor return type?

Typing Rules

$$\frac{x \in \Gamma}{\Gamma \vdash x : \Gamma(x)} \quad (\text{T-VAR})$$

$$\frac{\begin{array}{l} \Gamma(x) = k_x q_x \quad \text{fType}(f) = q_f \quad q = q_x \triangleright q_f \\ k = \begin{cases} \text{initialized} & \text{if } k_x = \text{initialized} \\ \text{unknowninitialized} & \text{otherwise} \end{cases} \end{array}}{\Gamma \vdash x.f : k q} \quad (\text{T-FLD})$$

Figure 2 Expression typing

$$\frac{\Gamma \vdash e = t_e \quad t_e <: \Gamma(x)}{\Gamma \vdash x = e} \quad (\text{T-VARASS})$$

$\Gamma(x) = k_x q_x \quad \Gamma(y) = k_y q_y \quad \text{typeof}(f) = q_f a_f$
 $q_x = \text{mutable} \vee$
 $(k_x = \text{underinitialized} \wedge q_x = \text{immutable}) \vee$
 $(k_x = \text{underinitialized} \wedge q_x = \text{polyimmutable}) \vee$
 $(a_f = \text{assignable} \wedge (q_x \neq \text{readonly} \vee q_f \neq \text{receiverdependantmutable}))$
 $q_y <: q_x \triangleright q_f$
 $k_x = \text{underinitialized} \vee k_y = \text{initialized}$

(T-FLDASS)

$\Gamma \vdash x.f = y$

*** Note :** PICO only handles assignable and receiverdependantassignable fields cases.
 Because final fields are enforced by Java compiler and doesn't need PICO to do anything.

$\Gamma(x) = k_x q_x \quad \Gamma(y) = k_y q_y \quad \Gamma(\bar{z}) = \bar{k}_z \bar{q}_z \quad \text{typeof}(m) = k_{\text{this}} q_{\text{this}}, \bar{k}_p \bar{q}_p \rightarrow k_{\text{ret}} q_{\text{ret}}$
 $k_y <: k_{\text{this}} \quad \bar{k}_z <: \bar{k}_p \quad k_{\text{ret}} <: k_x$

$q_{\text{this-vp}} = q_y \triangleright q_{\text{this}} \quad \bar{q}_{p\text{-vp}} = q_y \triangleright \bar{q}_p \quad q_{\text{ret-vp}} = q_y \triangleright q_{\text{ret}}$

$q_{\text{this-vp}} = \text{substitutablepolymutable} \vee \bar{q}_{p\text{-vp}} = \text{substitutablepolymutable} \vee q_{\text{ret-vp}} = \text{substitutablepolymutable} \Rightarrow s \text{ exists}$

$q_y <: \begin{cases} q_{\text{this-vp}} & \text{if } q_{\text{this-vp}} \neq \text{substitutablepolymutable} \\ s & \text{else} \end{cases}$

$\bar{q}_z <: \begin{cases} \bar{q}_{p\text{-vp}} & \text{if } \bar{q}_{p\text{-vp}} \neq \text{substitutablepolymutable} \\ s & \text{else} \end{cases}$

$q_x :> \begin{cases} q_{\text{ret-vp}} & \text{if } q_{\text{ret-vp}} \neq \text{substitutablepolymutable} \\ s & \text{else} \end{cases}$

$\Gamma \vdash x = y.[s]m(\bar{z})$

(T-CALL)

Note: inference of s is another subproblem. It is disussed in the last page.

$$\begin{array}{c}
\text{kd in C} \quad C <: D \quad \text{typeof}(D) = \overline{k}_{p-D} \overline{q}_{p-D} \rightarrow q_{ret-D} \quad \text{typeof}(kd) = \underline{\hspace{0.5cm}} \underline{\hspace{0.5cm}} \rightarrow q_{ret-C} \\
\left. \begin{array}{l} - \\ \text{immutable} \\ \text{mutable} \end{array} \right\} q_{ret-C} = \quad \text{if } q_{ret-D} = \text{receiverdependantmutable} \\
\\
\Gamma(z) = k_z \ q_z \quad \overline{k}_z <: \overline{k}_{p-D} \quad \overline{q}_z <: q_{ret-C} \triangleright \overline{q}_{p-D} \\
\hline
\Gamma \vdash \text{super}(\overline{z}) \text{ in kd} \quad (\text{T-SUPER})
\end{array}$$

