## Name and group:

This exam is closed-books. Write your name on every page. Write clearly and legibly. Explain your work in words

P1 (1 point). Circle the right answer: (True OR False OR IDK - I Don't Know). (5 x 0.2 points, wrong answer: -0.1 points).

[True False IDK] A system having the poles: +1,-2 is stable.

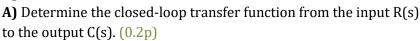
[True False IDK] The time constant of a system with a transfer function  $\frac{1}{c+9}$  is 9.

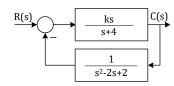
[True False IDK] A second-order system with  $\zeta$ >1 has complex poles.

[True False IDK] The root locus is the geometrical locus of the closed-loop system poles when a parameter varies between 0 and infinity.

[True False IDK] The steady-state error is the difference between the input signal and the output signal in transient state.

P2 (2 points). Consider the feedback control system shown in the





**B)** Determine the values of k for which the closed-loop system is stable. (0.5p)

**C)** For values of *k* for which the closed-loop system is stable determine the steady-state error for a unit step input  $(r(t) = 1, t \ge 0).(0.5p)$ 

**D)** Sketch the root locus for  $k \in [0, \infty)$ . (Determine the location of the open-loop poles and zeros, the asymptotes, the intersection with the immaginary axis, the root locus plot) (0.8p)

**P3** (1 point). Match the following transfer functions with the unit step responses (0.2 points) and explain your choice (0.8 points):

$$G_1(s) = \frac{9}{s^2 + s + 9}$$

$$G_2(s) = \frac{9}{s^2 + 9}$$

$$G_3(s) = \frac{1}{3s+1}$$
  $G_4(s) = \frac{1}{9s+1}$ 

$$G_4(s) = \frac{1}{9s+1}$$

