

ECONOMICS

24 April 2017

HUM 3115 (A) - Economics

RUBA RUMMANA

Associate Prof.
AE's
AUST

$$\text{Economics + Accounting} = \text{Total}$$
$$\downarrow \quad \quad \quad \downarrow$$
$$(65) + (35) = (100)$$

Attendance - 7

Quiz - 13

Final - 45

Total - 65

Quizes - 3 (Best 2)
Assignments - 2

Economics

* Economics \rightarrow father \Rightarrow Adam Smith

26 April 2017

Lec - 1

Nature & Methodology of Economics

1. Definition of Economics

Economics: Economics is a social science concerned about the proper uses and allocation of resources for the achievement and maintenance of growth and stability.

* Economics is a decision-making science!

2. Study of Economics

MICRO ECONOMICS = Individual

MACRO ECONOMICS = Aggregate

* Developments, incomes are Macro-goals

* Policy-making is Macro goal

Micro for Blend ->宏觀經濟學
maximum goal
achievement

3. Scope of Economics

The base of economics is pure and simple observations which is necessary in decisions.

Science → positive

→ Normative

Economics → positive (making a statement, fact or problem)

→ Normative (solution of a problem)

- * The role of Economics should be Normative.
- * Economics is basically a social science.

4. Methods of Economics

→ Deductive

→ Inductive

Deductive (from example to generalisation)

Inductive (from general rules to some examples)

- * Basis of Deductive and Inductive method is pure observation.

- * Deductive and Inductive methods are same then it will be a universal truth.

03 May 2017

Lec-1

- ③ Whether economics is able to solve our real life problems?

Major Economic Problems

- i. what economic goods and services are to be produced?

ବାଧନେତିକ ଦ୍ୱାରା ଏହି ଶରୀର ପଦ୍ଧତି ଦେଖିଲୁଛି -

i) Visible ଏହି ଅବସା - invisible ଏହି ଅନ୍ତିକୃଷ୍ଣ ଅମାଲ -
ଅକ୍ଷର - ଏହି ।

ii) ଅଗ୍ରଯ - ownership change ଏହି ।

iii) monitoring exchange value ଏହାଠାର ଏହି ।

iv) ସମ୍ପୂର୍ଣ୍ଣ ଜାଗା - ଏହି ଏହା ।

Q. How to produce?

3. For whom to produce?

→ Unique & P अनेक

→ User-friendly

→ cost-effective अमर्त अनेक

Assignment - 1

Q. How would you solve Economic problems (Major) as a Computer Engineering? (Main एवं उपयोग के लिए विकास करना)

उत्तर Question → Max 6 to 8 lines अमर्त अनेक।

उत्तर के लिए जिसका नियम है कि उत्तर के लिए जिसका नियम है कि

प्रारंभिक संकेतान्वयन

प्रारंभिक संकेतान्वयन (P.T.O.)

बंदी अनेक

Theory of Demand & Supply

- * ମାନ୍ୟ-ଲାଭରେ ଆନବ୍ୟିକତା ହୁଏ ବିଷୟ ।
- * Economics ବାସ୍ତବ ଭାବରେ ଗତିଶୀଳ-ଲାଭରେ
(Demand - supply)

* 'ଆବଶ୍ୟକ' ଓ 'ଚାହିଦା' ଦ୍ୱାରା ନିର୍ଦ୍ଦେଖ ।

* "ମରନ ଚାହିଦାରେ ଆବଶ୍ୟକ, କିନ୍ତୁ ମରନ ଆବଶ୍ୟକ
ଚାହିଦା ନଥି ।"

- * A demand is a desire which has three characteristics —

- ① willingness to buy
- ② Ability to buy
- ③ willingness to spend

$$\left. \begin{array}{l} Q_D \\ Q_d \\ D_D \\ d_d \\ D \\ d \end{array} \right\} \text{Demand}$$

Demand Function

$$Q_d^{\text{tea}} = f(P_{\text{tea}}, \underbrace{P_s(\text{coffee}), P_c(\text{milk})}_{\text{Cross price}}, Y, T)$$

↓ ↓ ↓ ↓
 Own price Cross price Income Taste

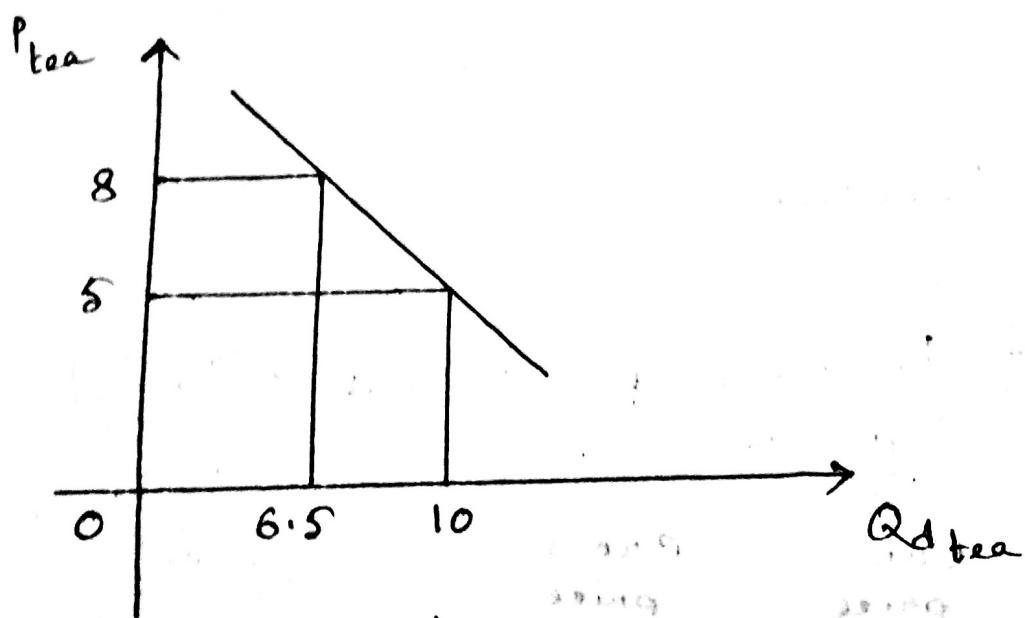
Law of Demand

$$Q_d \text{ tea} = f \left(p_{\text{tea}}, \overline{p_s(\text{coffee})}, p_c(\text{milk}), Y, T \right)$$

$P_{\text{tea}} \uparrow Q_{d \text{ tea}} \downarrow$

$$P_{\text{tea}} \downarrow Q_d \text{ tea} \uparrow$$

P_{tea}	$Q_d \text{ tea}$
5	10
8	6.5
18	1
30	0.25



slope
↑

$$Q_d = \pm a - bP$$

↓ value of slope
constant

$$(= 120 - 0.5P) \text{ and } (100 + 2P)$$

* Demand very strong side \Rightarrow ~~weak~~

08 May 2017

(a) Movement along the Demand Curve

$$Q_{d\text{tea}}' = f \left(P_{\text{tea}}, P_s(\text{coffee}), P_c(\text{milk}), Y, T \right)$$

(b) Shifting of the Demand Curve:

$$Q_{d\text{tea}} = f \left(P_{\text{tea}}, P_s(\text{coffee}), P_c(\text{milk}), Y, T \right)$$

own price
constant

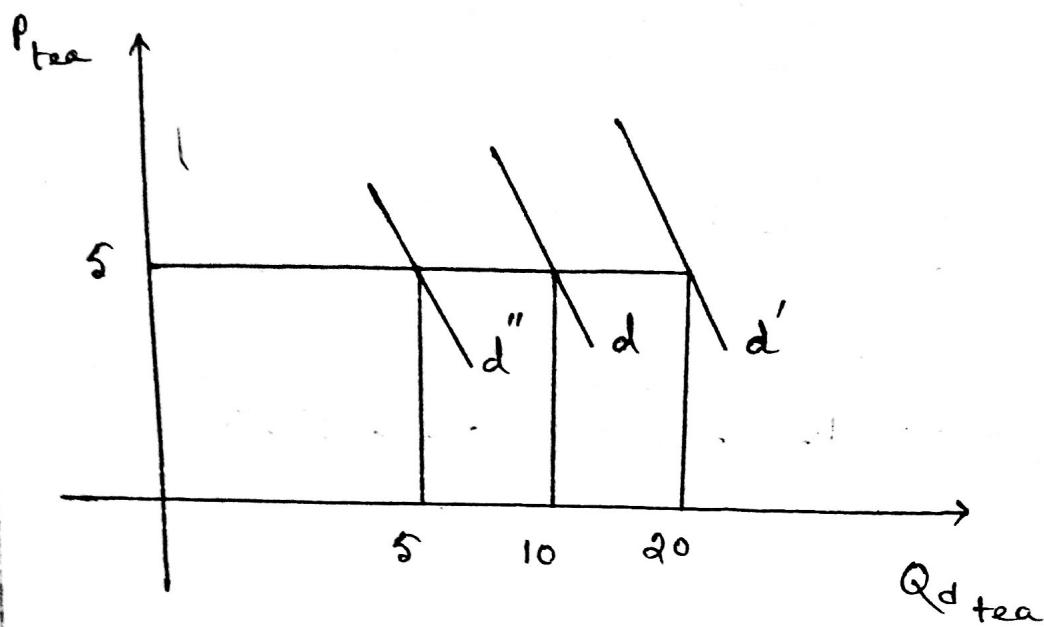
$$Y = 5000 \text{ tk} \rightarrow 5 \text{ tk } @ 10 \text{ kg}$$

$$\rightarrow Y = 10000 \text{ tk} \rightarrow 5 \text{ tk } @ 20 \text{ kg}$$

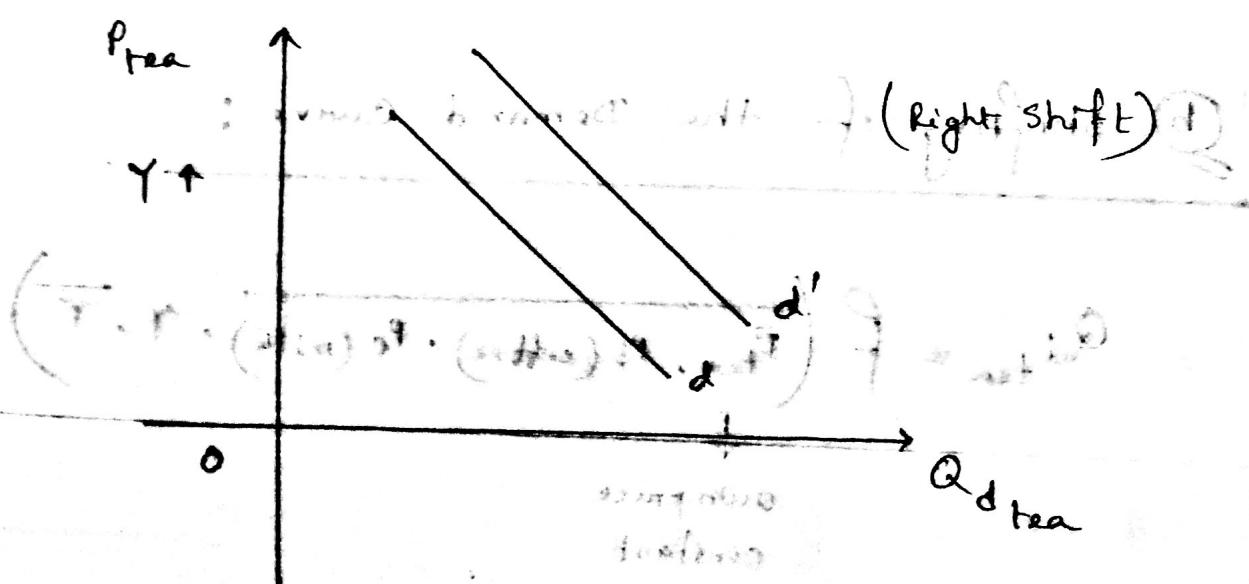
$$\rightarrow Y = 3000 \text{ tk} \rightarrow 5 \text{ tk } @ 5 \text{ kg}$$

MOVEMENT \Rightarrow Own Price Variable

SHIFTING \Rightarrow Own Price Constant



Ex. 1

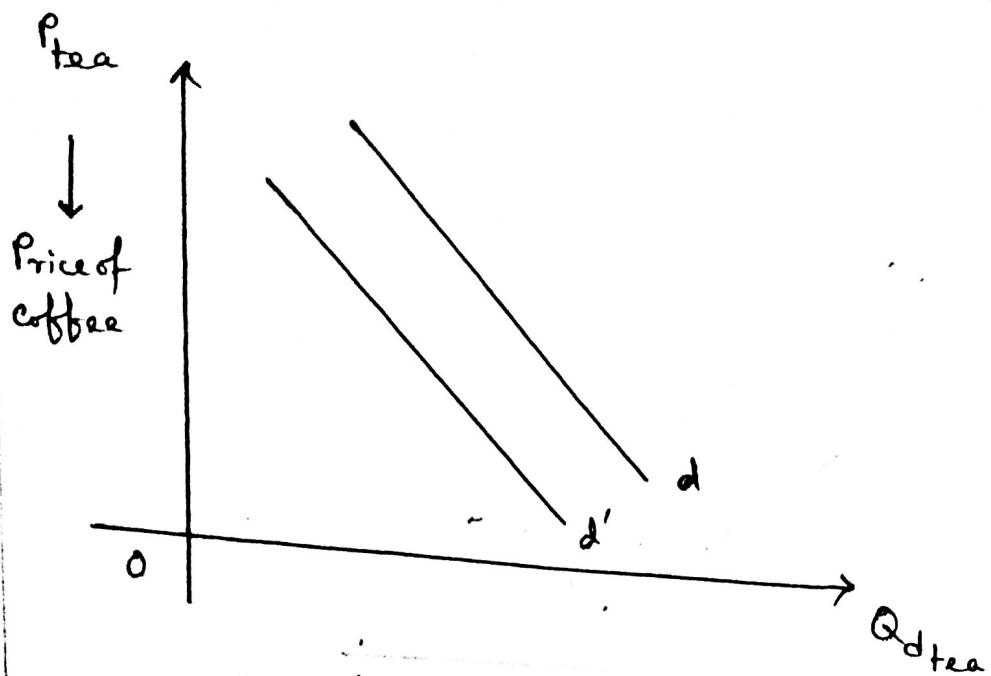


$B^d \propto$ income (ex - normal) = Y

$B^d \propto$ (ex - normal) = Y

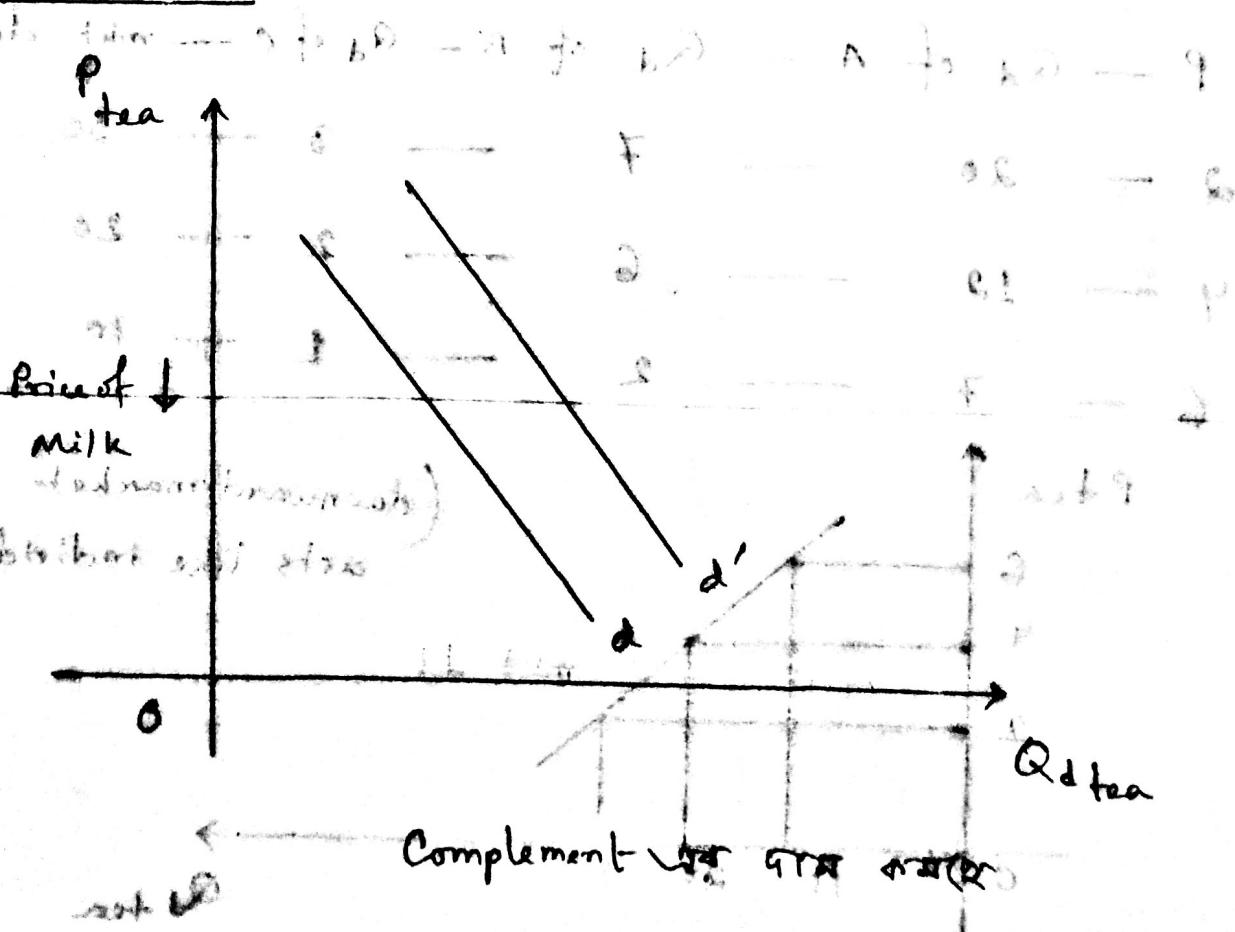
$B^d \propto$ (ex - normal) = Y

Ex-2



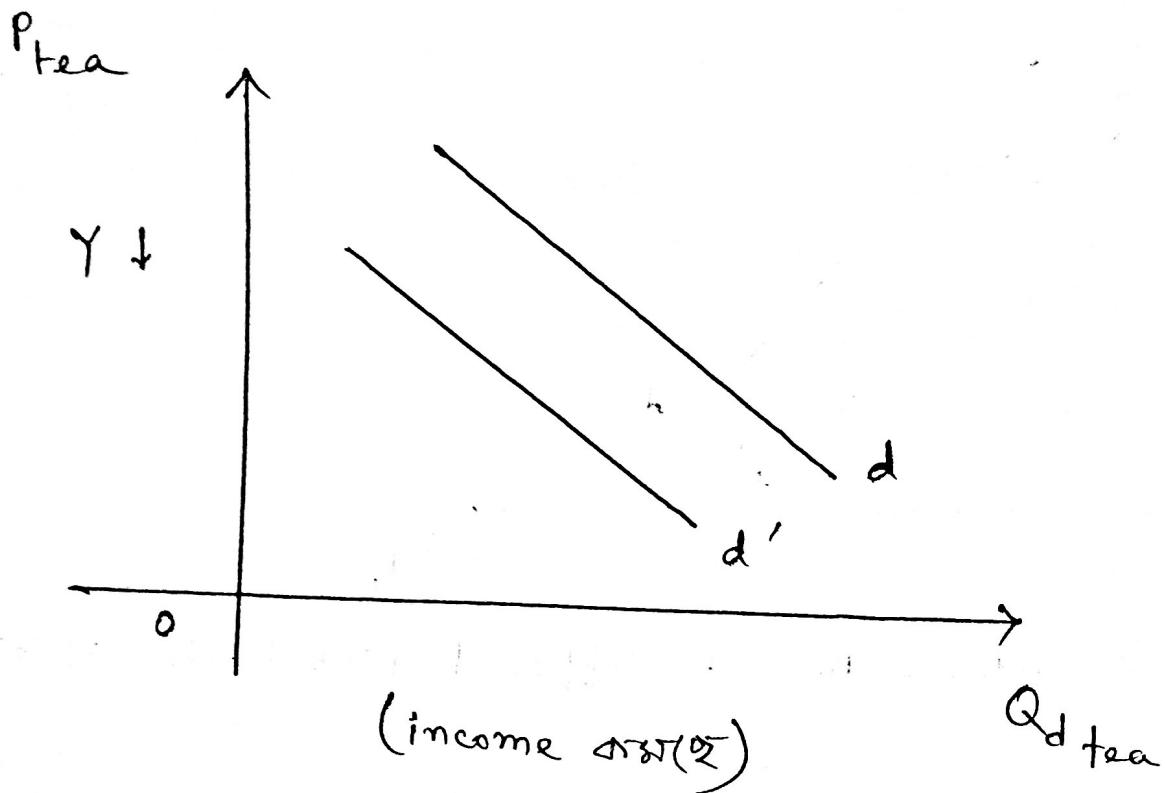
Condition - Price of Coffee \downarrow (substitute \rightarrow 茶の需要増加)

Ex-3



Complement \rightarrow 茶の需要増加

Ex-4

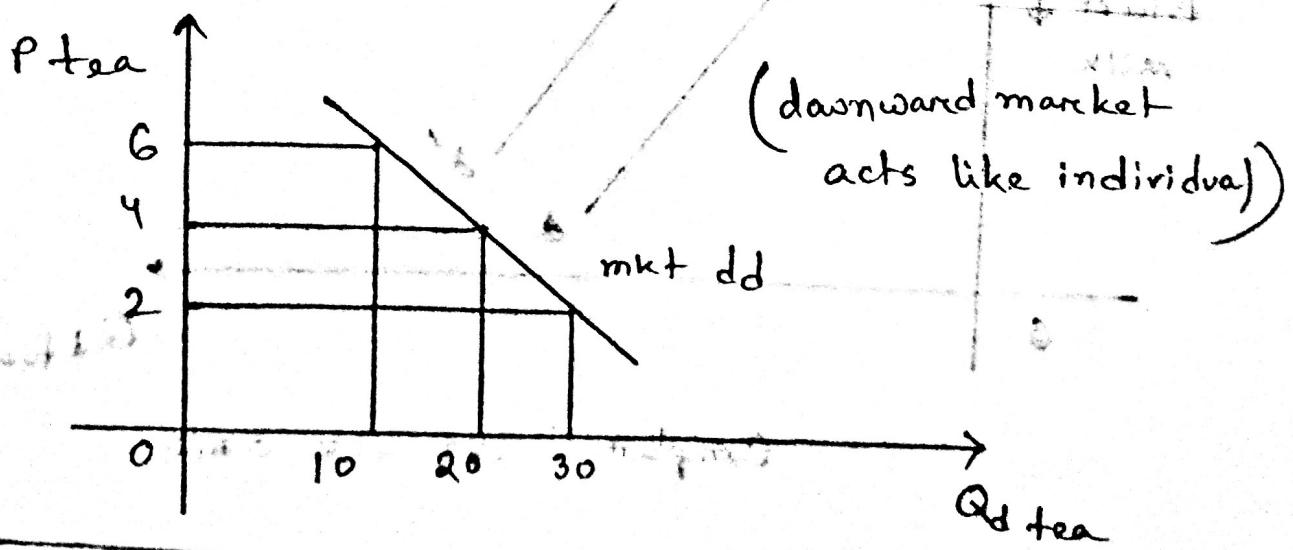


$$P = Q_d \text{ of } A = Q_d \text{ of } B = Q_d \text{ of } C = \text{mkt } dd$$

$$2 = 20 - 7 - 3 + 30$$

$$4 = 12 - 6 - 2 + 20$$

$$6 = 7 - 2 - 1 + 10$$

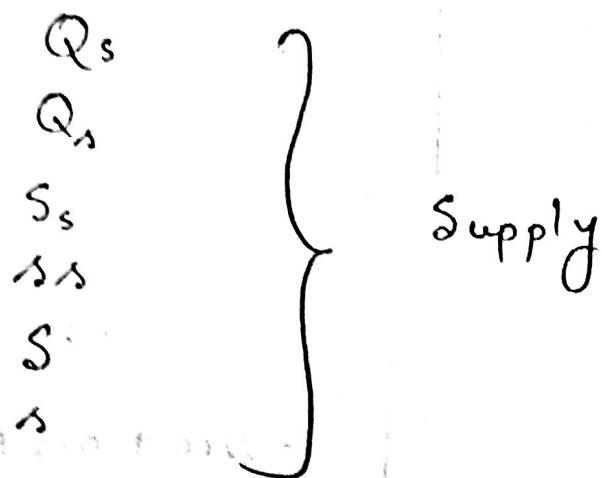


Import Tax "জোর সময়" "Supply" inversely related!