* Previously, when $q_{\text{ret-D}} = \text{mutable}$, $q_{\text{ret-C}}$ can still be immutable. Because at that time, immutable constructors only have immutable or polyimmutable(does not exist anymore), thus any mutable object created locally cannot escape and be captured by outside objects; Neither outside mutable objects will be captured by the receiverdependantmutable field when invoking mutable super constructor in immutable constructor. But now, immutable and receiverdependantmutable constructors don't have such restrictions(mutable parameters are allowed in both cases) any more, so outside mutable objects can be captured by receiverdependantmutable field. If we allow calling mutable super() in immutable subclass constructor, when we use $\text{this}_{\text{sub.rdmf}}$ to access the field, the result is not guarantee to be immutable(may be the mutable object assigned in super mutable constructor). Therefore, we don't allow this kinds of flexibility and require subclass and superclass constructors should have the exact same qualifier if $q_{\text{ret-D}} \neq \text{receiverdependantmutable}$

(T-THIS) (omitted)

* *Note:* In real Java code, one class can have multiple overloaded constructors. One constructor can invoke the other by “this(..., ...)”. The type rule T-THIS is very much the same as T-SUPER except that the constructor invoked by “this(..., ...)” comes from the same class.

$$\begin{array}{l} \Gamma(\bar{x}) = k_x \ \bar{q}_x \quad \Gamma(\bar{y}) = \bar{k}_y \ \bar{q}_y \quad \text{typeof}(C) = \bar{k}_p \ \bar{q}_p \rightarrow q_{\text{ret}} \\ \bar{q}_y <: q \triangleright \bar{q}_p \quad q <: q \triangleright q_{\text{ret}} \quad q \neq \text{readonly} \end{array}$$

$$\bar{k}_y <: \bar{k}_p$$

$$q <: q_x \quad k <: k_x \quad k = \begin{cases} \text{initialized} & \text{if } \bar{k}_p = \text{initialized} \\ \text{underinitialized} & \text{otherwise} \end{cases}$$

$$\Gamma \vdash x = \text{new } q \ C(\bar{y})$$

(T-NEW)

$$\Gamma \vdash s_1 \quad \Gamma \vdash s_2$$

$$\Gamma \vdash s_1; s_2$$

(T-SEQ)

Figure 3 Statement typing

Well-formdness Rules

$$\text{fType}(\text{fd}) = q _ \quad q \neq \text{polymutable} \quad C <: D \quad \text{fd} \notin \text{fields}(D)$$

$$\vdash_C \text{fd is OK}$$

(WF-FLD)

$$\vdash_{\text{object}} \text{kd is OK}$$

(WF-CONS-OBJECT)

$cBody(kd) = \text{super}(g); \text{this}.f = f \quad \text{typeof}(kd) = \bar{k}_p \bar{q}_p \rightarrow q_{ret}$
 $q_{ret} \neq \text{readonly} \wedge q_{ret} \neq \text{polymutable}$
 $\Gamma = (\text{this} : \text{underinitialized } q_{ret}, \bar{p} : \bar{k}_p \bar{q}_p, \bar{y} : \bar{k}_{local} \bar{q}_{local})$
 $\Gamma \vdash \text{super}(\bar{y}) \text{ in } kd \quad \Gamma \vdash \text{this}.f = f$

(WF-CONS)

$\vdash_C kd \text{ is OK}$

Note: $\vdash_C kd$ reads “constructor kd in class C is well-formed”.

$mBody(md) = \bar{s}; \text{return } z \quad \text{typeof}(md) = k_{this} q_{this}, \bar{k}_p \bar{q}_p \rightarrow t_{ret}$
 $\Gamma = (\text{this} : k_{this} q_{this}, \bar{p} : \bar{k}_p \bar{q}_p, \bar{y} : \bar{k}_{local} \bar{q}_{local}) \quad \Gamma \vdash \bar{s} \quad \Gamma(z) <: t_{ret}$
 Standard method overriding rule holds

(WF-METH)

$\vdash_C md \text{ is OK}$

$\vdash_C \bar{fd} \text{ is OK}$

$\vdash_C kd \text{ is OK}$

$\vdash_C \bar{md} \text{ is OK}$

(WF-CLASS)

$\vdash C \text{ is OK}$

Figure 4 Well-formdness typing

Extension to real Java with statics and blocks

In real Java, there are static fields, static methods, initialization blocks.

