

# **Interpretable ML for biodiversity**

An introduction using species distribution models

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September 29, 2024



## MAIN GOALS

1. How do we produce a model?
2. How do we convey that it works?
3. How do we talk about how it makes predictions?
4. How do we use it to guide actions?



## THE STEPS

1. Get data about species occurrences
2. Build a classifier and make it as good as we can
3. Measure its performance
4. Explain some predictions
5. Generate counterfactual explanations
6. Briefly discuss ensemble models



## BUT WHY...

- ... **think of SDM as a ML problem?** Because they are! We want to learn a predictive algorithm from data
- ... **the focus on explainability?** We cannot ask people to *trust* - we must *convince* and *explain*

§ 1

## Problem statement



## THE PROBLEM IN ECOLOGICAL TERMS

We have information about a species



## THE PROBLEM IN OTHER WORDS

We have a series of observations  $y \in \mathbb{B}$ , and predictors variables  $\mathbf{x} \in \mathbb{R}$

We want to find an algorithm  $f(\mathbf{x}) = \hat{y}$  that results in the distance between  $\hat{y}$  and  $y$  being *small*



## SETTING UP THE DATA FOR OUR EXAMPLE

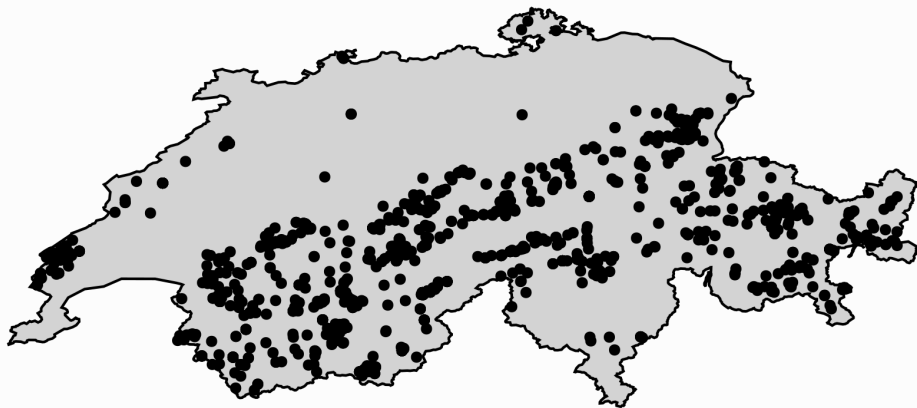
The predictor data will come from CHELSA2 - we will start with the 19 BioClim variables

We will use data on observations of *Turdus torquatus* in Switzerland, downloaded from the copy of the eBird dataset on GBIF





## THE OBSERVATION DATA





## PROBLEM!

We want  $\hat{y} \in \mathbb{B}$ , and so far we are missing **negative values**



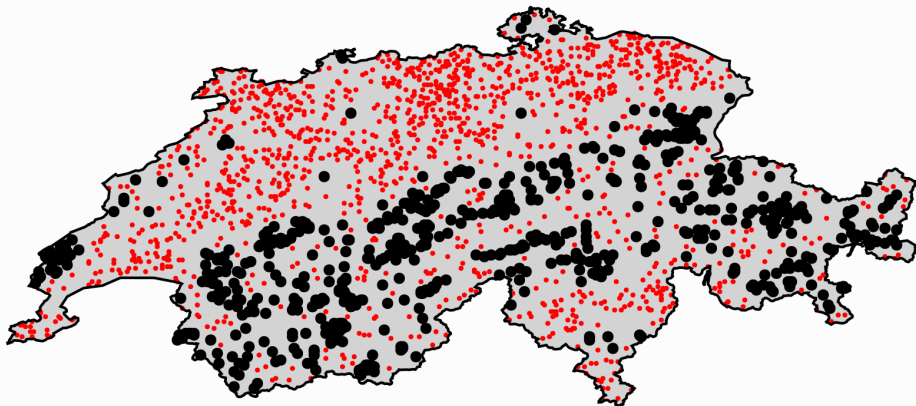
SOLUTION!