④ Supply

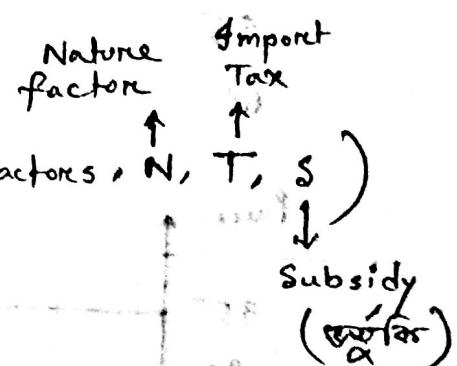
(50 kg) (a) 35 tk \rightarrow 50 kg \rightarrow 50 kg \Rightarrow mkt \Rightarrow ss (small's)

\rightarrow (a) 30 tk \rightarrow 50 kg \rightarrow 40 kg \Rightarrow mkt \Rightarrow ss (small's)



⑤ Supply Function

$$Q_{s, \text{rice}} = f(\text{Price}, P_s (\text{wheat}), P_{\text{factors}}, N, T, s)$$



* "Subsidy" \Leftrightarrow "Intensive" (অবস্থা)

* "Subsidy" directly affects "Supply"

Box Law of Supply

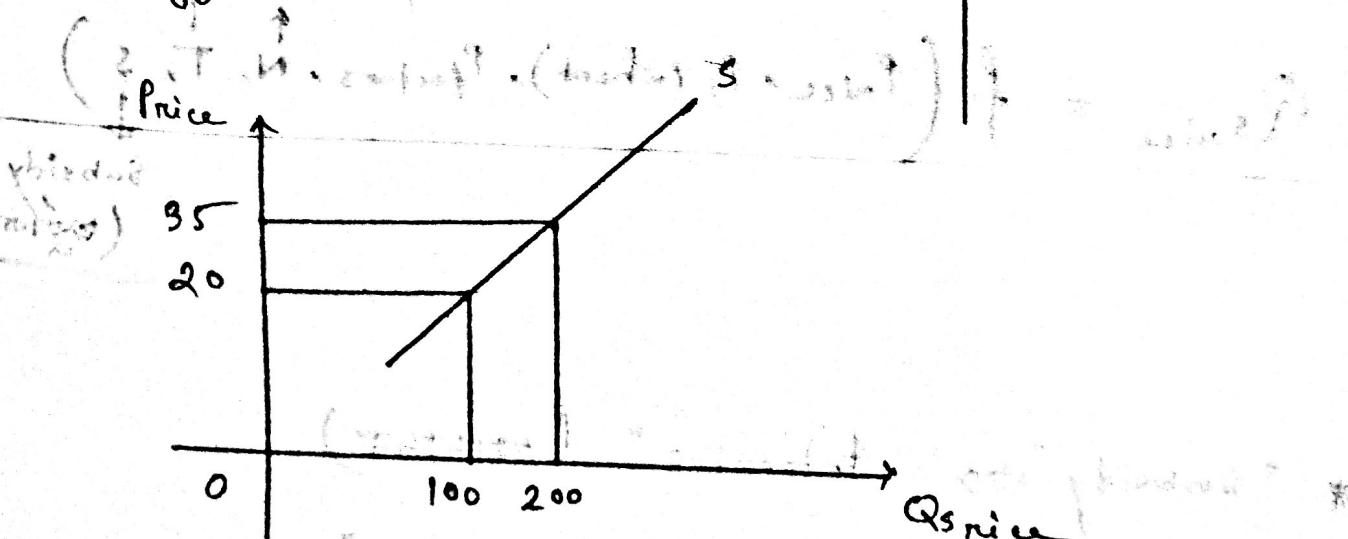
$$Q_{s \text{ rice}} = f \left(\frac{\text{Ceterus Paribus}}{\text{Price}, P_s(\text{wheat}), \text{factors}, N, T, S} \right)$$

Price ↑ $Q_{s \text{ rice}} \uparrow$
 Price ↓ $Q_{s \text{ rice}} \downarrow$

Price	$Q_{s \text{ rice}}$
20	100
35	200
55	500
60	1000

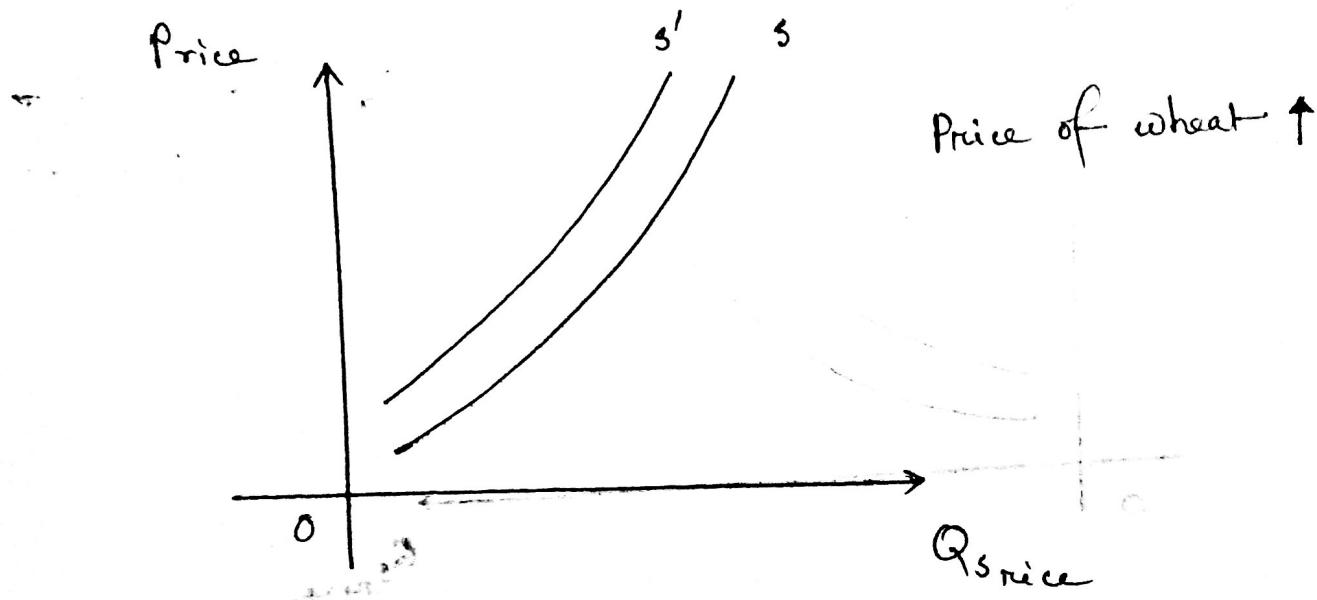
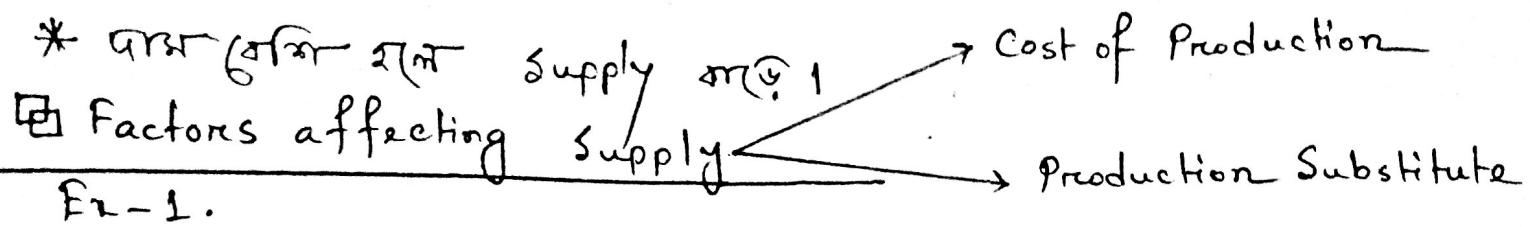
$$Q_s = \pm a + bp$$

$$= 200 + 0.5p$$



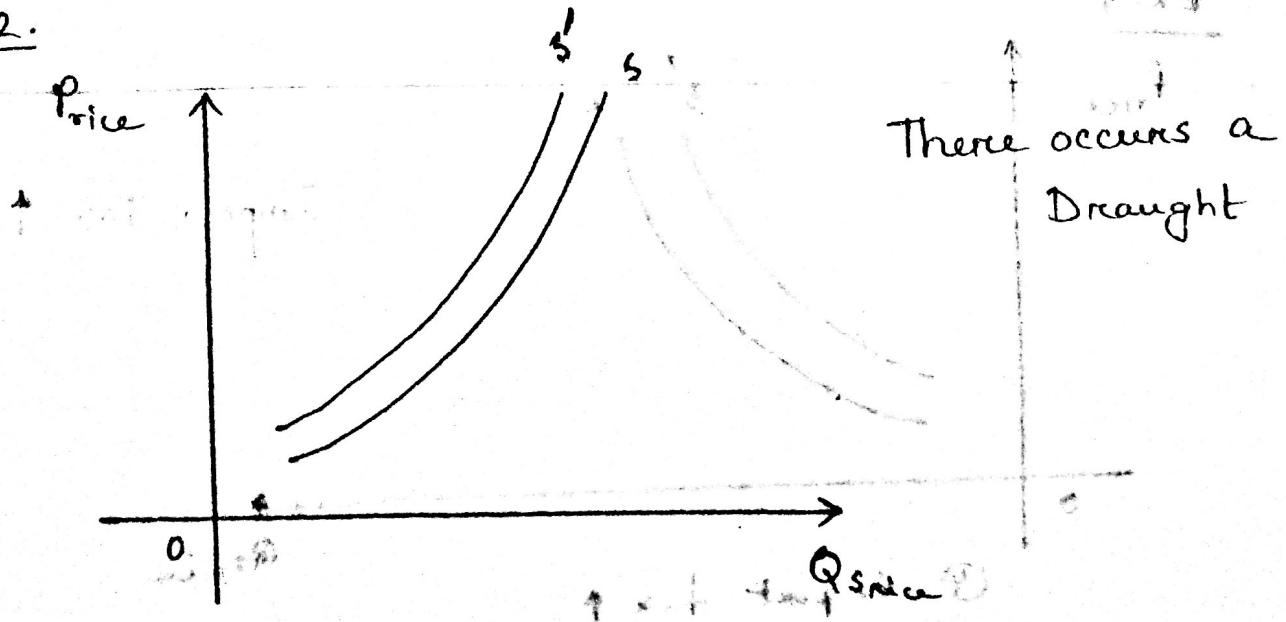
That's called a linear function

15 May 2017



① Price of wheat ↑

Ex-2.

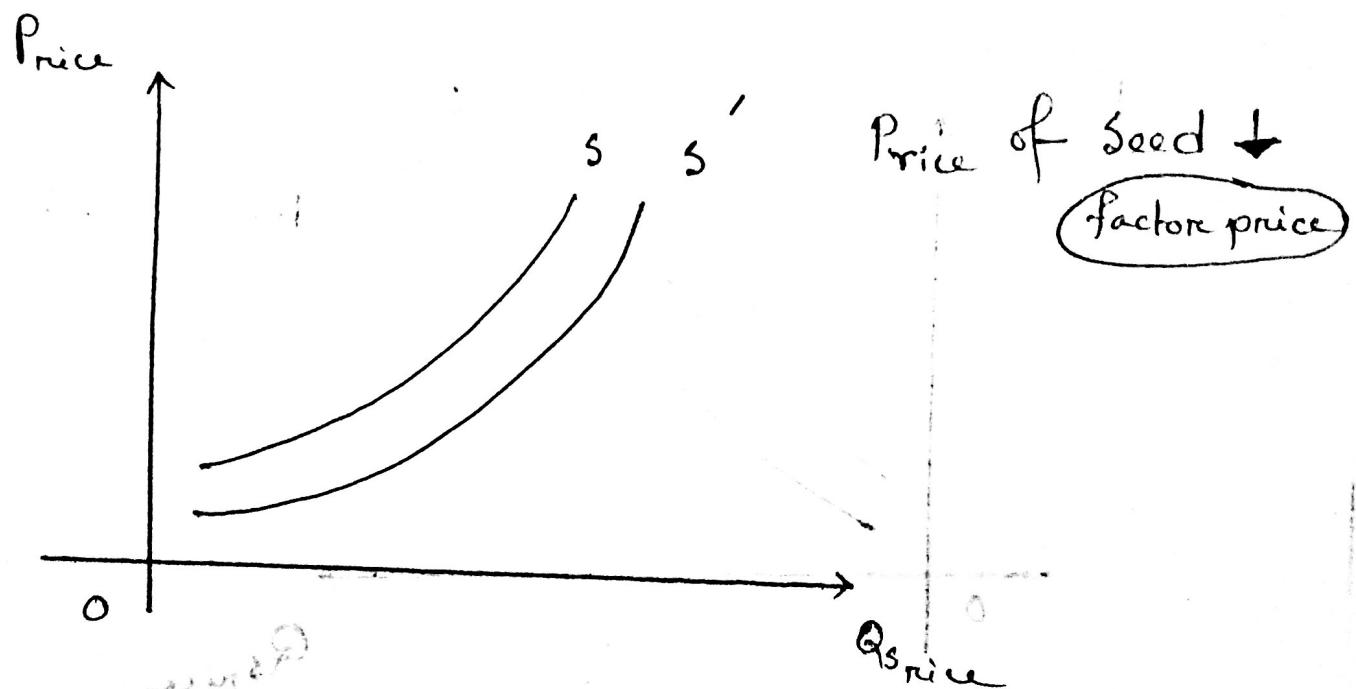


② There occurs a Draught

↓
(scarcity)

③ Price of seed ↓

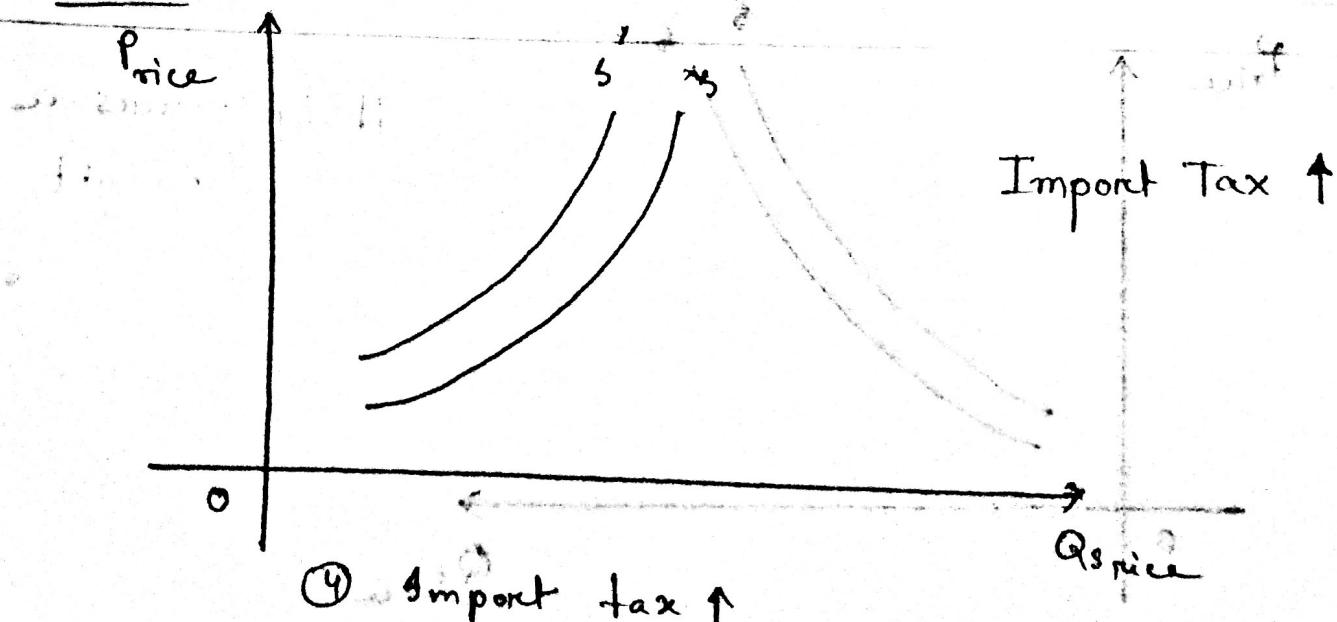
Ex-3



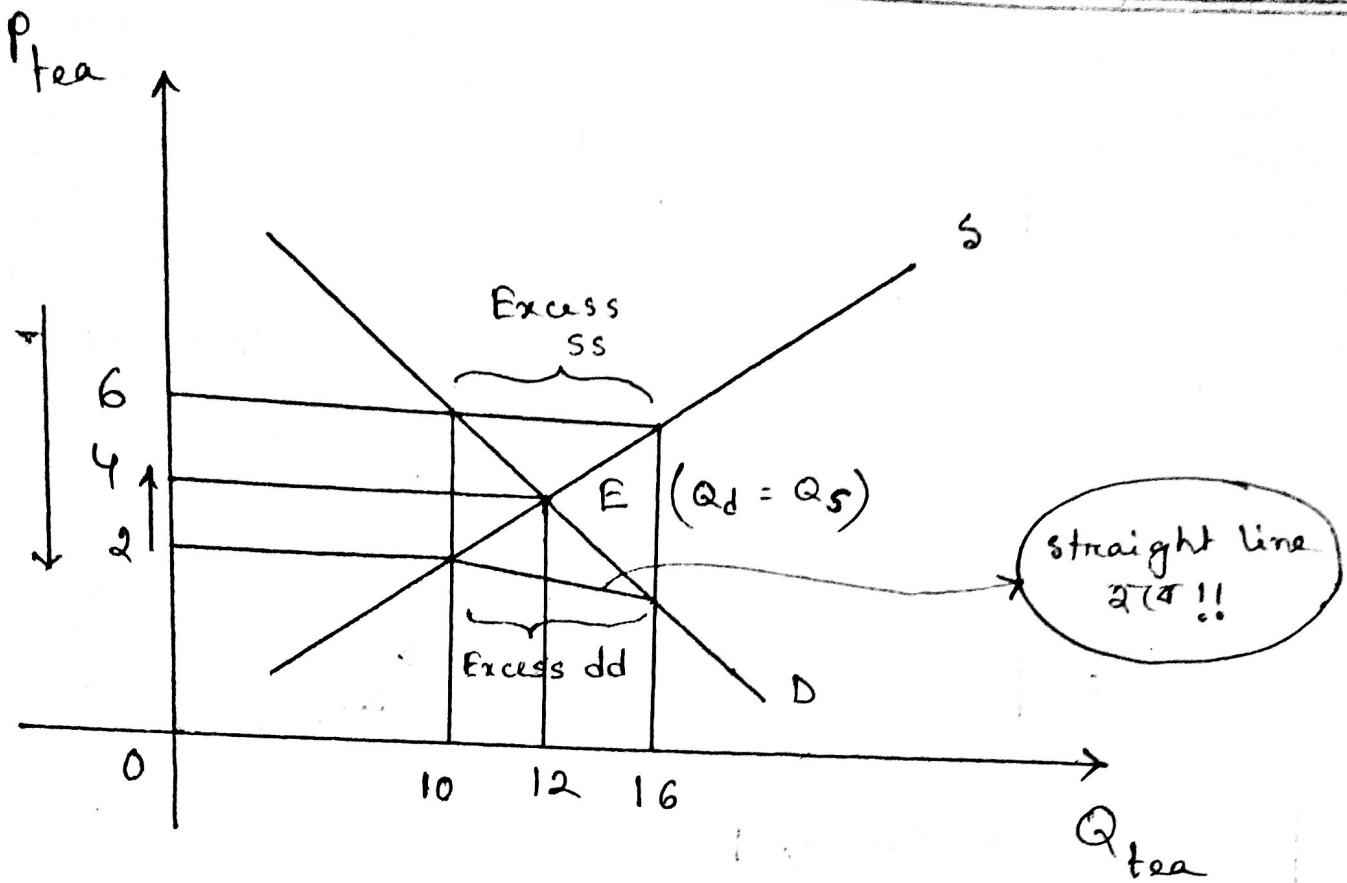
③ Price of seed ↓

standard of seed ③

Ex-4

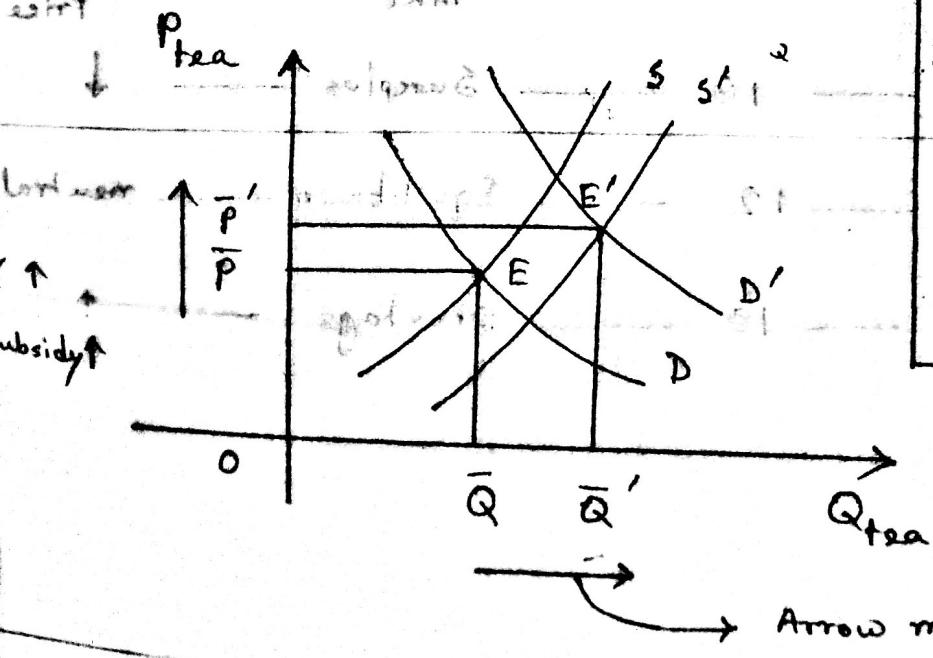


④ Import tax ↑



Shift in Equilibrium

Case - I:



State of the - Pressure on Price
Market

Surplus - \downarrow

Equilibrium - neutral

Shortage - \uparrow

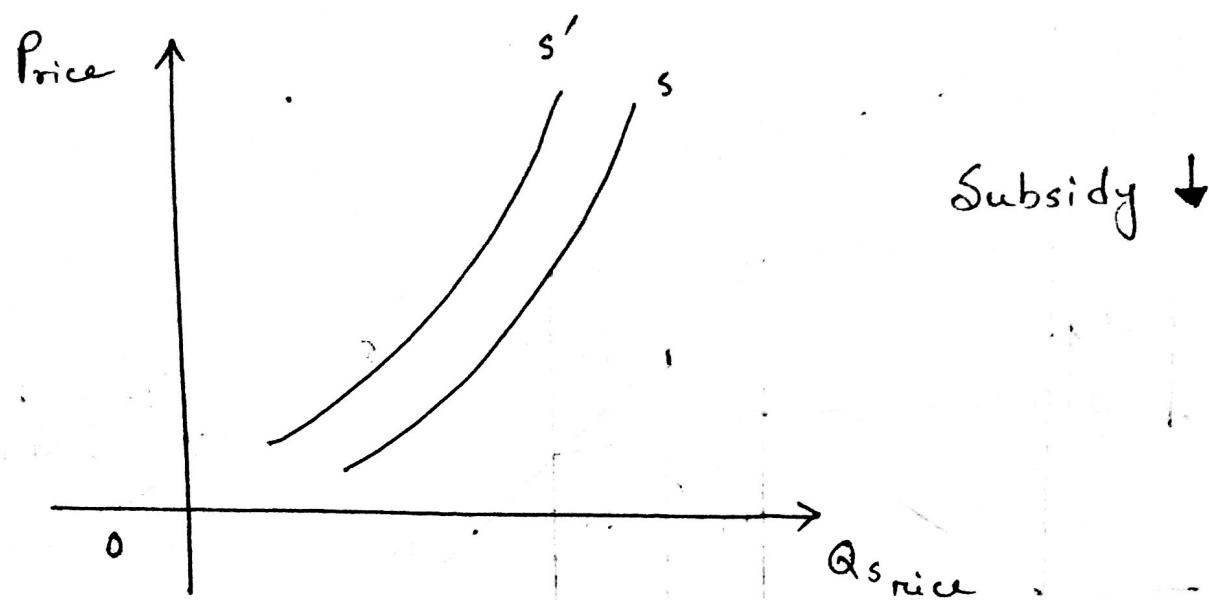
Without any Disturbance

i) Y (income) \uparrow

ii) Subsidy \uparrow

Arrow must \rightarrow

Ex-5



⑧ Subsidy ↓

Equilibrium of Demand & Supply

P — Q_d — Q_s — State of the mkt — Pressure or Price

6 — 10

↓ — surplus
4 — 12

↑ — shortage
16

↑ (surplus) ↑ (shortage)
↑ price ↓ (in)

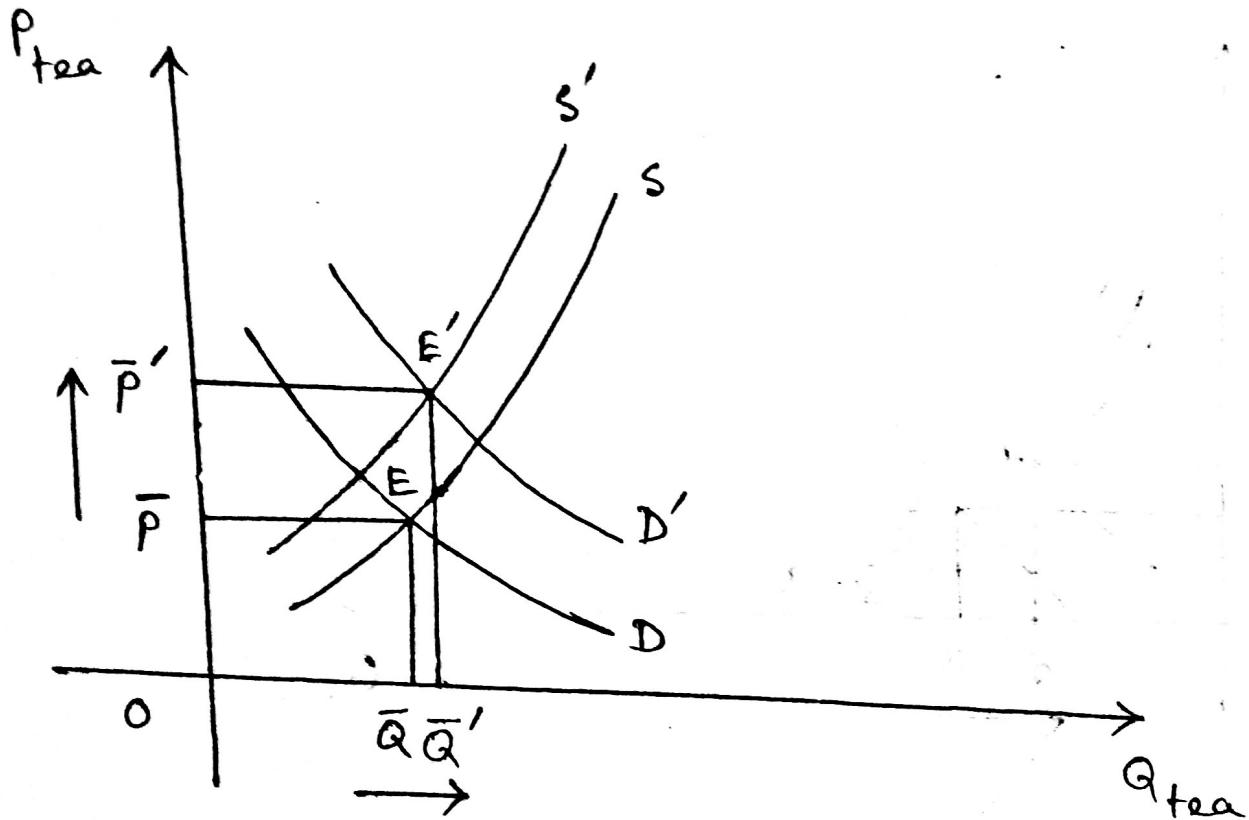
16 — 12 Surplus

Equilibrium neutral

Shortage

↑ demand

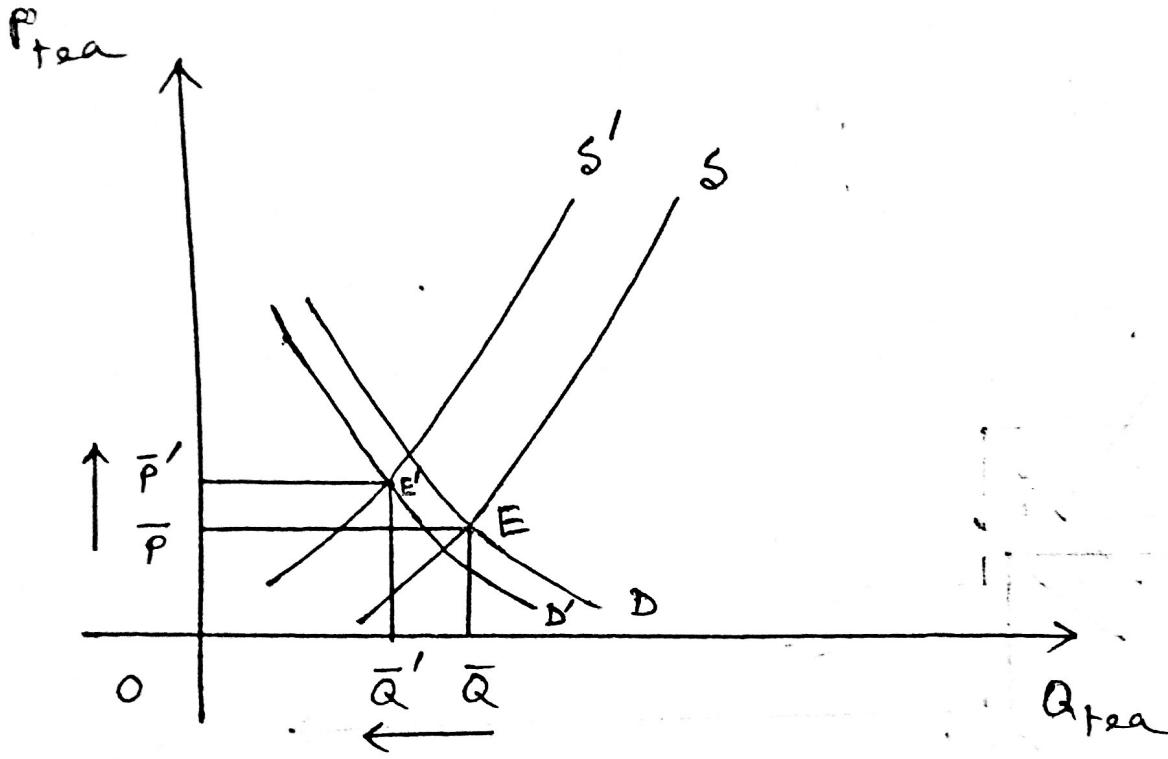
Case-2:



22. Explain a case in which

- ① Price of coffee \uparrow dd
- ② Price of coffee \uparrow ss

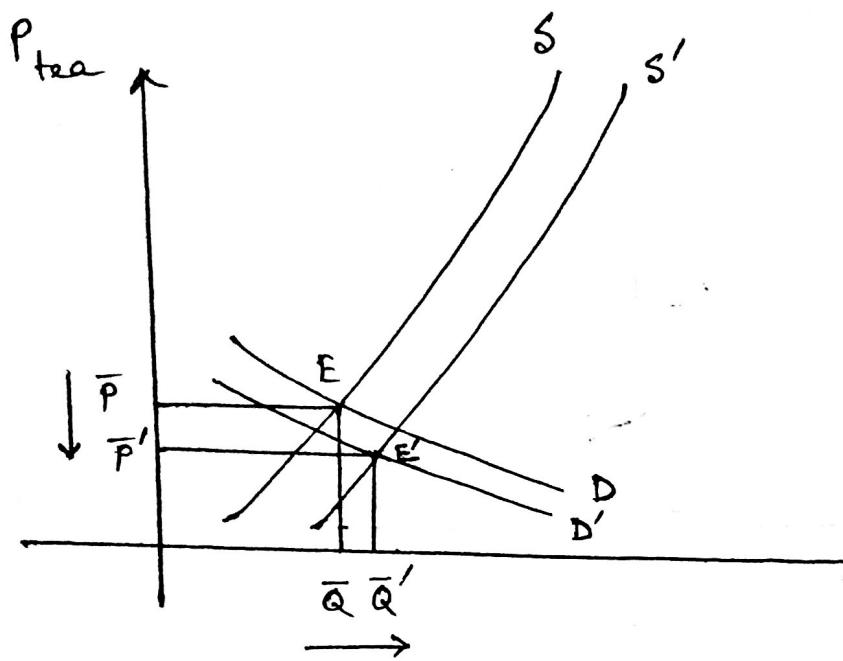
Case - 3 :



① There occurs a draught — ss

② Price of milk ↑ — dd

case-4:



- 1) $\gamma \downarrow \rightarrow dd$
 2) Import Tax $\downarrow \rightarrow ss$

Given,

$$P = 200 - 3Q \Rightarrow Q_d = \frac{200}{3} - \frac{P}{3}$$

$$P = 20 + Q \Rightarrow Q_s = -20 + P$$

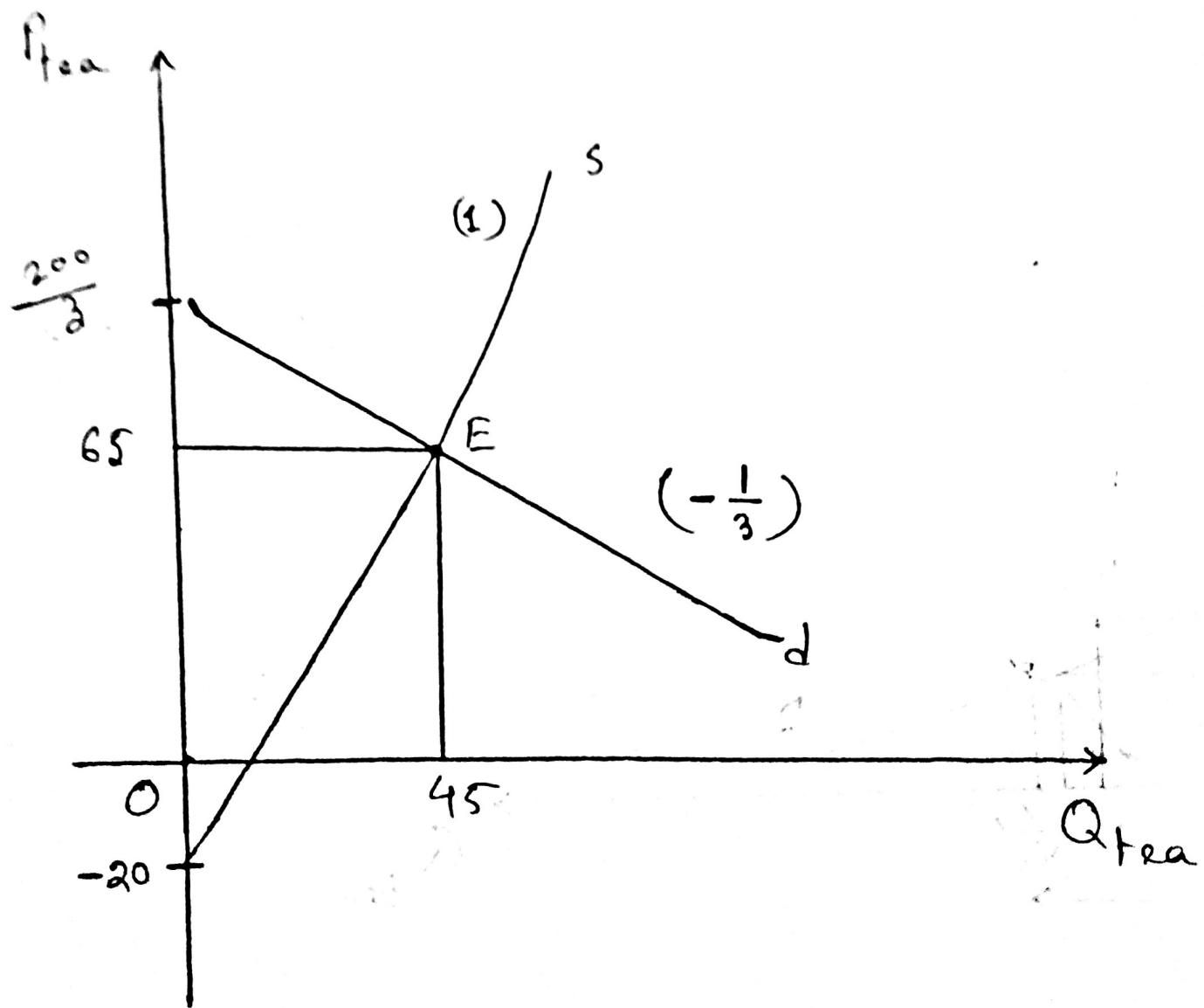
Find Equilibrium P & Q

In Equilibrium $Q_d = Q_s$

Demand Eqⁿ
 Graph arrangement
 এর বলৈন 3 দিক,
 ক্ষেত্ৰসূৰক্ষা দিব।

Supply Eqⁿ

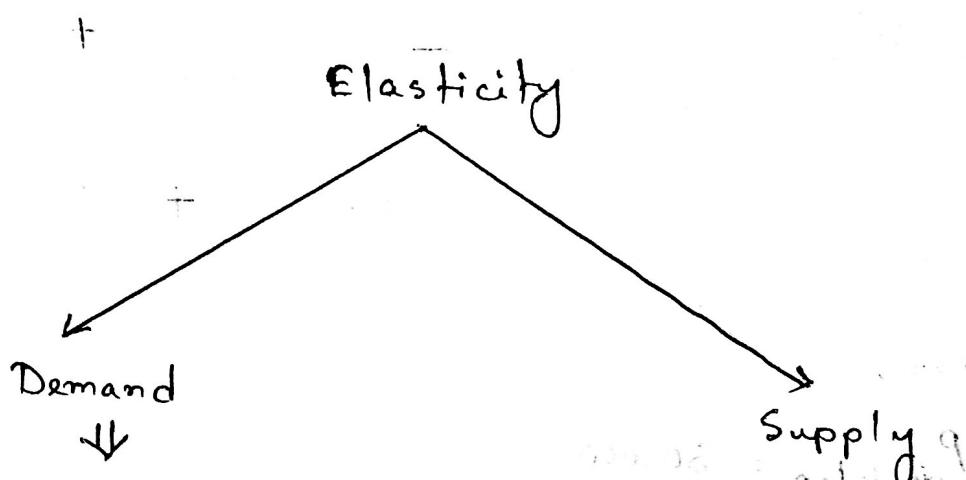
$$\begin{aligned} \Rightarrow \frac{200}{3} - \frac{P}{3} &= -20 + P \Rightarrow 200 - P = -60 + 3P \\ \Rightarrow 4P &= 260 \Rightarrow P = 65 \quad \{ 65 টাকা হওয়া পদ্ধতি \} \\ \Rightarrow \bar{P} &= 65 \quad \{ 65 টাকা হওয়া পদ্ধতি অভিযোগ কৰা হচ্ছে \} \\ \bar{Q}_d &= 45 = \bar{Q}_s = 65 - 20 \end{aligned}$$



22 MAY 2017

Lec- 3

Elasticity of Demand & Supply



- 1) Down Price Elasticity (η_{px}) [own Price]
- 2) Cross Price Elasticity (η_{pxy}) [दूसरी गाँधी]
- 3) Income Elasticity (η_y) [Income के परिवर्तन का मान या गाँधी]

* Demand "Elastic" এবং এটি \Rightarrow LUXURY

[Vice-versa]

* Demand "In-Elastic" এবং এটি \Rightarrow Necessary

[Vice-versa]

* "Supply" was (was) same relation as followed [previously described]

(*) Given,

$$Q_{d\text{ desktop}} = 20 - 0.2P_{\text{desktop}} + 0.3P_{\text{laptop}} - 0.5P_{\text{MoBO}} + 0.0001\gamma$$

where,

$$P_{\text{desktop}} = 50,000$$

$$P_{\text{laptop}} = 60,000 \quad (\text{Desktop computer})$$

$$P_{\text{MoBO}} = 10,000 \quad (\text{Desktop computer})$$

$$\gamma = 1,00,000 \quad (\text{Desktop computer})$$

$$Q_{d\text{ desktop}} = 50,000$$

(1) Own Price Elasticity ($\eta_{P_{\text{desktop}}}$)

$$\eta_{P_{\text{desktop}}} = \frac{\Delta}{\Delta P_{\text{desktop}}} \left(Q_{d\text{ desktop}} \right) \times \frac{P_{\text{desktop}}}{Q_{d\text{ desktop}}}$$

$$= -0.2 \times \frac{50,000}{50,000}$$

$$= -0.2$$

$$= |0.2| < 1 \rightarrow \text{Price वाले गारंटी नहीं}$$

↓
Quantity वाले गारंटी नहीं

* "Elasticity" वाले "Quantity" वाले गारंटी नहीं।

$$\rightarrow = \text{Change in } Q_{d_{\text{desktop}}} < \text{Change in } P_{\text{desktop}}$$

∴ Desktop is necessary good as Demand is "In-elastic".

[N.B] → If $\eta_{\text{desktop}} > 1$ [Demand is Elastic]

② Cross price Elasticity ($\eta_{\text{desktop}, \text{laptop}, \text{mono}}$)

लैपटॉप की दर वाला गारंटी नहीं होगा।

$$\begin{aligned} a) \eta_{P_{\text{desktop}}, \text{laptop}} &= \frac{\Delta (Q_{d_{\text{desktop}}})}{\Delta P_{\text{laptop}}} \times \frac{P_{\text{laptop}}}{Q_{d_{\text{desktop}}}} \\ &\approx 0.3 \times \frac{60,000}{50,000} = 0.36 \end{aligned}$$

∴ Laptop and Desktop are substitutes.

$$N.B. = \text{If } \eta_{\frac{\text{desktop}}{\text{laptop}}} = (+1)$$

→ Laptop and Desktop are perfect substitutes.

b) $P_{\text{desktop, moso}} = \frac{\Delta}{\Delta P_{\text{moso}}} (Q_d \text{ desktop}) \times \frac{P_{\text{moso}}}{Q_d \text{ desktop}}$

$$= -0.5 \times \frac{10,000}{50,000}$$
$$= -0.1$$

∴ moso and Desktop are complements.

$$N.B. = \text{If } \eta_{\frac{\text{Desktop}}{\text{moso}}} = (-1)$$

→ moso and Desktop are perfect Complements.

③ Income Elasticity (η_y)

$$\eta_y = \frac{\Delta}{\Delta y} (Q_d \text{ desktop}) \times \frac{Y}{Q_d \text{ desktop}}$$
$$= 0.0001 \times \frac{1,00,000}{50,000}$$
$$= 0.0002$$

\therefore Desktop is a normal good.

$$N.B = \text{If } \eta_y = (-)$$

Income वृद्धि, Desktop की कमी

पर्याप्त - Inferior

\therefore Desktop is an inferior good.

25 May 2017

Lec-3 (Contd.)

