$$\lim \frac{e^4 e^h - e^4}{h}$$

$$h \to 0$$

- A) e
- B) 1
- C) e^h

The graph of function g defined by

$$g(x) = \frac{x^3 + 2x^2 - 3x}{x^2 + 2x - 3}$$

will have vertical asymptotes at

A)
$$x = 1, -3$$

B)
$$x = 0$$

C)
$$x = 1$$

D)
$$x = -3$$

E) Function g has no vertical asymptotes

Given that

$$\lim_{x \to 0} \frac{\sin x}{x} = 1$$

find

$$\lim \frac{x + 4x^2 + \sin x}{3x}$$

$$x \to 0$$

A) 2/3

B) 4/3

C) 1/3

D) 2

Function f is defined by

$$f(x) = 2x^3 \sin(x) + \frac{1}{x} \tan(x) + x \sec(x) + 2$$

Find df(x) / dx.

A)
$$6x^2 \sin(x) - (1/x^2)\tan(x) + \sec(x)$$

B)
$$6x^2 \sin(x) + 2x^3 \cos(x) - (1/x^2)\tan(x) + (1/x)\sec^2(x) + \sec(x) + x\sin(x)\sec^2(x)$$

C)
$$2x^3 \cos(x) + 1/x \sec^2(x) + x \sin(x) \sec^2(x)$$

D)
$$6x^2 \cos(x) - (1/x^2 \sec^2(x)) + \sec^2(x)$$

E)
$$6x^2 \sin(x) + 2x^3 \cos(x) - (1/x^2)\tan(x) + (1/x \sec^2(x)) + \sec(x) + x \sin(x) \sec^2(x) + 2$$

Curve C is described by the equation $0.25x^2 + y^2 = 9$. Determine the y coordinates of the points on curve C whose tangent lines have slope equal to 1.

- A) -3 sqrt(5) / 5, 3 sqrt(5) / 5
- B) sqrt(35) / 2, sqrt(35) / 2
- C) -3, 3
- D) sqrt(2) / 2, sqrt(2) / 2
- E) -3 sqrt(2) , 3 sqrt(2)

Find the solution to the differential equation $dy/dx = cos(x) / y^2$, where $y(\pi/2) = 0$.

A)
$$y = (3 \sin(x) - 3)$$

B)
$$y = \sin(x) - 1$$

C)
$$y = (3 \sin(x) - 3)^{1/3}$$

D)
$$y = (3 \sin(x) - 3)^3$$

E)
$$y = (3 \sin(x) - 3)^{-1/3}$$

$$\int \cos^4(x) \sin(x) \, dx =$$

A)
$$\cos^{5}(x) + C$$

B)
$$-(1/5)\sin^5(x) + C$$

C)
$$\sin^5(x) + C$$

D)
$$-(1/5)\cos^5(x) + C$$

E)
$$-5\cos^{5}(x) + C$$

$$\frac{d}{dx} \int_{3}^{2x} \sin(t^2 + 1) dt =$$

- A) $2\sin(4x^2 + 1)$
- B) $2\sin(x^2 + 1)$
- C) $\sin(x^2 + 1)$
- D) $2 \sin(4x^2 + 1) 2 \sin(3^2 + 1)$
- E) $2 \sin(4x^2)$

$$\int_{0}^{10} (|4-x|+|2-2x|) dx =$$

- A) 100
- B) 108
- C) 110
- D) 112
- E) 114

Evaluate the integral

$$\int \frac{(5+x^{3/4})^9}{(x^{1/4})} \, dx$$

A)
$$(5 + x^{3/4})^{10}$$

B)
$$(x^{3/4})$$

C)
$$(1/10)(5 + x^{3/4})^{10}$$

D)
$$(1/10)(5 + x^{3/4})^{10} / x^{1/4}$$

E)
$$(2/15)(5 + x^{3/4})^{10}$$

Given that function h is defined by

$$h(x) = (\arctan(x^3 + 1) + 2x)^4$$

find h'(x).

