



Mathematical modelling for the next-generation all-solid-state battery: Nucleation interface

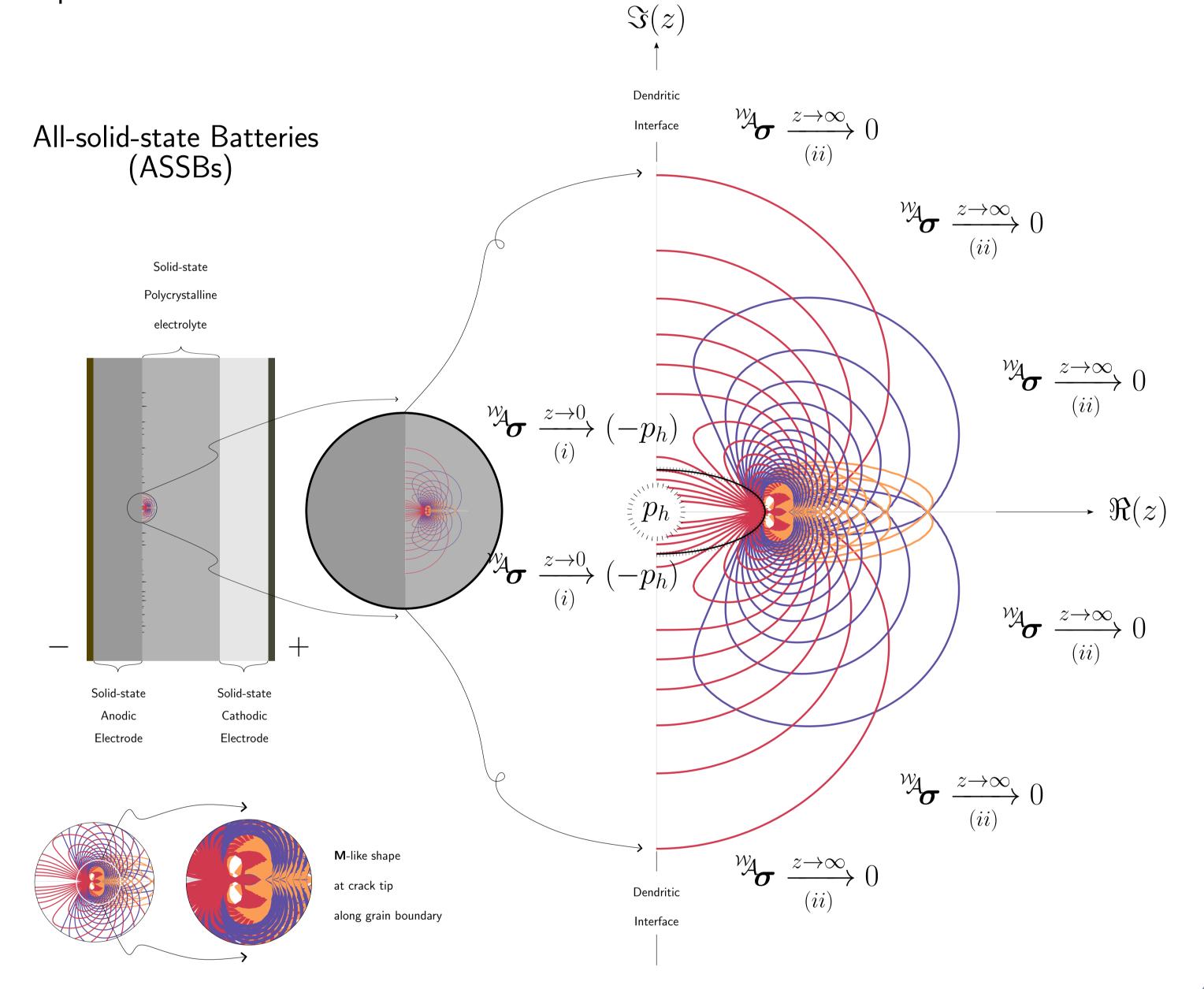
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Next-generation All-solid-state battery

Rechargeable Lithium-ion battery (LIB) stays at the heart of every energy storage system and electric vehicle. Undoubtedly, LIB benefits human life efficiently as well as friendly-environment. Besides, a more advanced LIB, so-called **all-solid-state battery** (ASSB), is introduced recently as ASSB is expected with non-inflammation and non-explosion as seen in common LIBs. Yet, defect due to polarization is one natural phenomenon of **solid electrolyte** (SE) to be tackled.

This poster is aimed to model the polarized SE with the use of **structural tensor**. A typical LIB includes three main components: cathode, anode and electrolyte. Different types of LIB have a variation of constitutive material composed of battery. An ASSB means that the three main components are **all made of solid material**.



Modelling goal

Two main goals to model the solid electrolyte part of the all-solid-state battery is as follows:

- 1. To capture the **preferred direction** behaviour of the solid electrolyte due to electric potential.
- 2. To satisfy **thermodynamic consistency**:
 - ullet Conservation of mass, linear & angular momentum and energy for the solid electrolyte.
 - Entropy inequality is guaranteed with sharper conditions, which lead to constitutive equation.

Continuum physics kinematic

Green-Lagrange strain tensor ${m E}$ with respect to small displacement $\partial {m u}/\partial {m \xi} = {\cal O}(\epsilon), \ \epsilon \ll 1$:

$$\boldsymbol{E} = \frac{1}{2} (\boldsymbol{F}^{\top} \boldsymbol{F} - \boldsymbol{I}) = \frac{1}{2} \left(\frac{\partial \boldsymbol{u}}{\partial \boldsymbol{\xi}} + \left(\frac{\partial \boldsymbol{u}}{\partial \boldsymbol{\xi}} \right)^{\top} + \underbrace{\left(\frac{\partial \boldsymbol{u}}{\partial \boldsymbol{\xi}} \right)^{\top} \left(\frac{\partial \boldsymbol{u}}{\partial \boldsymbol{\xi}} \right)}_{\text{Neglected}} \right) \rightarrow \boldsymbol{\varepsilon} := \frac{1}{2} \left(\frac{\partial \boldsymbol{u}}{\partial \boldsymbol{\xi}} + \left(\frac{\partial \boldsymbol{u}}{\partial \boldsymbol{\xi}} \right)^{\top} \right)$$

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