Elasticity of a straight line dd

curve using Point Elasticity formula:

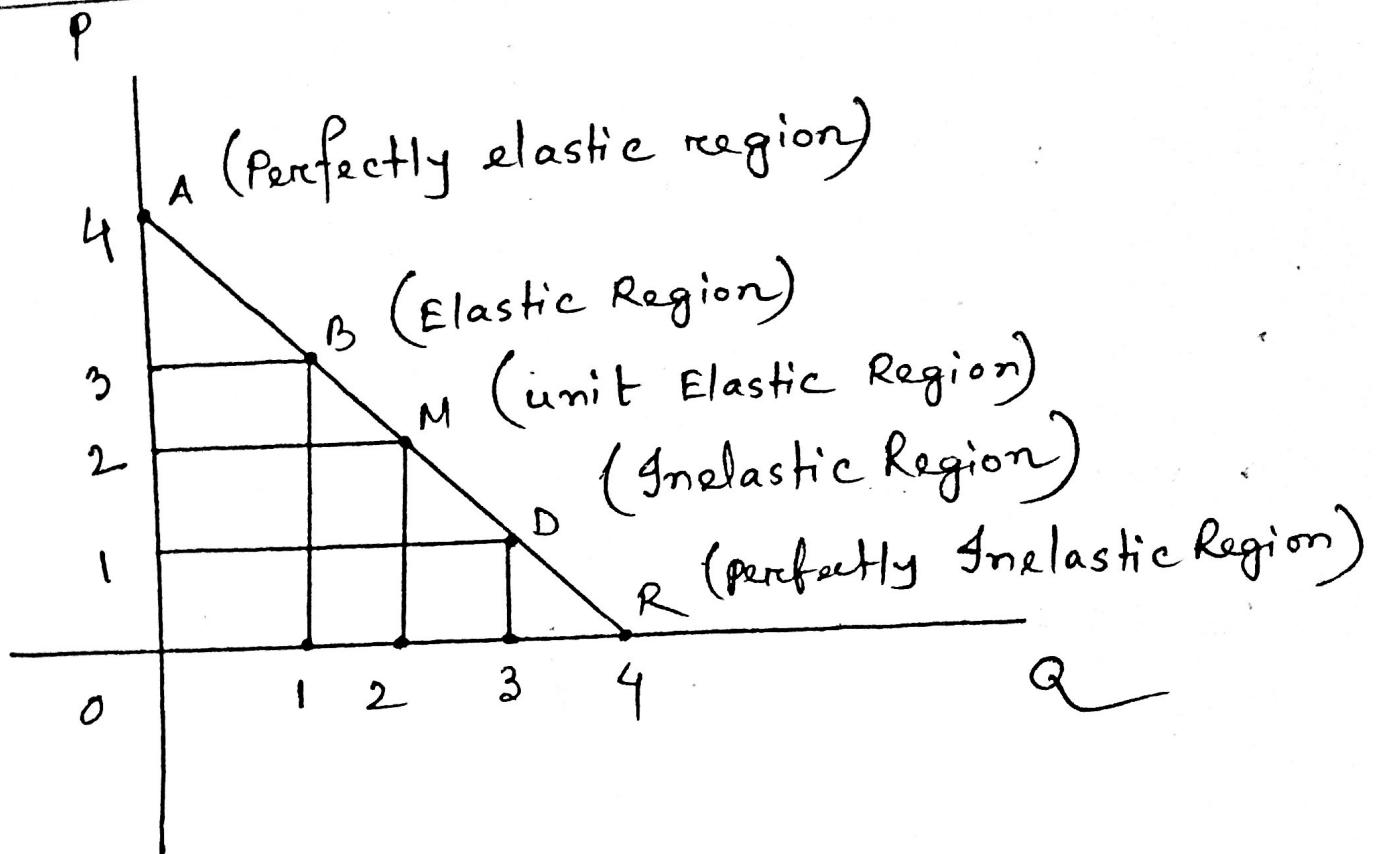
$$\epsilon_{\text{point}} = \frac{\text{lower segment}}{\text{Upper segment}}$$

$$\epsilon_M = \frac{2}{2} = 1 = \epsilon = 1$$

$$\epsilon_B = \frac{3}{1} = 3 = \epsilon > 1$$

$$\epsilon_D = \frac{1}{3} = 0.33 = \epsilon < 1$$

$$\epsilon_A = \frac{4}{0} = \infty = \epsilon = \infty$$

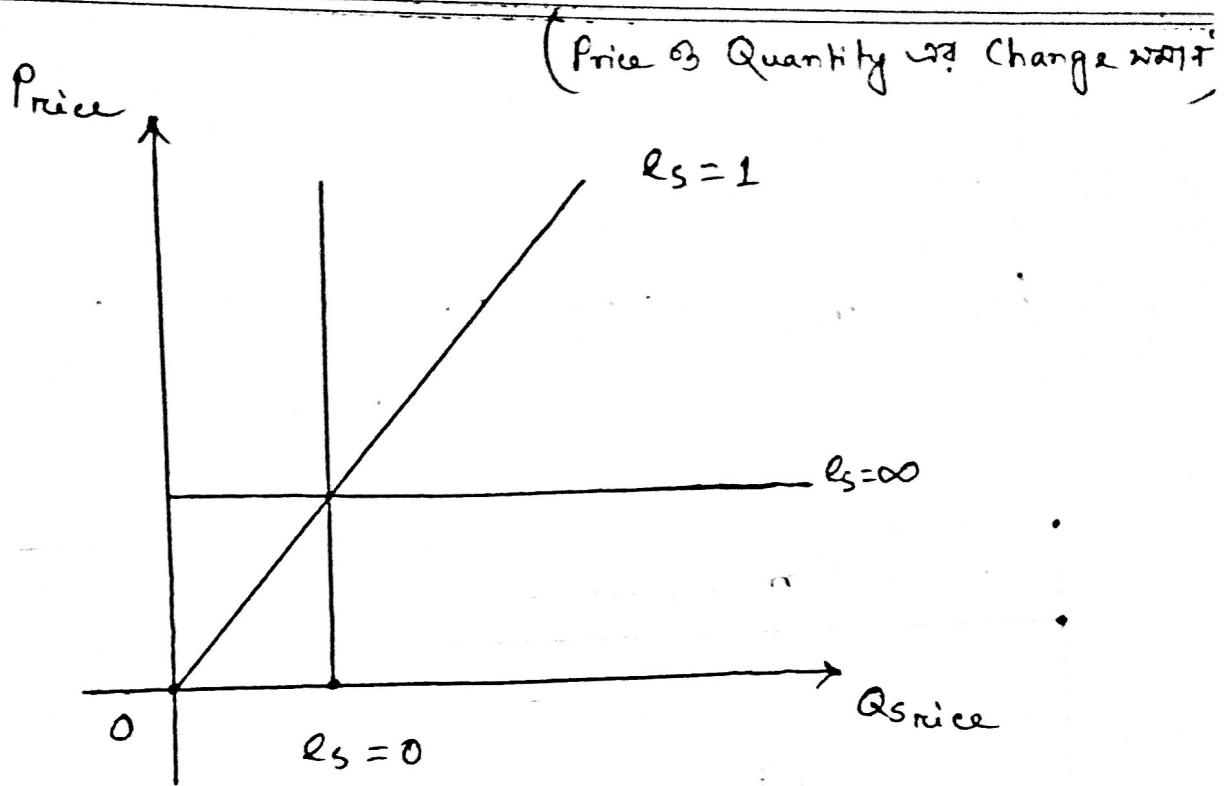


~~b) Effect of change in the price of a commodity~~

Elasticity of supply ($\eta_{Q_{Sx}}$)

$$Q_{Sx} = \frac{\Delta}{\Delta P_x} (Q_{Sx}) \times \frac{Q_{Sx}}{P_x}$$

$$= (+) ve$$



lec - 4

Theory of Utility → Marginal

utility measurement is the primary step for
demand creation.

Measurement of Utility

Cardinal

↓
money

Tools ↓

Ordinal

- { 1. Total Utility
- 2. Marginal Utility

Table :-

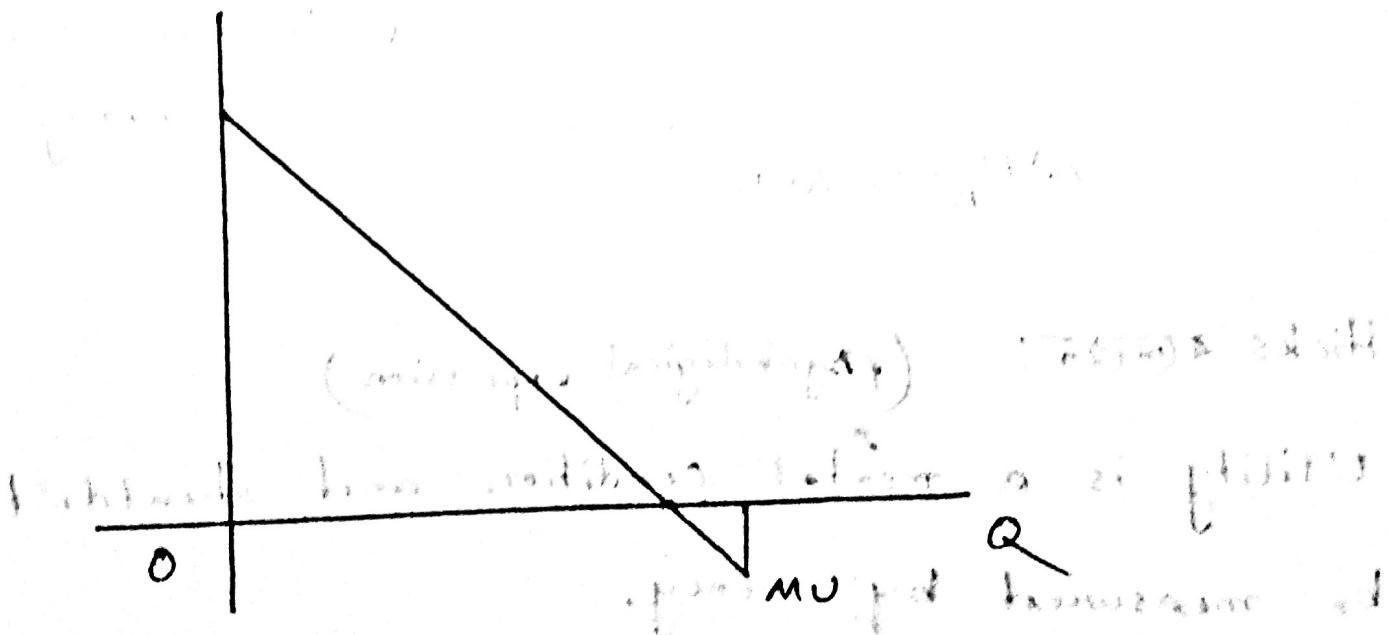
An Example of TU & MU (relation with unit of consumption) :-

Unit of Consumption	TU	MU	(Extra) अतिरिक्त
0	0	0	
1 st	4	4	
2 nd	7	3	
3 rd	9	2	
4 th	10	1	
5 th	10	0	
6 th	8	-2	

The Law of Diminishing MU (Marginal Utility)

- * Increasing at a decreasing rate (कम बढ़ा-बढ़ाते हैं, फिर बढ़ते ही बढ़ते हैं)
- extra output का मुक्त ग्रहण
- Based on Human Behavior

MU



→ Marginal Utility of successive units of labor decrease as Q increases
→ Marginal Utility of successive units of labor decrease as Q increases

29 May 2017

Lec - 4 (contd.)

Consumer Equilibrium under Cardinal Approach

Equal MU for every good = $\frac{MU_x}{P_x} = \frac{MU_y}{P_y} = \frac{MU_z}{P_z} = \dots = \lambda$

λ = Constant utility of
money

$$MU_B > MU_C$$

Hicks argument: (psychological expression)

Utility is a mental condition and shouldn't
be measured by money.

Ordinarily,

Utility is measured by ranking preferences.

This is called Ordinal Measurement of
Utility.

Consumer Surplus (CS)

Given,

$$P_d = (Q - 1)^2 \text{ where } P_0 = 4 \quad \& \quad Q_0 = 6$$

Find. CS ?

$$CS = \int_0^{Q_0} f_1(Q_1) dQ - P_0 Q_0$$

$$= \int_0^{Q_0} (Q-1)^2 dQ - P_0 Q_0$$

$$= \int_0^{Q_0} (Q^2 - 2Q + 1) dQ - P_0 Q_0$$

$$= \int_0^{Q_0} Q^2 dQ - 2 \int_0^{Q_0} Q dQ + \int_0^{Q_0} 1 dQ - P_0 \int_0^{Q_0} 1 dQ$$

$$= \left[\frac{Q^3}{3} \right]_0^{Q_0} - 2 \left[\frac{Q^2}{2} \right]_0^{Q_0} + \left[Q \right]_0^{Q_0} - P_0 Q_0$$

$$\left(\frac{6^3}{3} - 2 \cdot \frac{6^2}{2} + 6 \right) - (4 \cdot 6)$$

$$= 18$$

$$\begin{aligned}
 CS &= \int_0^{Q_0} (Q-1)^3 dQ - P_0 Q_0 \\
 &= \int_0^{Q_0} (Q^3 - 3Q^2 + 3Q - 1) dQ - P_0 Q_0 \\
 &= \frac{Q_0^4}{4} - 3 \cdot \frac{Q_0^3}{3} + 3 \cdot \frac{Q_0^2}{2} - Q_0 - P_0 Q_0 \\
 &= \frac{6^4}{4} - 6^3 + 3 \left[\frac{6^2}{2} \right] - 6 - 4 \times 6 \\
 &= 132
 \end{aligned}$$

31 May 2017

Assignment - 2

1. Derive the dd function for laptop when :-
- (a) It is a luxury good ($\eta_p > 1$)
 - (b) It has one perfect substitute ($\eta_{p,x,y} = +1$)
 - (c) It has one perfect complement ($\eta_{p,x,y} = -1$)
 - (d) It is a normal good ($\eta_y = (+)^{ve}$)

Q2 Deduce a schedule for law of Diminishing MU.

→ main वर्षाना - class वा अधिकारी, वर्षाना अंग वा /
quiz वा काम करना। Different way पर्याप्त स्केडल

करने तो main rule apply करना है।

Q1

⇒ Given, Demand Schedule for laptop

$$Q_d_{\text{laptop}} = 20 - 2.5P_{\text{laptop}} + P_{\text{desktop}}$$

$$\textcircled{a} \quad \frac{1}{1.2} \times \frac{50,000}{60,000} = 1 \\ = \eta_p \geq 1$$

So, It is luxury product.

$$\textcircled{b} \quad \frac{1}{1.2} \times \frac{50,000}{60,000} \\ = 1$$

$$\text{So, } \eta_{P_{xy}} = +1$$

i. If has one perfect substitute.

12 June 2017

Lec-5

Theory of Production

* production is the primary step of supply-creation.
Four Compulsory Inputs :-

* Land जैविक—natural, Capital जैविक—man-made!

1. Land = L

- i) Land is a free gift of nature
- ii) Land is permanent
- iii) Land is immobile
- iv) Land decreases fertility with time.

2. Labour = A

- i) Labor वर्ष कार्यकारी आवश्यक—transfer कर सकते हैं।
- ii) Bargaining power with higher wages
- iii) अमर्याप्ति द्वारा आवश्यक होता है।

why land is not capital?

3. Capital = K : (Land capital ar, natural)

i) capital man-made

* Land \Rightarrow return uniform ??

ii) Capital \Rightarrow return \Rightarrow uniform

iii) Capital is something mobile (जब तक गवाया नहीं)

* किसी वर्षाकृति में भी बदलती है \rightarrow अमर गोलार्ह 11.6.17 (Ques)

4. Organization = O

$$Q = f(L, A, K, O)$$

underlined production function

Q can be anything & everything!

no
specified
time
Association

$$\rightarrow \text{Short run} = Q = f(L, A, \overline{K}, \overline{O})$$

constant

(Input \Rightarrow नियमीय, Output नियमीय)
(Minimum 1st, max 3rd problem 27 अप्रैल)

$$\rightarrow \text{Long Run} = Q = f(L, A, K, O)$$

(Input \Rightarrow नियमीय नहीं, Output नियमीय)

Box Producers' Surplus (P.S.):

Given,

$$P_s = (Q+1)^2 \quad , \text{ where } P_0 = 120, Q_0 = 6$$

↑
Supply

$$\text{Find } P_s = P_0 Q_0 - \int_0^{Q_0} f_2(Q_2) dQ$$

producer surplus \rightarrow ?

$$= P_0 Q_0 - \int_0^{Q_0} (Q+1)^2 dQ$$

$$= P_0 Q_0 - \int_0^{Q_0} (Q^2 + 2Q + 1) dQ$$

$$= 120 \times 6 - \left[\frac{Q^3}{3} + Q^2 + Q \right]_0^6$$

$$= 720 - \left[\frac{6^3}{3} + 36 + 6 \right]$$

$$= 606 \quad (\text{Ans})$$

$$\text{Again, } P_s = P_0 Q_0 - \int_0^{Q_0} (Q+1)^3 dQ$$

$$= P_0 Q_0 - \int_0^{Q_0} (Q^3 + 3Q^2 + 3Q + 1) dQ$$

$$= 120 \times 6 - \left[\frac{Q^4}{4} + Q^3 + \frac{3Q^2}{2} + Q \right]_0^6$$

$$= 120 \quad (\text{Ans})$$

05 July 2017

Lec - 5

■ Law of Diminishing MP

$$Q = f(\bar{L}, A, \bar{K}, \bar{O})$$

only Labour vary \neq !

Here, L, K, O are constant!

■ Types of Production

1. Total Product = TP

2. Average Product = AP = $\frac{TP}{L/A/K/O}$

3. Marginal Product = MP = $\frac{\Delta}{\Delta(L/A/K/O)} (TP)$

→ Total Countable units \rightarrow ये produce करें !

→ Total product \rightarrow L के लिए और फिर average product
of 2nd Land आर्थी 2nd O जैसा होगा !

→ Production \rightarrow 1 unit के लिए कठोर होते हैं ये !

<u>Unit of Labor</u>	<u>TP_A</u>	<u>AP_A</u>	<u>MP_A</u>
0	0	0	0
1 st	2000	2000	2000
2 nd	3000	1500	1000
3 rd	3500	1167	500
4 th	3800	960	300
5 th	3900	780	100

* increasing at a decreasing rate (always 1 input will vary)

* অন্তিম পদের সুবাদের পর কাউন্ট হওয়া যাবে।

Produce a schedule to show that -
(Let) the producer needs at least 5 labours.

<u>Unit of Labor</u>	<u>TP_A^{new}</u>	<u>AP_A^{new}</u>	<u>MP_A^{new}</u>
0	0	0	0
1 st	2000	2000	2000
2 nd	5000	2500	3000
3 rd	9000	3000	4000
4 th	14000	3500	5000
5 th	20000	4000	6000
6 th	25000	4167	5000

06 July 2017

Lec-5 (Contd.)

Short run = Law of Diminishing MP $\Rightarrow Q = f(\bar{L}, A, \bar{K}, \bar{o})$

Long run = R/S $\Rightarrow Q = f(L, A, K, o)$

1. $2(L, A, K, o) = 2Q = 1$

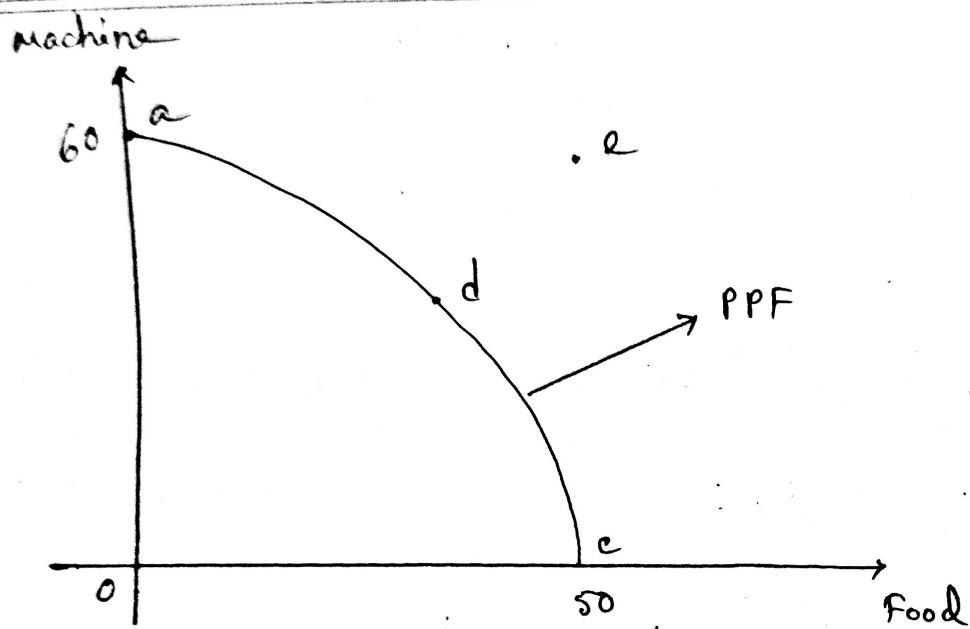
2. $2(L, A, K, o) = 55Q = IRS$ (Increasing Returns to Scale)

3. $2(L, A, K, o) = 1Q = DRS$ (Decreasing Returns to Scale)

Production Possibility Frontier (PPF)

Possibilities	Food	Machine
A	50	0
B	40	15
C	28	20
:		
⋮		
⋮		
Z	0	60

* PPF ~~versus~~ ~~now~~ All resources are exhausted.



Therefore, economy should always be on the PPF, not at the too extremes (a, c) below (b) or above (e).

Lec - 6 (a)

Theory of Cost

1. Land = L = rent = r

2. Labor = A = wage = w

3. Capital = K = interest = i

4. Organization = O = Profit = π

Cost of Producing Q = $r + w + i + \pi$

* Profit is the price of risk bearing

* Loss is the

Types of Cost

1. Total Cost = $\underbrace{\text{Total Fixed Cost}}_{\text{establishment cost}} + \text{Total Variable Cost}$

$$\therefore TC = TFC + TVC$$

$$2. \text{Average Cost} = AC = \frac{TC}{Q} = \frac{TFC + TVC}{Q}$$

$$AC = AFC + AVC$$

$$3. \text{Marginal Cost} = MC = \frac{\Delta}{\Delta Q} (TC)$$

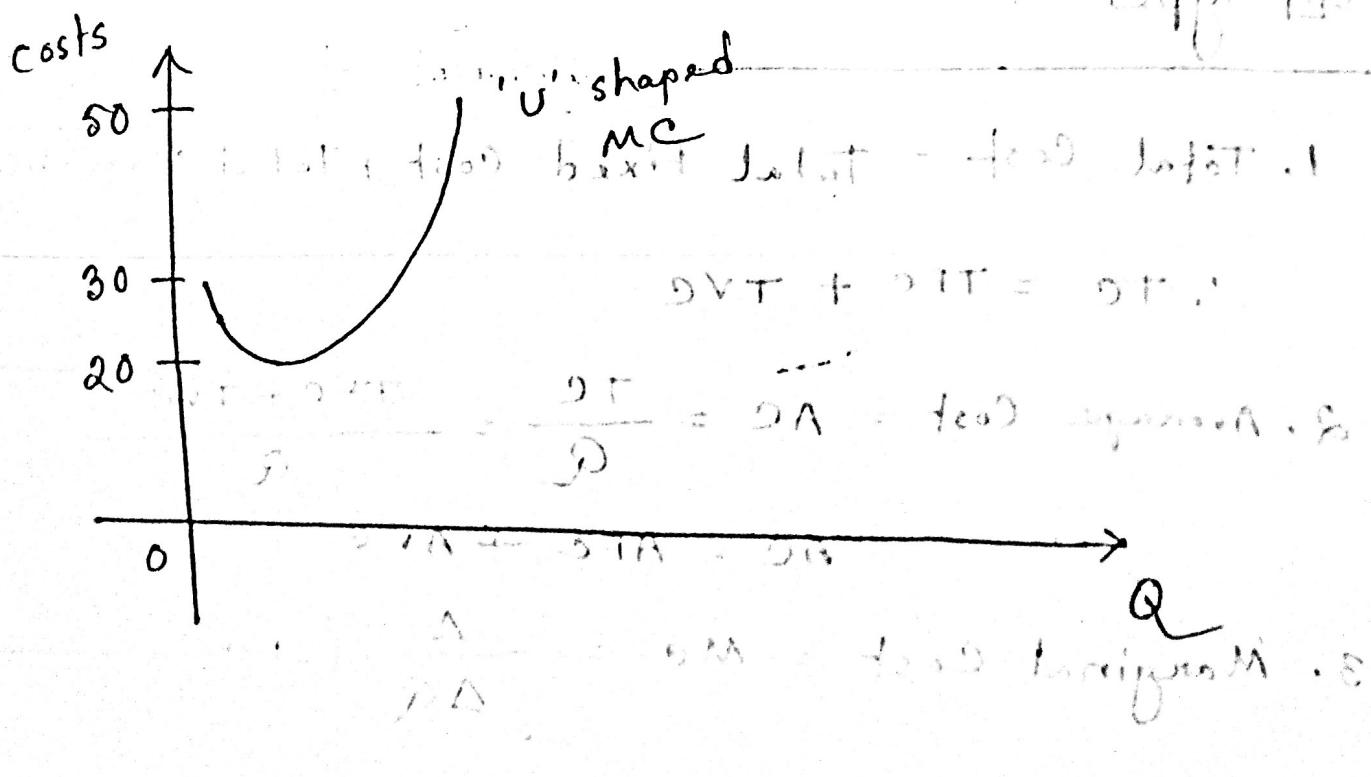
10 July 2017

Lec - 6(a)