pseudo-absences

what are the assumptions we make



## THE (INFLATED) OBSERVATION DATA



§ 2

## Training the model



## THE NAIVE BAYES CLASSIFIER

$$P(+|x) = \frac{P(+)}{P(x)} P(x|+)$$

$$\hat{y} = \operatorname{argmax}_j P(\mathbf{c}_j) \prod_i P(\mathbf{x}_i | \mathbf{c}_j)$$

$$P(x|+) = \text{pdf}(x, \mathcal{N}(\mu_+, \sigma_+))$$



SETUP



## CROSS-VALIDATION

Can we train the model

assumes parallel universes with slightly less data

is the model good?





## NULL CLASSIFIERS

coin flip

no skill

constant



## EXPECTATIONS

| <b>Model</b>     | <b>MCC</b>   | <b>PPV</b> | <b>NPV</b> | <b>DOR</b> | <b>Accuracy</b> |
|------------------|--------------|------------|------------|------------|-----------------|
| noskill          | -3.10619e-17 | 0.336873   | 0.663127   | 1.0        | 0.553221        |
| coinflip         | -0.326255    | 0.336873   | 0.336873   | 0.25807    | 0.336873        |
| constantpositive | 0.0          | 0.336873   | NaN        | NaN        | 0.336873        |
| constantnegative | 0.0          | NaN        | 0.663127   | NaN        | 0.663127        |



## CROSS-VALIDATION STRATEGY

k-fold

validation / training / testing



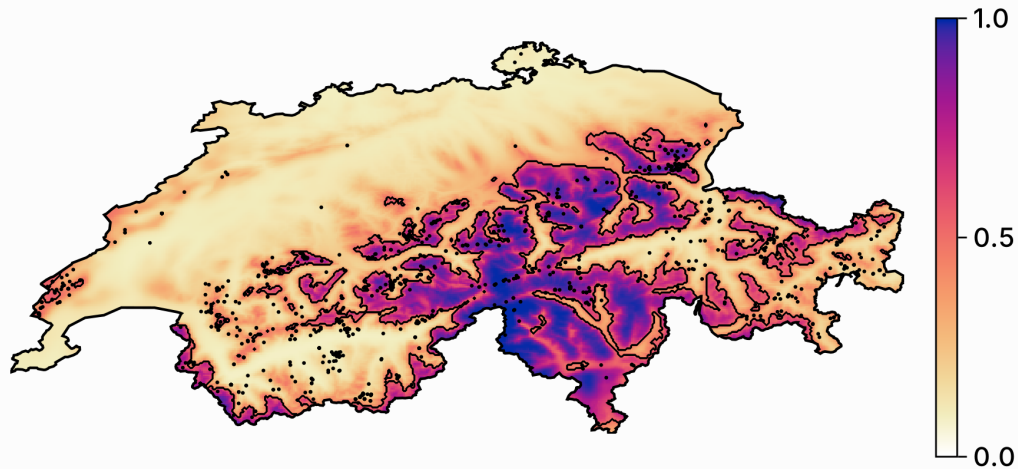
## WHAT TO DO IF THE MODEL IS TRAINABLE?

train it!

re-use the full dataset



## INITIAL PREDICTION





## CAN WE IMPROVE ON THIS MODEL?

variable selection

data transformation

hyper-parameters tuning

will focus on the later (same process for the two above)