Helper Method

$\text{usedQualifiers}(\bar{s})$ returns all immutability qualifiers used in \bar{s} recursively

$\text{cd} ::= \text{class } C \text{ extends } D \{ \overline{\text{sfd}} \overline{\text{fd}}; \overline{\text{sib}} \overline{\text{ib}} \overline{\text{kd}} \overline{\text{smd}} \overline{\text{md}} \}$	class
$\text{sfd} ::= \text{static } q \ C \ \text{sf}$	static field
$\text{smd} ::= \text{static } t \ C \ \text{sm} (t \ C \ x) \{ \overline{t \ C \ y \ s}; \text{return } z; \}$	static method
$\text{sib} ::= \text{static}\{\bar{s};\}$	static initialization block
$\text{ib} ::= \{\bar{s};\}$	initialization block

$\text{fType}(\text{sfd}) = q \ a$
 $q \neq \text{polymutable} \wedge q \neq \text{receiverdependantmutable}$
 $a \neq \text{receiverdependantassignable}$

$\vdash \text{sfd is OK}$

(WF-STATIC-FLD)

$\text{mBody}(\text{smd}) = \bar{s}; \text{return } z \quad \text{typeof}(\text{smd}) = \bar{k}_p \ \bar{q}_p \rightarrow t_{\text{ret}}$
 $\Gamma = (p : \bar{k}_p \ \bar{q}_p, y : \bar{k}_{\text{local}} \ \bar{q}_{\text{local}}) \quad \Gamma \vdash \bar{s} \quad \Gamma(z) <: t_{\text{ret}}$
 $\bar{q}_p \neq \text{receiverdependantmutable} \wedge \bar{q}_{\text{ret}} \neq \text{receiverdependantmutable}$
 $\text{receiverdependantmutable} \notin \text{usedQualifiers}(\bar{s}; \text{return } z)$

$\vdash \text{smd is OK}$

(WF-STATIC-METH)

$\Gamma \vdash \bar{s} \quad \text{receiverdependantmutable} \notin \text{usedQualifiers}(\bar{s})$

$\vdash \text{sib is OK}$

(WF-STATIC-BLK)

$$\Gamma \vdash \bar{s}$$

(WF-BLK)

$$\vdash_C \text{ib is OK}$$

$$\begin{array}{l} \vdash \overline{\text{sfd}} \text{ is OK} \quad \vdash_C \overline{\text{fd}} \text{ is OK} \quad \vdash \overline{\text{sib}} \text{ is OK} \quad \vdash_C \overline{\text{ib}} \text{ is OK} \\ \vdash_C \text{kd is OK} \quad \vdash \overline{\text{smd}} \text{ is OK} \quad \vdash_C \overline{\text{md}} \text{ is OK} \end{array}$$

(WF-CLASS)

$$\vdash C \text{ is OK}$$

Inference of immutability qualifier for polymutable methods

After viewpoint adapting $m()$ at the invocation site, if $q_{\text{this-vp}}, \bar{q}_{\text{p-vp}}, q_{\text{ret-vp}}$ are NOT substitutablepolymutable, standard subtyping rules apply:

$$q_y <: q_{\text{this-vp}} \quad \bar{q}_z <: \bar{q}_{\text{p-vp}} \quad q_{\text{ret-vp}} <: q_x$$

But if any of them is substitutablepolymutable, we use a variable s to replace corresponding $q_{\text{this-vp}}, \bar{q}_{\text{p-vp}}, q_{\text{ret-vp}}$ and add it/them to constraints set. After collecting all the constraints, we try to find a solution s that satisfies all the subtype constraints. If there is such a solution, then method invocation typechecks; Otherwise, it doesn't typecheck.

For example, assuming we have a method after viewpoint adaptation with signature:
 substitutablepolymutable Object $m(\text{substitutablepolymutable A this}, \text{substitutablepolymutable Object p})$;

If we invoke it as:

immutable A a ;

readonly Object $ro = a.m(\text{new immutable Object}());$

Constraints are collected in this way:

immutable $<: s$ immutable $<: s$ $s <: \text{readonly}$

We'll have a solution:

$s = \text{immutable(or readonly)}$, so this method invocation typechecks.

But if we invoke the method as:

mutable Object $ro = a.m(\text{new immutable Object}());$

Then we have constraints:

immutable $<: s$ immutable $<: s$ $s <: \text{mutable}$

There is NO solution for s , so the type system rejects this method invocation.