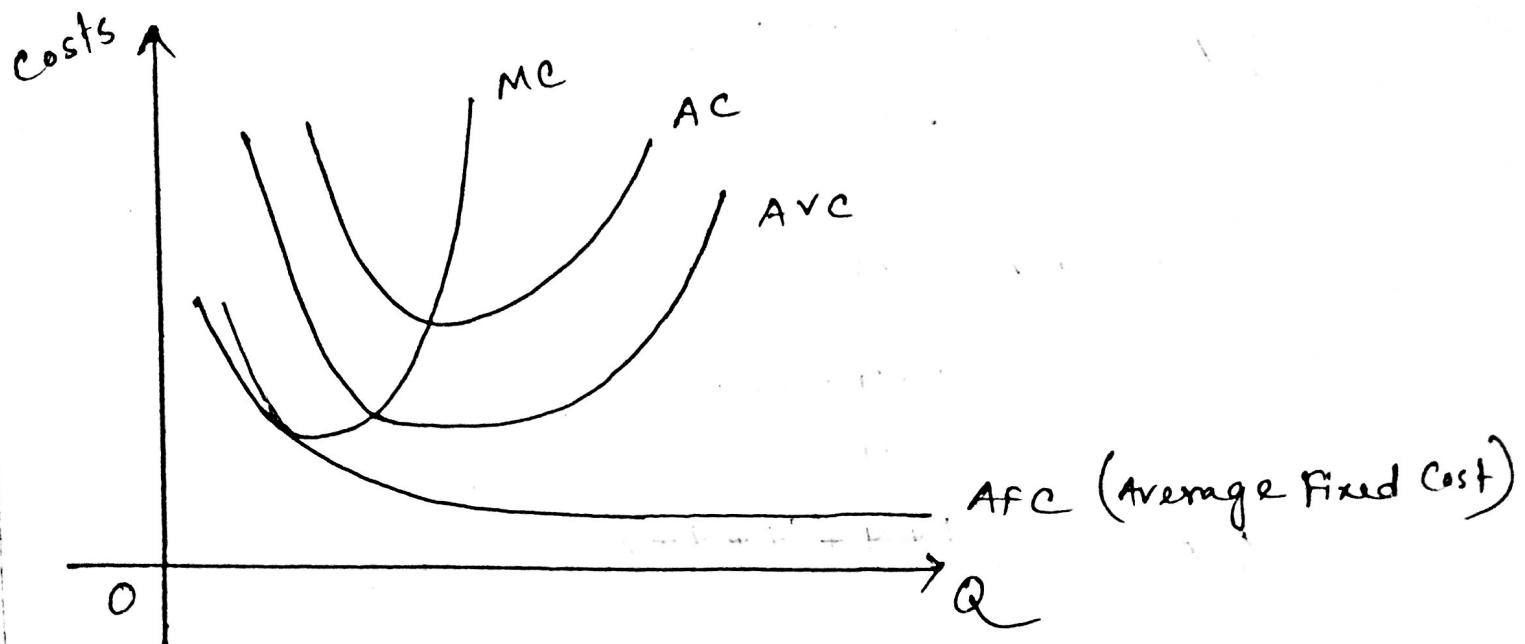
* fixed cost અવસ્થા વર્ણન

Units of Production — TC — MC

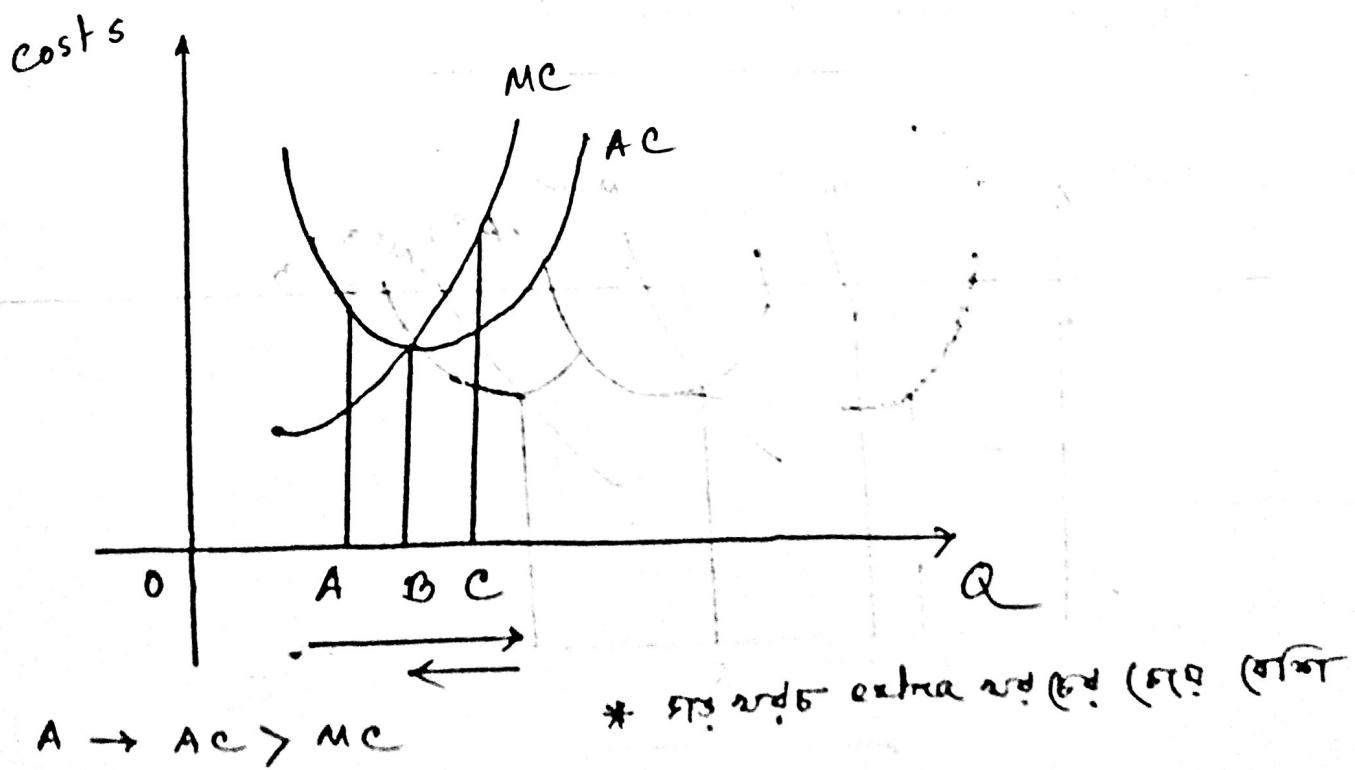
0	—	55	—	30
1 st	—	85	—	25
2 nd	—	110	—	20
3 rd	—	130	—	30
4 th	—	160	—	30
5 th	—	210	—	50



Short run Cost curves



Minimum AC ($AC = MC$)



$$AC = \frac{4+4+4+4}{4} = 4$$

$$\downarrow AC = \frac{4+4+4+4+3}{5} = 3.80$$

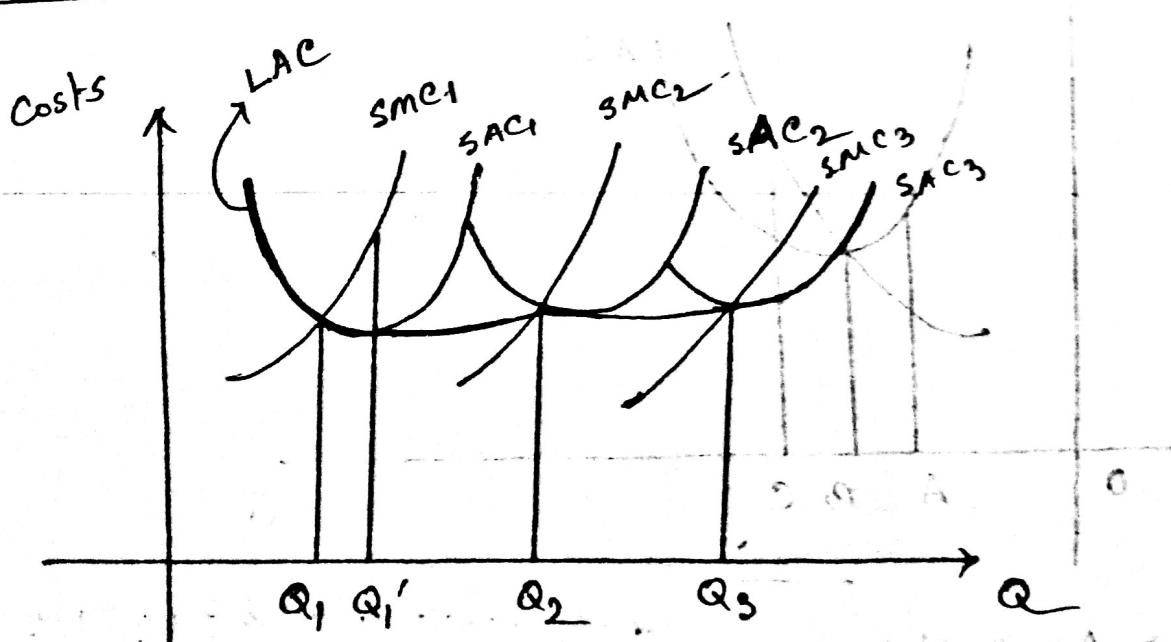
C \rightarrow $AC < MC$

$$AC = \frac{4+4+4+4}{4} = 4$$

$$\uparrow AC = \frac{4+4+4+4+5}{5} = 4.20$$

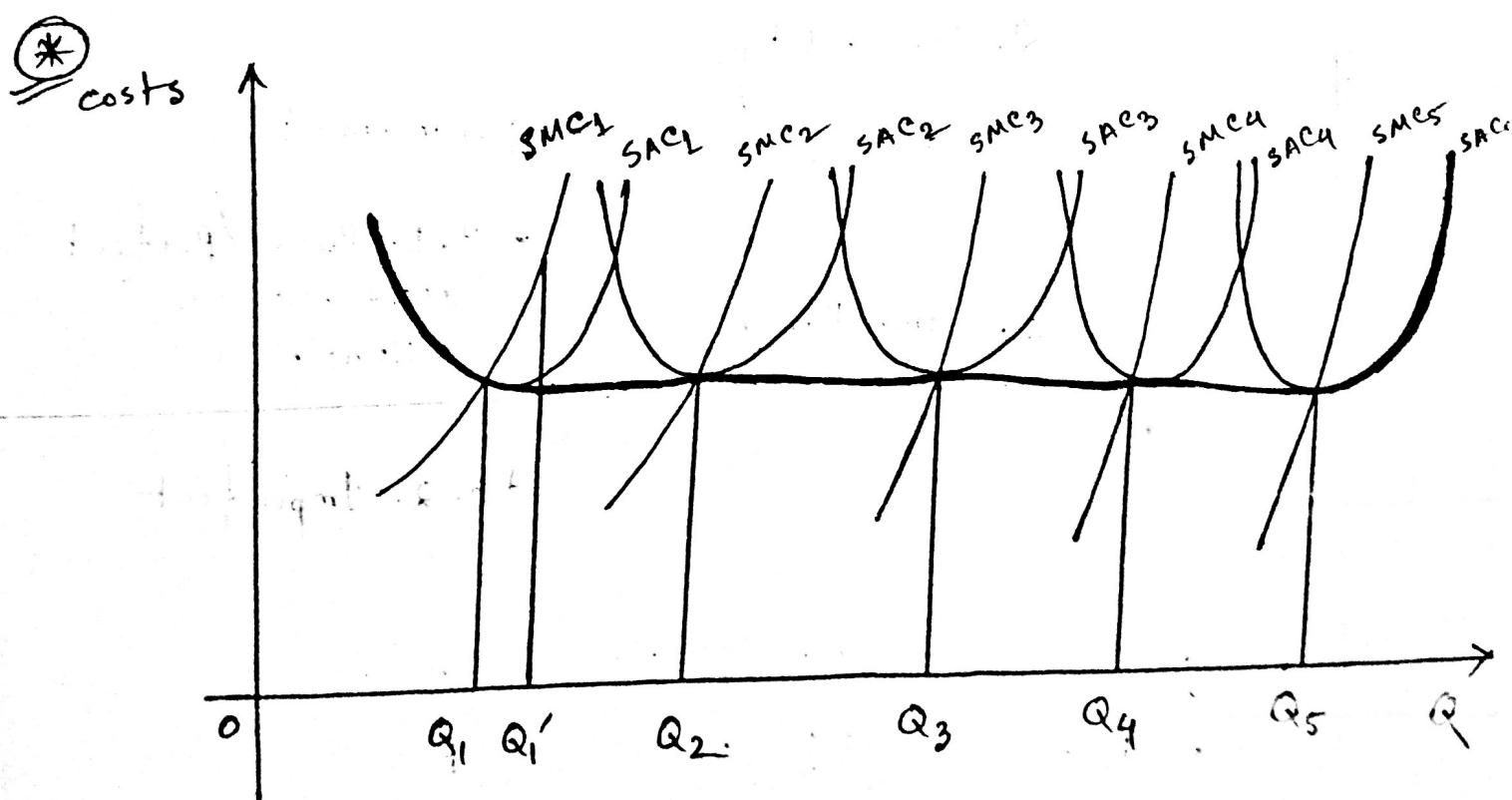
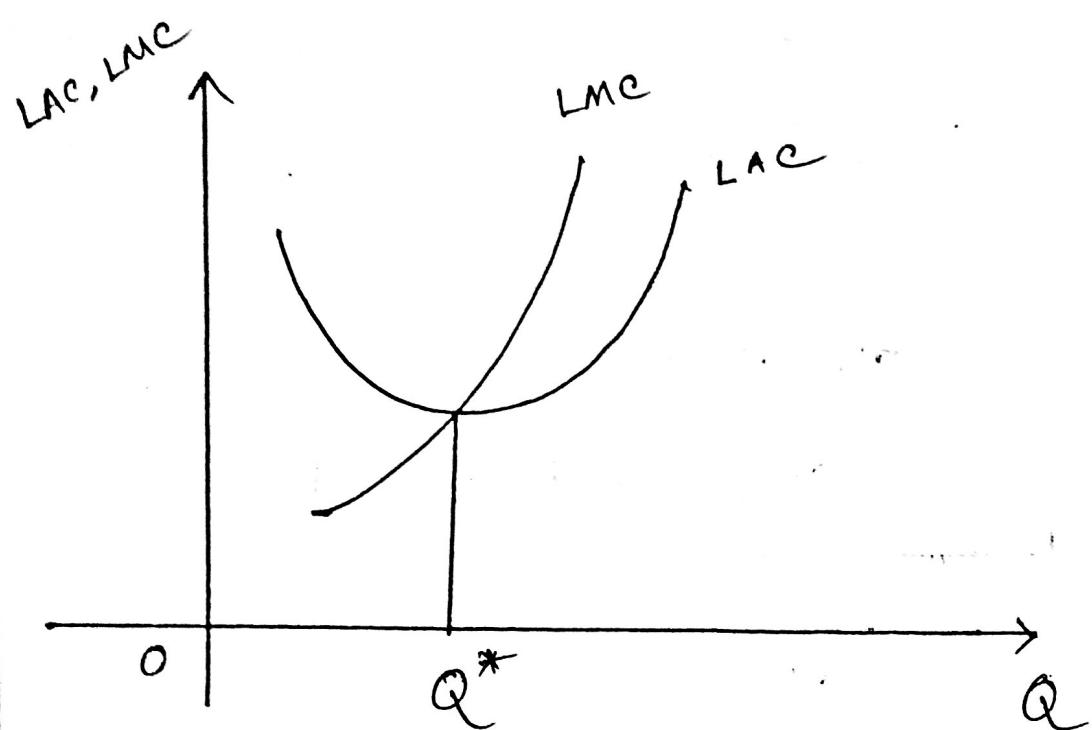
* x_m \rightsquigarrow "real-life-example" \rightarrow AC \approx 1

Long Run Minimum AC



$$SAC = SMC$$

LAC = Longrun Envelope Curve

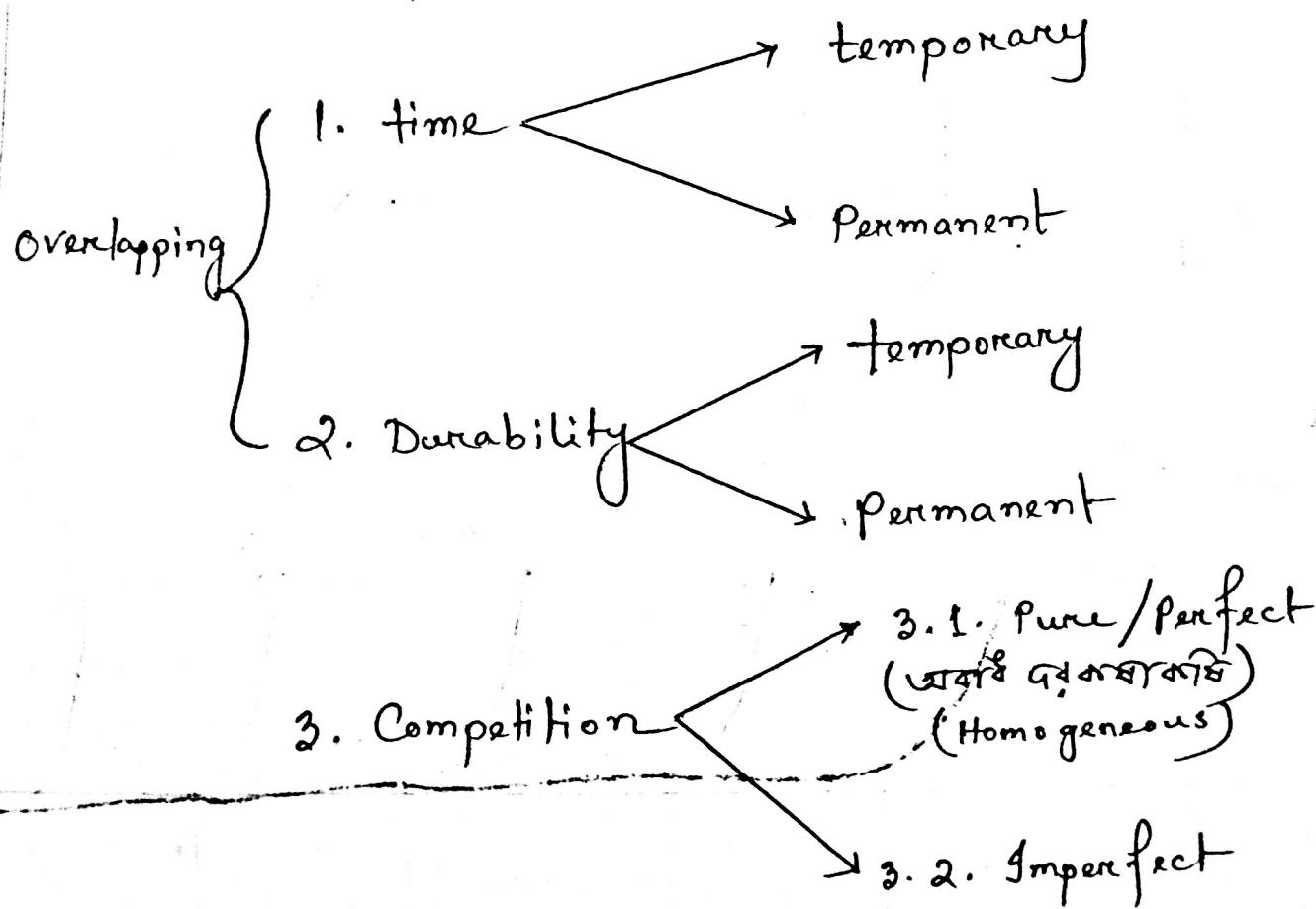


12 July 2017

Lec - 7

Market Structure

Classification



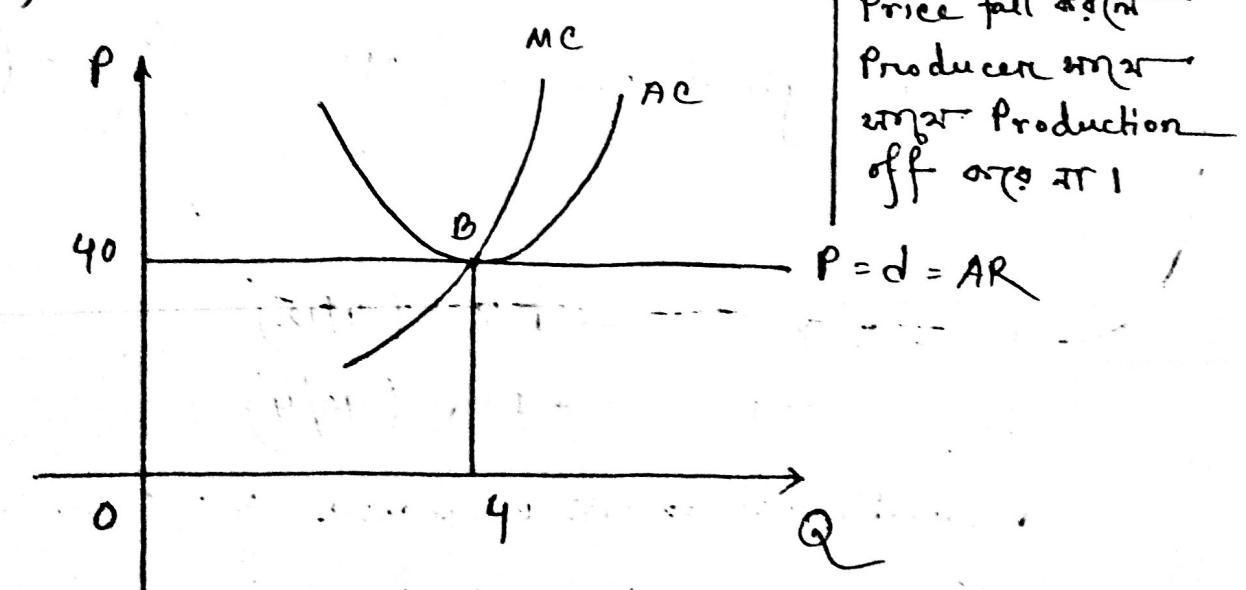
- * Consumer \rightsquigarrow खरीद \Rightarrow income
- * Producer \rightsquigarrow उत्पाद \Rightarrow Revenue
- Difference between industry and firm:
 - 1) firm single unit

* short run \rightarrow firm perfectly elastic demand curve

3.1. Pure/Perfect Assumptions:

1. Large number of buyers and sellers.
2. Homogeneous products sold.
3. Perfect knowledge about the market.
4. No bar for entry and exit.
→ (zero profit)

3.1. a) Break-even point / price-output determination
for a firm in short run ($P = MC$)