## MOVING THRESHOLD CLASSIFICATION

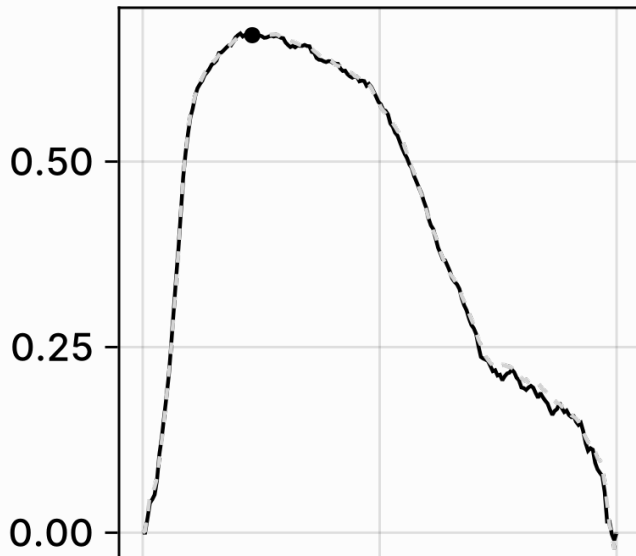
$p_{+} > p_{-}$  means threshold is 0.5

is it?