A)
$$(3x^2 / (x^6 + 2x^3 + 2) + 2)$$

B) 4
$$(\arctan(x^3 + 1) + 2x)^3 (3x^2 / (x^6 + 2x^3 + 2))$$

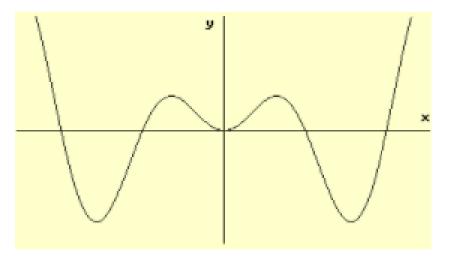
C) 4
$$(\arctan(x^3 + 1) + 2x)^3$$

D)
$$4(3x^2/(x^6+2x^3+2)+2)$$

E)
$$(1/4)(\arctan(x^3 + 1) + 2x)^3$$

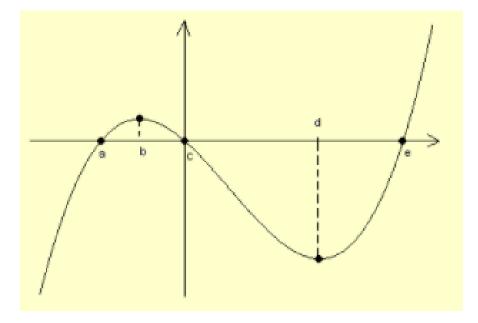
The graph of function h is shown below. How many zeros does the first derivative h'

of h have?



- A) 1
- B) 2
- C) 3
- D) 4
- E) 5

The graph of a polynomial f is shown below. If f' is the first derivative of f, then the remainder of the division of f'(x) by x - b is more likely to be equal to



- A) f(b)
- B) 1
- C) 0
- D) 2
- E) -1

The set of all points (ln(t - 2), 3t), where t is a real number greater than 2, is the

graph of

A)
$$y = \ln(x/3 - 2)$$

B)
$$y = 3x$$

C)
$$x = ln(y - 2)$$

D)
$$y = 3(e^{x} + 2)$$

E)
$$y = ln(x)$$

Let $P(x) = 2 x^3 + K x + 1$. Find K if the remainder of the division of P(x) by x - 2 is equal to 10.

- A) -7/2
- B) 2/7
- C) 7/2
- D) -2/7
- E) K cannot be determined

Function f is defined by

$$\begin{cases} f(x) = \frac{\sqrt{4x+4} - \sqrt{2x+4}}{2x} \\ f(0) = C \end{cases}$$

.

where C is a constant. What must the value of C be equal to for function f to be continuous at x = 0?

- A) 0
- B) 1/4
- C) 1/8
- D) 1
- E) Any real number

f and g are functions such that f'(x) = g(x) and g'(x) = f(x). The second derivative of

(f · g)(x) is equal to

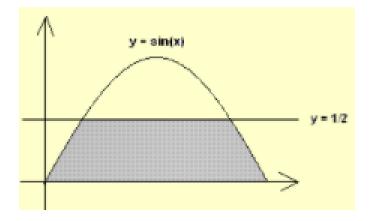
- A) f''(x) g''(x)
- B) g'(x) g(x) + f(x) f'(x)
- C) 4 g(x) f(x)
- D) 2 g(x) f(x)
- E) g(x) f(x)

The average rate of change of the function f defined by $f(x) = \sin(x) + x$ on the closed interval [0, pi] is equal to

- A) 0
- B) 2 pi
- C) pi
- D) 2
- E) 1

The figure shows the graphs of $y = \sin(x)$ over half a period and the line y = 1/2.

Find area of the shaded region.



- A) 1
- B) 0.5
- C) $2 + \pi/3$
- D) $2 + \pi/3 \sqrt{3}$
- E) $2 + \pi/3 + \sqrt{3}$

Functions f, g and h are defined as follow: $g(x) = f(x^2)$, $f(x) = h(x^3 + 1)$ and h'(x) = 2x

$$+ 1. g'(x) =$$

A)
$$2 x^{3}$$

B)
$$12 x^9 + 18 x^3$$

C)
$$2 x^{11} + 3 x^5$$

D)
$$2 x^9 + 3 x^3$$

E)
$$12 \times x^{11} + 18 \times x^{5}$$