B →

$$\pi = TR - TC$$

$$TR = P \times Q = 40 \times 4 = 160$$

$$TC = AC \times Q = 40 \times 4 = 160 ; [AC = \frac{TC}{Q}]$$

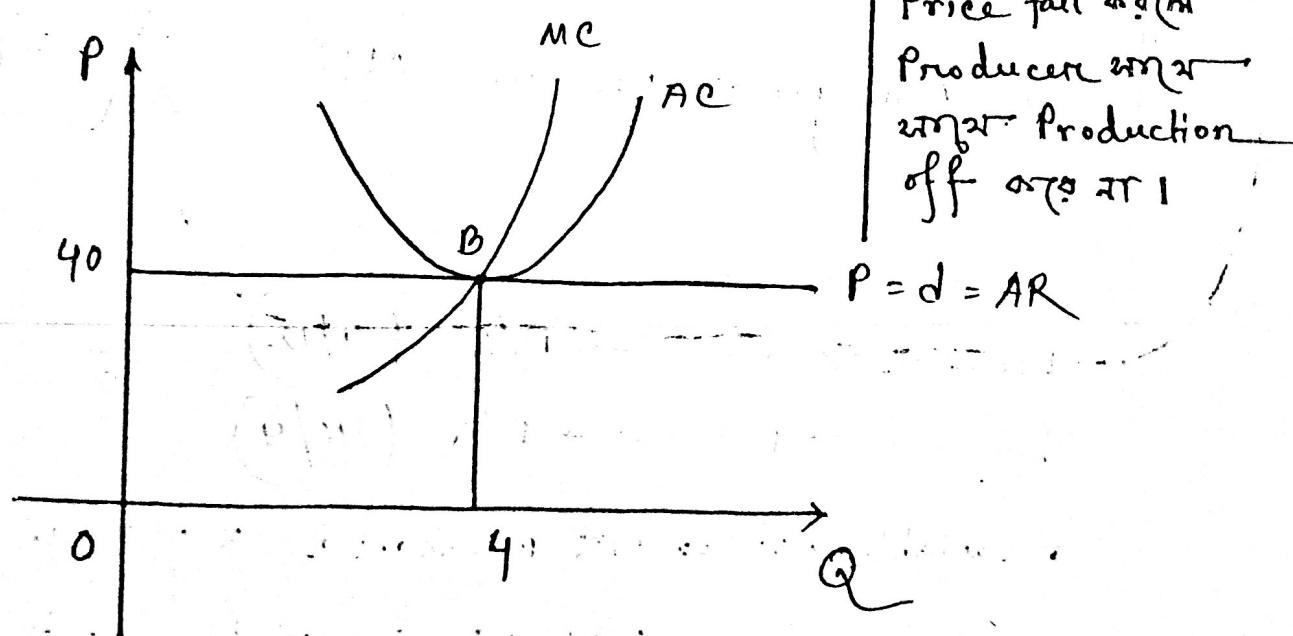
$$\therefore \pi = 0 \text{ (Normal Profit)}$$

↓
because profit sounds positive

3.1. Pure/Perfect Assumptions:

1. Large number of buyers and sellers.
 2. Homogeneous products sold.
 3. Perfect knowledge about the market.
 4. No bar for entry and exit.
→ (zero profit)
- 3.1. a) Break-even point / price - output determination

for a firm in short run ($P = MC$)



$$\begin{aligned} \pi &\rightarrow \\ \pi &= TR - TC \\ TR &= P \times Q = 40 \times 4 = 160 \\ TC &= AC \times Q = 40 \times 4 = 160 ; [AC = \frac{TC}{Q}] \end{aligned}$$

↓
because profit sounds positive

Lec - 6(b)

Revenue (R)

10 → 100

11 → 150

MR = 50

1. Total Revenue = $TR = \text{Revenue} = R = P \times Q$

$$= 5 \times 10$$
$$= 50$$

2. Average Revenue = $AR = \frac{TR}{Q} = \frac{P \times Q}{Q} = P$

$$AR = \frac{50}{10} = 5 = P$$

3. Marginal Revenue = $MR = \frac{\Delta TR}{\Delta Q}$ (TR)

Lec - 2 $\Rightarrow d = s \rightarrow P/Q$ (4/12)

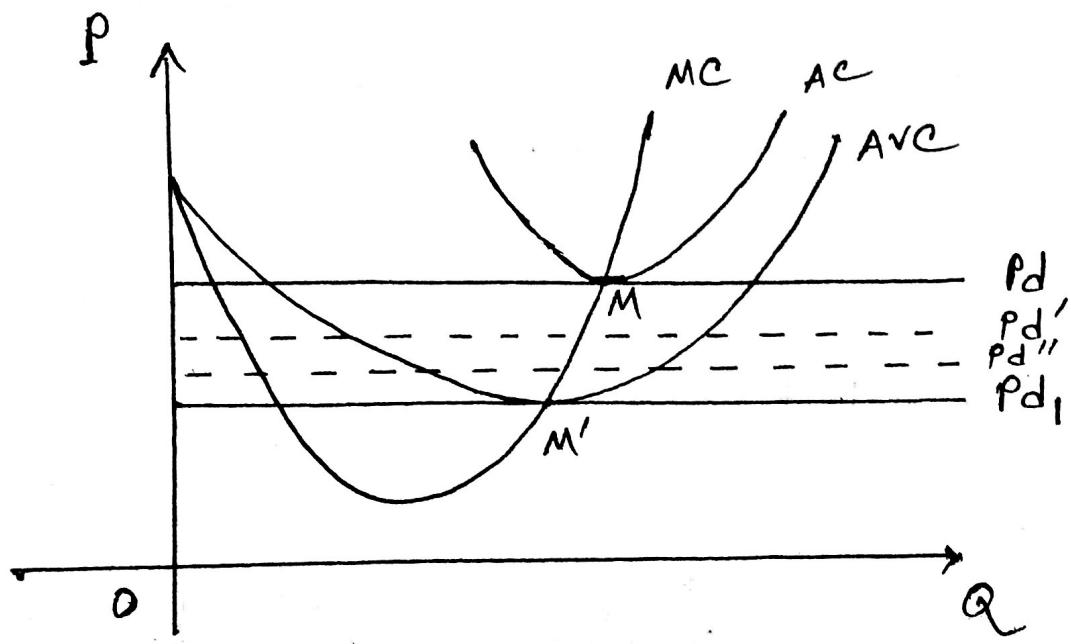
Lec - 7 $\Rightarrow P = MC \rightarrow P/Q$ (40/4)

* variable cost \Rightarrow दूसरा Break even (25%) fall करें fixed cost change, 2nd किसी variable cost (जल्दी घटाएं)

3.1.b) Shutdown Point for a firm in short-run
 $(P = AVC)$

M = breakdown point $\Rightarrow P = M @$

M' = shutdown point $\Rightarrow P = AVC$



* दम चाहे... Break even point वह fall करे तो (at) Producer
 नहीं उत्पन्न Production shutdown करे,

17 July 2017

Lec-7

Market Structure

3. Competition

3.1 Pure/Perfect

3.2 Imperfect

3.2 (a) Monopoly

Single seller
unique

Natural
(world \rightarrow \exists^2)
Regulated

(Every Monopoly
is regulated
by state)

3.2 (b) Oligopoly

3.2-a) Monopoly & Price - Output determination under Natural Monopoly ($MC = MR$)

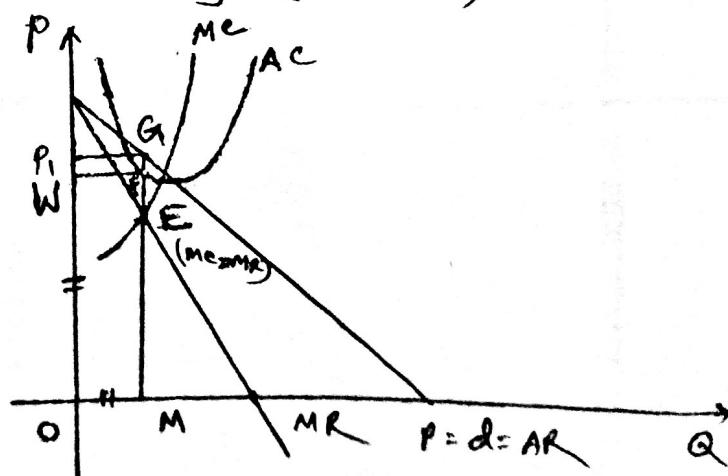
unit 1 — 8 tk

Unit 2 — 6 tk

(less Marginal
Revenue)

The monopoly faces downward
demand curve.

"The steeper the curve,
the higher the slope."



$$\downarrow MR = \frac{\Delta}{\Delta Q} (TR) = \frac{\Delta}{\Delta Q} (\downarrow P \times Q)$$

If $P \downarrow 2 \text{ tk} \rightarrow MR \downarrow 4 \text{ tk}$

* price 'a' এমনটি,
MR '2a' এমনটি!

$$\text{Profit } \Pi = TR - TC = P_1 G_F W > 0 \quad [\text{positive profit}]$$

$$TR = P \times Q$$

$$= OP_1 \times OM$$

$$= \text{area } OP_1 G_1 M$$

[Super Normal profit]

$$TC = AC \times Q$$

$$= OW \times OM$$

$$= \text{area } OWFM$$

[কোটি Natural Product গুরুত্ব
কোটি Super Normal profit
বৃষ্টি হচ্ছে]

* $ab = \text{away}$
normal = স্থানীয়

(কোটি কোটি পুরুষ
কোটি কোটি মাল্য হচ্ছে)

Monopoly: (এক গোষ্ঠী একটি বিক্রিত unique পণ্য)- নিয়ে

গুরুত্ব হচ্ছে, তেরো Monopoly Market এল।

যা কোটি price charge কোটি & supply control কোটি।

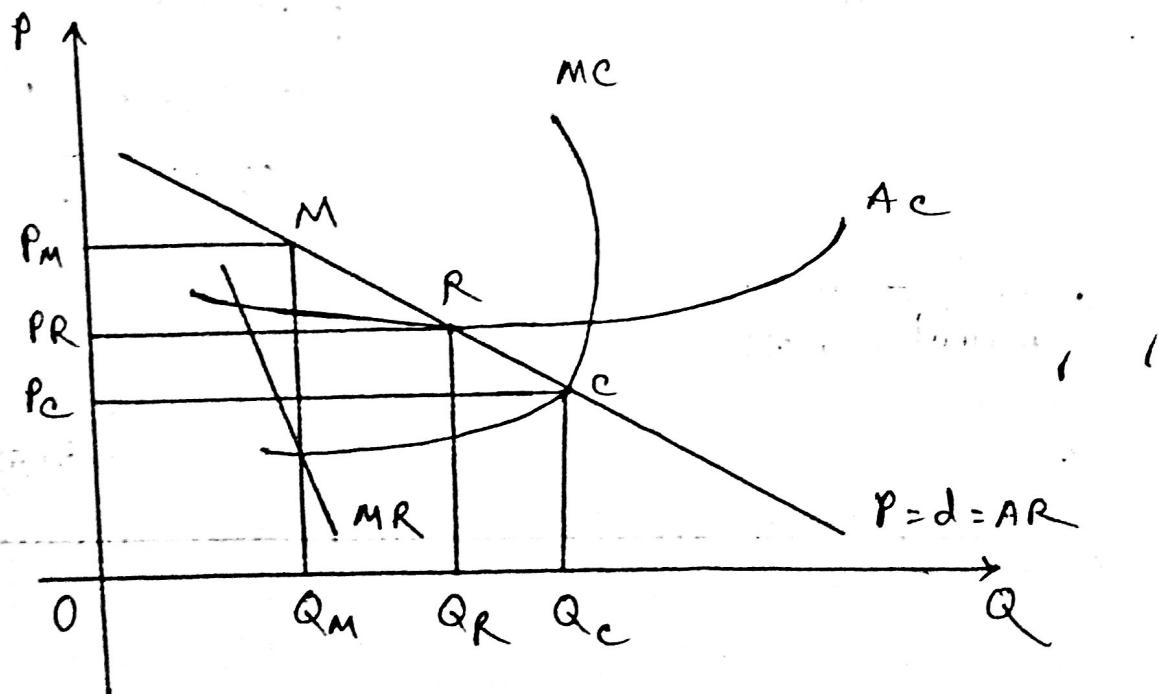
* Firm & Industry are different from each other.

* BTCL, WASA, DESA \rightarrow Giant Monopoly of Bangladesh!

19 July 2017

Public Utility Regulation of a Natural Monopoly

- 1) Natural Monopoly $P \& Q = P_m \& Q_m \Rightarrow MC = MR$
- 2) Regulated Monopoly $P \& Q = P_r \& Q_r \Rightarrow P = AC$
- 3) Competitive Monopoly $P \& Q = P_c \& Q_c \Rightarrow P = MC$



* AC वृद्धि के बिंदु पर नियमित दूरी होनी चाही-

3.2 Imperfect

3.2 (a) Monopoly

3.2 (b) Oligopoly
 few seller
 slightly
 differentiated

(Most Practical Market Structure)

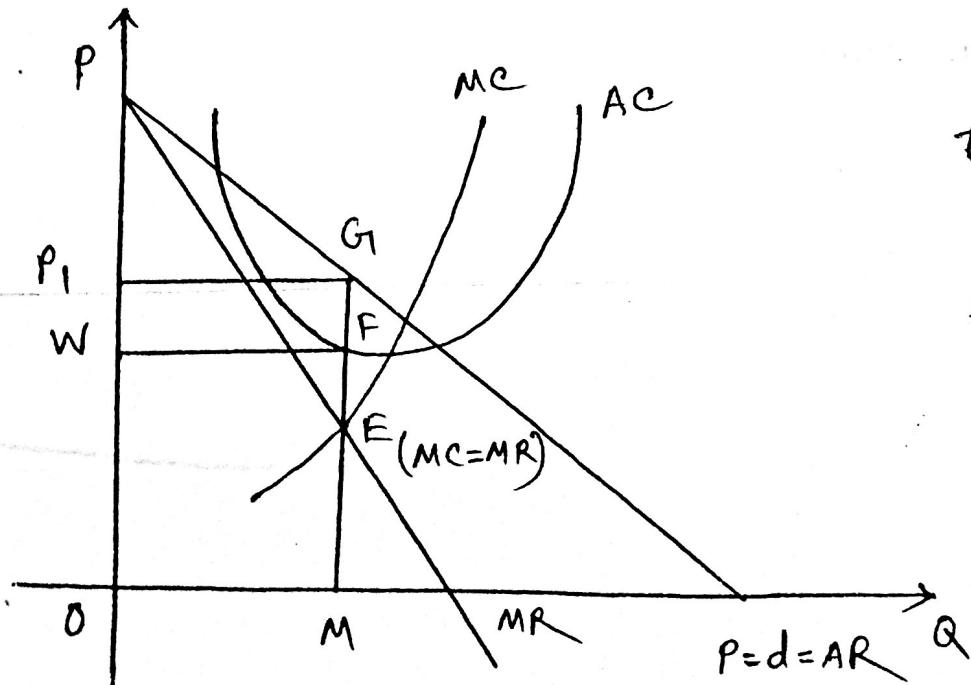
↑

3.2 (c) Monopolistic Competition

(Large number of seller working 1/4 part (2/3 start 2/3)
 [first Bangla soft])

3.2.c) Monopolistic Competition

3.2.c.1) Short run super normal profit of a firm
 $(MC = MR)$

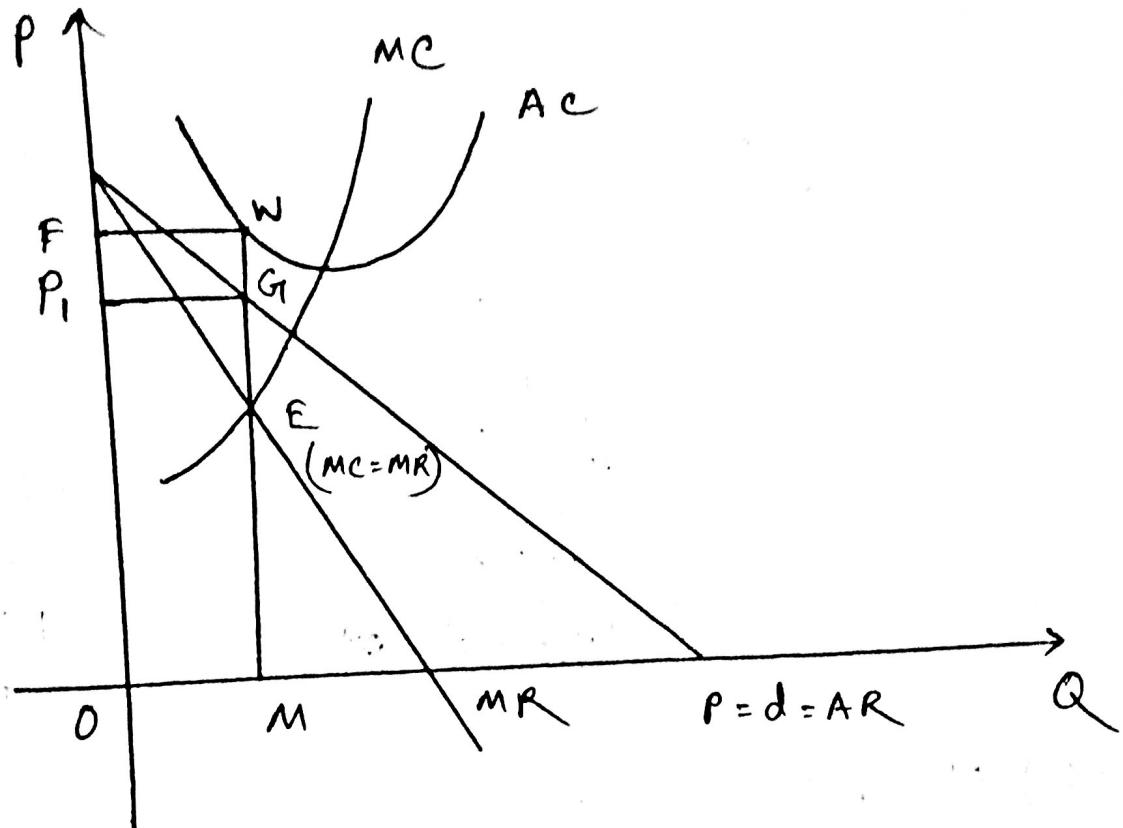


$$\begin{aligned}\Pi &= TR - TC \\ &= P_1 \times Q_{FW}\end{aligned}$$

$$\begin{aligned}TR &= P \times Q \\ &= OP_1 \times OM \\ &= OP_1 \times GM\end{aligned}$$

$$\begin{aligned}TC &= AC \times Q \\ &= OW \times OM \\ &= OWFM\end{aligned}$$

3.2.C (ii) Short run loss ($MC = MR$)



$$\pi = TR - TC$$

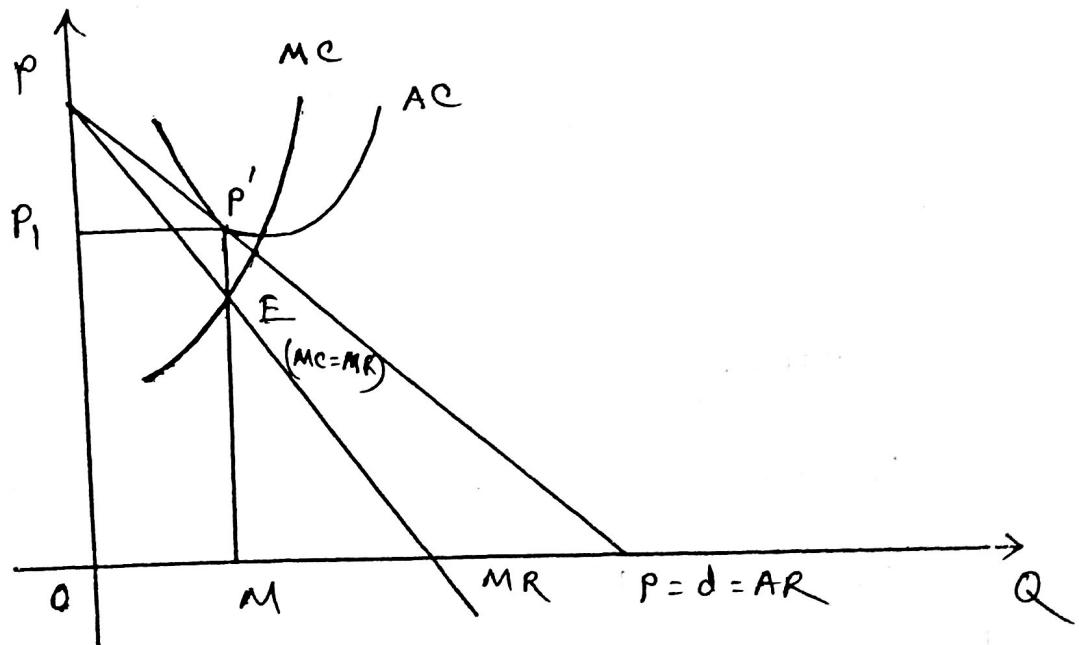
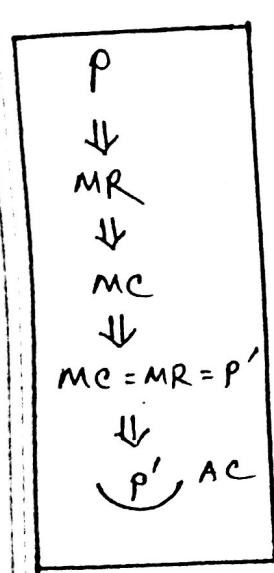
$$TR = OP_1 GM$$

$$TC = OF WM$$

$$\text{Loss} = FW G P_1$$

3.2.c(iii) Long run Normal Profit $(MC = MR)$ $(AC = AR)$

I am
MC & AR



* Total Gif Product വരുമാനി ഡിഡിഫീ ക്ഷേത്ര ശ്രൂവ ഫോറ്മ !
 (Gif figure)

* സ്റ്റെ- കൃതി- പാശാജീഷ് അധിക !