how do we check this



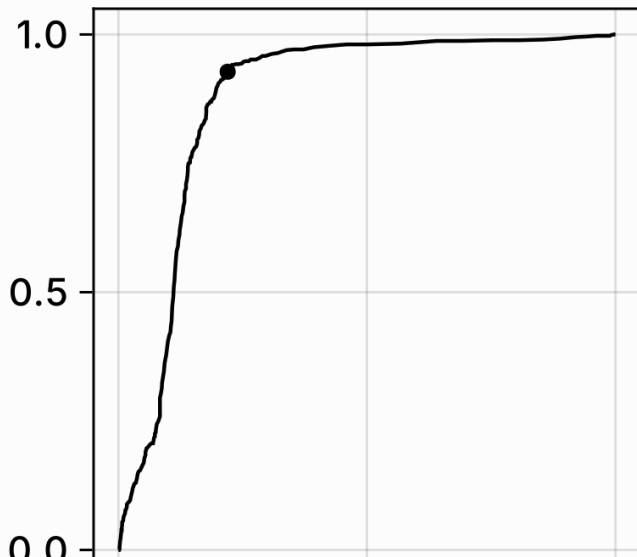
## LEARNING CURVE FOR THE THRESHOLD





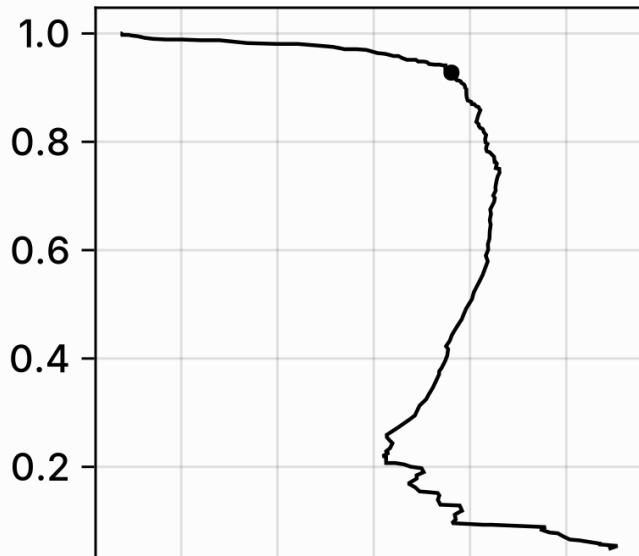


## RECEIVER OPERATING CHARACTERISTIC





## PRECISION-RECALL CURVE

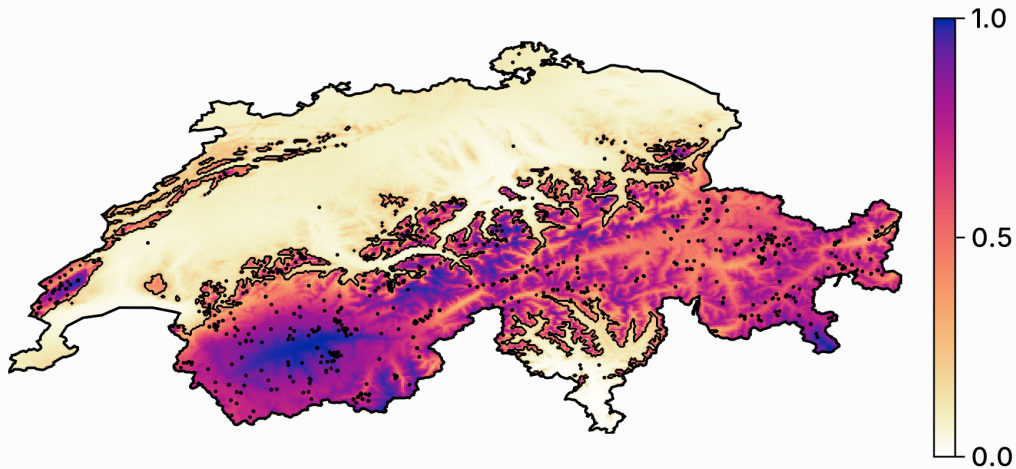




## REVISING THE MODEL PERFORMANCE



## UPDATED PREDICTION





## VARIABLE IMPORTANCE





## INTRO EXPLAINABLE

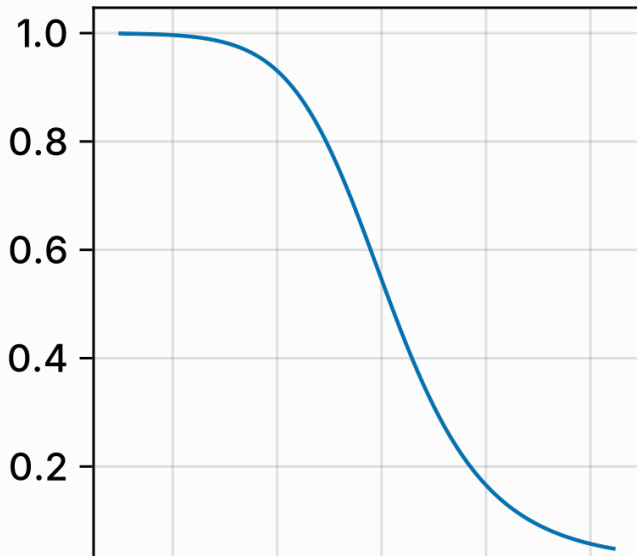


