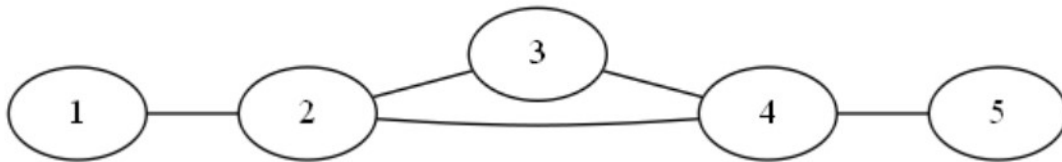


## ABC 160D Line++

Given an undirected graph with  $n$  vertices and  $n$  edges of the following form:  $n - 1$  edges that connect vertices  $i$  and  $i + 1$ , and an extra edge connecting vertices  $x$  and  $y$  ( $x < y$ ). Find the number of pairs  $(a, b)$  such that  $a < b$  and the shortest distance from  $a$  to  $b$  is  $k$ , for all  $1 \leq k \leq n - 1$ . ( $n \leq 2000$ )

For example, if  $n = 5, x = 2, y = 4$ , the output should be 5 4 1 0.



shortest distance from  $a$  to  $b$  is 1: (1, 2), (2, 3), (2, 4), (3, 4), (4, 5)

shortest distance from  $a$  to  $b$  is 2: (1, 3), (1, 4), (2, 5), (3, 5)

shortest distance from  $a$  to  $b$  is 3: (1, 5)

shortest distance from  $a$  to  $b$  is 4:

Try to think of a solution before reading on!

Since  $n$  is small, an  $O(n^2)$  solution should pass. → We can just iterate for all pairs  $(a, b)$  and compute the shortest distance for each of them!

For each pair  $(a, b)$ , you have 2 choices: use  $x, y$  edge, or don't use it.

If you don't use  $x, y$  edge, distance =  $b - a$

if you use  $x, y$  edge, you need to go from  $a$  to  $x$ , then  $x$  to  $y$ , then  $y$  to  $b$ .

Therefore, distance =  $|a - x| + 1 + |b - y|$

```
#include <cstdio>
#include <algorithm>
using namespace std;
int main(){
    int n, x, y;
    scanf("%d %d %d", &n, &x, &y);
    x--, y--;
    int c[n];
    fill(c, c + n, 0);
    for (int i = 0; i < n; i++){
        for (int j = i + 1; j < n; j++){
            c[min(j - i, abs(x - i) + 1 + abs(y - j))]+=;
        }
    }
    for (int i = 1; i < n; i++) printf("%d\n", c[i]);
}
```