31 July 2017

MACRO

Lec-1

National Income Accounting

Steps:

1. Gross Domestic Product = GDP

2. Gross National Product = GNP

3. Net National Product = GNP - Depreciation

2007

$$200 \times 10\$ + 5\% \times 100$$

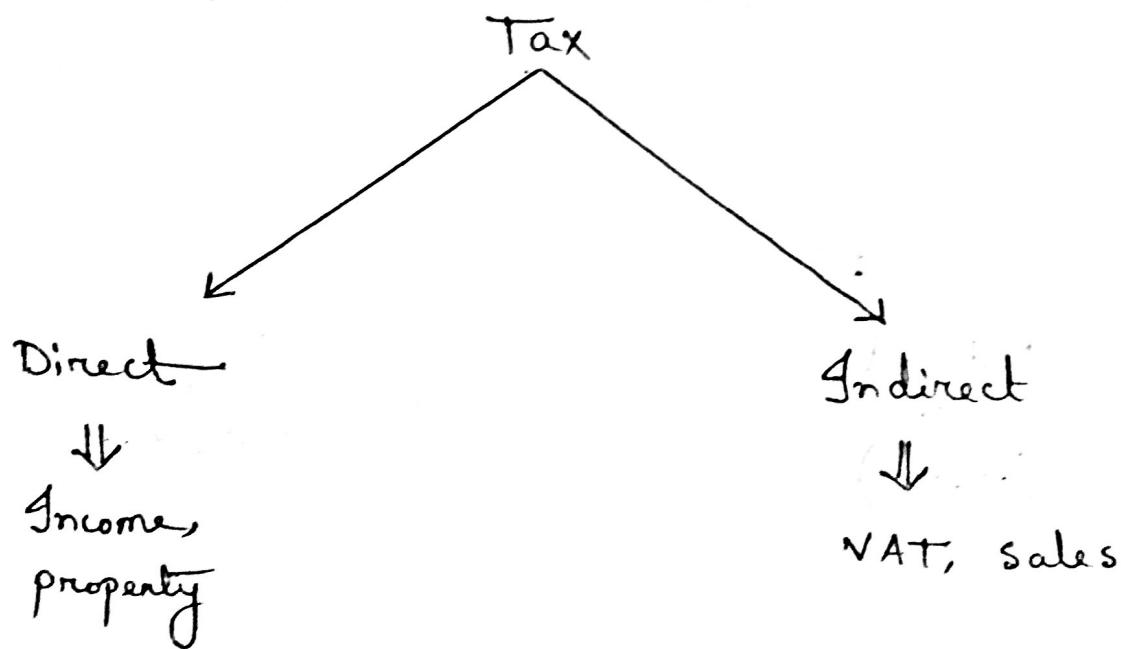
$$= 2000 + 500$$

$$GDP_{2007} = 2500\text{f}$$

Quiz - 2 [2/8/17]

Micro → Lec-7

4. National Income = GNP - Depreciation - Indirect Taxes + subsidy



* Given,

$$GNP = 70,000 \text{ of Cr}$$

$$\text{Depreciation} = 5000 \text{ of Cr}$$

$$\text{Sales tax + vat} = 900 \text{ of Cr}$$

Subsidy 40% of Indirect Tax

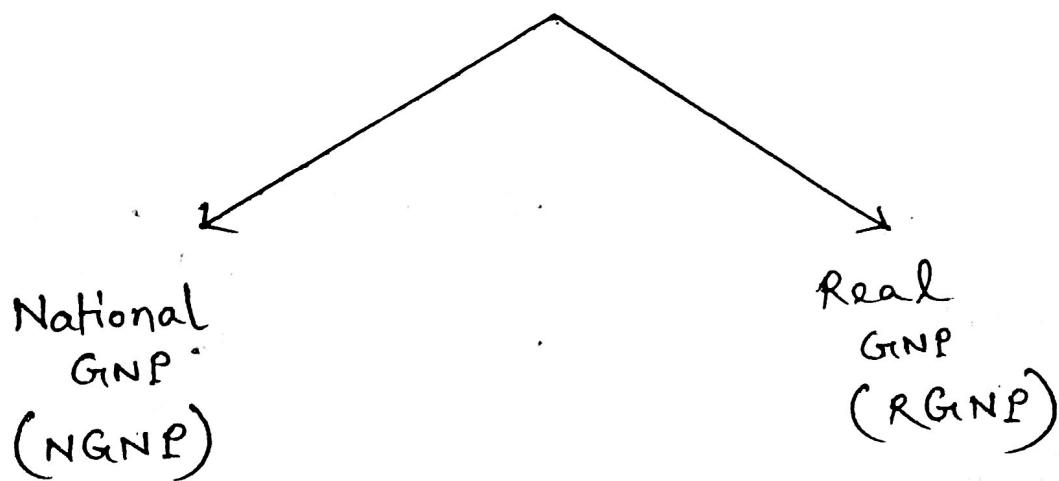
Find NI.

06 Aug 2017

(Extra class)
[Sunday]

National Income Accounting

Calculation of GNP



Item	2007		2008	
	P	Q	P	Q
Oranges	\$ 0.25	20	\$ 30	40
Bananas	\$ 0.30	30	\$ 40	25

$$\begin{aligned}
 N\text{GNP}_{2007} &= \$ (0.25 \times 20 + 0.30 \times 30) \\
 &= \$ (5 + 9) \\
 &= \$ 14
 \end{aligned}$$

$$N\text{GNP}_{2008} = \$ 22$$

$$\begin{aligned}
 R\text{GNP}_{2008} &= \$ (0.25 \times 40 + 0.30 \times 25) \\
 &= \$ (10 + 7.5) \\
 &= \$ 17.5
 \end{aligned}$$

$$\begin{array}{l}
 \text{GNP} \downarrow \text{deflator}_{2008} = \frac{N\text{GNP}}{R\text{GNP}} \\
 \hline
 \end{array}$$

$$\begin{aligned}
 \text{Rate of inflation} &= \frac{22}{17.5} \% \\
 (\text{ग्राहीत रेट}) &= 1.26 \%
 \end{aligned}$$

09 Aug 2017

Lec - 2

Aggregate Demand (A.D.)

&

Aggregate Supply (A.S.)

$$AD = C + I + G + (X - M)$$

↓ ↓ ↗
Investment Government Purchase Net Export

→ Demand for Consumption
(अपेक्षित डमेंड)

$$Y_D = \text{Disposable Income} = C + S$$

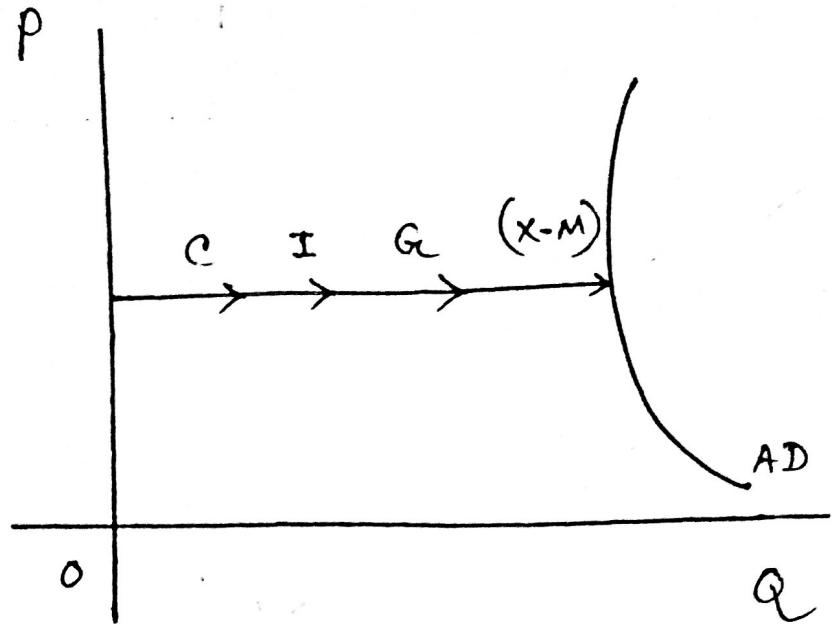
→ Consumption
→ Savings

= Nominal Income - Tax

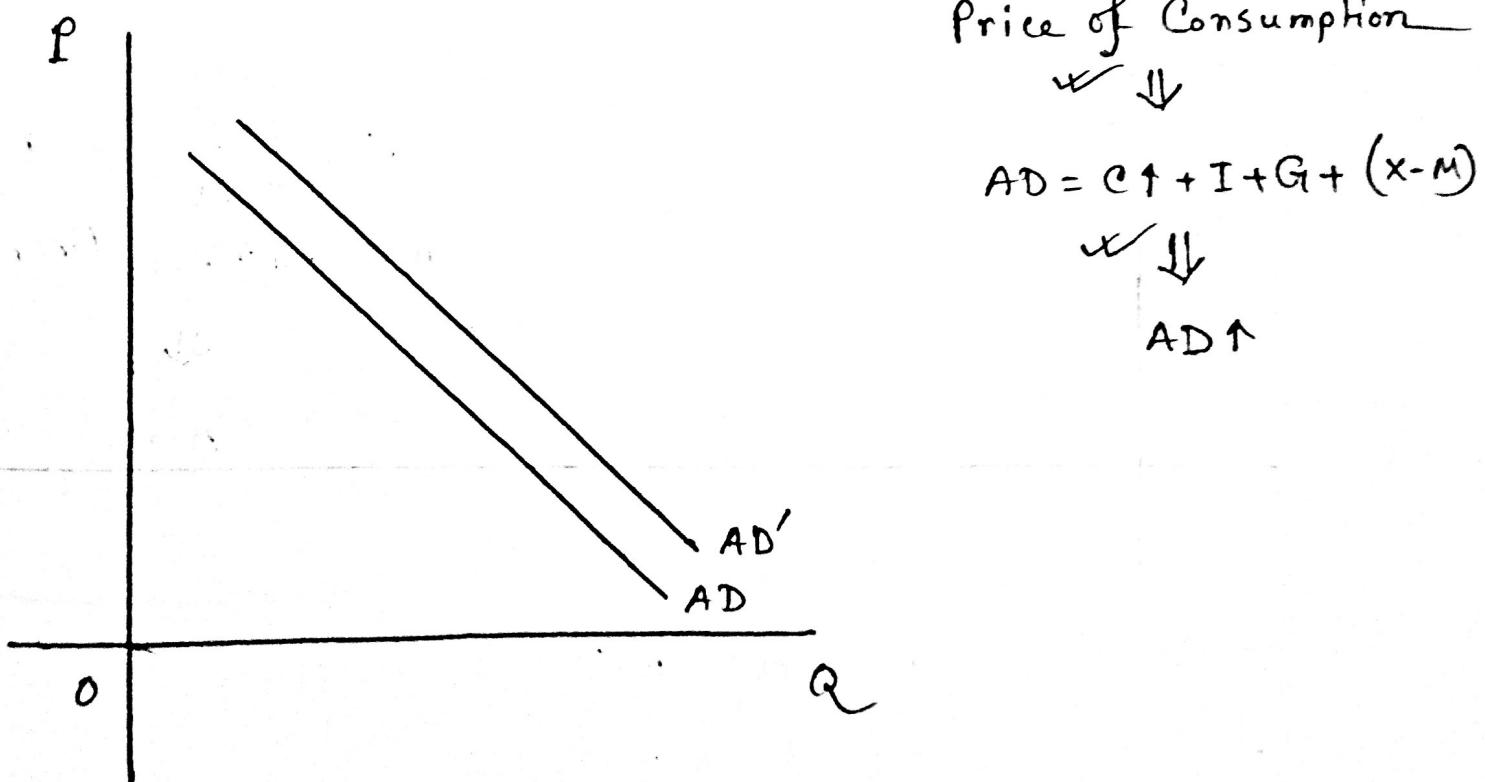
$$= 10000 - 100$$

$$= 9900$$

$$\begin{array}{ccc} & \swarrow & \searrow \\ 9000(c) & + & 900(s) \end{array}$$

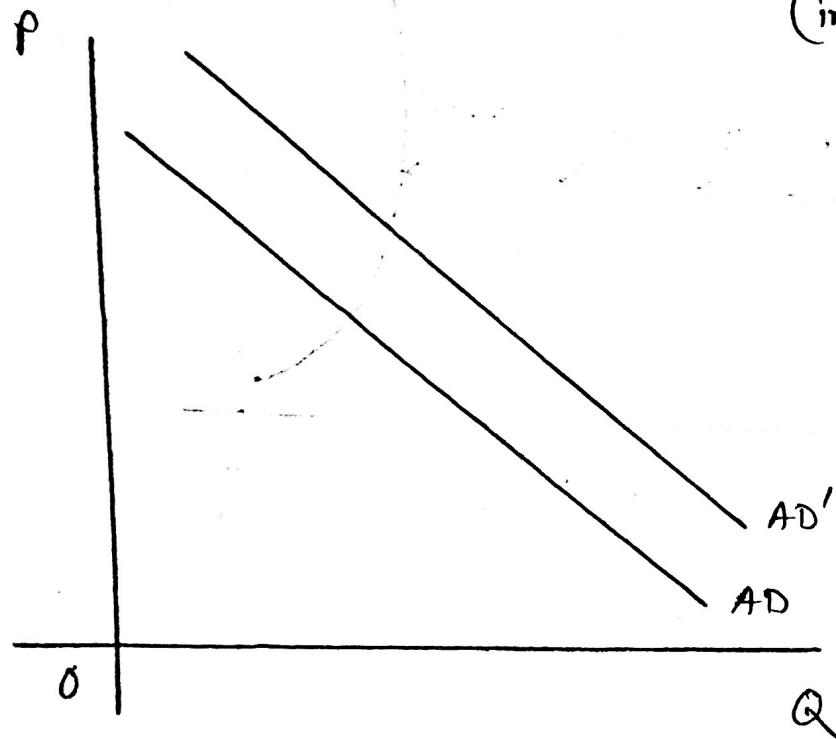


Exercise - 1



Ex-2 :

Price of Investment
(interest rate = i) ↓



$$AD = C + I \uparrow + G + (X - M)$$



$AD \uparrow$

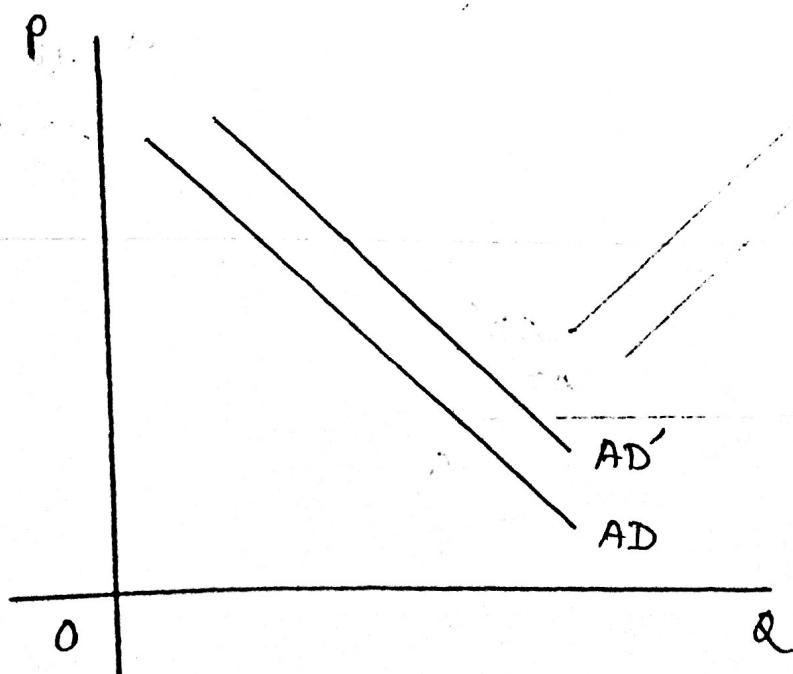
Ex-3 :

Price of frozen shrimp ↓

$$AD = C + I + G + (X - M) \uparrow$$



$AD \uparrow$



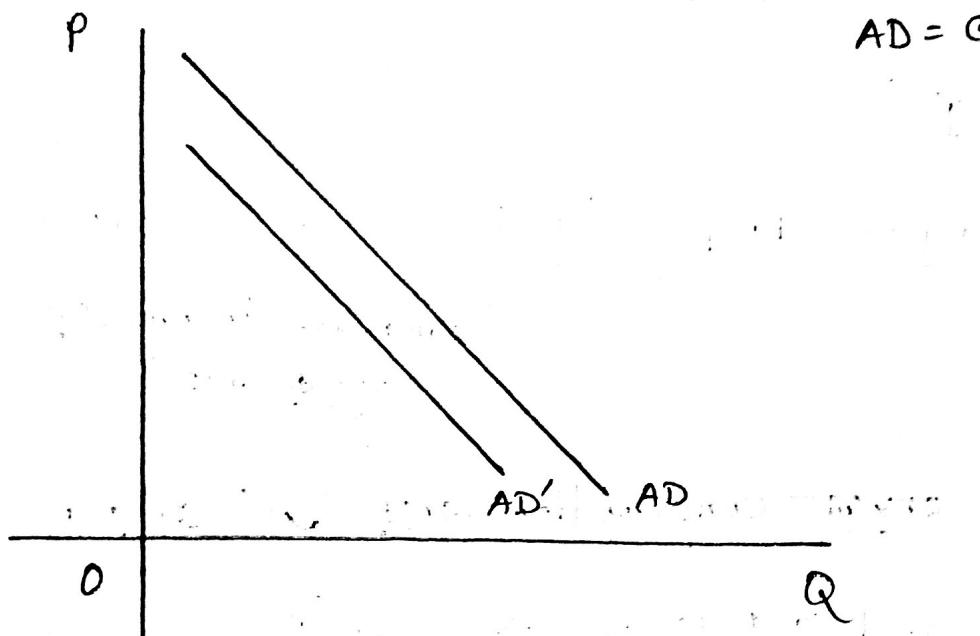
Ex-4 :

Price of Submarine ↑

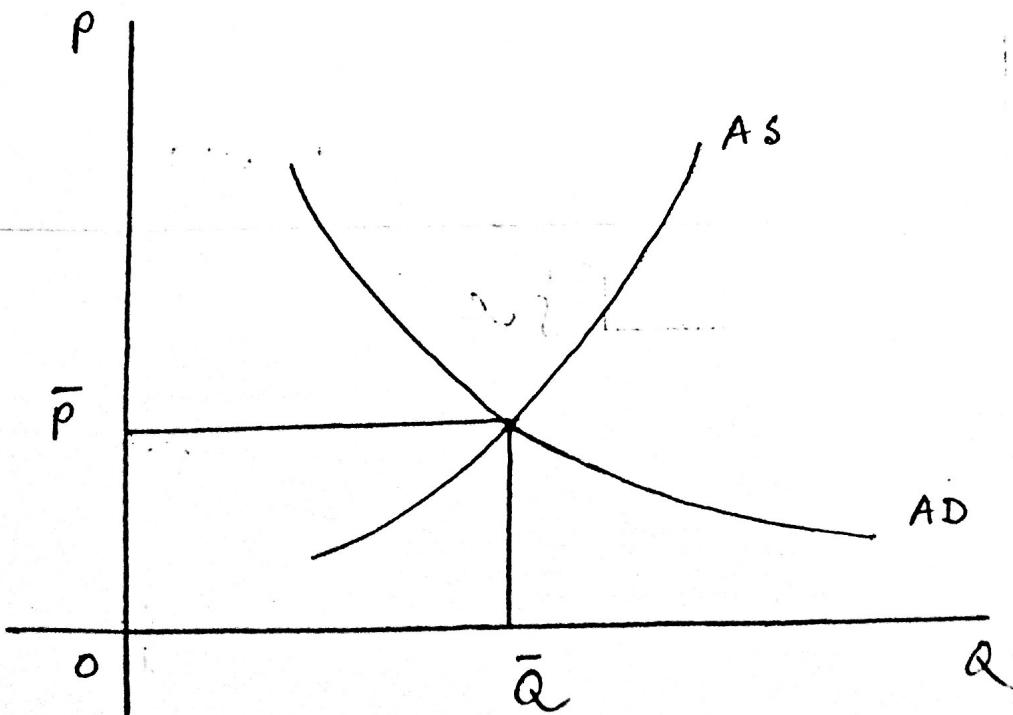
$$AD = C + I \uparrow + G + (X - M)$$



AD ↓



Aggregate Supply : (AS)



Lec - 3

Consumption, Saving, Investment

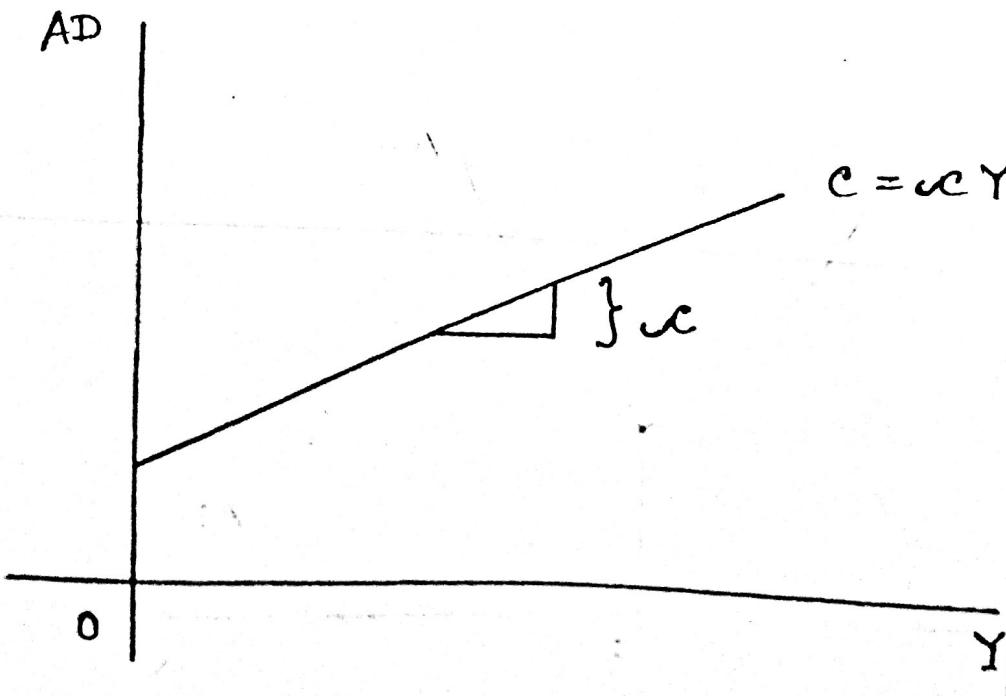
$$C = cY$$

c = Marginal Propensity to consume = MPC
 (Increase income by a certain amount)

* income and consumption are in eq. form.

$$c = 0.8 \text{ and } Y \uparrow 100 \text{ tk} \Rightarrow C = cY \\ = 0.8 \times 100 = 80 \text{ tk}$$

* Consumption can never be zero or negative.