## AN ECOLOGY TOOL: PARTIAL RESPONSE CURVES



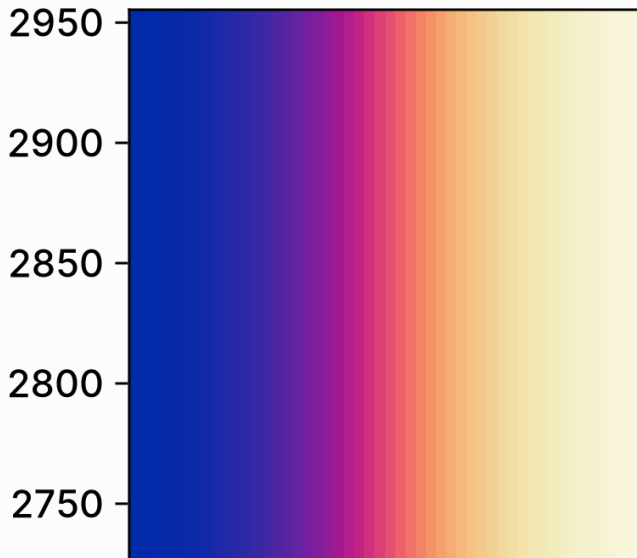


## EXAMPLE WITH TEMPERATURE



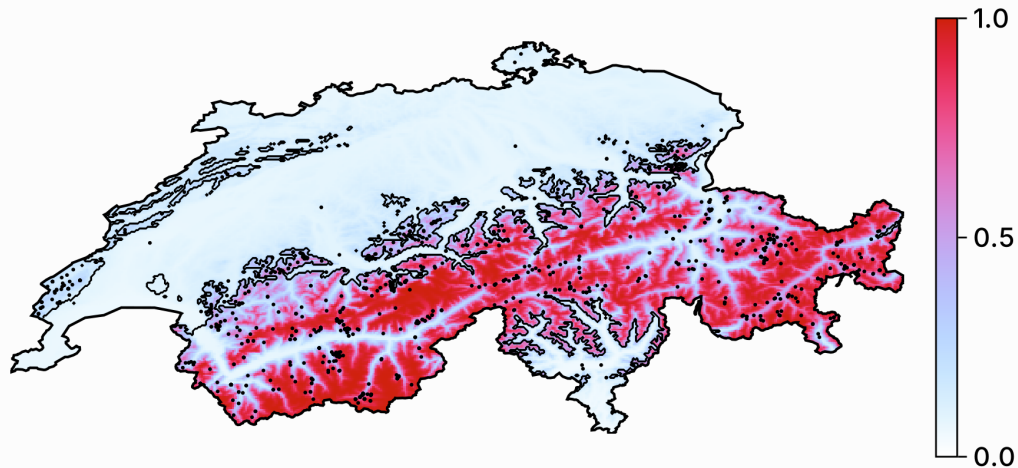


## EXAMPLE WITH TWO VARIABLES



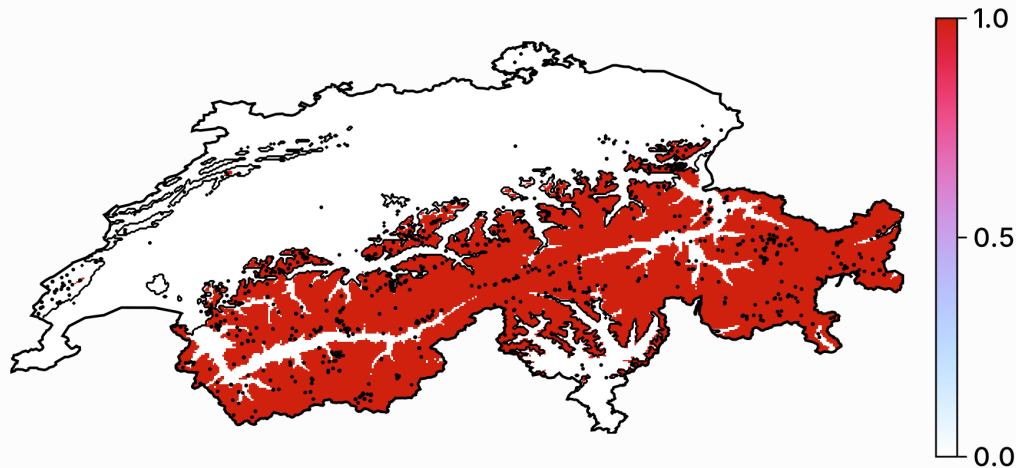


## SPATIALIZED PARTIAL RESPONSE PLOT





## SPATIALIZED PARTIAL RESPONSE (BINARY OUTCOME)





## INFLATED RESPONSE CURVES

Averaging the variables is **masking a lot of variability!**

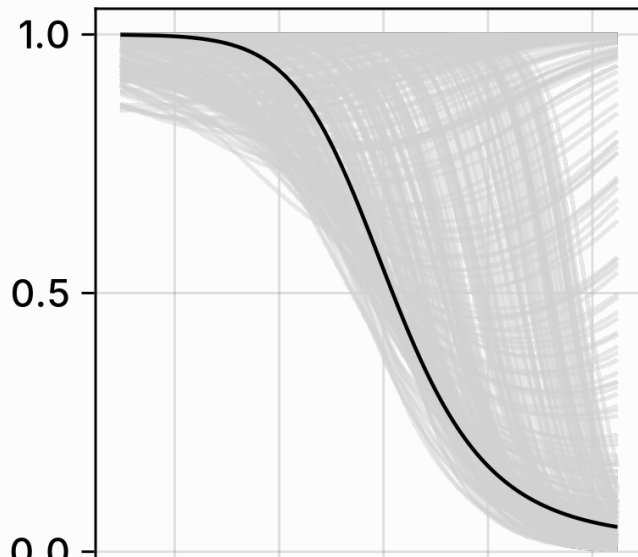
Alternative solution:

1. Generate a grid for all the variables
2. For all combinations in this grid, use it as the stand-in for the variables to replace

In practice: Monte-Carlo on a reasonable number of samples.



## EXAMPLE





## LIMITATIONS

- partial responses can only generate model-level information
- they break the structure of values for all predictors at the scale of a single observation
- their interpretation is unclear



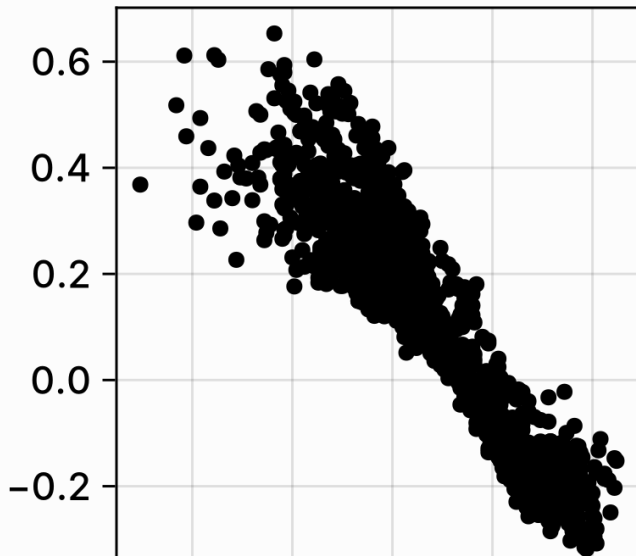


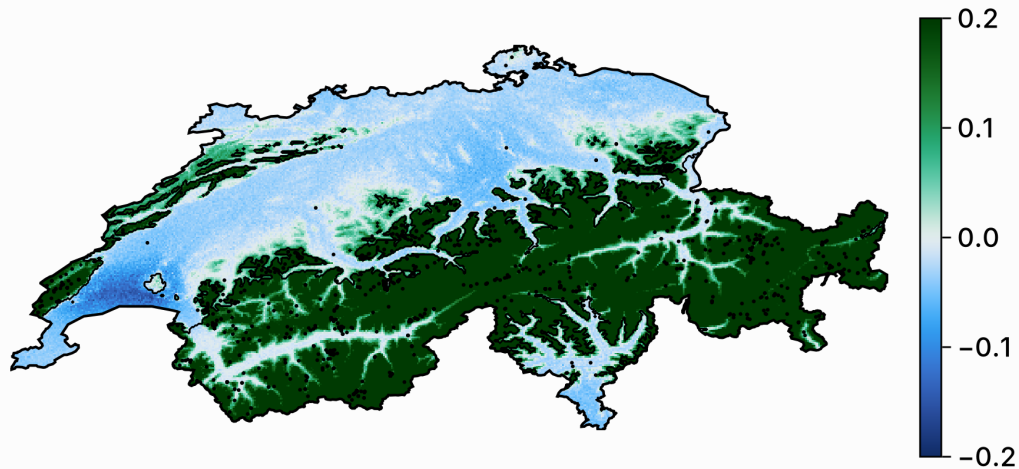


EXAMPLE



## RESPONSE CURVES REVISITED







## VARIABLE IMPORTANCE REVISITED

with shapley



## MOST IMPORTANT PREDICTOR

mosaic map





## INTRO TO COUNTERFACTUALS

what they are