■ Problem of Calculating GDP & GNP:

Problem of double counting

(মধ্য মূল্য পুরোটা → intermediate good)

(check)

(মধ্য-মূল্য পুরোটা → final good)

জটিল, শপিং → intermediate good

(দানা, কাপড় → final good (মধ্য গোষ্ঠী change
হবে না))

■ NNP Calculation:



Given,

$$GNP = 70,000 \text{ crore}$$

$$\text{depreciation} = 5,000 \text{ crore}$$

$$\text{Sales Tax + VAT} = 900 \text{ crore}$$

Subsidy 40% of indirect Tax

Find NI.

$$NI = \left(70000 - 50000 - 900 + 900 \times \frac{40}{100} \right) \text{ crore} \\ = 64460 \text{ crore}$$

Savings :

$$S = Y - C = Y - cY = Y(1 - c) = sY ; [\because s = (1 - c)]$$

s = Marginal propensity to save

$$= MPS$$

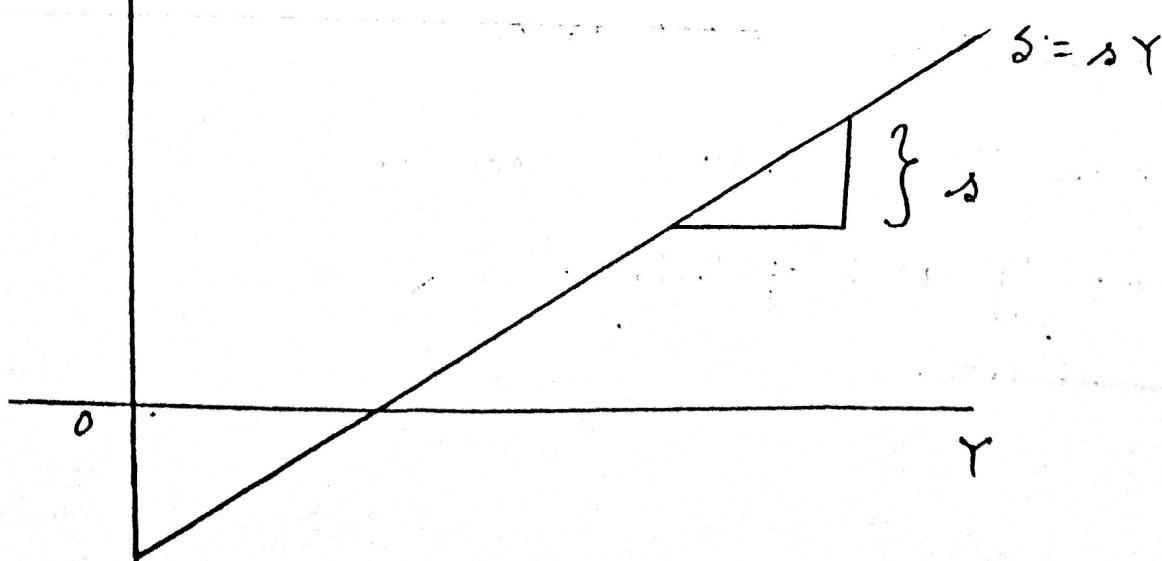
* savings can be negative or '0'.

$$c = 0.8 \text{ and } Y \uparrow 100 \text{ tk}$$

$$\Rightarrow C = cY = 0.8 \times 100 = 80$$

$$S = sY = (1 - c)Y = (1 - 0.8) \times 100$$

$$= 20$$



$$c + s = 1$$

$$\Rightarrow c + 1 - c = 1$$

$$0 < c, s < 1$$

Ex.,

$$c = 1$$

$$s = 0$$

$$AD = AS \quad \text{--- } \textcircled{1}$$

$$\Rightarrow c + I + G + (X - M) = Y \quad \text{--- } \textcircled{11}$$

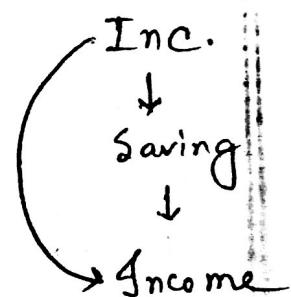
Assumptions :

1. It is a closed economy with no government sector.

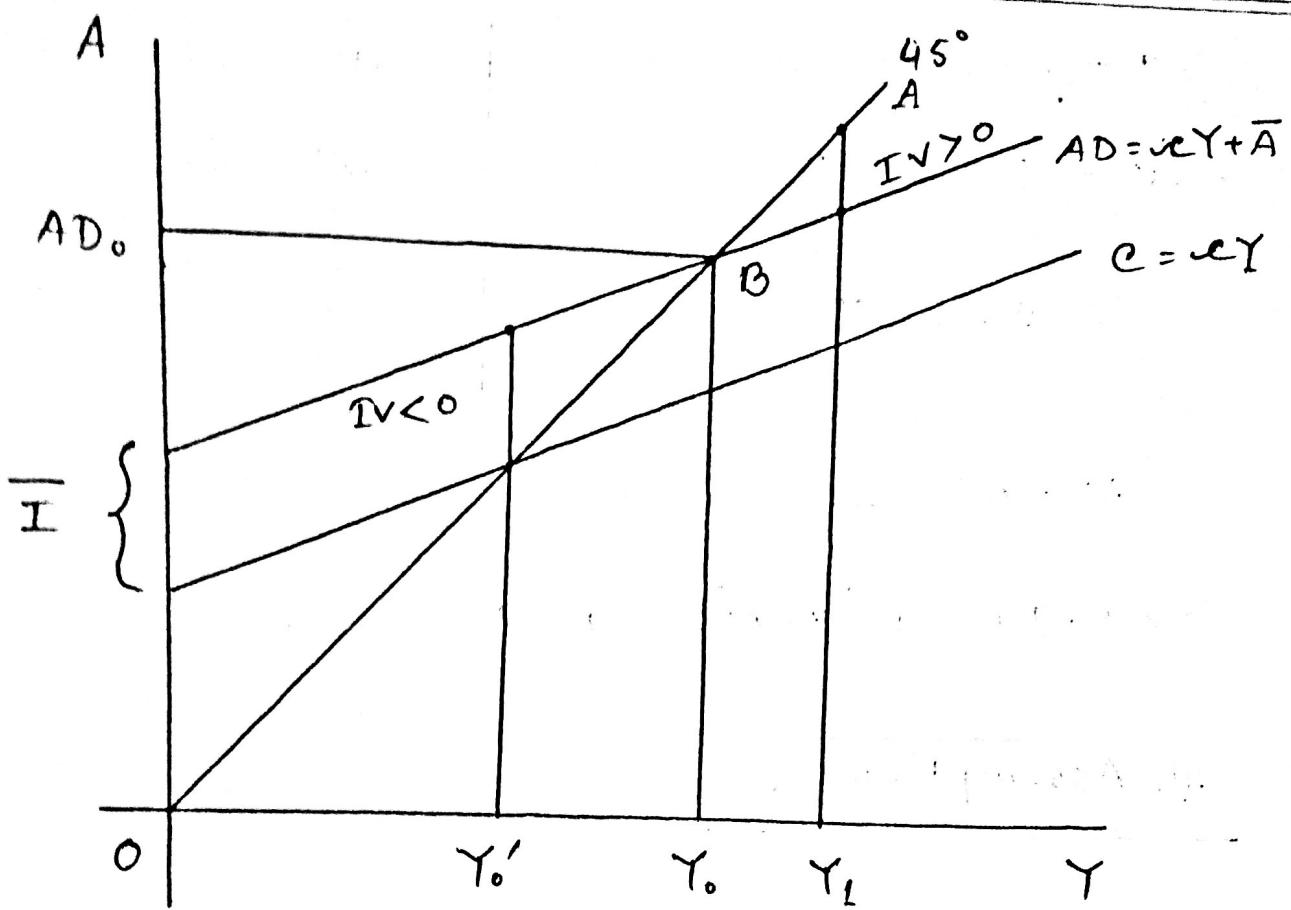
2. Investment is autonomous.

$$c + \bar{I} = Y \quad \text{--- } \textcircled{111}$$

$$cY + \bar{A} = Y (\bar{I} = \bar{A})$$



(P.T.O.)



45° = Income Output Line (Supply line)

$OY_0 \rightarrow$ Efficient level of output

$B \rightarrow$

$$AD_0 = Y_0$$

$$cY_0 - \bar{A}_0 = Y_0$$

$$\Rightarrow Y_0 - cY_0 = \bar{A}_0$$

$$\Rightarrow Y_0 (1 - c) = \bar{A}_0$$

$$\Rightarrow Y_0 = \frac{1}{(1 - c)} \bar{A}_0$$

Theoretically, Consumption and income
are proportionally related.

$$\frac{1}{1-\epsilon} \downarrow < 1$$

Given,

$$C = 1200 + 0.8 Y_D$$

$$\text{where, } Y_D = Y - T \quad (\text{tax})$$

$$\text{and } T = 100$$

Find MPC !

Ans.

$$\begin{aligned} C &= 1200 + 0.8 Y_D \\ &= 1200 + 0.8 (Y - T) \\ &= 1200 + 0.8 (Y - 100) \\ &= 1200 + 0.8 Y - 80 \\ &= 1120 + 0.8 Y \end{aligned}$$

$$\therefore MPC = \epsilon = \frac{\Delta C}{\Delta Y} (c) = 0.8$$

$$\therefore MPS = (1 - \epsilon) = s = (1 - 0.8) = 0.2$$

Lec - 4

Inflation (इन्फेशन)

↳ (less harmful)

(Price & Output increases)

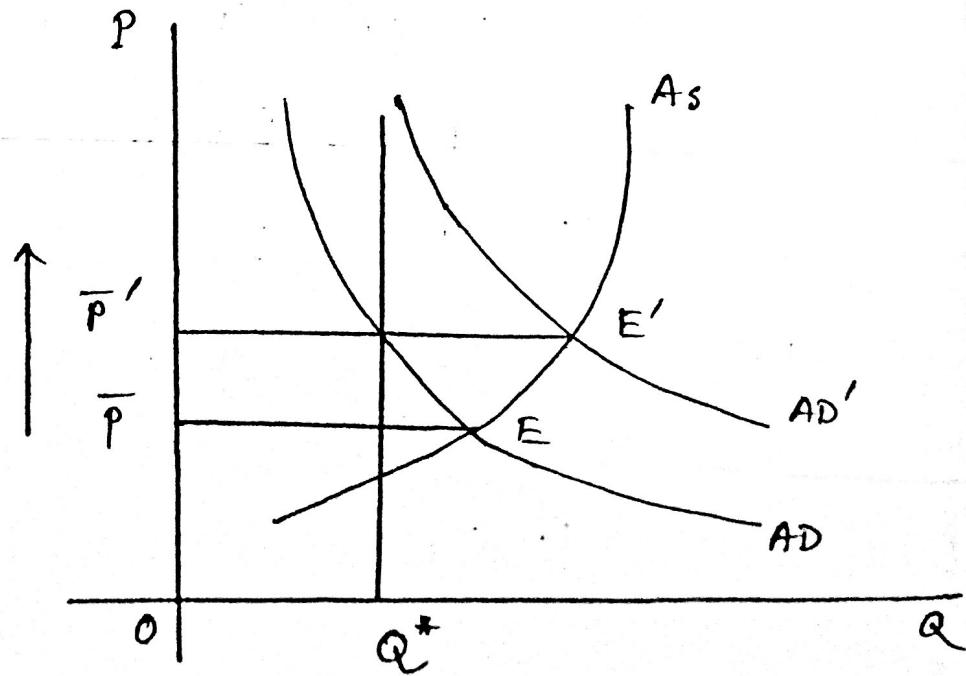
"When too much money is chasing too few goods."

④ Deflation (Opposite to 'Inflation')

④ Stagflation (एक्टिफ्लॉटन) [price rise, output fall]

④ Types of Inflation:

1) DD Pull



Q^* = Potential Output

* (DD Pull) E is equal to Potential Output or has to be greater than that.

Price of Investment (i) ↓



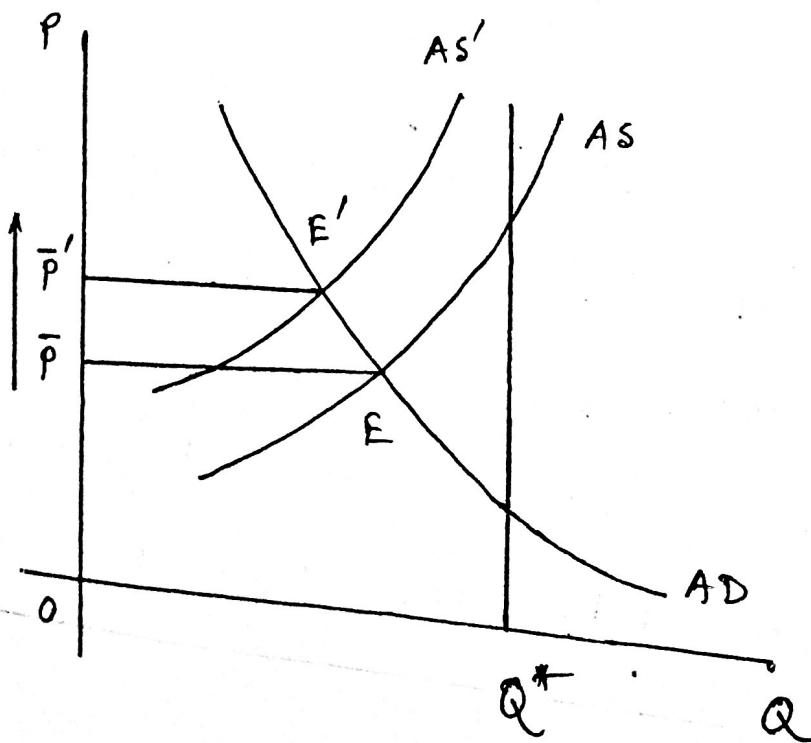
$$AD = C + I \uparrow + G + (X - M)$$



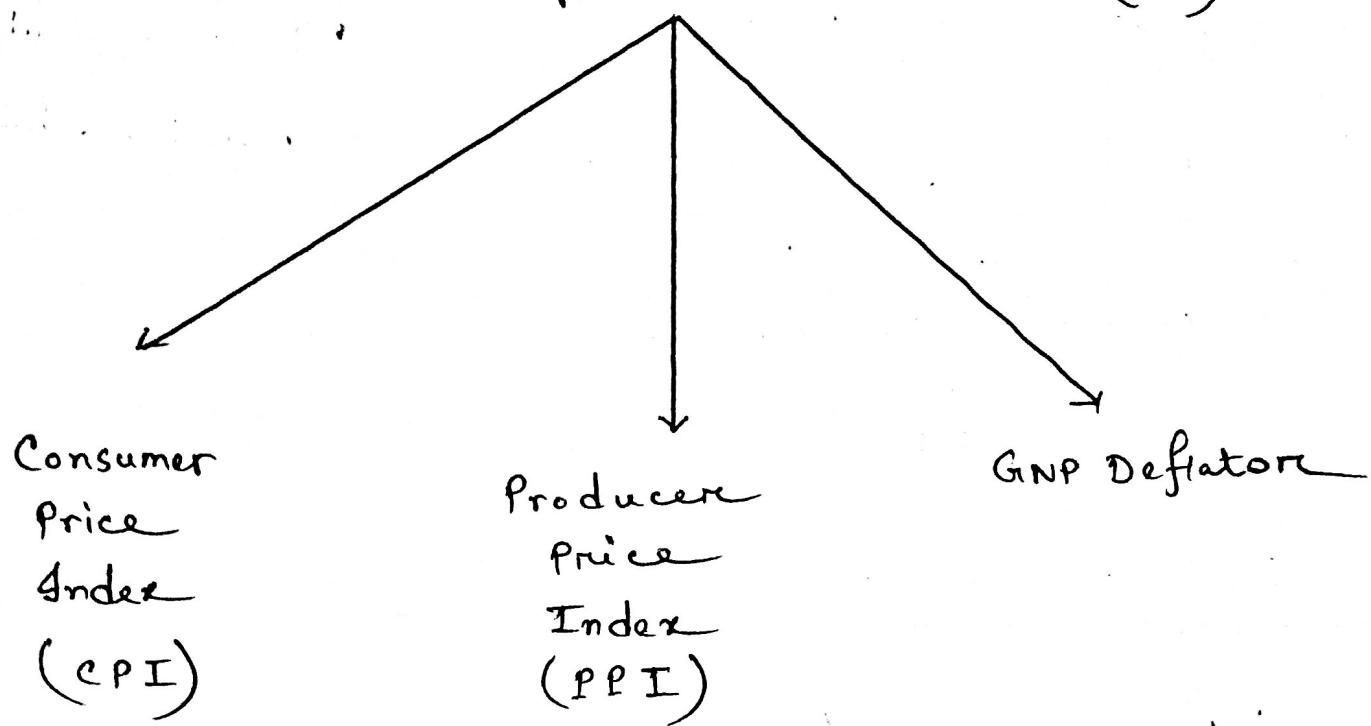
$AD \uparrow$

* Potential Output is achievable, but not possible

2. Cost Push :



Calculation of Rate of Inflation (ROI)



* Suppose, the CPI in 2009 is 90. Consumers spend 50% of their income on food, 30% on shelter and 20% on education. Now in 2010, price of food rise by 10% and education price fall by 5%. Calculate CPI and ROI for 2010.

⇒

CPI $\xrightarrow{\text{implies}}$ General Price Level
(गकराम)

* CPI is the summation of all the weighted average!

$$CPI_{2009} = (90 \times 0.5 + 90 \times 0.3 + 90 \times 0.2)$$

$$= 90$$

2010

$$\% \text{ of food} \uparrow \text{ by } 10\% = \frac{90 \times 10}{100}$$

$$= 9 = 90 + 9 = 99$$

$$\% \text{ of shelter} = 90$$

$$\% \text{ of education} \downarrow 5\% = \frac{90 \times 5}{100}$$

$$= 4.5 = 90 - 4.5 = 85.5$$

$$CPI_{2010} = (99 \times 0.5 + 90 \times 0.3 + 85.5 \times 0.2)$$

$$= 93.6$$

$$ROI_t = \frac{CPI_t - CPI_{t-1}}{CPI_{t-1}} \times 100$$

$$ROI_{2010} = \frac{93.6 - 90}{90} \times 100$$

$$= 4\%$$

Price level has increased in the year 2010 compared to

the year 2009 by 4%.

N.B.: If $ROI_{2010} = -4\%$ [Price level has decreased in the ---]

Assignment

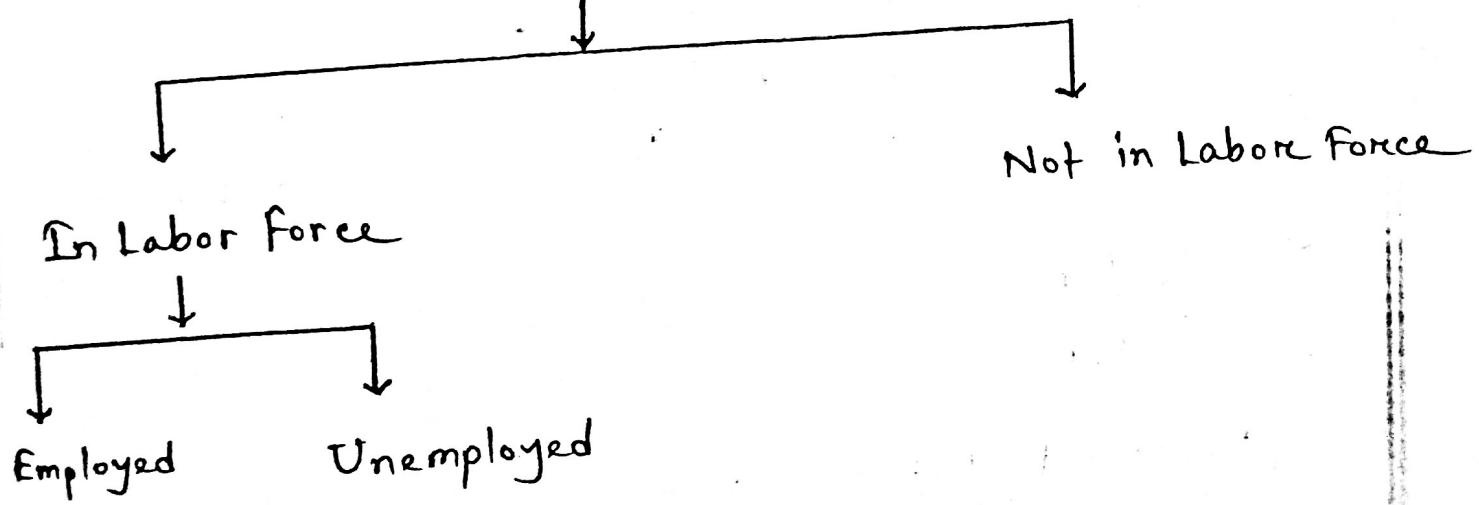
Name of the Product	Nature of the Product	Types of Competition	Name of the Market	Example	Profit
			Domestic	International	
1. Graduate CS Engineer	Homogeneous	Perfect	Graduate as Engineer in Bangladesh	Graduate as Engineer in U.K.	Short Run Normal Profit ($P = MC$)
2. CS Engineer	Homogeneous and Slightly Differentiated	Imperfect Monopolistic	CS Engineer in Bangladesh	CS Engineer in U.K.	1) 3 Cases ii) iii)

Unemployment

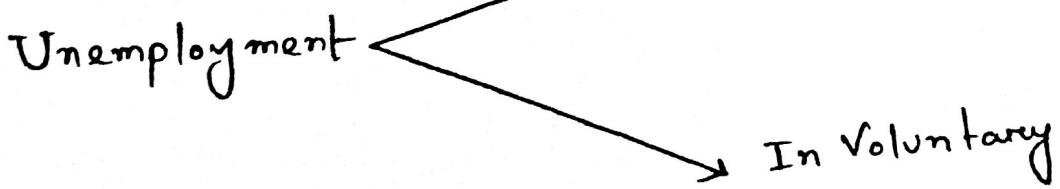
(Factors of Production vs Unemployment)

Employment Dynamics :

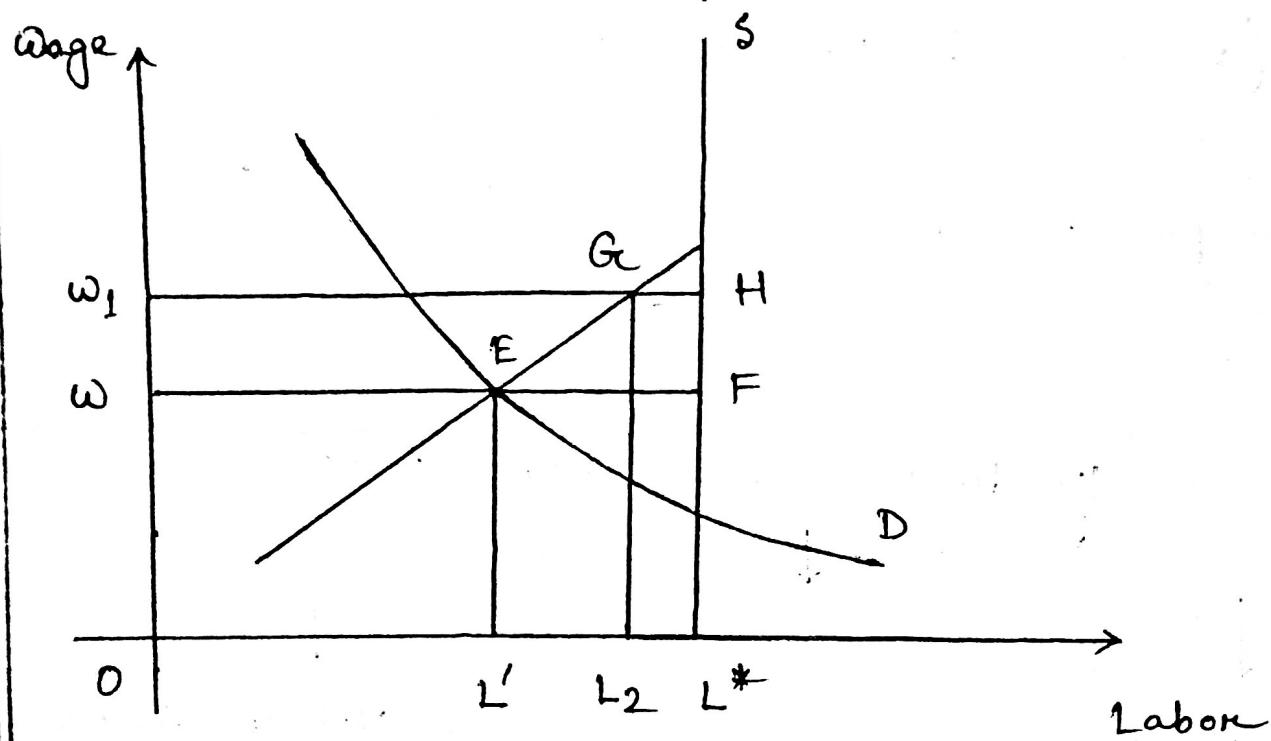
Productive Population (18-55)



Voluntary (জ্বর পাখনা আছে,
কোথা যাবে - এটি type)



Creation of Unemployment :



$D = \text{Labor DD}$

$S = \text{Labor SS}$

$OL^* = \text{Total Labor force}$

Labor Supply Curve is Upward.

Then becomes Perfectly In-elastic.

(wo wage flexible wage)

Flexible Wage (ow) \rightarrow Voluntary Unemployment (EF)

Inflexible Wage (ow_1) \rightarrow Involuntary Unemployment (GH)